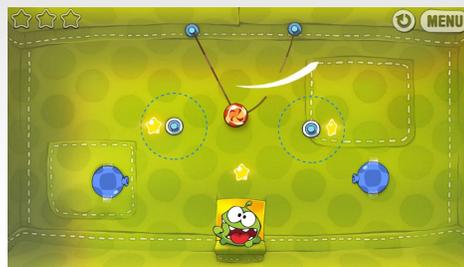


CPSC 436D

Video Game Programming



Rendering



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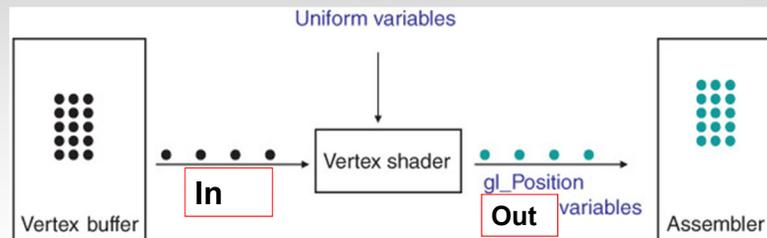
vertex shader

Vertices
and attributes

Vertex Shader



- VS is run for each vertex SEPARATELY
- By default doesn't know connectivity
- Input: vertex coordinates in Object Coordinate System
- It's main goal is to set **gl_Position**

