

CPSC 427

Video Game Programming

Rendering and Transformations



Helge Rhodin

Today

- *UX and UI conclusion*
- *ECS conclusion*

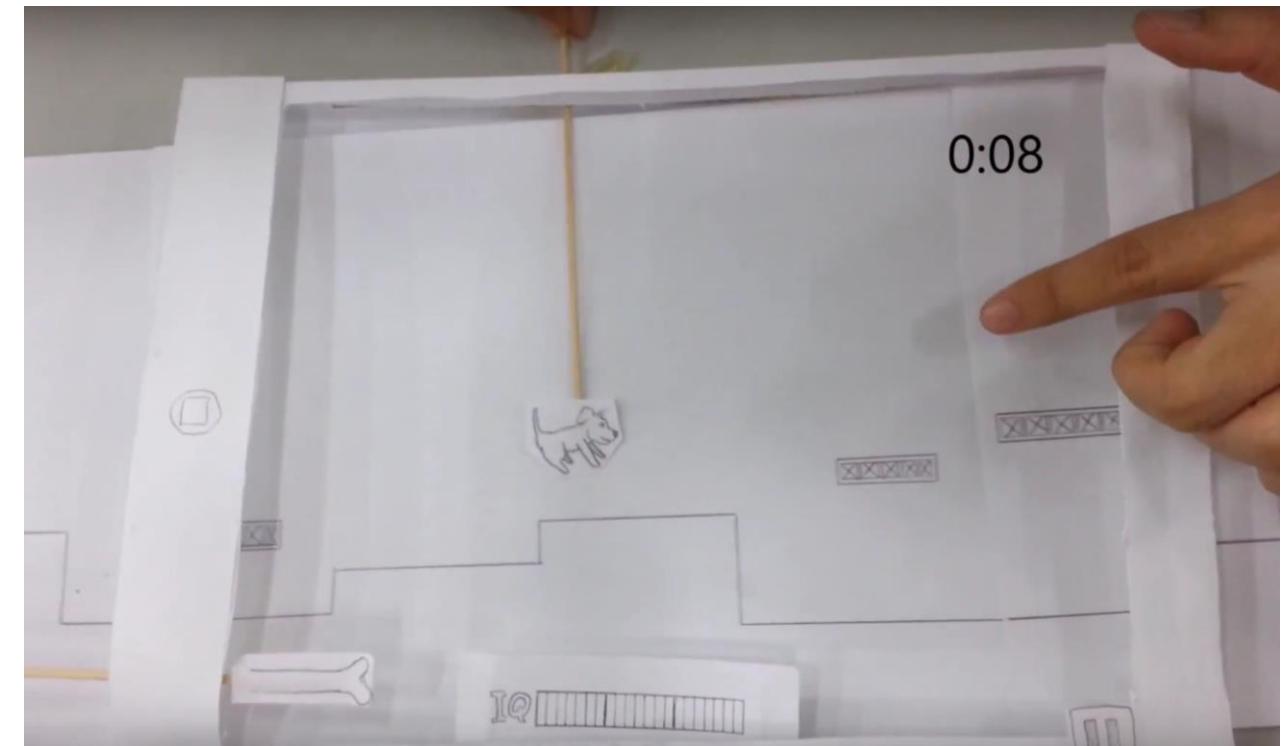
- *Game loop*
- *2D Transformations*
- *Rendering*

Recap: Design Concepts

- **Design concepts:** Basic ideas that help us understand & design **what's happening** in a user interface
- Norman's Design Concepts:
 - **Affordances**
 - **Constraints**
 - **Mapping**
 - **Visibility**
 - **Feedback**
 - **Consistency**

Recap: Low Fidelity Prototyping

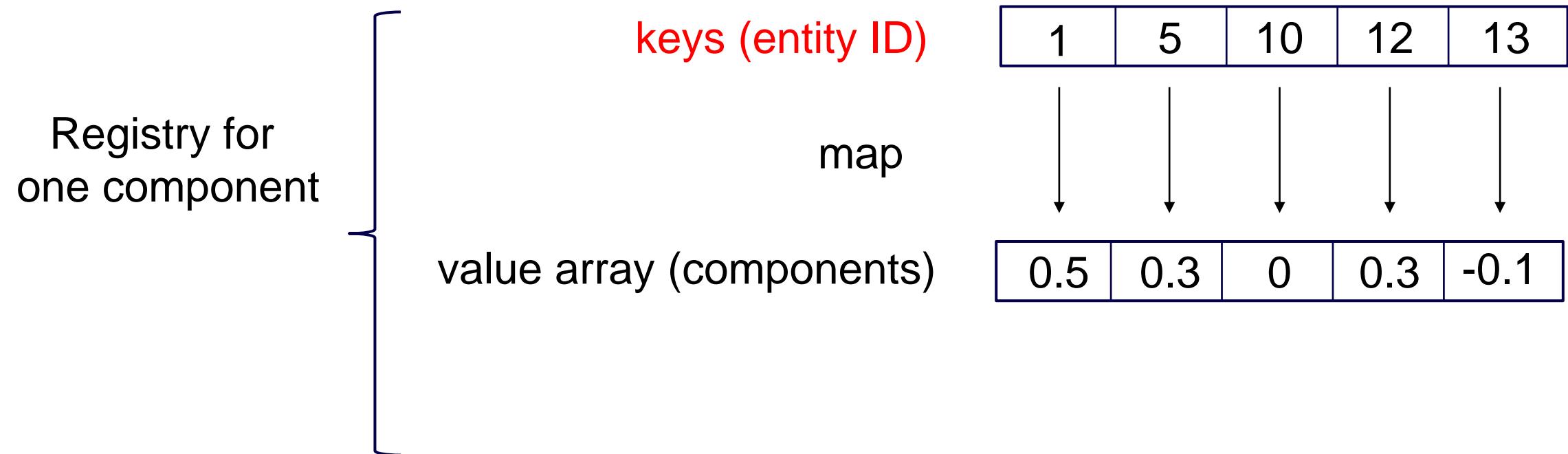
- Used for **early** stages of design
 - **Quick & cheap** to deploy
 - **Easy** to test
- Iterate on **story** and **core gameplay mechanics**
- **Sketches** are a great way to start designing





ECS Conclusions

Map + Component Vector + Entity Vector



Concept: Add a dense vector of entities to facilitate quick iteration over entities

Implementation: `std::vector<Entities>; std::vector<Component>; std::map<Entity,unsigned int>`

Deletion of components

- When we “delete” an entity we must delete corresponding components to.
- Different approaches to this,
 - *Fill deleted components in arrays with the last entities data*
 - ▶ Extra care must be taken when managing indices
 - *Mark spots in arrays as rewritable*
 - ▶ Big systems will suffer from poor memory management

Lifetime of entities

- Each Entity is typically just a **unique identifier** to its components
 - *The tinyECS implementation can hold 4,294,967,295 entities*
- Store Entities in a big static array in the Entity Manager
 - *Or store the largest entity id and monitor removed entities*



Entities



How Does a System Find its Entities?

Extension/Optimization:

- Each system has a list of **entity IDs** it is interested in
- Systems register their bitsets/bitmaps with the Entity Manager
- Whenever an Entity is added...
 - *Evaluate which systems are interested & update their ID lists*

The game loop

Can you imagine a game without?

