



University of British Columbia  
CPSC 314 Computer Graphics  
Jan-Apr 2008

Tamara Munzner

**Color II, Lighting/Shading I**

**Week 7, Mon Feb 25**

<http://www.ugrad.cs.ubc.ca/~cs314/Vjan2008>

# News

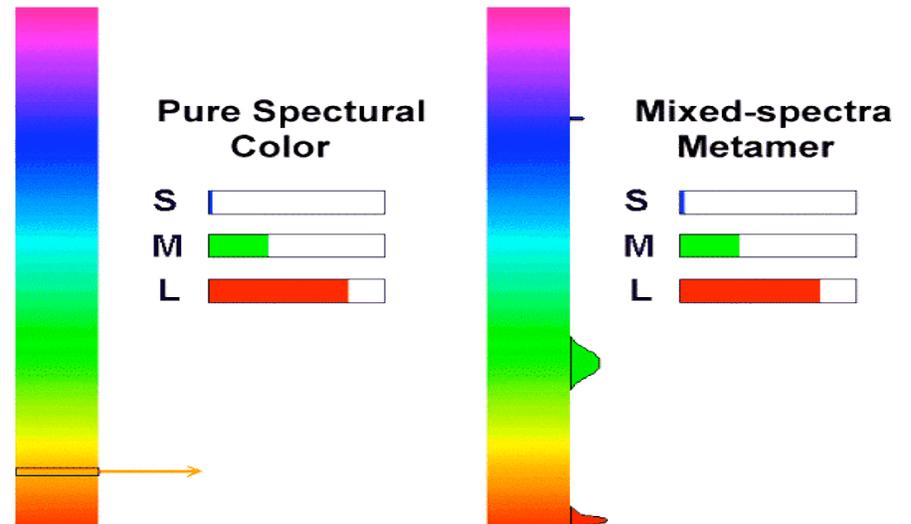
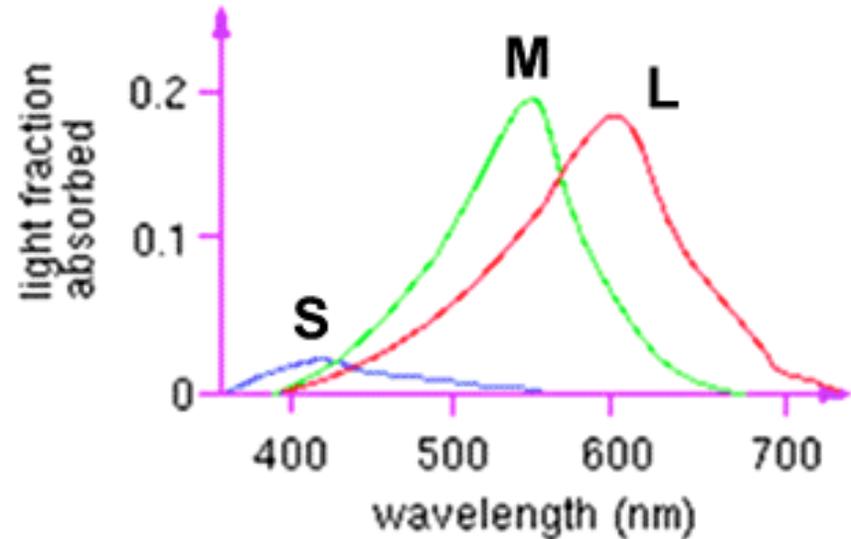
- I'm back!
  - including office hours Wed/Fri after lecture in lab
- this week
  - Fri 2/29: Homework 2 due 1pm sharp
  - Fri 2/29: Project 2 due 6pm
  - extra TA office hours in lab this week to answer questions
    - Tue 2-4 (usual lab 1-2)
    - Thu 2-4 (usual lab 10-11)
    - Fri 2-4 (usual lab 12-1)
- reminder: midterm next Fri Mar 7

# News

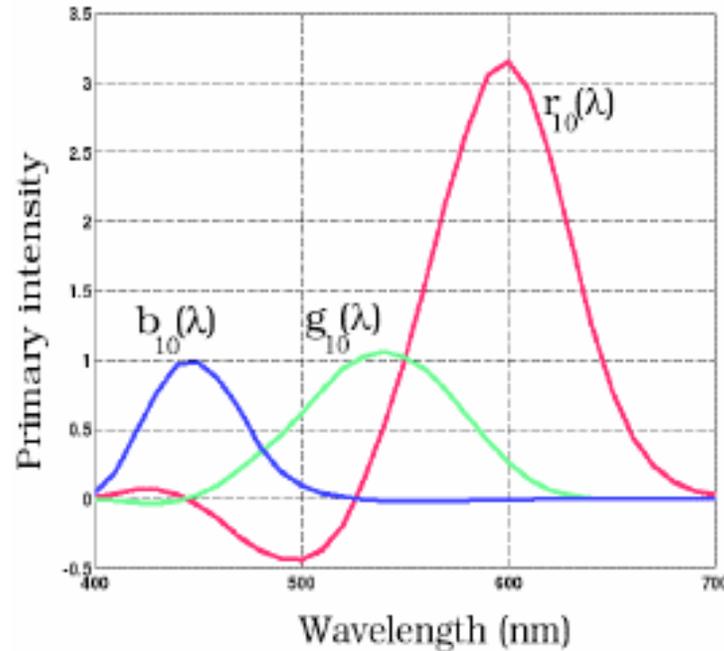
- Homework 1 returned today
  - average 84
- Project 1 face-to-face grading done
  - average 96
  - stragglers contact Cody, [cjrobson@cs](mailto:cjrobson@cs), ASAP
    - penalty for noshows, nosignups
- the glorious P1 Hall of Fame!

# Review: Trichromacy and Metamers

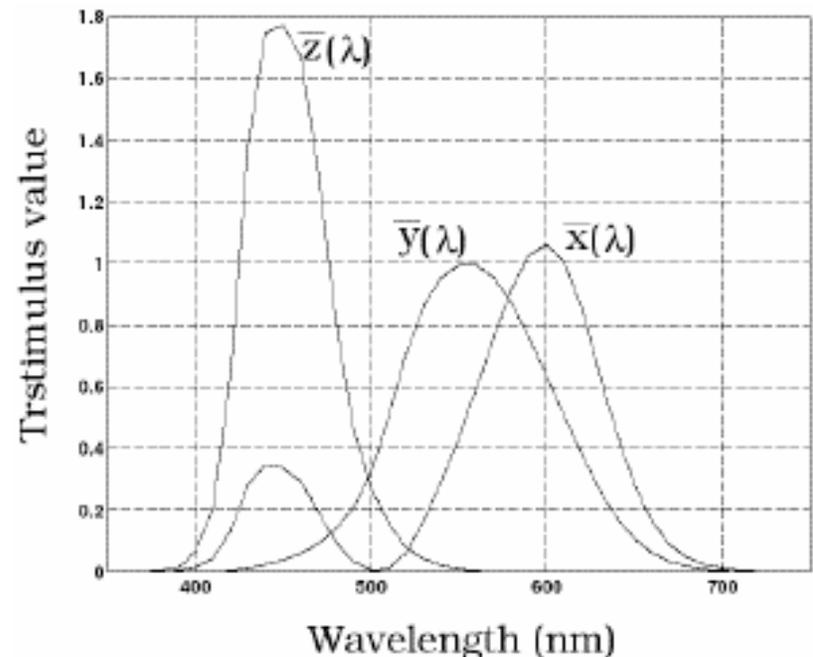
- three types of cones
- color is combination of cone stimuli
  - metamer: identically perceived color caused by very different spectra



# Review: Measured vs. CIE Color Spaces



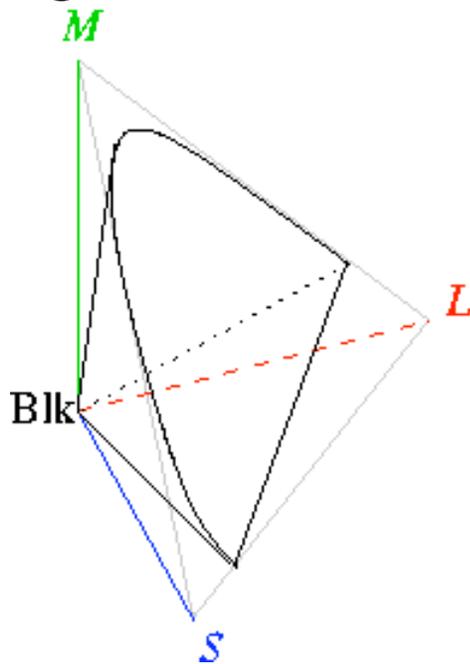
- measured basis
  - monochromatic lights
  - physical observations
  - negative lobes