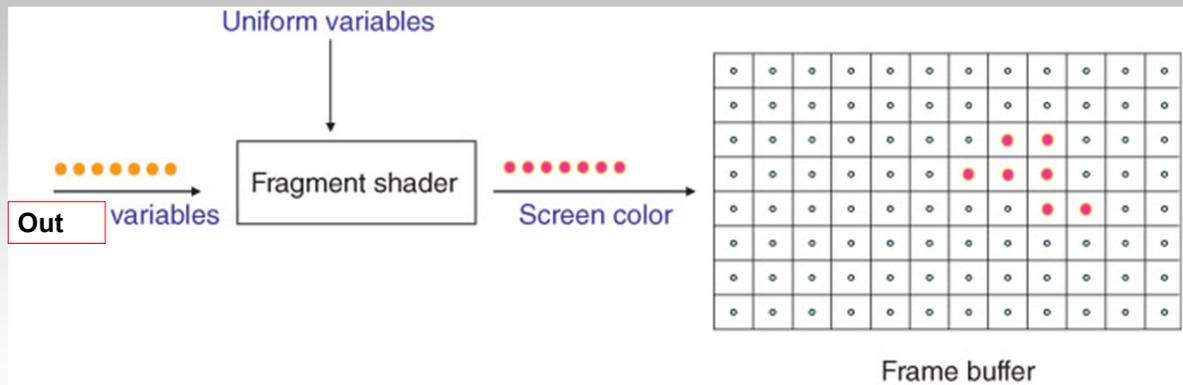


Object coordinates -> WORLD coordinates -> **VIEW coordinates**

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fragment SHADER



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concepts

uniform C/C++ → Vertex Shader → Fragment Shader

- same for all vertices

Out (varying) Vertex Shader → Fragment Shader

- computed per vertex, automatically interpolated for fragments

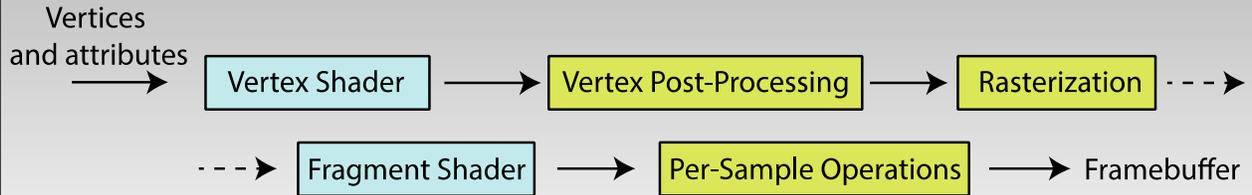
In (attribute) C/C++ → Vertex Shader

- some values per vertex
- available only in Vertex Shader

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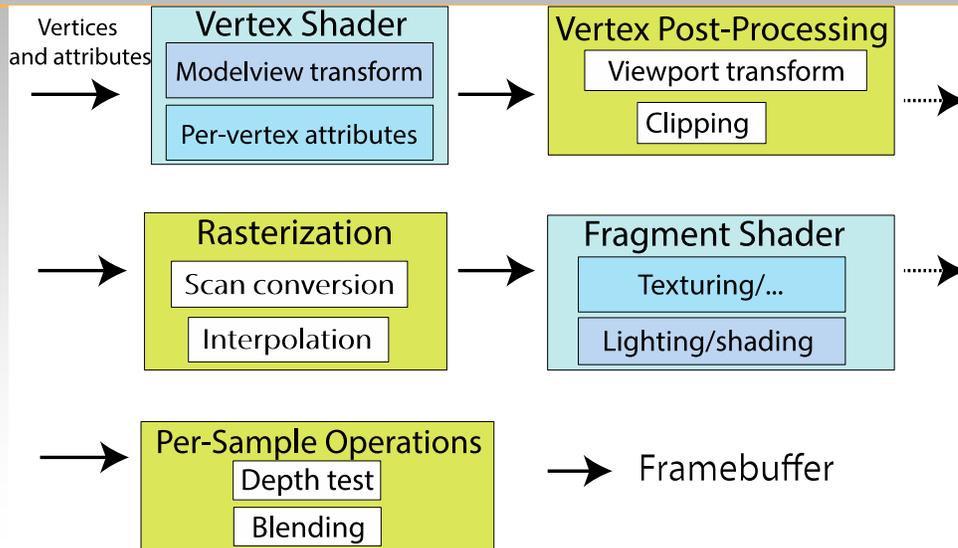
PIPELINE: More details



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Shapes - Curves/Surfaces

Mathematical representations:

- Explicit functions: $y = f(x)$
 - Rarely useful
- Parametric functions
- Implicit functions

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Shapes: Parametric Functions

Curves:

- 2D: x and y are functions of a parameter value t
- 3D: x, y, and z are functions of a parameter value t

$$C(t) := \begin{pmatrix} P_y^0 \\ P_x^0 \end{pmatrix} t + \begin{pmatrix} P_y^1 \\ P_x^1 \end{pmatrix} (1-t)$$

$$C(t) := \begin{pmatrix} \cos t \\ \sin t \end{pmatrix}$$

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Shapes: Implicit

Curve (2D) or Surface (3D) defined by zero set (roots) of function

- E.g:

$$S(x, y) : x^2 + y^2 - 1 = 0$$

$$S(x, y, z) : x^2 + y^2 + z^2 - 1 = 0$$

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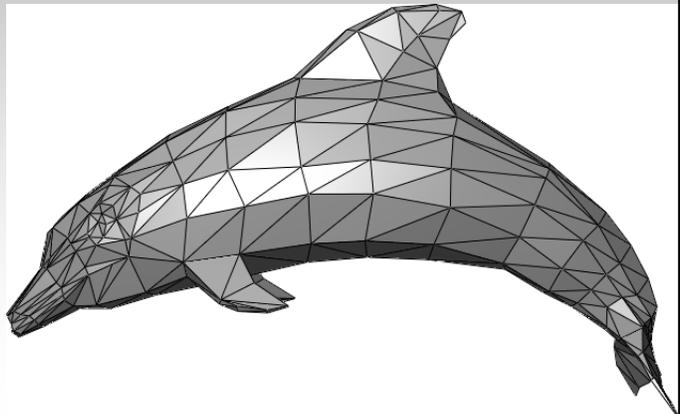