A game is a simulator

1. *AI and user input*
2. *Environment reaction*

3. *Equations of Motion*

- sum forces & torques, solve for accelerations: $\vec{F} = ma$

4. *Numerical integration*

- update positions, velocities

5. *Collision detection*

6. *Collision resolution*

*We will have a separate
lecture on physics
simulation!*



Our game loop (A1, main.cpp)

```
// Set all states to default
world.restart();
auto t = Clock::now();
// Variable timestep loop
while (!world.is_over())
{
    // Processes system messages, if this wasn't present the window would become unresponsive
    glfwPollEvents();

    // Calculating elapsed times in milliseconds from the previous iteration
    auto now = Clock::now();
    float elapsed_ms = static_cast<float>((std::chrono::duration_cast<std::chrono::microseconds>(now - t)).count()) / 1000.f;
    t = now;

    DebugSystem::clearDebugComponents();
    ai.step(elapsed_ms, window_size_in_game_units);
    world.step(elapsed_ms, window_size_in_game_units);
    physics.step(elapsed_ms, window_size_in_game_units);
    world.handle_collisions();

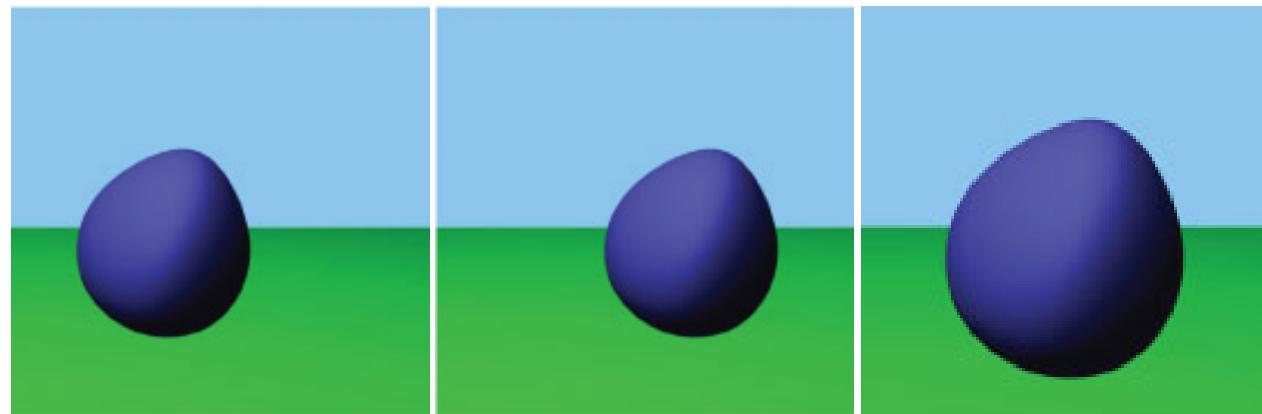
    renderer.draw(window_size_in_game_units);
}

return EXIT_SUCCESS;
```

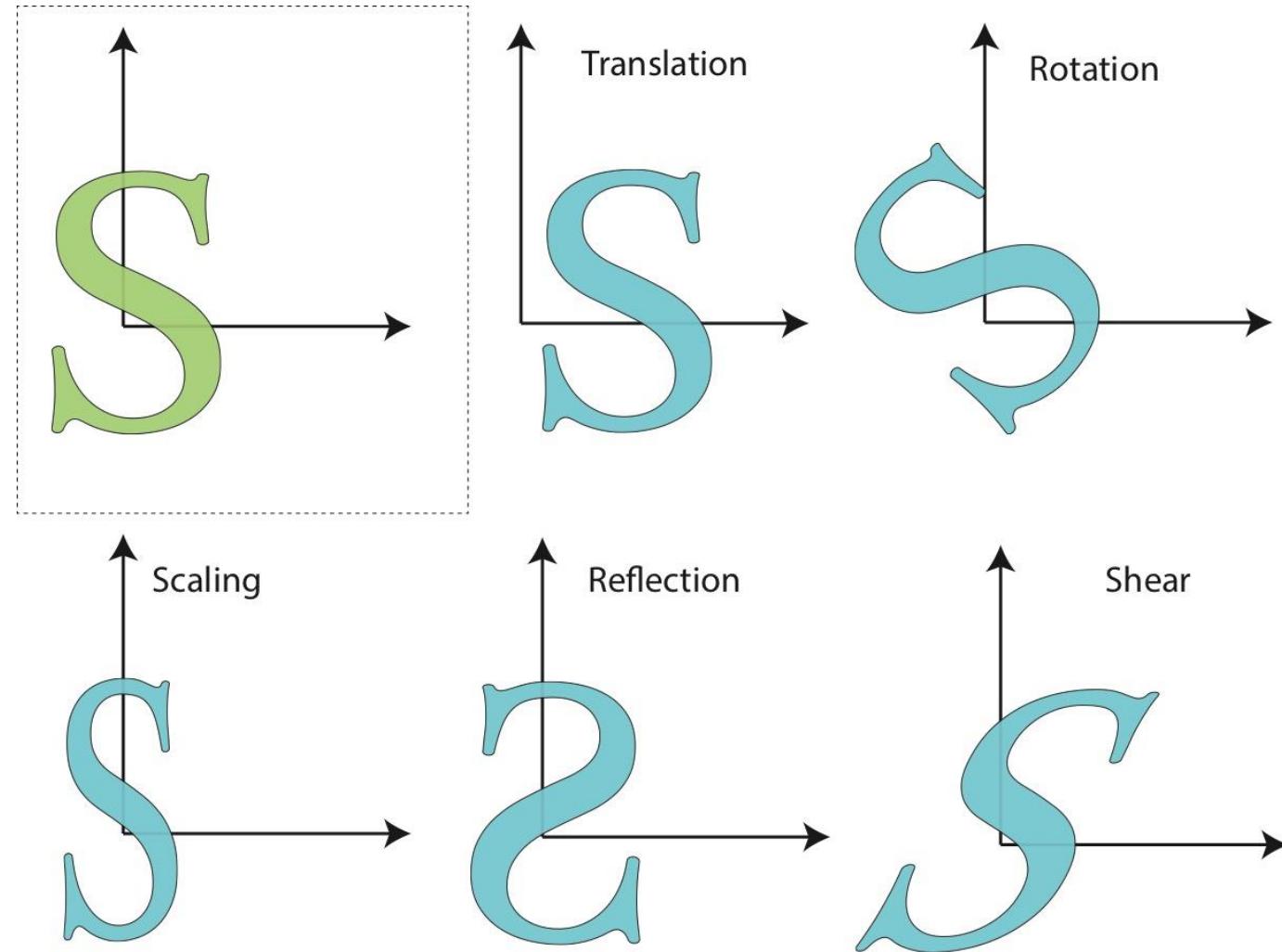
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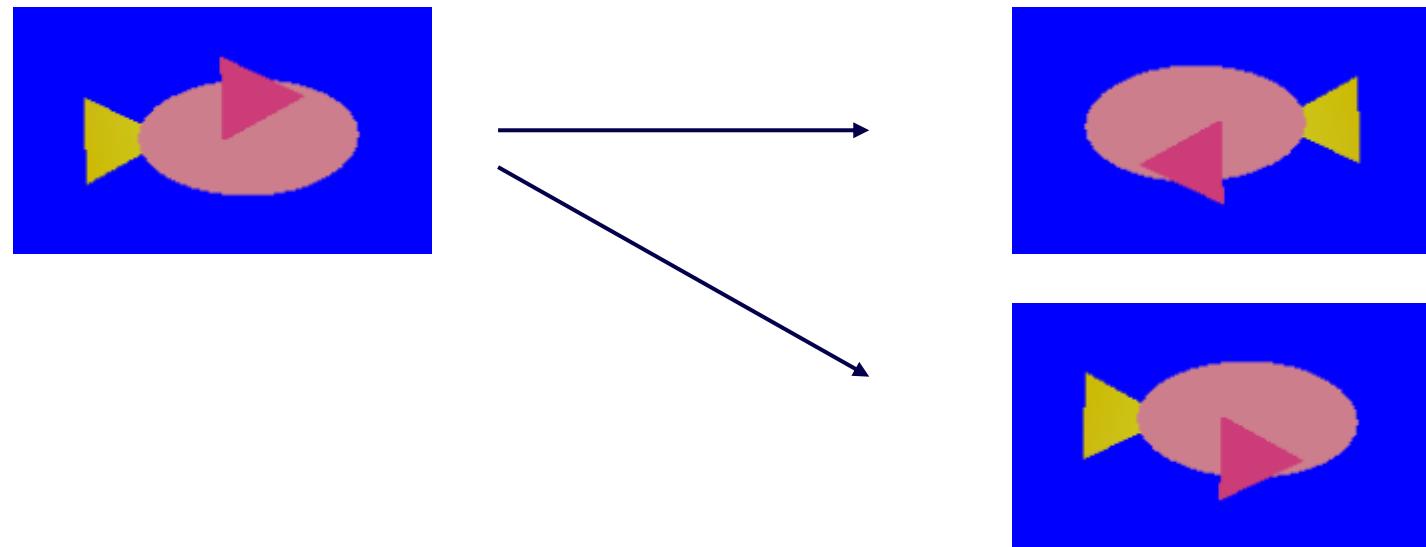
Transformations



Modeling Transformations



How to turn the fish?



Both versions are fine for Assignment 1 (A1)!