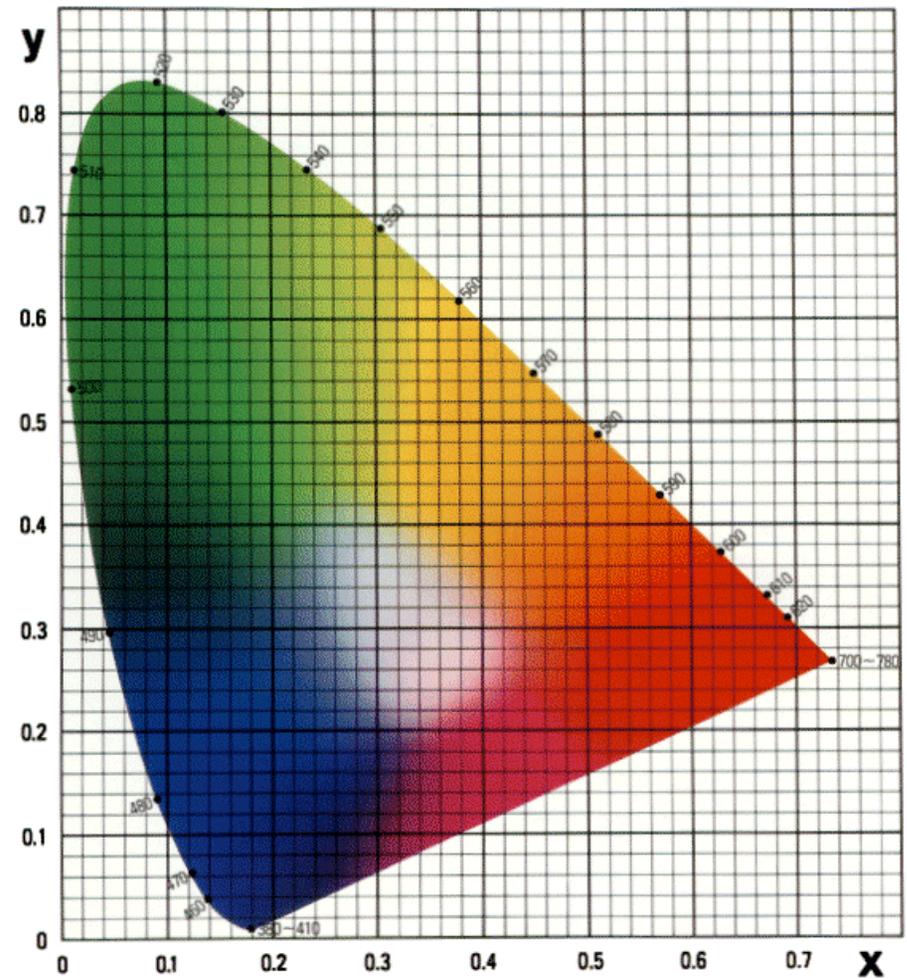
- transformed basis
  - “imaginary” lights
  - all positive, unit area
  - Y is luminance, no hue
  - X, Z hue, no luminance

# CIE Gamut and $\lambda$ Chromaticity Diagram

- 3D gamut



- chromaticity diagram
  - hue only, no intensity



# CIE “Horseshoe” Diagram Facts

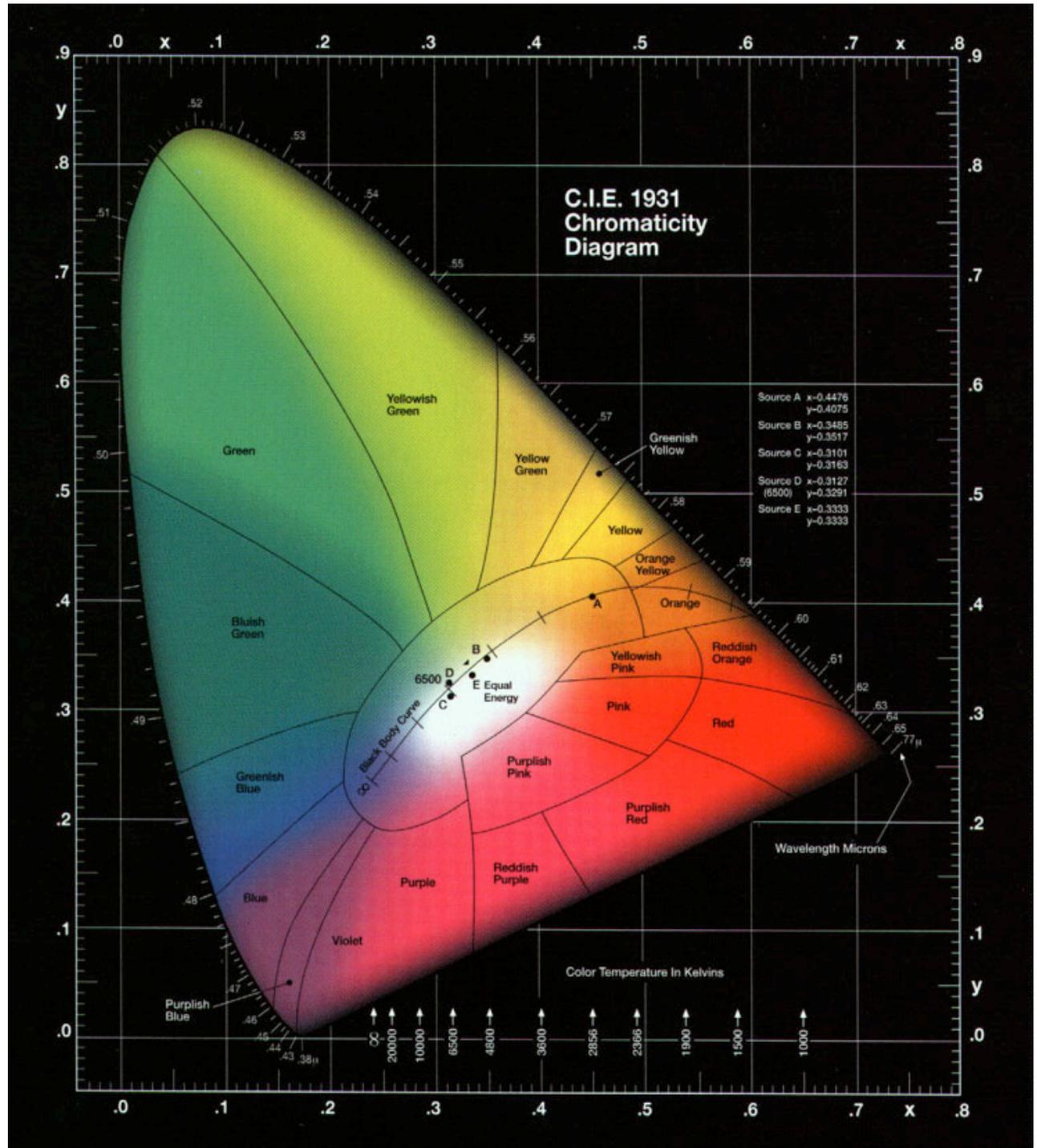
- all visible colors lie inside the horseshoe
  - result from color matching experiments
- spectral (monochromatic) colors lie around the border
  - the straight line between blue and red contains the purple tones
- colors combine linearly (i.e. along lines), since the  $xy$ -plane is a plane from a linear space

# CIE “Horseshoe” Diagram Facts

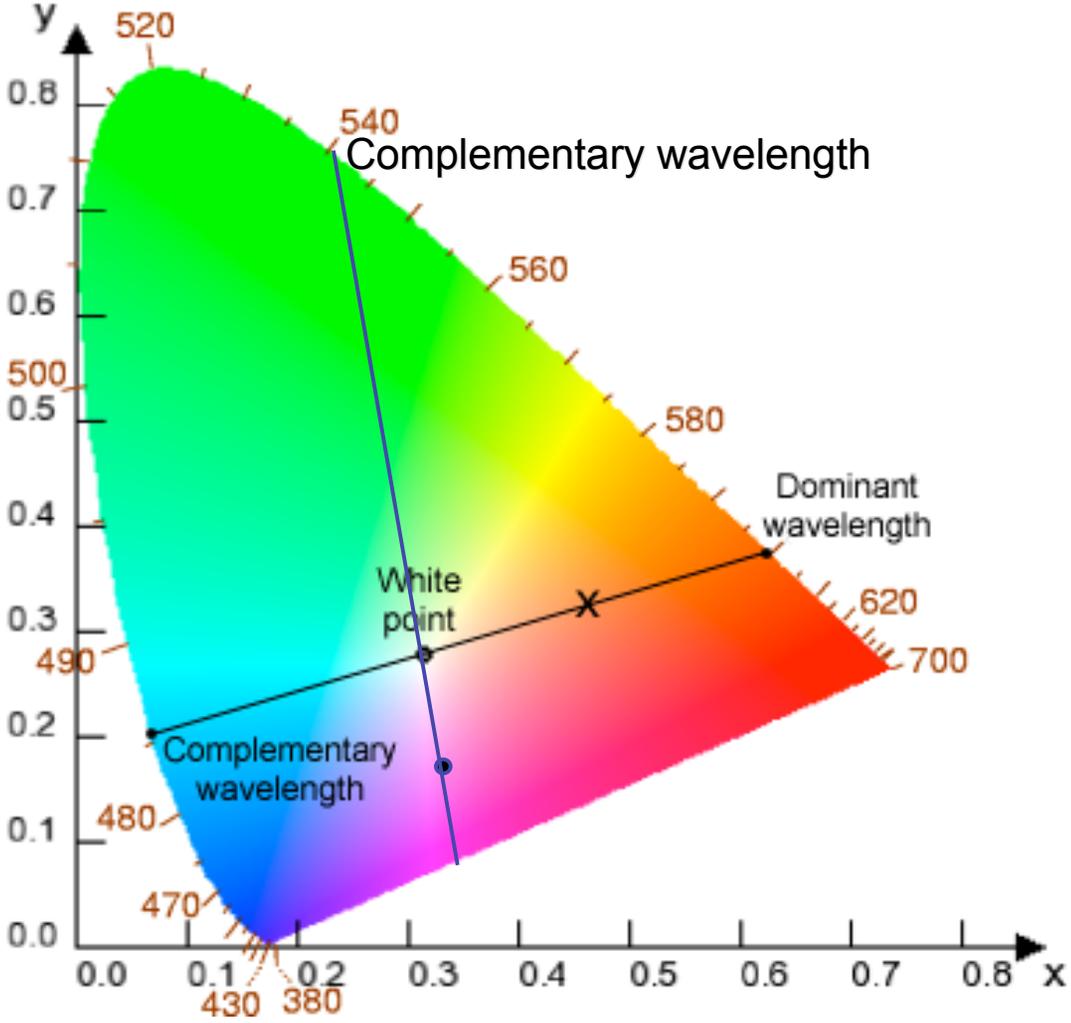
- a point C can be chosen as a white point corresponding to an illuminant
  - usually this point is of the curve swept out by the black body radiation spectra for different temperatures
  - relative to C, two colors are called complementary if they are located along a line segment through C, but on opposite sides (i.e C is an affine combination of the two colors)
  - the dominant wavelength of the color is found by extending the line from C through the color to the edge of the diagram
  - some colors (i.e. purples) do not have a dominant wavelength, but their complementary color does