Shapes: Triangle Meshes

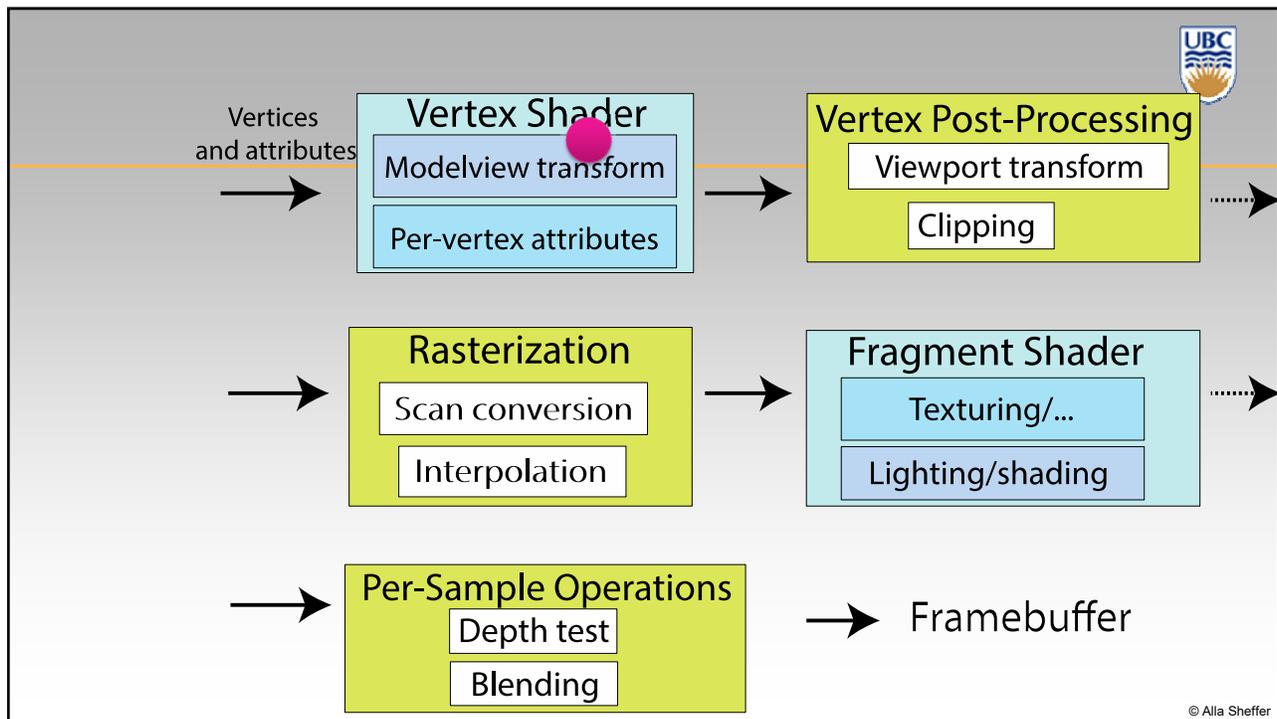
Triangle = 3 vertices

Mesh = {vertices, triangles}

Examples



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Modeling and Viewing Transformations

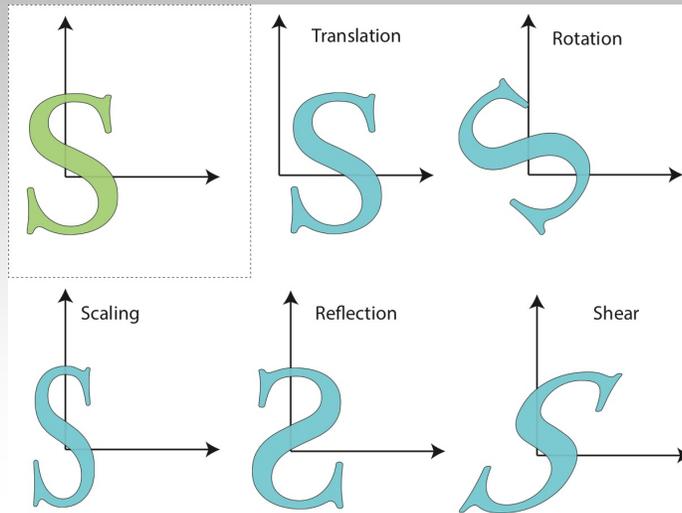
Placing objects - Modeling transformations