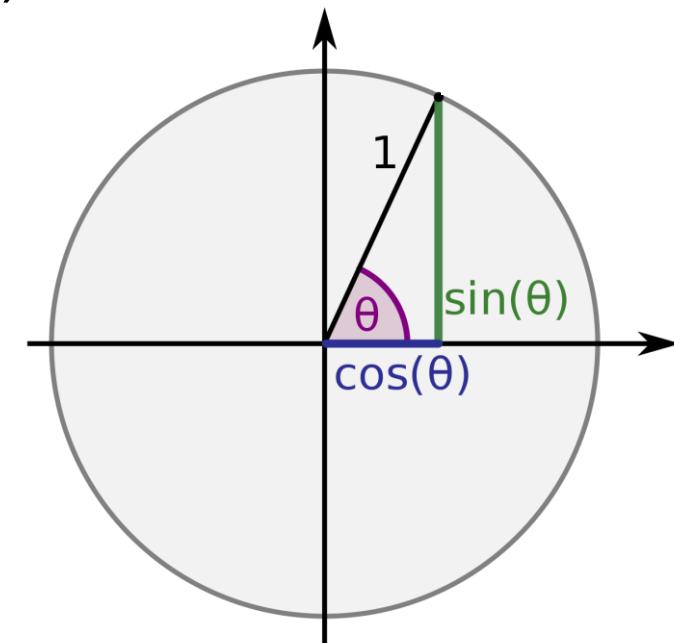
Linear transformations

- Rotations, scaling, shearing
- Can be expressed as 2x2 matrix (for 2D points)
- E.g.

$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix}$$

- or a rotation

$$\begin{pmatrix} \cos \theta & -\sin \theta \\ \sin \theta & \cos \theta \end{pmatrix}$$



Rotation angle θ , cos, and sin

https://en.wikipedia.org/wiki/Trigonometric_functions

Affine transformations

- Linear transformations + translations
- Can be expressed as 2x2 matrix + 2 vector
- E.g. scale+ translation:

$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix} + \begin{pmatrix} t_x \\ t_y \end{pmatrix}$$

Modeling Transformation

Adding a third coordinate

$$\begin{pmatrix} x' \\ y' \end{pmatrix} = \begin{pmatrix} 2 & 0 \\ 0 & 2 \end{pmatrix} \begin{pmatrix} x \\ y \end{pmatrix} + \begin{pmatrix} t_x \\ t_y \end{pmatrix} \quad \rightarrow \quad \begin{pmatrix} x' \\ y' \\ 1 \end{pmatrix} = \begin{pmatrix} 2 & 0 & 0 \\ 0 & 2 & 0 \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} x \\ y \\ 1 \end{pmatrix} + \begin{pmatrix} t_x \\ t_y \\ 0 \end{pmatrix}$$

$$= \begin{pmatrix} 2 & 0 & t_x \\ 0 & 2 & t_y \\ 0 & 0 & 1 \end{pmatrix} \cdot \begin{pmatrix} x \\ y \\ 1 \end{pmatrix}$$

Affine transformations are now linear

- one 3x3 matrix can express: 2D rotation, scale, shear, and translation

Combination of Transformations?

- ***How can we combine***
 - translation
 - rotation
 - scaling
- ... into one matrix?***

Self study: Homogeneous coordinates

- Homogeneous coordinates are defined as vectors, with equivalence

$$\begin{pmatrix} x \\ y \\ z \end{pmatrix} = \begin{pmatrix} x/z \\ y/z \\ 1 \end{pmatrix} = \begin{pmatrix} x\lambda \\ y\lambda \\ z\lambda \end{pmatrix}$$

- Can also represent projective equations
- homogeneous matrix becomes 4x4

$$\begin{pmatrix} x' \\ y' \\ z' \\ 1 \end{pmatrix} = \begin{pmatrix} 2 & 0 & 0 & t_x \\ 0 & 2 & 0 & t_y \\ 0 & 0 & 1 & 0 \\ 0 & 0 & 0 & 1 \end{pmatrix} \begin{pmatrix} x \\ y \\ z \\ 1 \end{pmatrix}$$

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Rendering basics



Helge Rhodin



What is rendering?

Generating an image from a (3D) scene

Let's think how!

Scene

- A coordinate frame
- Objects
- Their materials
- (Lights)
- (Camera)



Object

Most common:

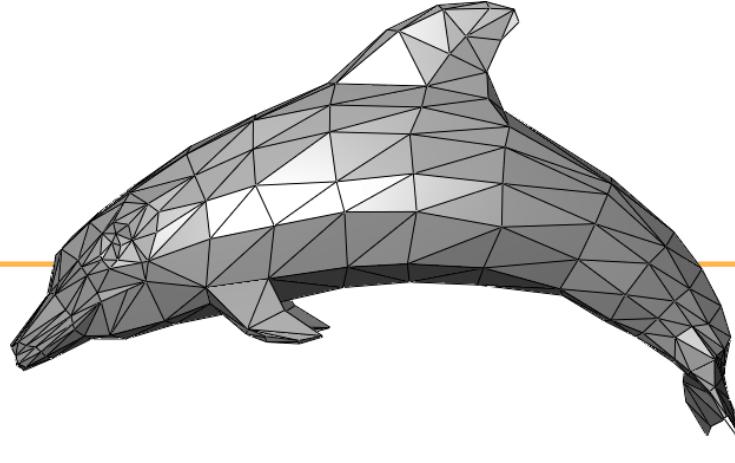
- ***surface representation***

GEOMETRY

Triangle meshes

- Set of vertices
- Connectivity defined by indices

• `uint16_t indices[] = {vertex_index1, vertex_index2, vertex_index3, ...}`



three indices make one triangle

OpenGL resources

- vertex buffer
- index buffer

Creation

```
Gluint vbo;  
glGenBuffers(vbo);
```

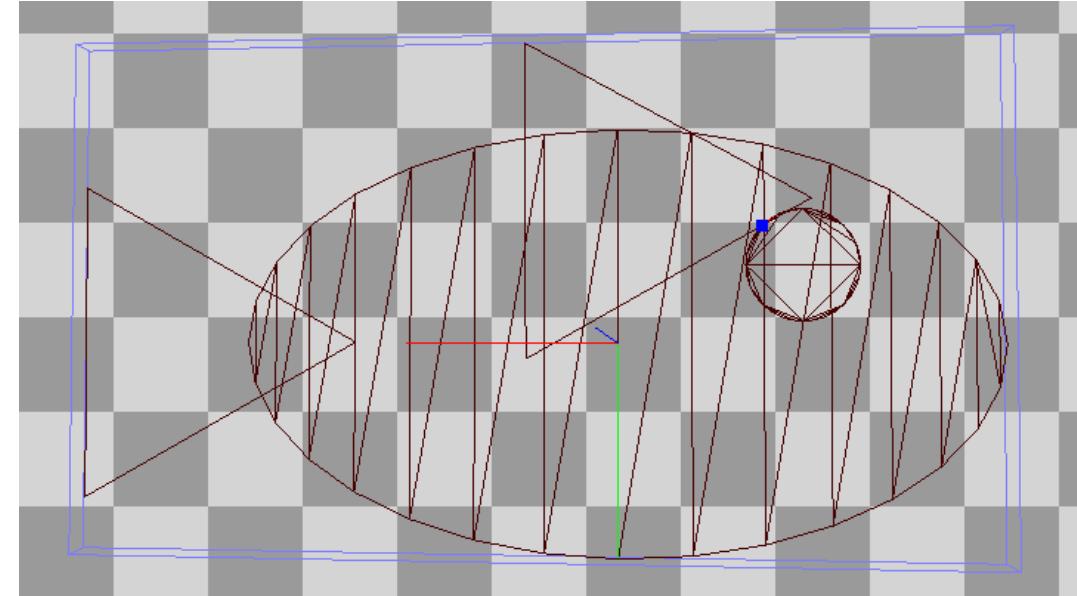
```
Gluint ibo;  
glGenBuffers(ibo);
```

Programmatic geometry definition

```
vec3 vertices[153];  
  
vertices[0].position = { -0.54, +1.34, -0.01 };  
vertices[1].position = { +0.75, +1.21, -0.01 };  
  
...  
  
vertices[152].position = { -1.22, +3.59, -0.01 };
```

```
uint16_t indices[] = { 0,3,1, 0,4,1, ... , 151,152,150 };
```

```
Gluint vbo;  
  
glGenBuffers(vbo);  
glBindBuffer(vbo);  
glBufferData(vbo, vertices);  
  
Gluint ibo;  
  
glGenBuffers(ibo);  
glBindBuffer(ibo);  
glBufferData(ibo, indices);
```