# CIE Diagram

- Blackbody curve
- Illumination:
  - Candle 2000K
  - Light bulb 3000K (A)
  - Sunset/sunrise 3200K
  - Day light 6500K (D)
  - Overcast day 7000K
  - Lightning >20,000K

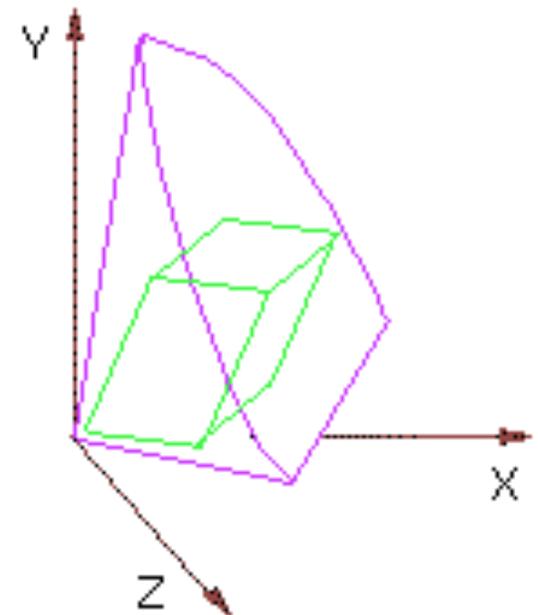
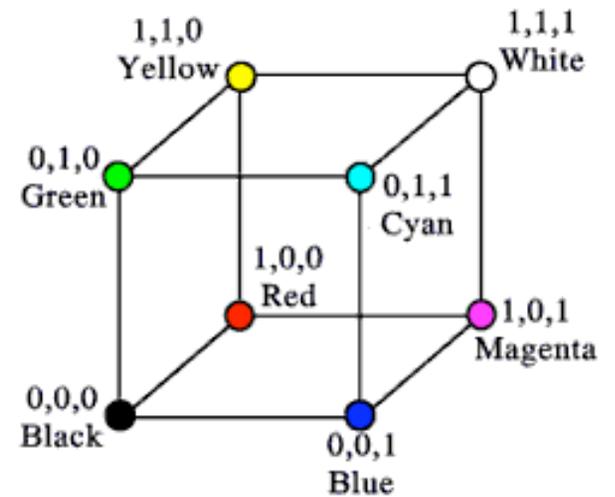


# Color Interpolation, Dominant & Opponent Wavelength



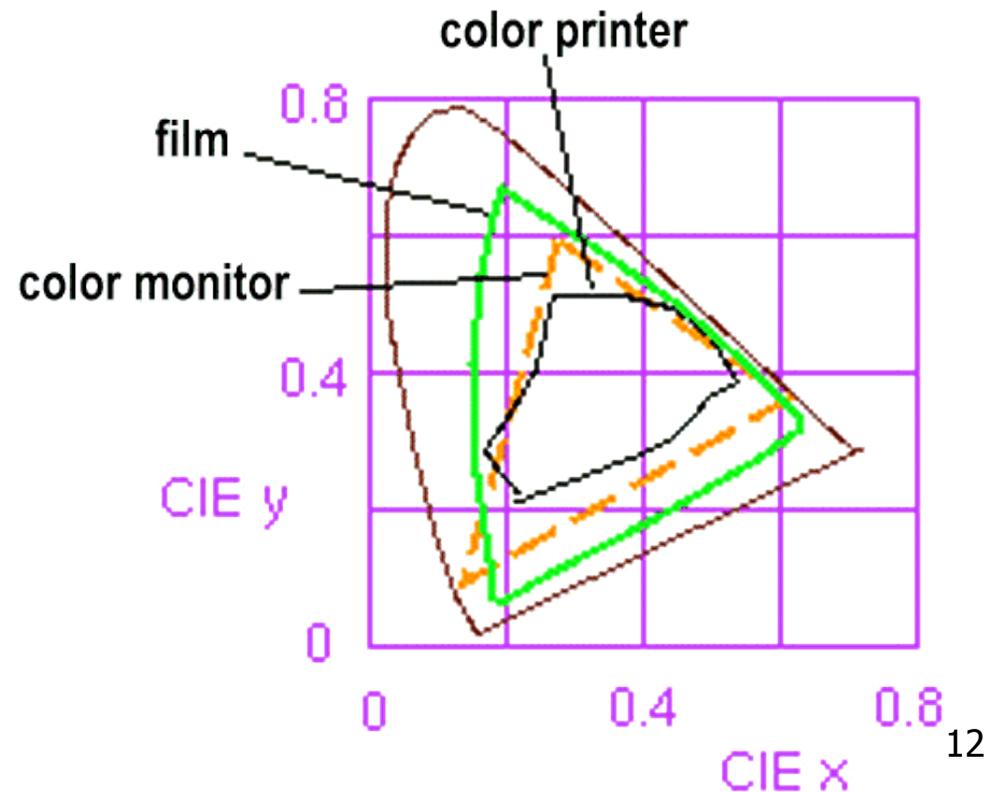
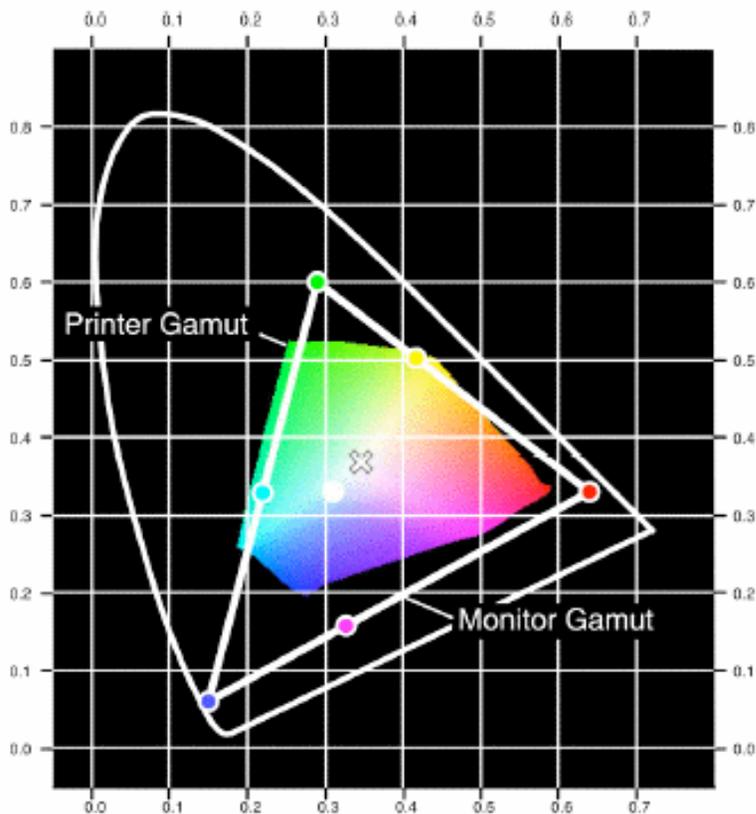
# RGB Color Space (Color Cube)

- define colors with  $(r, g, b)$  amounts of red, green, and blue
  - used by OpenGL
  - hardware-centric
  - describes the colors that can be generated with specific RGB light sources
- RGB color cube sits within CIE color space
  - subset of perceivable colors
  - scaled, rotated, sheared cube



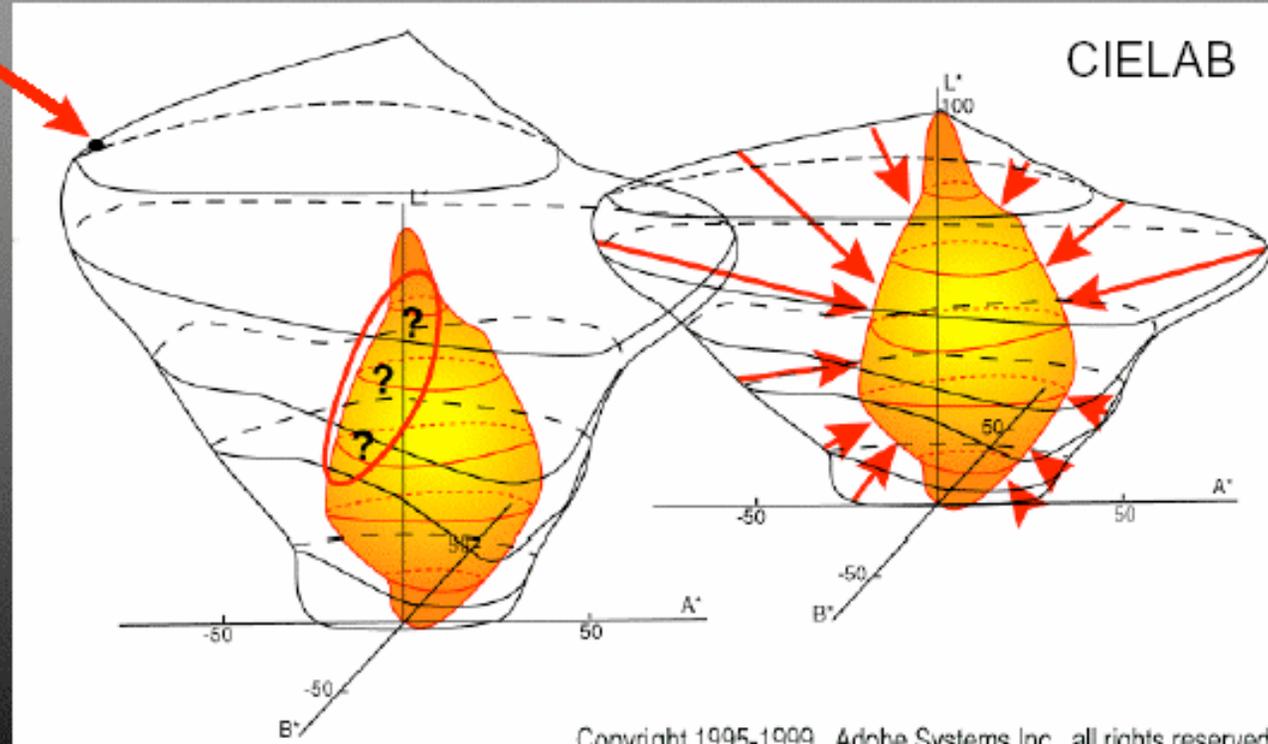
# Device Color Gamuts

- use CIE chromaticity diagram to compare the gamuts of various devices
  - X, Y, and Z are hypothetical light sources, not used in practice as device primaries