- Map points from object coordinate system to world coordinate system

Looking from the camera - Viewing transformation

- Map points from world coordinate system to camera (or eye) coordinate system
- Less relevant for 2D

Modeling Transformations



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Modeling Transformation

Linear transformations

- Rotations, scaling, shearing
- Can be expressed as 2x2 matrix (2D)
- E.g.

$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix}$$

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Modeling Transformation

Affine transformations

- Linear transformations + translations
- Can be expressed as 2x2 matrix + 2 vector
- E.g. scale+ translation:

$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix} + \begin{pmatrix} T_x \\ T_y \end{pmatrix}$$

- Another representation: 3x3 homogeneous matrix

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Modeling Transformation

Adding third coordinate

$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix} + \begin{pmatrix} T_x \\ T_y \end{pmatrix} \quad \rightarrow \quad \begin{pmatrix} x' \\ y' \\ z' \end{pmatrix} = \begin{pmatrix} 2 & 0 & 0 \\ 0 & 2 & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} x \\ y \\ z \end{pmatrix} + \begin{pmatrix} t_x \\ t_y \\ 0 \end{pmatrix}$$

- 3x3 homogeneous matrix becomes 4x4

$$\begin{pmatrix} x' \\ y' \\ z' \\ 1 \end{pmatrix} = \begin{pmatrix} 2 & 0 & 0 & t_x \\ 0 & 2 & 0 & t_y \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix}$$