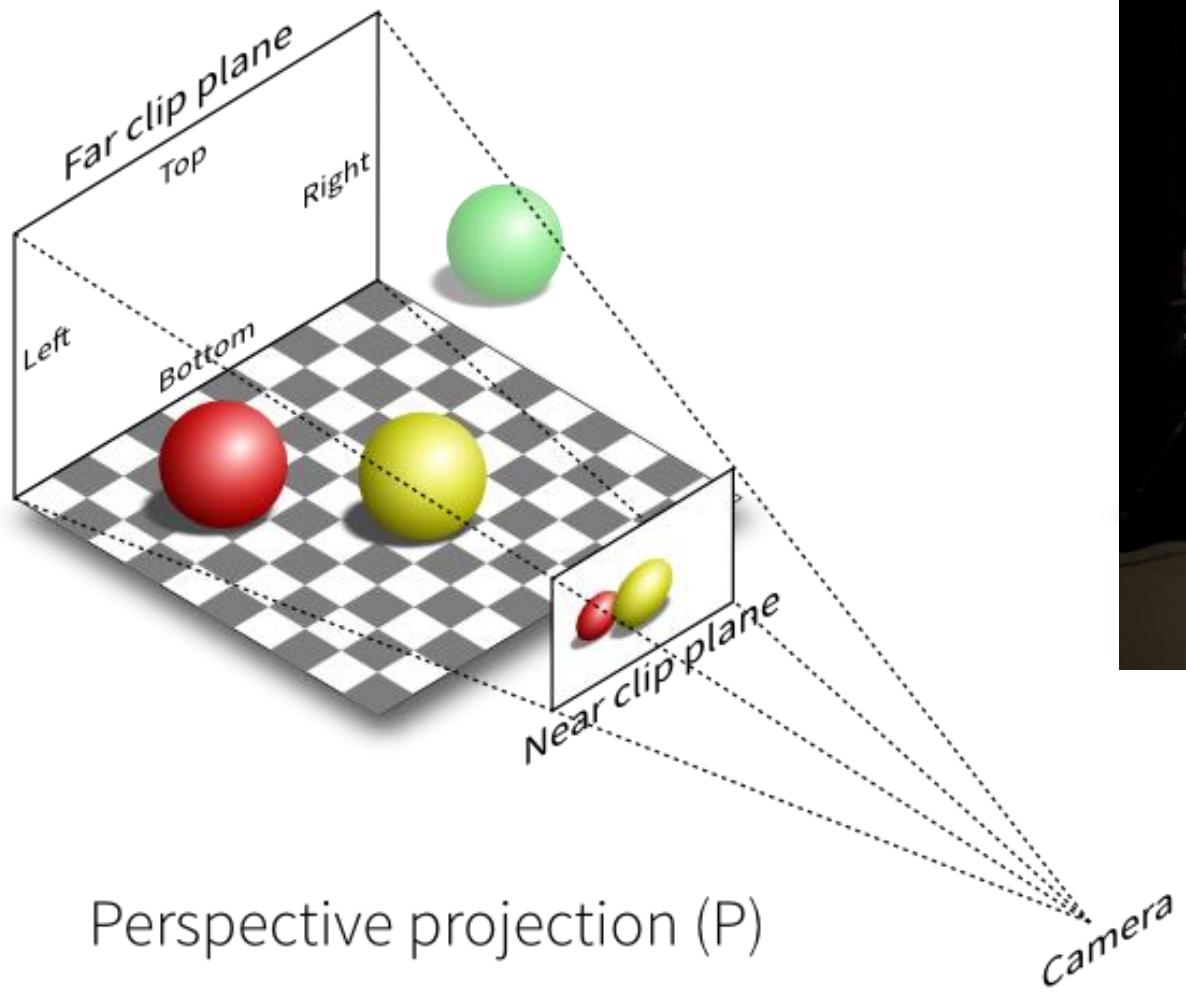


Image

A grid of color values



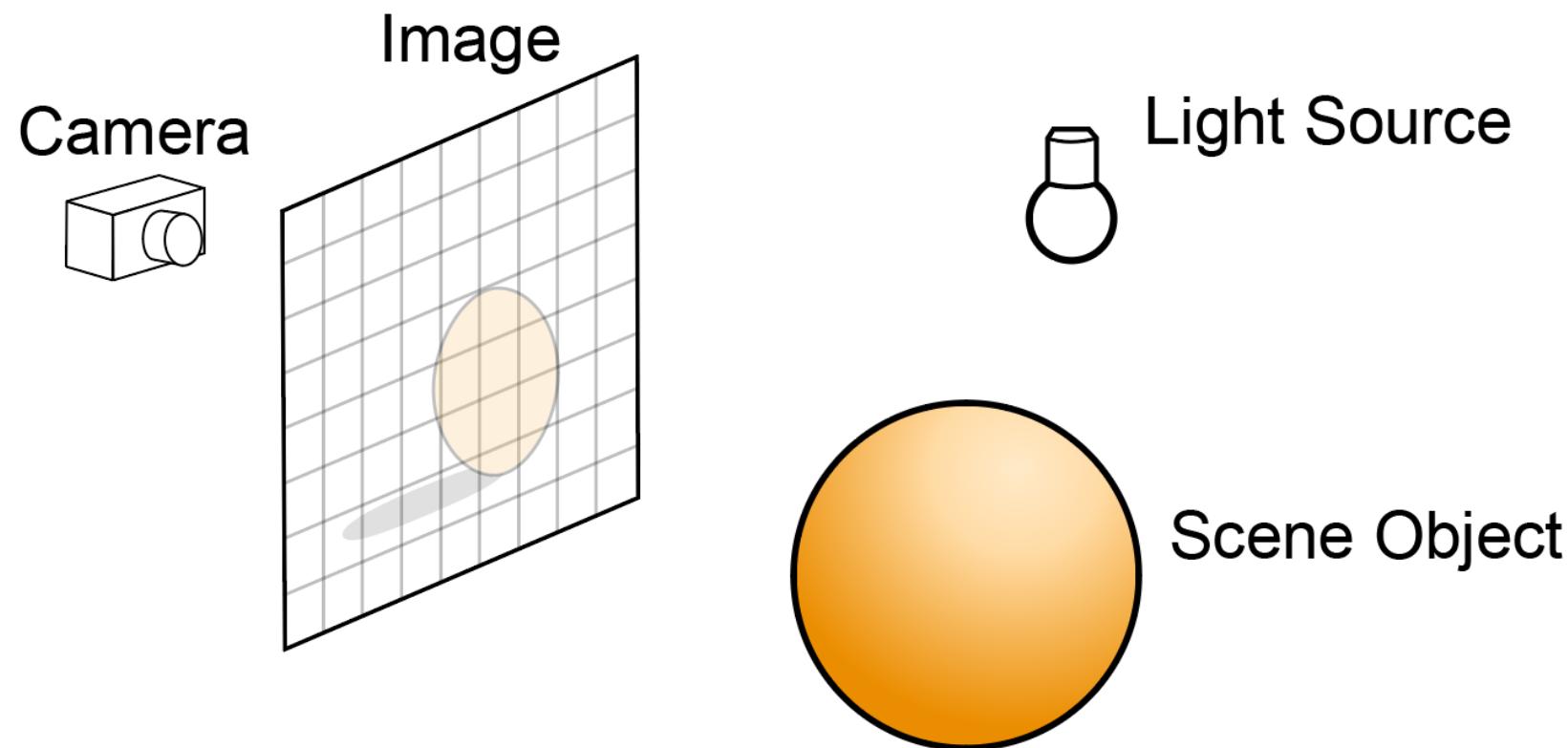
Virtual Camera



Virtual camera registered in the real world
(using marker-based motion capture)

Rendering?

- ***Simulating light transport***
- How to simulate light efficiently?