# Gamut Mapping

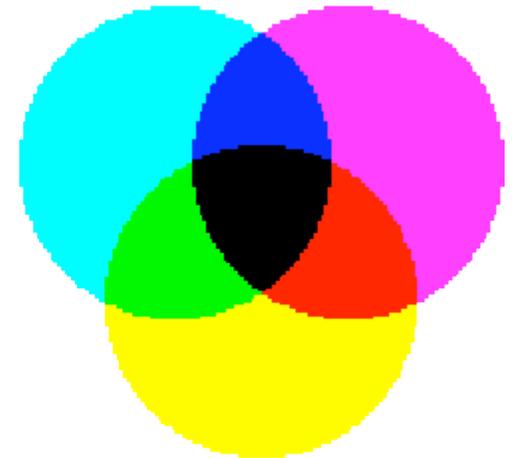
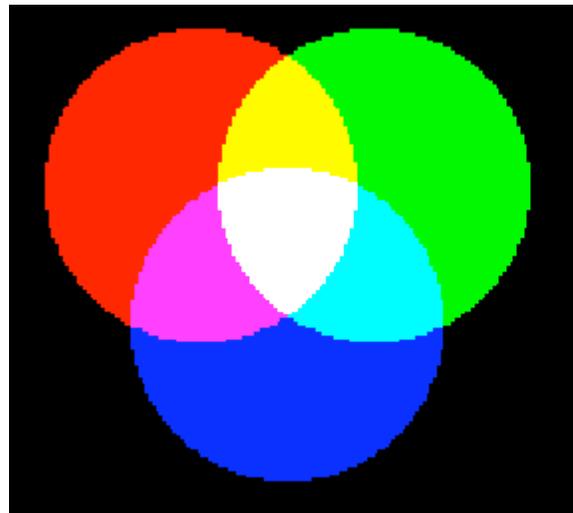
Where does  
this color go?



# Additive vs. Subtractive Colors

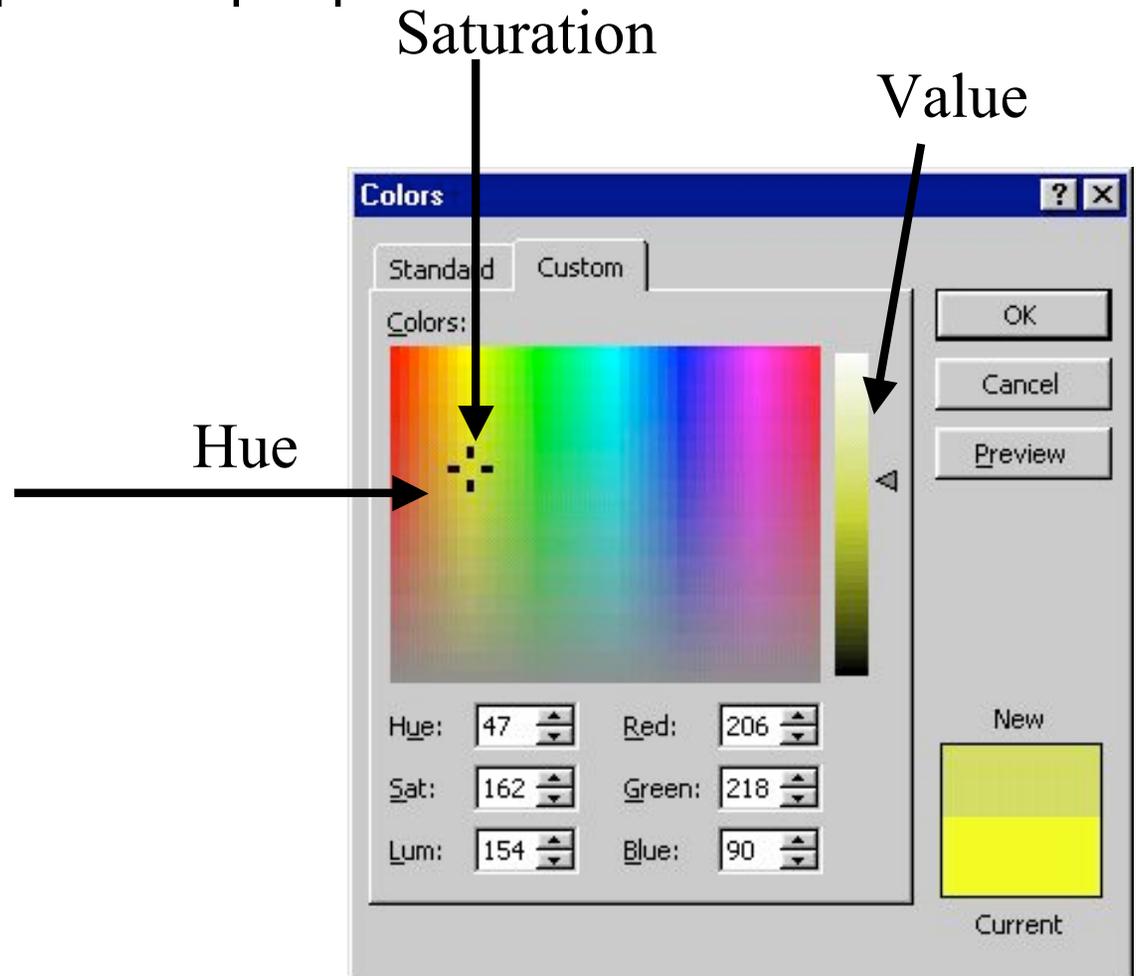
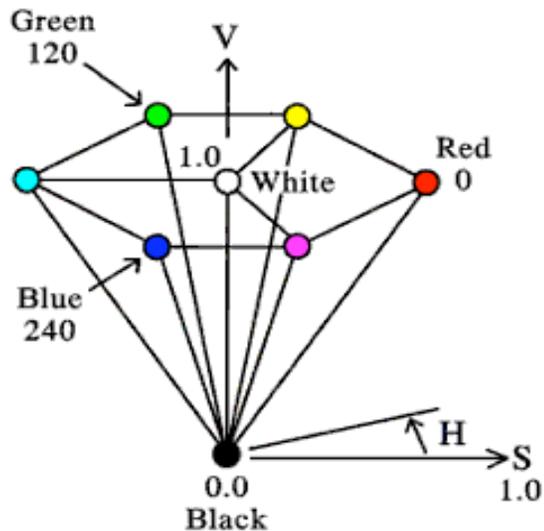
- additive: light
  - monitors, LCDs
  - RGB model
- subtractive: pigment
  - printers
  - CMY(K) model

$$\begin{bmatrix} C \\ M \\ Y \end{bmatrix} = \begin{bmatrix} 1 \\ 1 \\ 1 \end{bmatrix} - \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$



# HSV Color Space

- more intuitive color space for people
  - H = Hue
  - S = Saturation
  - V = Value
    - or brightness B
    - or intensity I
    - or lightness L



# HSI/HSV and RGB

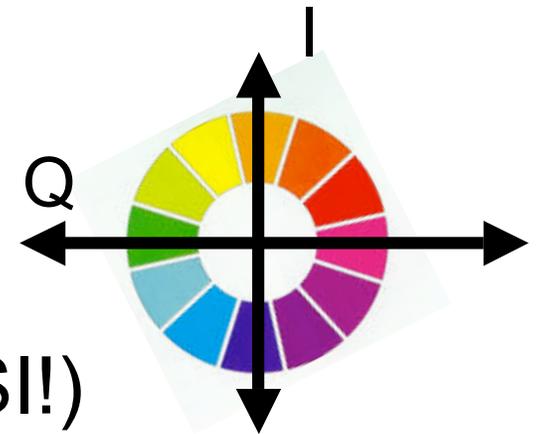
- HSV/HSI conversion from RGB
  - hue same in both
  - value is max, intensity is average

$$H = \cos^{-1} \left[ \frac{\frac{1}{2} [(R - G) + (R - B)]}{\sqrt{(R - G)^2 + (R - B)(G - B)}} \right] \quad \text{if } (B > G),$$
$$H = 360 - H$$