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Matrices

Object coordinates -> World coordinates

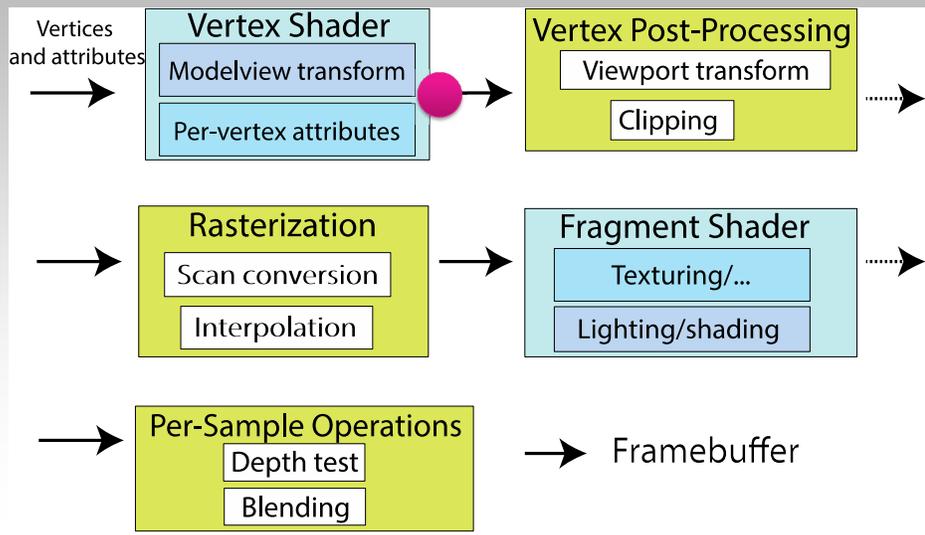
- **Model Matrix**
- One per object

World coordinates -> Camera coordinates

- **View Matrix**
- One per camera

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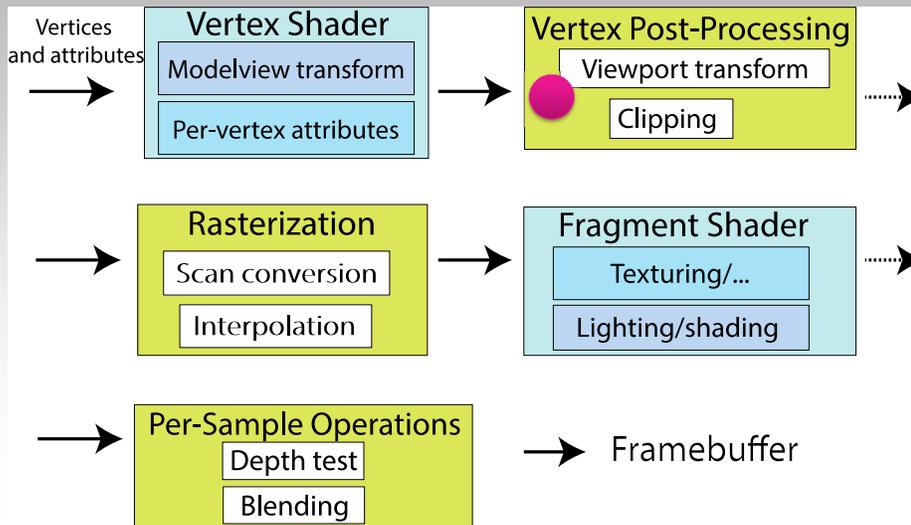
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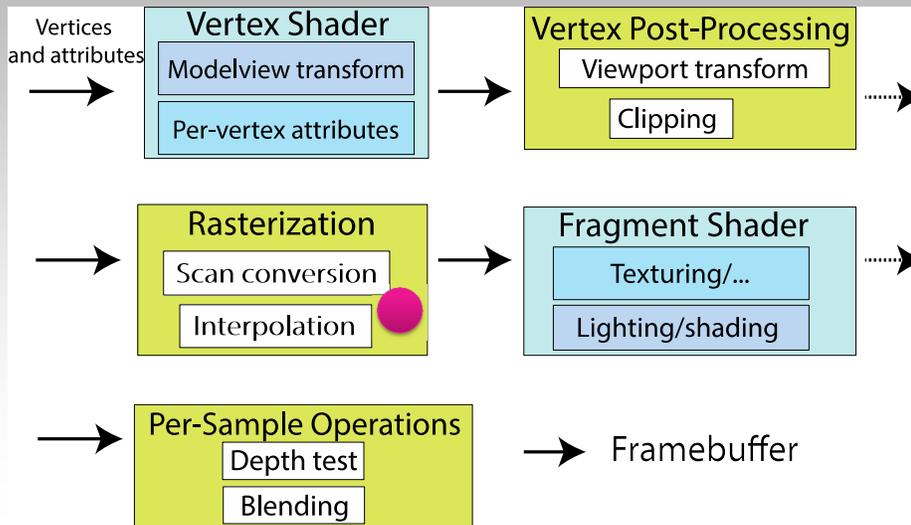


Vertex Post-Processing

- Viewport transform: transform camera coordinates to screen coordinates
- Clipping: Removing invisible geometry (outside view frame)

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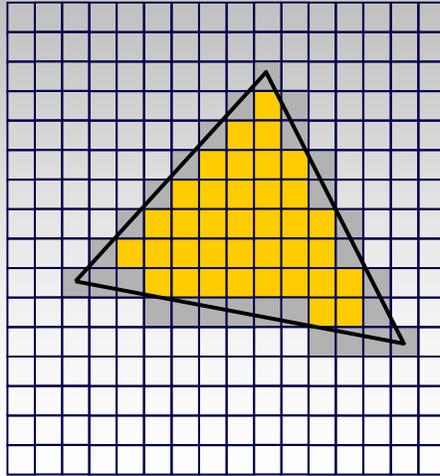
Scan Conversion/Rasterization