Rendering – Photon Tracing

- ***simulate physical light transport from a source to the camera***

- *the paths of photons*

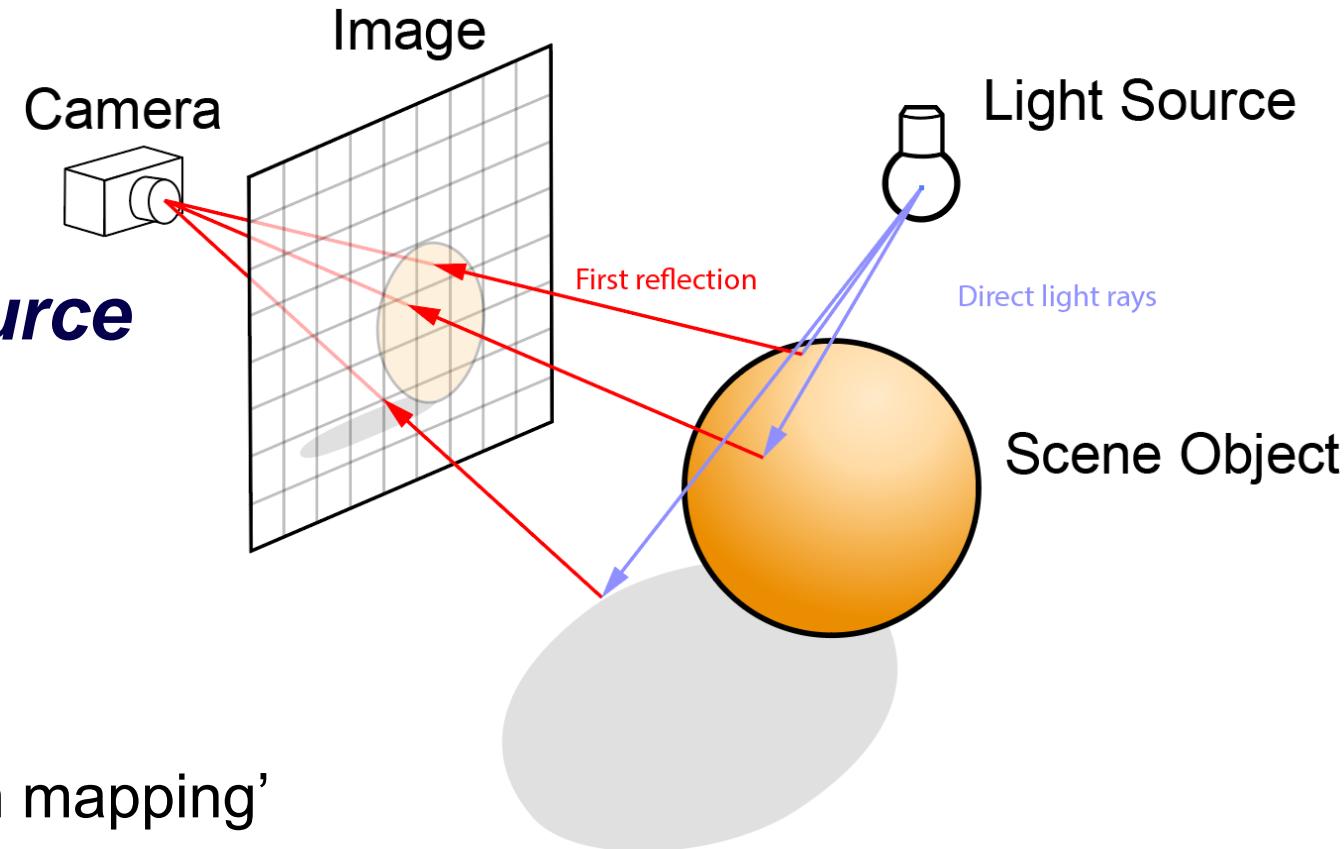
- ***shoot rays from the light source***

- *random direction*

- ***compute first intersection***

- *continue towards the camera*

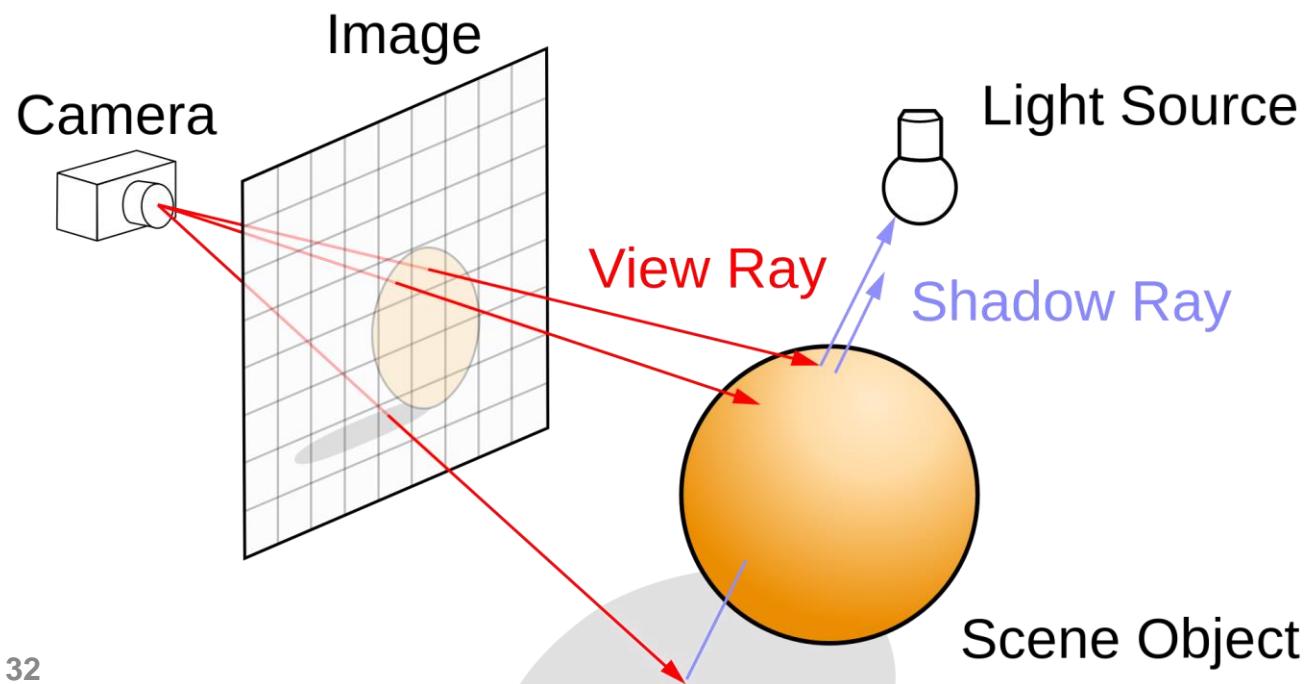
- used for indirect illumination: ‘photon mapping’



Rendering – Ray Tracing

Start rays from the camera (opposes physics, an optimization)

- *View rays: trace **from every pixel** to the first occlude*
- *Shadow ray: test light visibility*



Nvidia RTX does ray tracing

Problems of ray tracing

- ***the collision detection is costly***
- ray-object intersection
 - n objects
 - k rays
 - *naïve: $O(n*k)$ complexity*

Rendering – Splatting

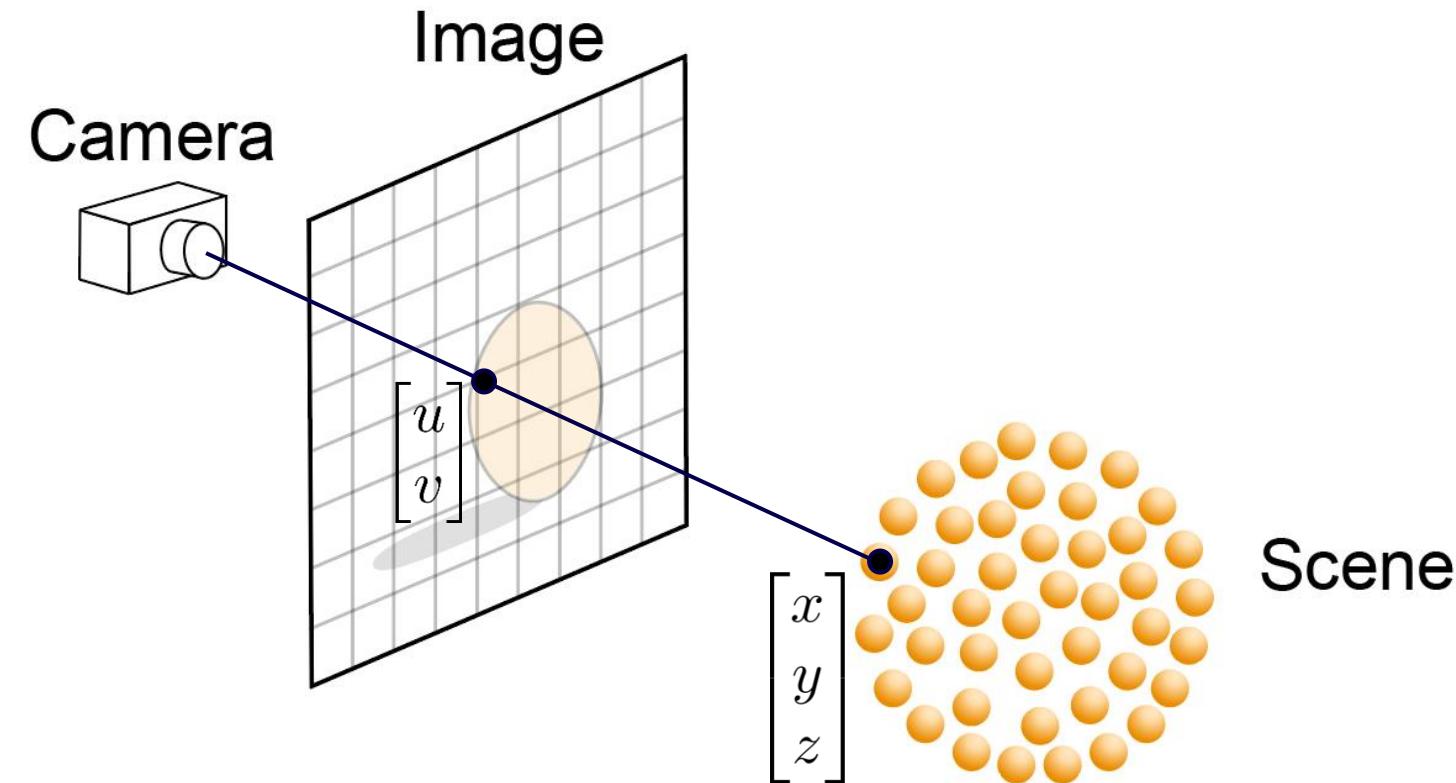
Approximate scene with spheres

- sort spheres back-to front
- project each sphere
- simple equation

$$\begin{bmatrix} u \\ v \end{bmatrix} = \frac{1}{z} \begin{bmatrix} x \\ y \end{bmatrix}$$