- HSI:  $S = 1 - \frac{\min(R, G, B)}{I}$        $I = \frac{R + G + B}{3}$

- HSV:  $S = 1 - \frac{\min(R, G, B)}{V}$        $V = \max(R, G, B)$

# YIQ Color Space



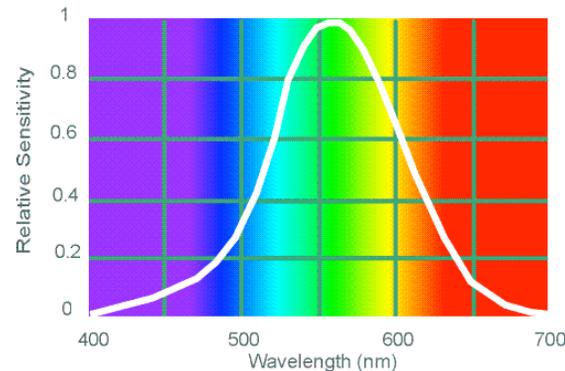
- color model used for color TV
  - Y is luminance (same as CIE)
  - I & Q are color (not same I as HSI!)
  - using Y backwards compatible for B/W TVs
  - conversion from RGB is linear

$$\begin{bmatrix} Y \\ I \\ Q \end{bmatrix} = \begin{bmatrix} 0.30 & 0.59 & 0.11 \\ 0.60 & -0.28 & -0.32 \\ 0.21 & -0.52 & 0.31 \end{bmatrix} \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$

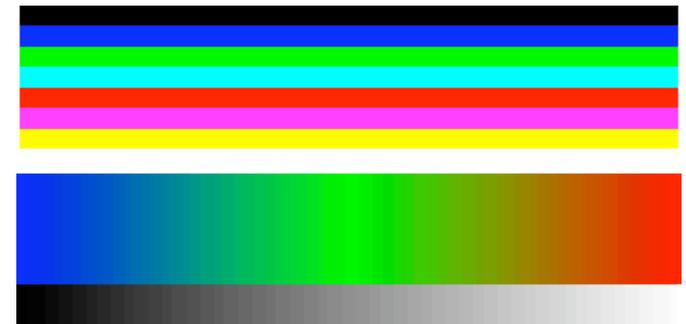
- green is much lighter than red, and red lighter than blue

# HSV Does Not Encode Luminance

- luminance
  - Y of YIQ
  - $0.299R + 0.587G + 0.114B$
- luminance takes into effect that eye spectral response is wavelength-dependent



- value/intensity/brightness
  - I/V/B of HSI/HSV/HSB
  - $0.333R + 0.333G + 0.333B$
  - lose information!



(a) Colour Image



(b) Intensity Image



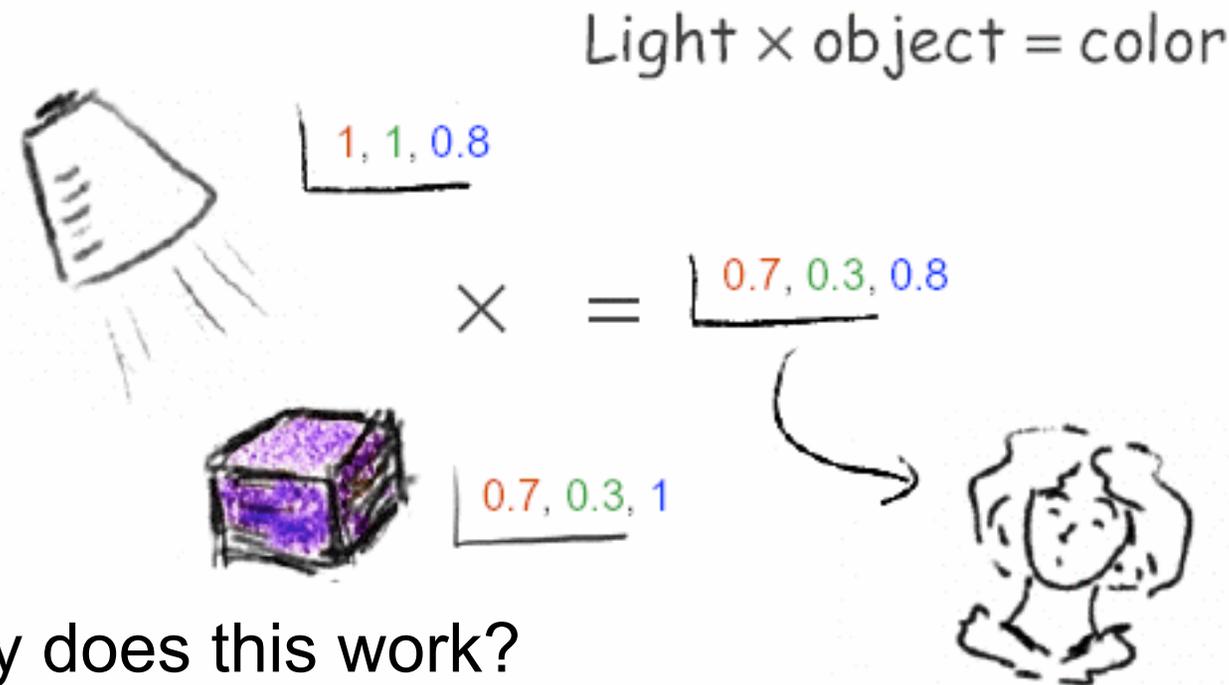
(c) Luminance Image

# Luminance and Gamma Correction

- humans have nonlinear response to brightness
  - luminance 18% of X seems half as bright as X
- thus encode luminance nonlinearly: perceptually uniform domain uses bits efficiently
  - high quality with 8 bits, instead of 14 bits if linear
- monitors, sensors, eye all have different responses
  - CRT monitors inverse nonlinear, LCD panels linear
  - characterize by **gamma**
    - $\text{displayedIntensity} = a^\gamma (\text{maxIntensity})$
- gamma correction
  - $\text{displayedIntensity} = \left(a^{1/\gamma}\right)^\gamma (\text{maxIntensity}) = a (\text{maxIntensity})$
  - gamma for CRTs around 2.4

# RGB Component Color (OpenGL)

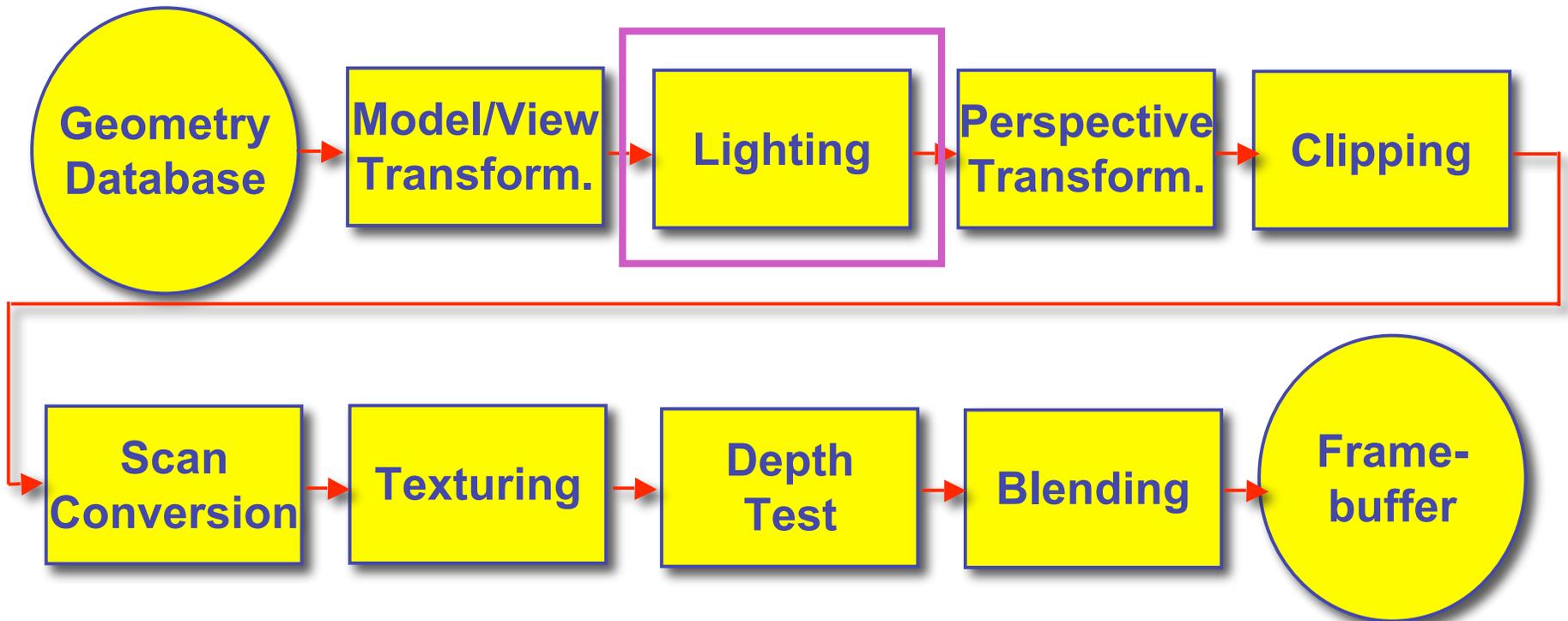
- simple model of color using RGB triples
- component-wise multiplication
  - $(a_0, a_1, a_2) * (b_0, b_1, b_2) = (a_0 * b_0, a_1 * b_1, a_2 * b_2)$