- Convert continuous 2D geometry to discrete
- Raster display – discrete grid of elements
- Terminology
 - **Screen Space:** Discrete 2D Cartesian coordinate system of the screen pixels

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Scan Conversion

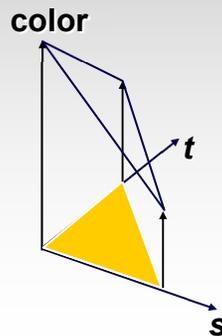


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COLOR INTERPOLATION

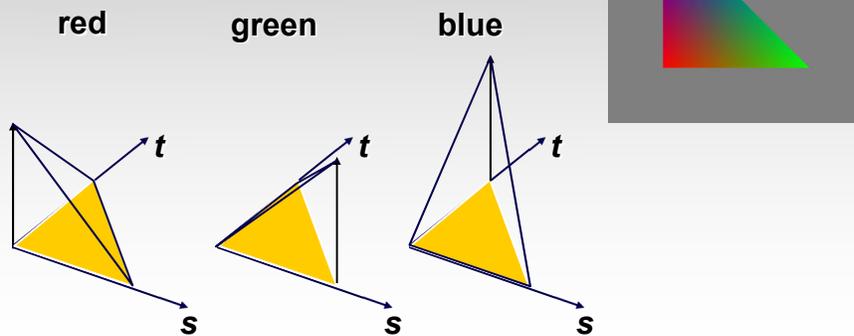
Linearly interpolate per-pixel color from vertex color values
Treat every channel of RGB color separately



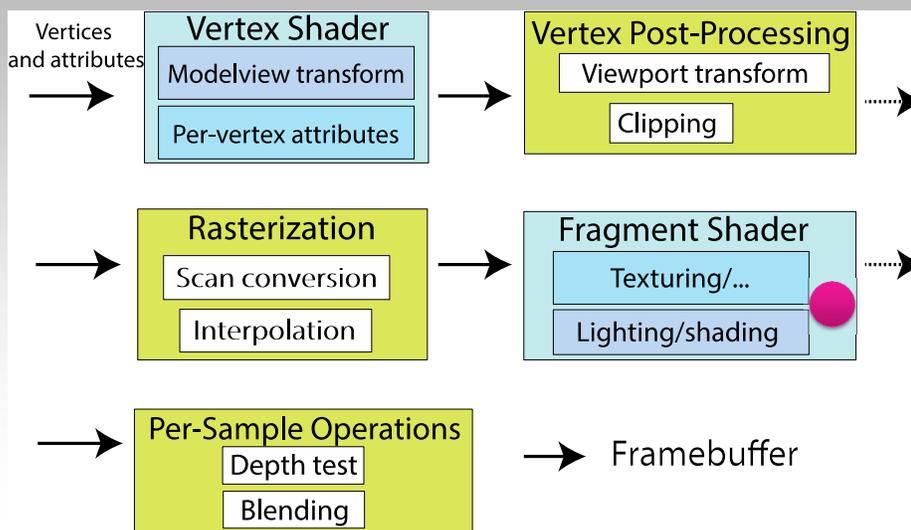
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COLOR INTERPOLATION

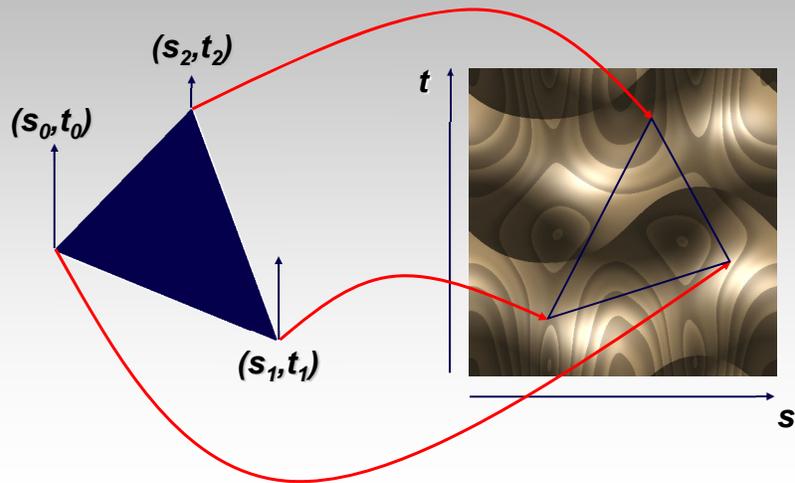
- Example:



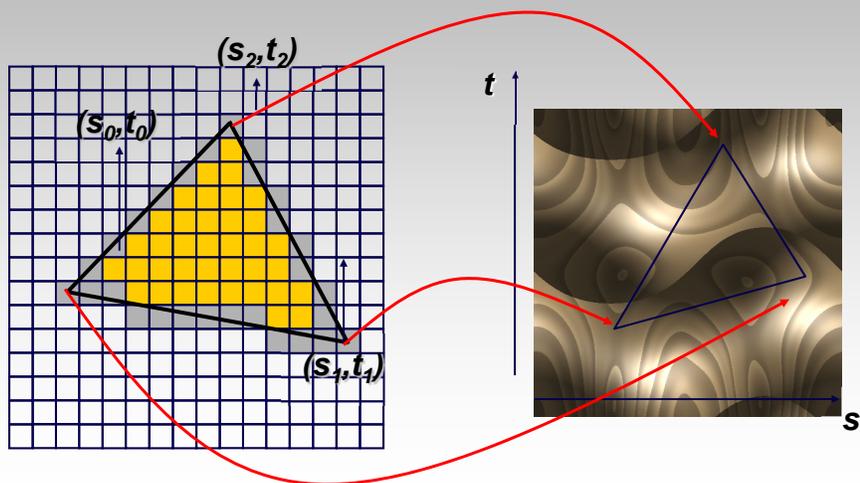
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Texturing



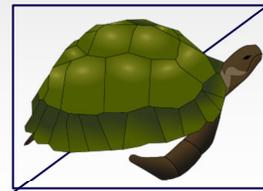
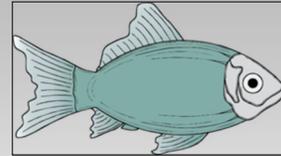
Texturing



SPRITES: Faking 2D Geometry

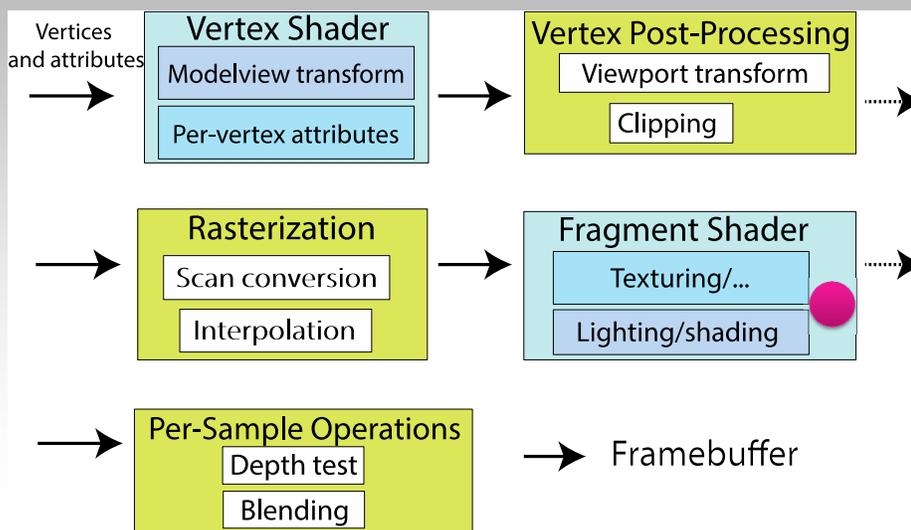
- Creating geometry is hard
- Creating texture is “easy”
- In 2D it is hard to see the difference