- $O(n)$ for n spheres

*Many spheres needed!
Shadows?*



Rendering – Rasterization

Approximate objects with triangles

1. Project each corner/vertex

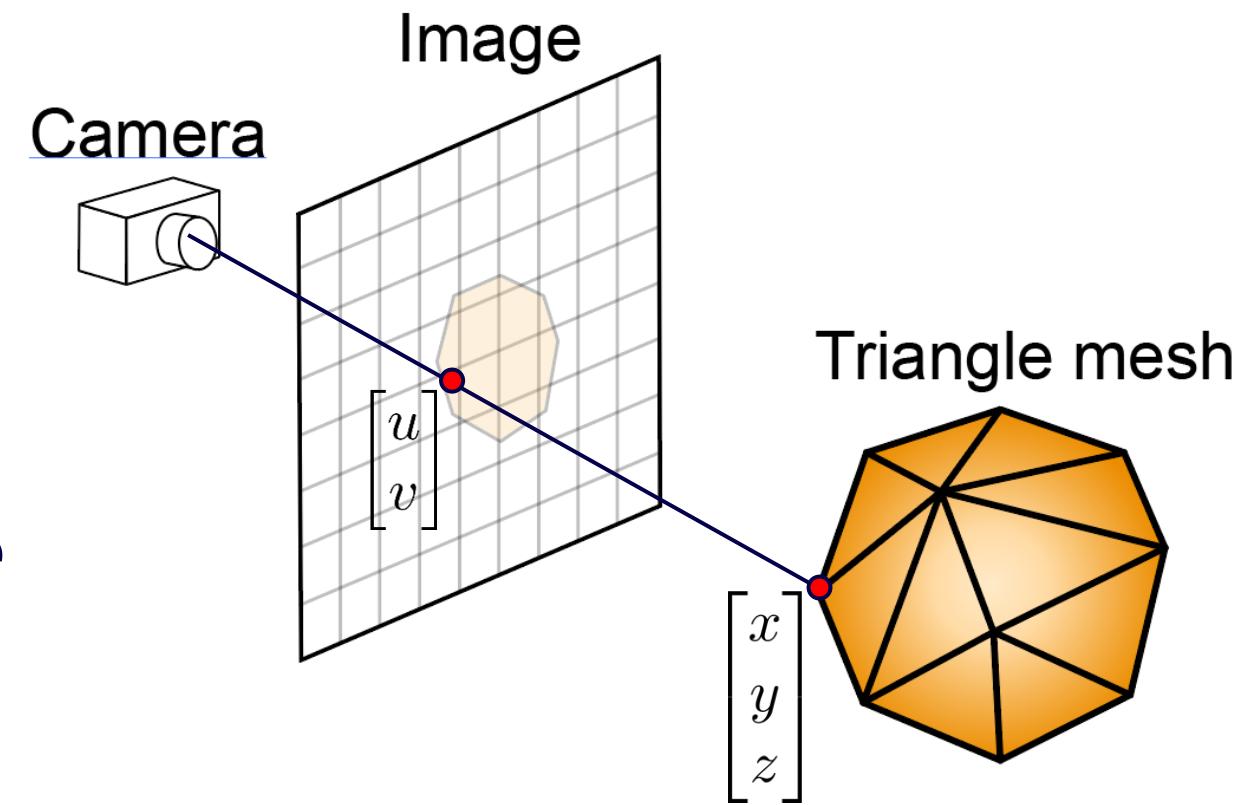
- projection of triangle stays a triangle

$$\begin{bmatrix} u \\ v \end{bmatrix} = \frac{1}{z} \begin{bmatrix} x \\ y \end{bmatrix}$$

- $O(n)$ for n vertices

2. Fill pixels enclosed by triangle

- e.g., scan-line algorithm

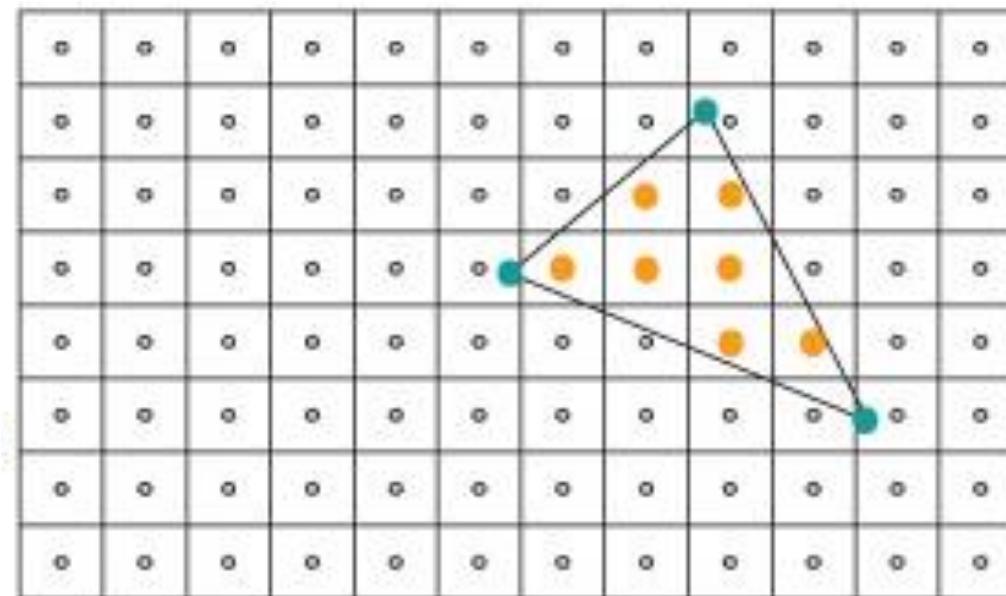


Rasterizing a Triangle

- *Determine pixels enclosed by the triangle*
- *Interpolate vertex properties linearly*



Vertices

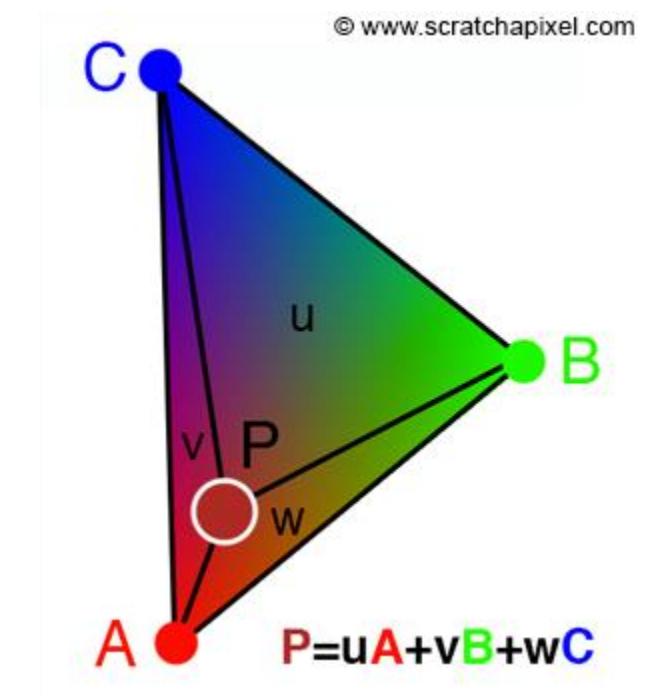


Fragments
(for every pixel; color or attributes to compute color: texture coordinate, direction, ...)