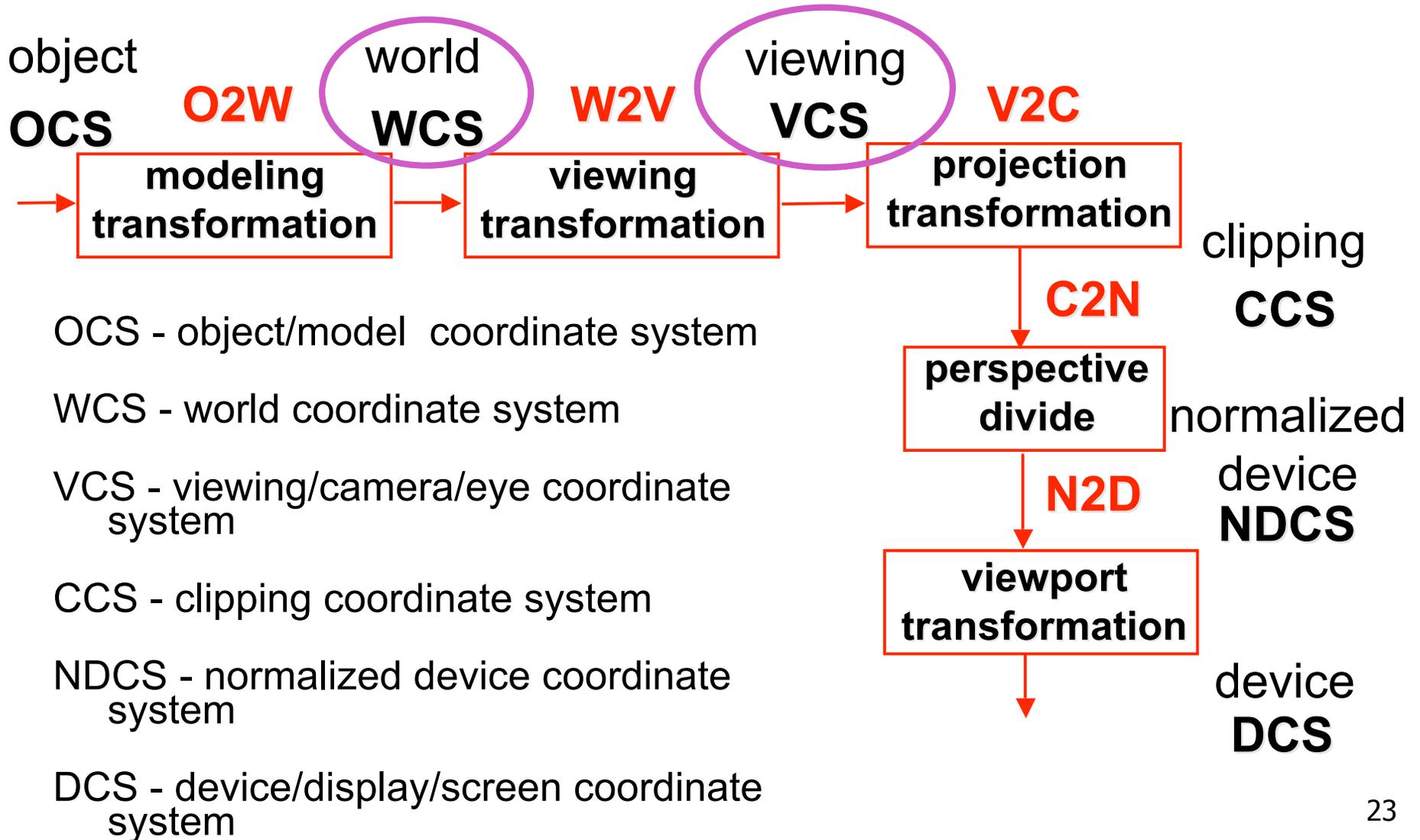
- why does this work?
  - because of light, human vision, color spaces, ...

# Lighting I

# Rendering Pipeline



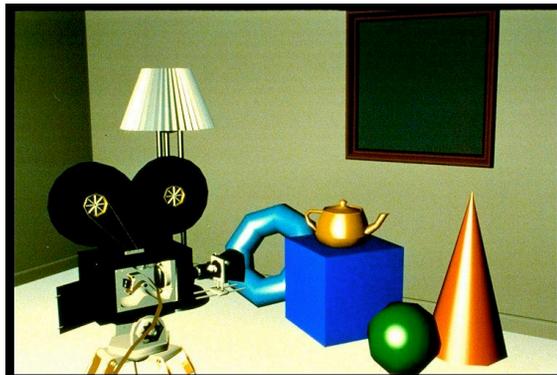
# Projective Rendering Pipeline



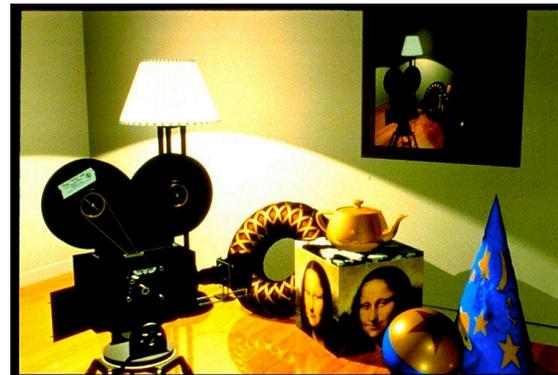
# Goal

- simulate interaction of light and objects
- fast: fake it!
  - approximate the look, ignore real physics
- local model: interaction of each object with light
  - vs. global model: interaction of objects with each other

local



global



# Illumination in the Pipeline

- local illumination
  - only models light arriving directly from light source
  - no interreflections or shadows
    - can be added through tricks, multiple rendering passes
- light sources
  - simple shapes
- materials
  - simple, non-physical reflection models

# Light Sources

- types of light sources

- `glLightfv(GL_LIGHT0, GL_POSITION, light[])`

- directional/parallel lights

- real-life example: sun

- infinitely far source: homogeneous coord  $w=0$

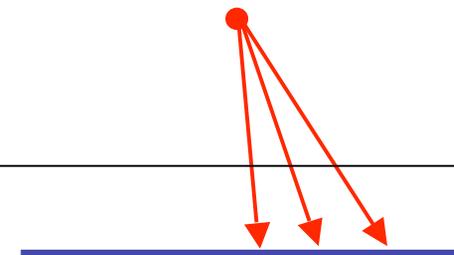
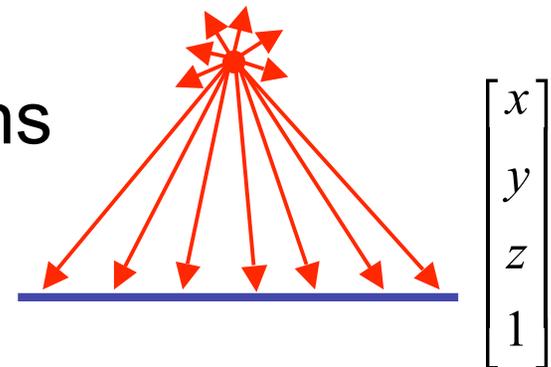
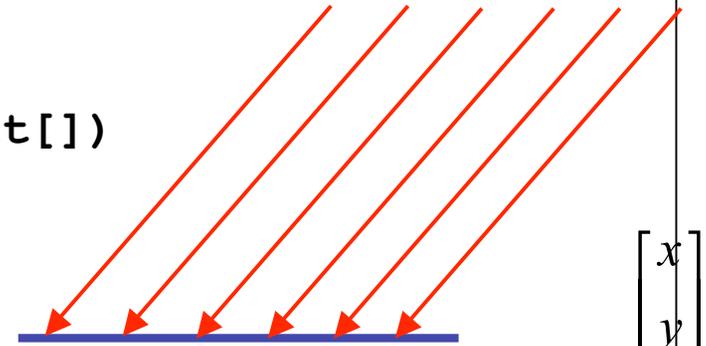
- point lights

- same intensity in all directions

- spot lights

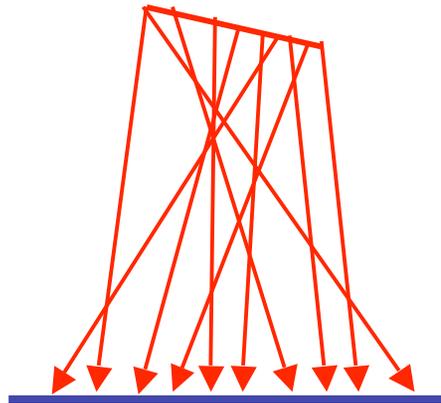
- limited set of directions:

- point+direction+cutoff angle



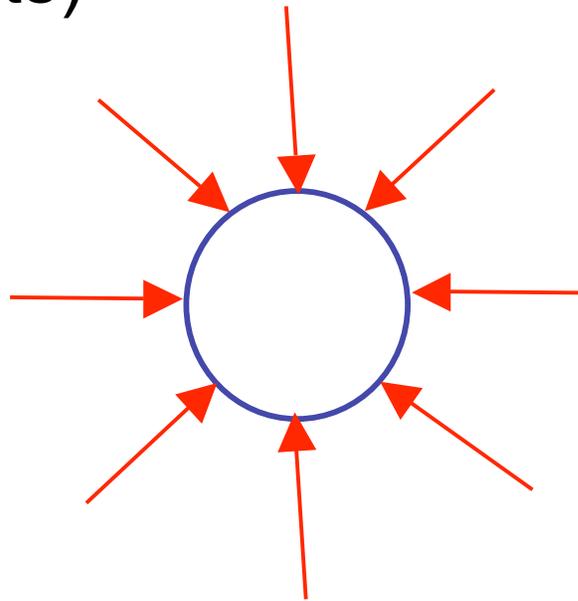
# Light Sources

- area lights
  - light sources with a finite area
  - more realistic model of many light sources
  - not available with projective rendering pipeline (i.e., not available with OpenGL)



# Light Sources

- ambient lights
  - no identifiable source or direction
  - hack for replacing true global illumination
    - (diffuse interreflection: light bouncing off from other objects)