- SPRITE:
 - Use basic geometry (rectangle = 2 triangles)
 - Texture the geometry (transparent background)
 - Use blending (more later) for color effects



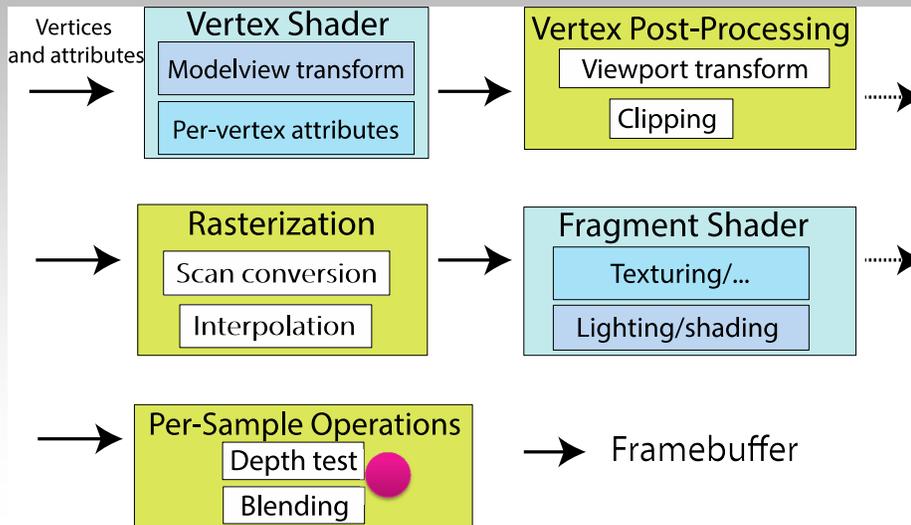
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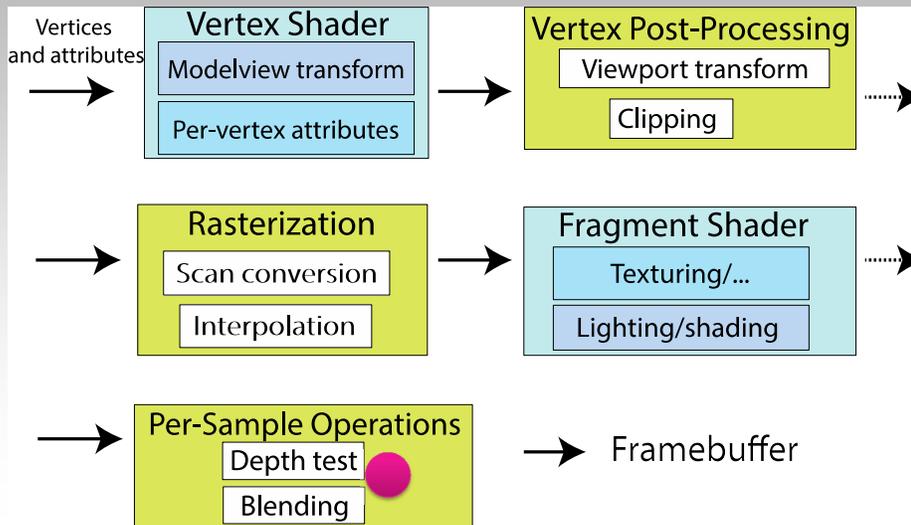
Depth Test /Hidden Surface Removal

Remove occluded geometry

- Parts that are hidden behind other geometry
- For 2D (view parallel) shapes – use depth order

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PIPELINE: More details



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Blending

Blending:

- Fragments -> Pixels
- Draw from farthest to nearest
- No blending – replace previous color
- Blending: combine new & old values with some arithmetic operations
 - Achieve transparency effects

Frame Buffer : video memory on graphics board that holds resulting image & used to display it

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