Self study:

Interpolation with barycentric coordinates

- *linear combination of vertex properties*
 - e.g., color, texture coordinate, surface normal/direction
- *weights are proportional to the areas spanned by the sides to query point P*



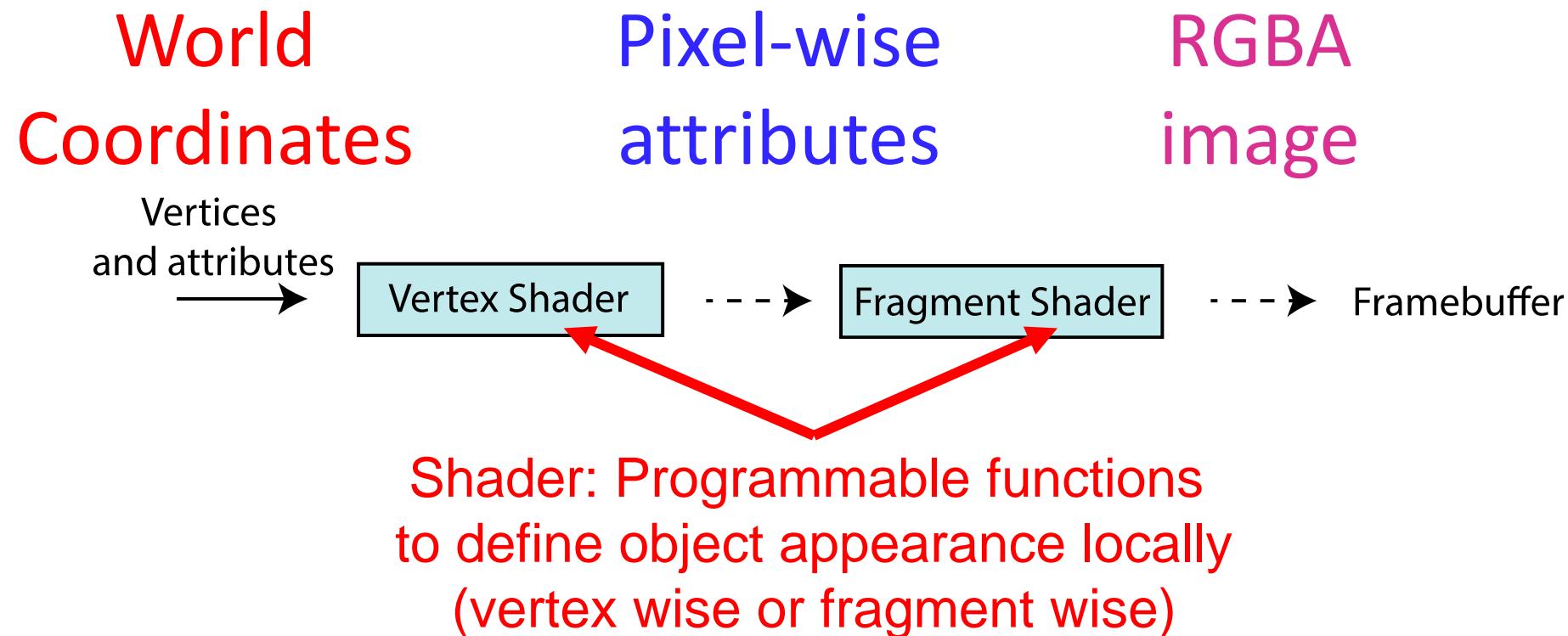
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Backup

OpenGL Rendering Pipeline (simplified)

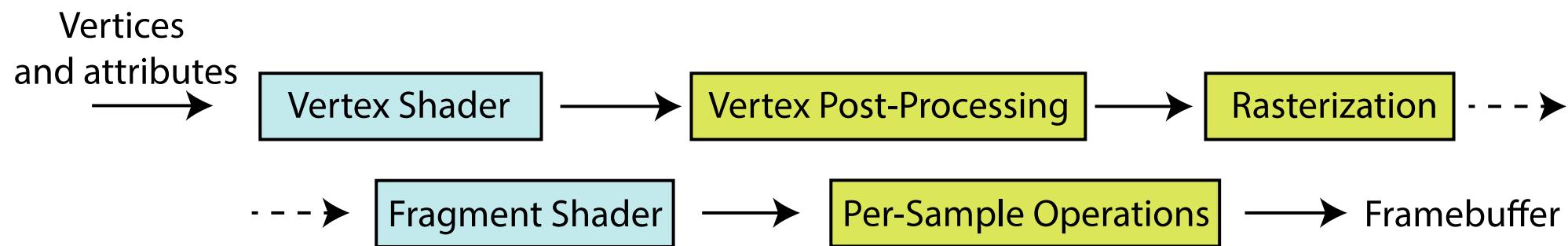
1. *Vertex shader: geometric transformations*
2. *Fragment shader: pixel-wise color computation*



OpenGL Rendering Pipeline

Input:

- *3D vertex position*
- *Optional vertex attributes: color, texture coordinates, ...*



Output:

- **Frame Buffer** : GPU video memory, holds image for display
- *RGBA pixel color (Red, Green, Blue, Alpha / opacity)*

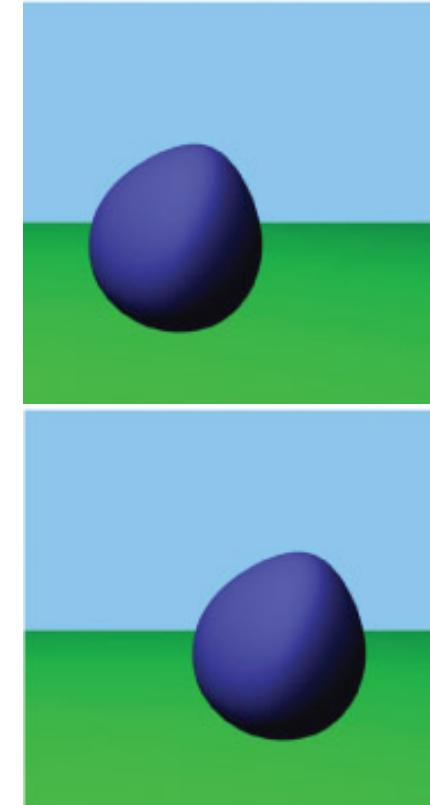
Vertex shader examples

Object motion & transformation

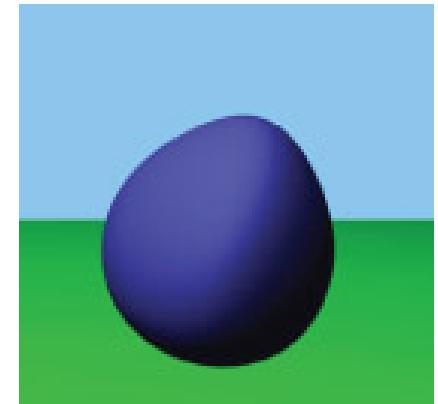
- translation
- rotation
- scaling

Projection

- Orthographic
 - *simple, without perspective effects*
- Perspective
 - *pinhole projection model*



Translation



Scaling

GLSL Vertex shader

The OpenGL Shading Language (GLSL)

- Syntax similar to the C programming language
- Build-in vector operations
- functionality as the GLM library our assignment template uses

x and y coordinates
of a vec2, vec3 or vec4

```
void main()
{
    // Transforming The Vertex
    vec3 out_pos = projection * transform * vec3(in_pos.xy, 1.0);
    gl_Position = vec4(out_pos.xy, in_pos.z, 1.0);
}
```