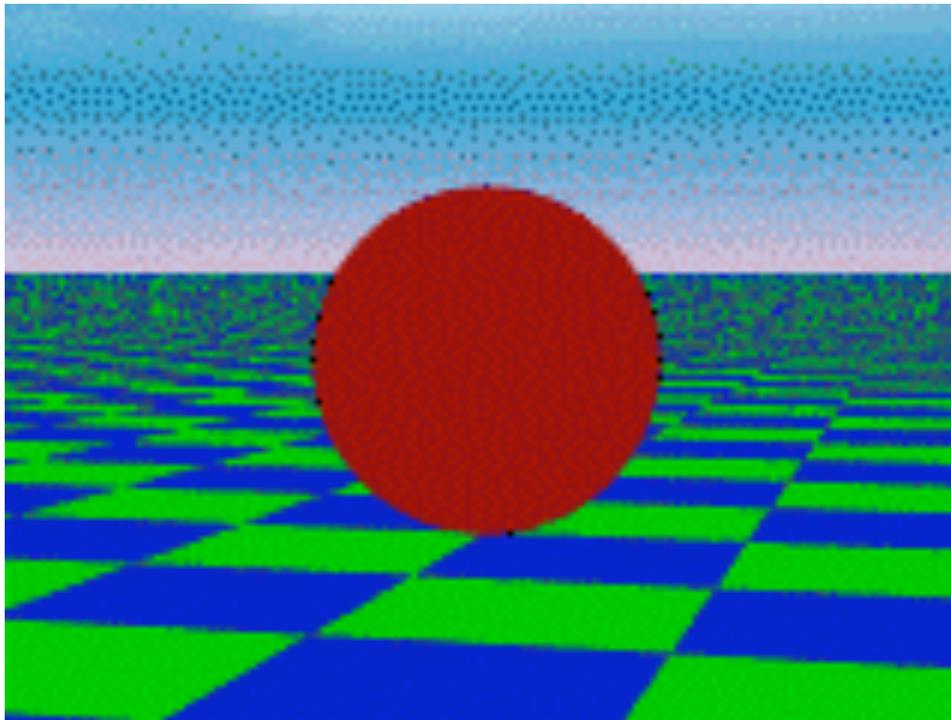


# Diffuse Interreflection



# Ambient Light Sources

- scene lit only with an ambient light source



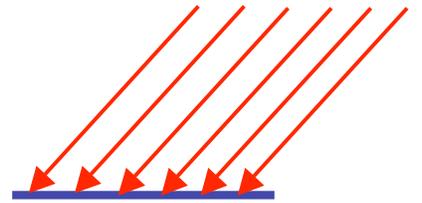
Light Position  
Not Important

Viewer Position  
Not Important

Surface Angle  
Not Important

# Directional Light Sources

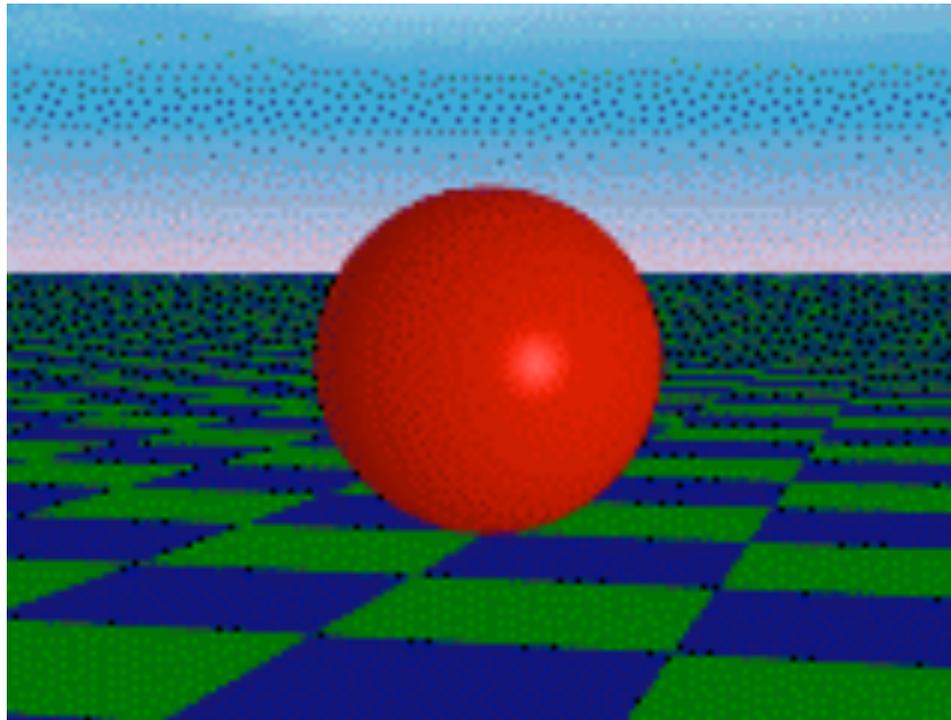
- scene lit with ambient and directional light



Light Position  
Not Important

Viewer Position  
Not Important

Surface Angle  
Important



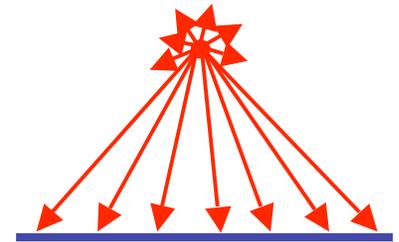
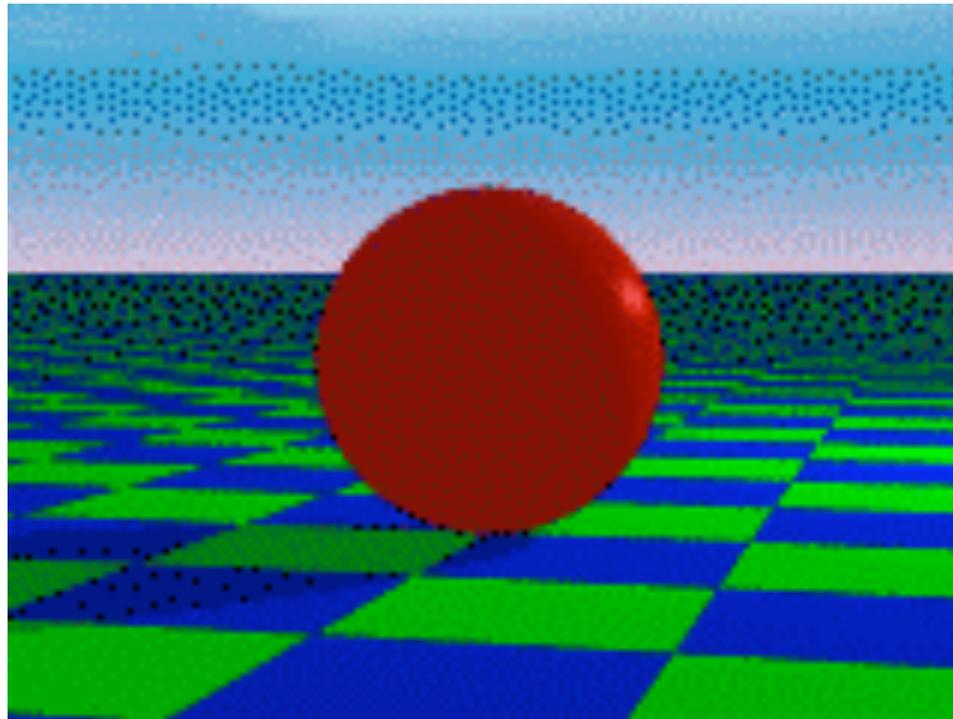
# Point Light Sources

- scene lit with ambient and point light source

Light Position  
Important

Viewer Position  
Important

Surface Angle  
Important

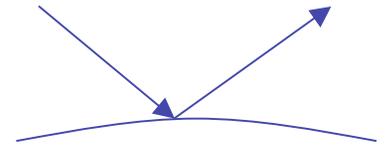


# Light Sources

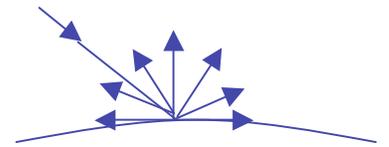
- geometry: positions and directions
  - coordinate system used depends on when you specify
  - standard: world coordinate system
    - effect: lights fixed wrt world geometry
    - demo: <http://www.xmission.com/~nate/tutors.html>
  - alternative: camera coordinate system
    - effect: lights attached to camera (car headlights)
  - points and directions undergo normal model/view transformation
- illumination calculations: camera coords

# Types of Reflection

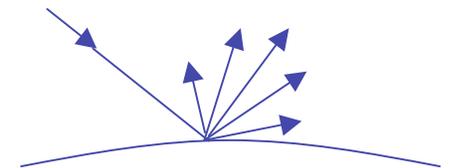
- *specular* (a.k.a. *mirror* or *regular*) reflection causes light to propagate without scattering.



- *diffuse* reflection sends light in all directions with equal energy.



- *glossy/mixed* reflection is a weighted combination of specular and diffuse.

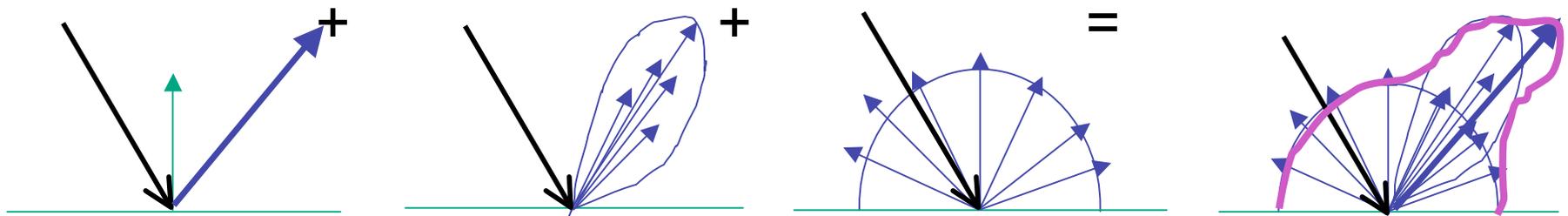


# Specular Highlights



# Reflectance Distribution Model

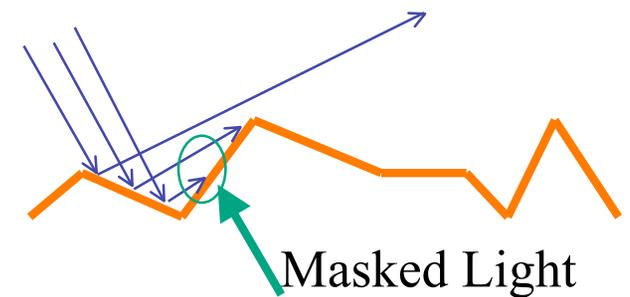
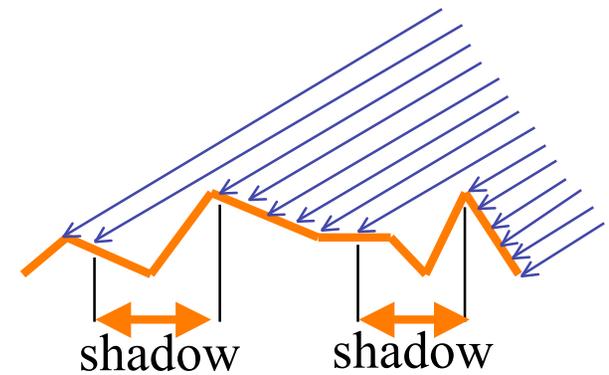
- most surfaces exhibit complex reflectances
  - vary with incident and reflected directions.
  - model with combination



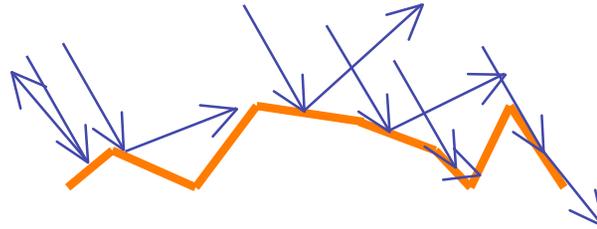
specular + glossy + diffuse =  
reflectance distribution

# Surface Roughness

- at a microscopic scale, all real surfaces are rough
- cast shadows on themselves
- “mask” reflected light:



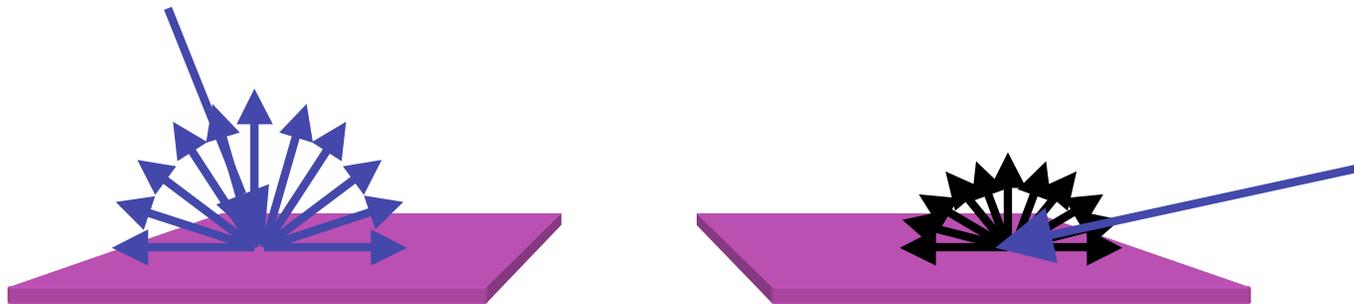
# Surface Roughness



- notice another effect of roughness:
  - each “microfacet” is treated as a perfect mirror.
  - incident light reflected in different directions by different facets.
  - end result is mixed reflectance.
    - smoother surfaces are more specular or glossy.
    - random distribution of facet normals results in diffuse reflectance.

# Physics of Diffuse Reflection

- ideal diffuse reflection
  - very rough surface at the microscopic level
    - real-world example: chalk
  - microscopic variations mean incoming ray of light equally likely to be reflected in any direction over the hemisphere
  - what does the reflected intensity depend on?



# Lambert's Cosine Law

- ideal diffuse surface reflection

the energy reflected by a small portion of a surface from a light source in a given direction is proportional to the cosine of the angle between that direction and the surface normal

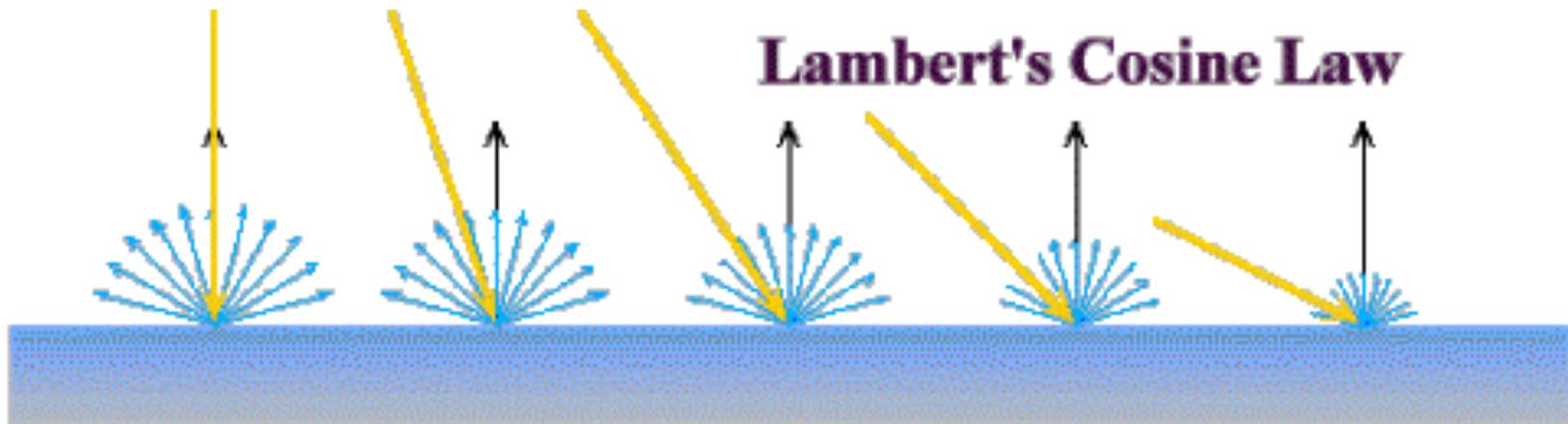
- **reflected** intensity

- independent of **viewing** direction

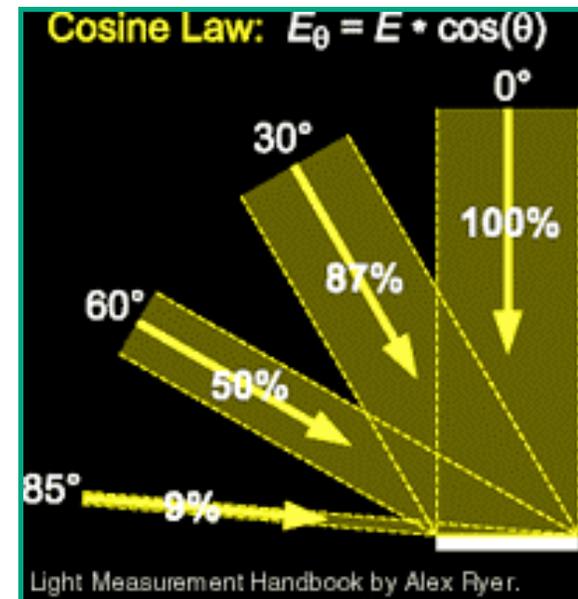
- depends on surface orientation wrt light

- often called **Lambertian surfaces**

# Lambert's Law



intuitively: cross-sectional area of the “beam” intersecting an element of surface area is smaller for greater angles with the normal.



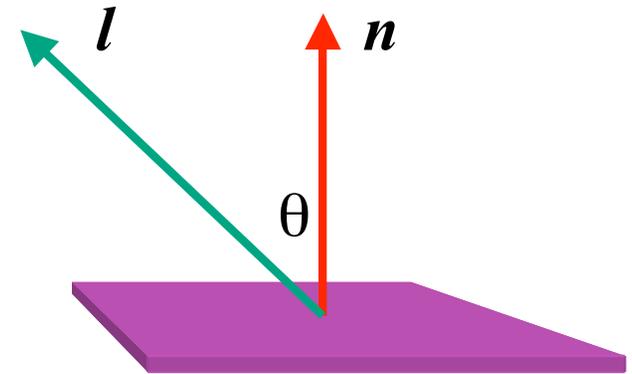
# Computing Diffuse Reflection

- depends on **angle of incidence**: angle between surface normal and incoming light

- $I_{\text{diffuse}} = k_d I_{\text{light}} \cos \theta$

- in practice use vector arithmetic

- $I_{\text{diffuse}} = k_d I_{\text{light}} (\mathbf{n} \cdot \mathbf{l})$



- always normalize vectors used in lighting!!!

- $\mathbf{n}$ ,  $\mathbf{l}$  should be unit vectors

- scalar (B/W intensity) or 3-tuple or 4-tuple (color)

- $k_d$ : diffuse coefficient, surface color

- $I_{\text{light}}$ : incoming light intensity

- $I_{\text{diffuse}}$ : outgoing light intensity (for diffuse reflection)

# Diffuse Lighting Examples

- Lambertian sphere from several lighting angles:



- need only consider angles from  $0^\circ$  to  $90^\circ$
- *why?*
- *demo: Brown exploratory on reflection*
- [http://www.cs.brown.edu/exploratories/freeSoftware/repository/edu/brown/cs/exploratories/applets/reflection2D/reflection\\_2d\\_java\\_browser.html](http://www.cs.brown.edu/exploratories/freeSoftware/repository/edu/brown/cs/exploratories/applets/reflection2D/reflection_2d_java_browser.html)