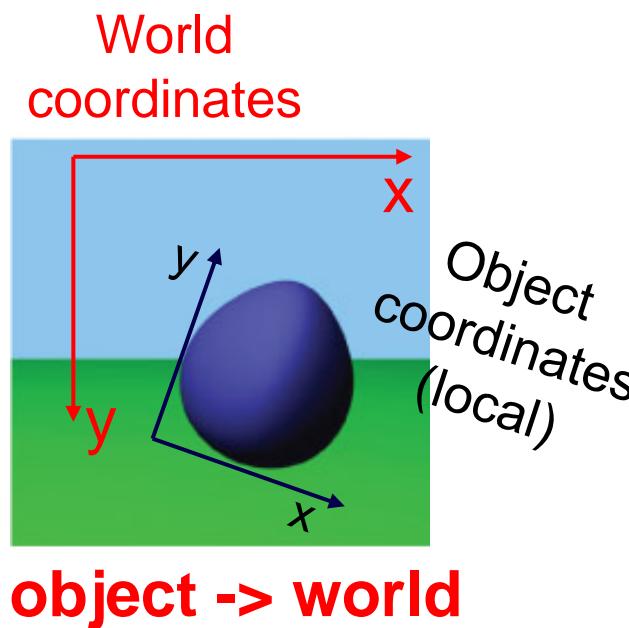
vector of 3 (vec3) and 4 (vec4) floats

world
-> camera

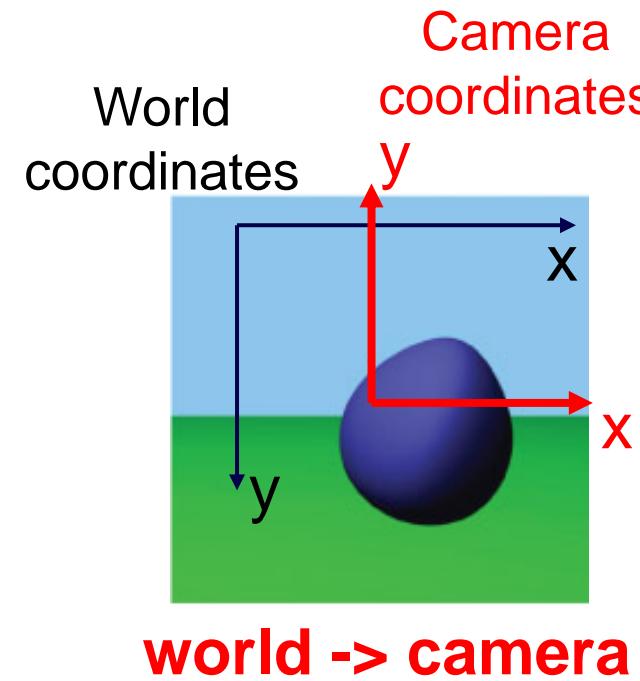
object
-> world

float
(32 bit)

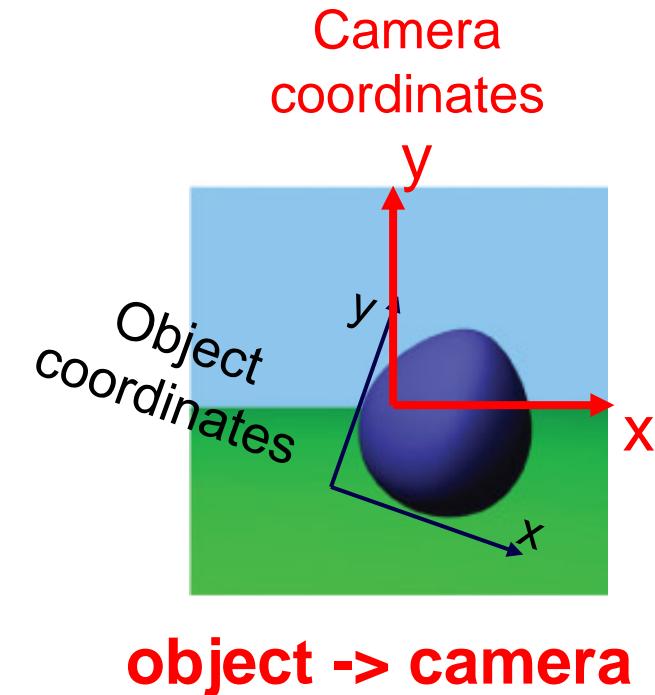
From local object to camera coordinates



transform



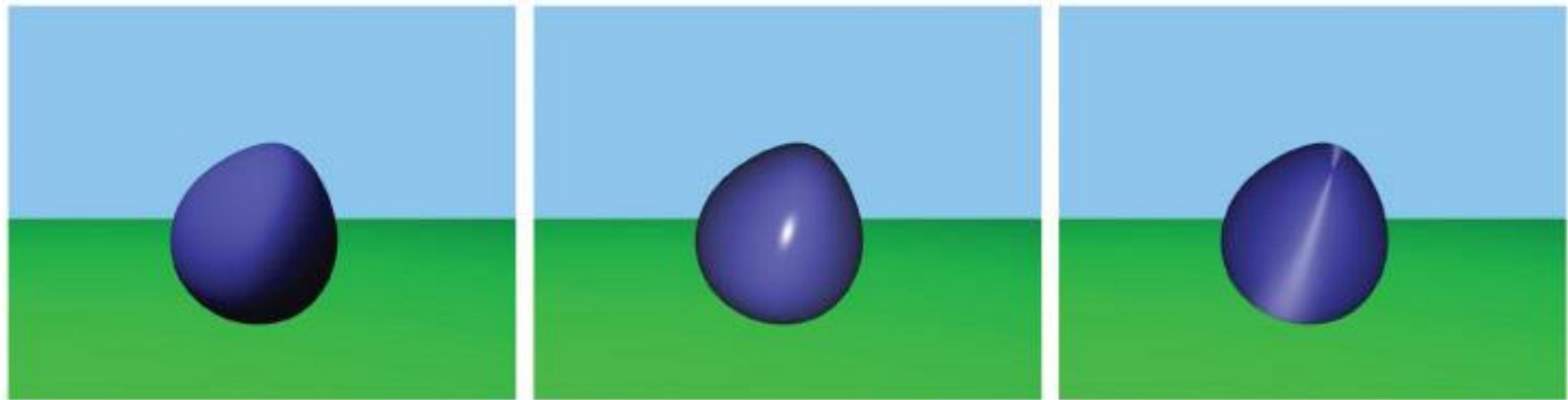
projection



projection * transform

Fragment shader examples

- *simulates materials and lights*
- *can read from textures*

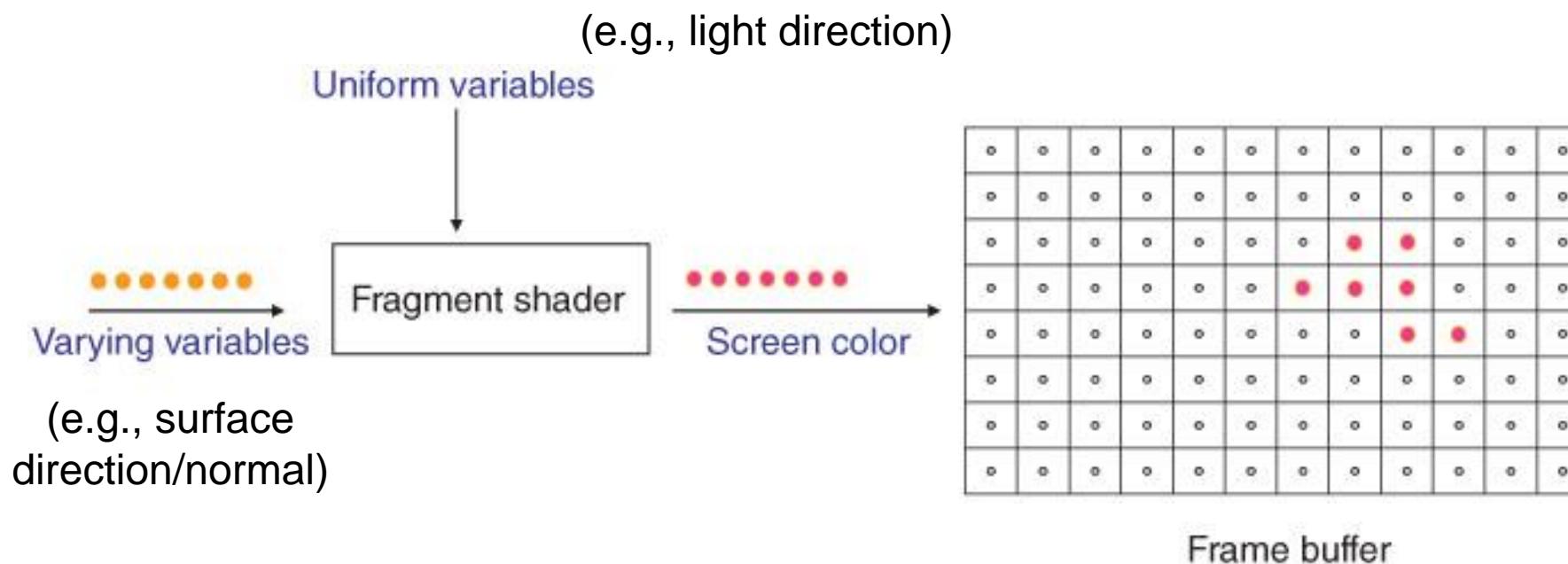


Diffuse

Specular

Directional

Fragment shader overview



GLSL fragment shader examples

Minimal:

```
out vec4 out_color; Specify color output
void main()
{
    // Setting Each Pixel To ???
    out_color = vec4(1.0, 0.0, 0.0, 1.0);
}
```

Red, Green, Blue, Alpha