

Topics in AI (CPSC 532S): Multimodal Learning with Vision, Language and Sound

Lecture 14: Unsupervised Learning, Autoencoders [Part 3]

Logistics

- Project pitches next week (November 1 & 3)
 9 groups per class (~8 minutes / group, 5-6 min presentation + questions)
- Project proposals are NOT due next week (due November 15th)

Assignment 4 — Remember you only need to do 1 PART

Final Project (40% of grade total)

- Group project (groups of 3 are encouraged, but fewer maybe possible)
- Groups are self-formed, you will not be assigned to a group
- You need to come up with a project proposal and then work on the project as a group (each person in the group gets the same grade for the project)
- Project needs to be **research** oriented (not simply implementing an existing paper); you can use code of existing paper as a starting point though

Project proposal + class presentation: 15% Project + final presentation (during finals week): 25%

Correlated Representations vs. Joint Embeddings

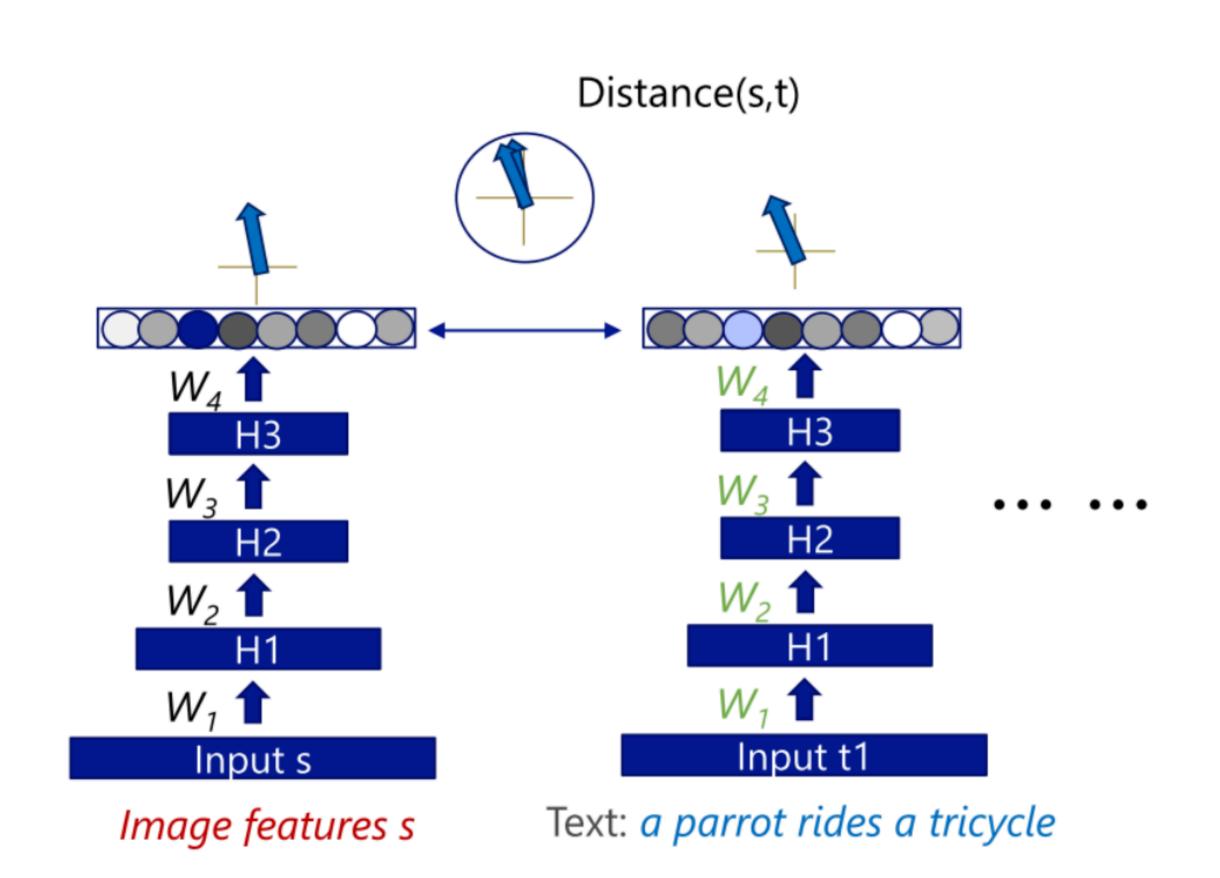
Correlated Representations: Find representations $f_1(\mathbf{x}_1), f_2(\mathbf{x}_2)$ for each view that maximize correlation:

$$\mathbf{corr}(f_1(\mathbf{x}_1), f_2(\mathbf{x}_2)) = \frac{\mathbf{cov}(f_1(\mathbf{x}_1), f_2(\mathbf{x}_2))}{\sqrt{\mathbf{var}(f_1(\mathbf{x}_1)) \cdot \mathbf{var}(f_2(\mathbf{x}_2))}}$$

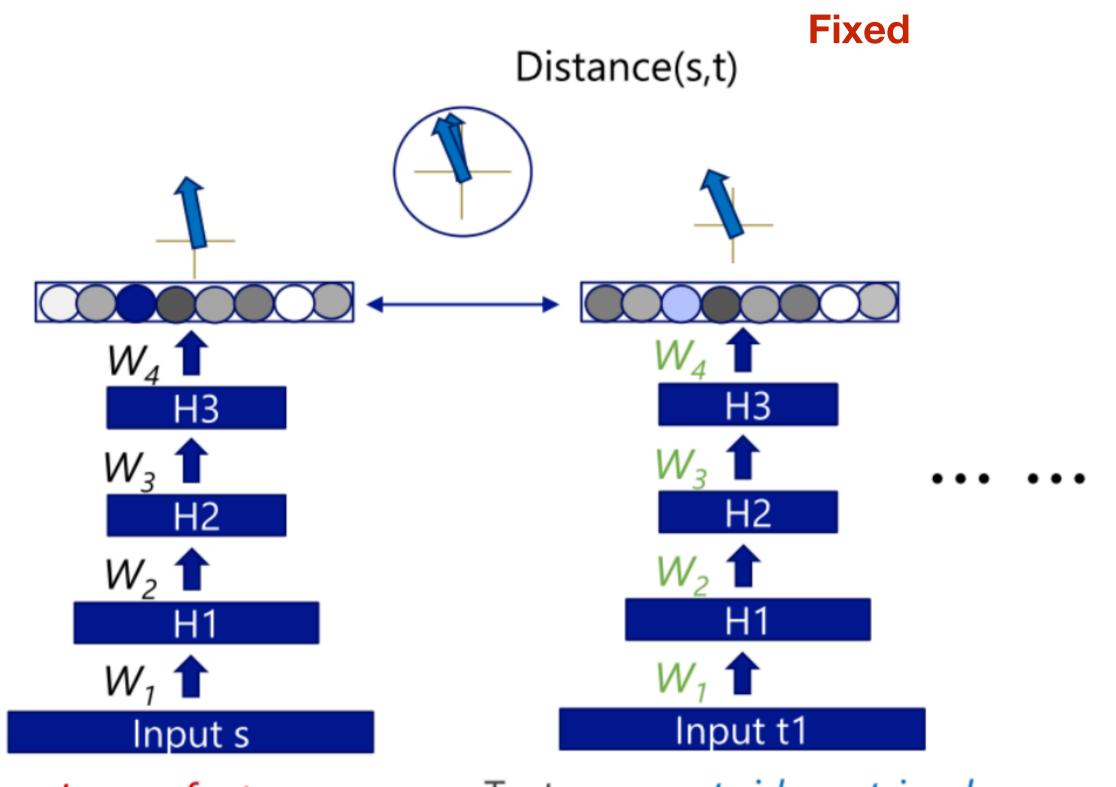
Joint Embeddings: Models that minimize distance between ground truth pairs of samples:

$$min_{f_1,f_2}D\left(f_1(\mathbf{x}_1^{(i)}),f_2(\mathbf{x}_2^{(i)})\right)$$







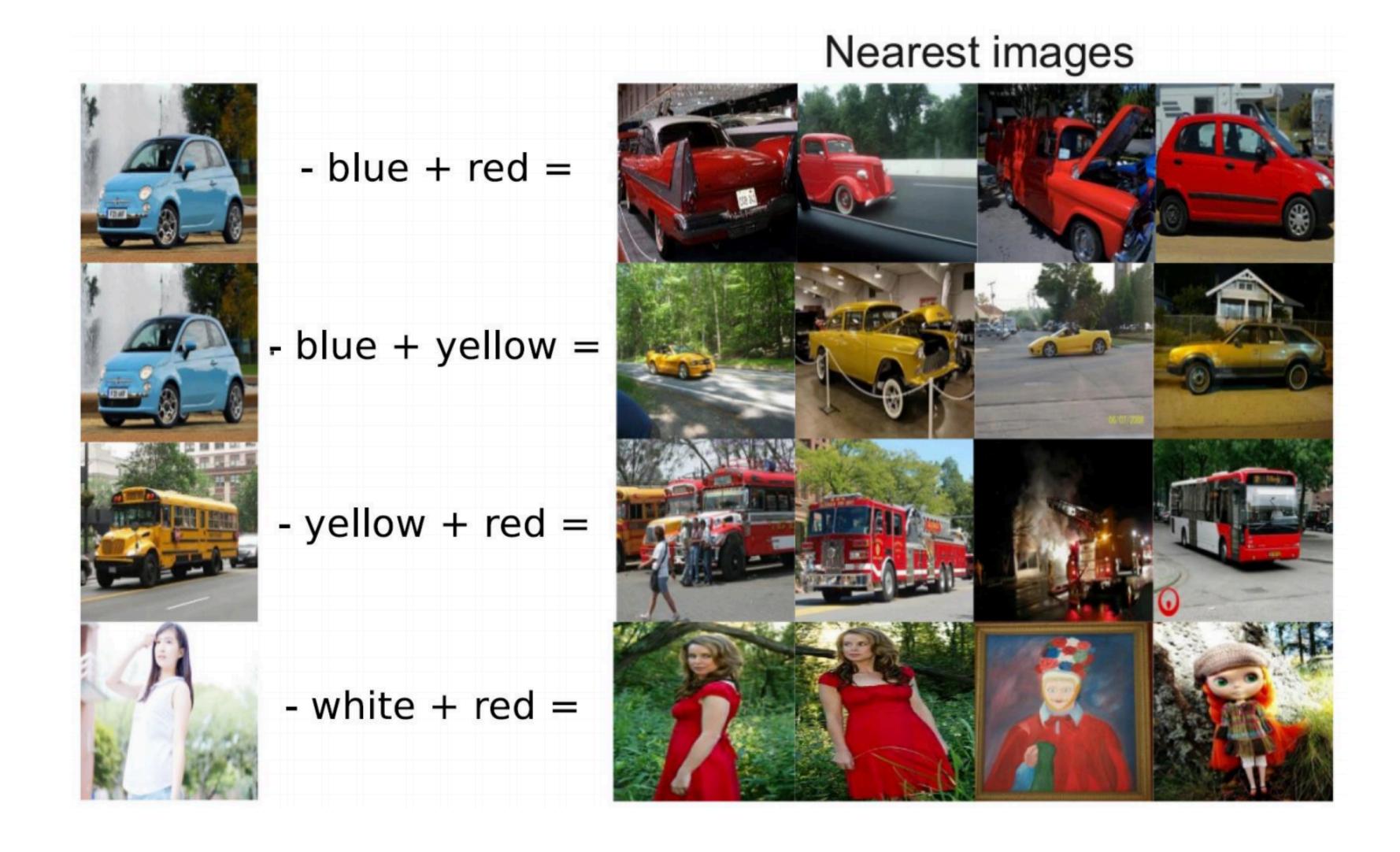


Fixed

Image features s

Text: a parrot rides a tricycle

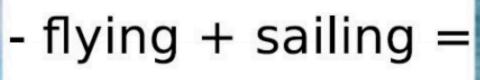
Fixed



[Kiros et al., Unifying Visual-Semantic Embeddings with Multimodal Neural Language Models, 2014]

Nearest images

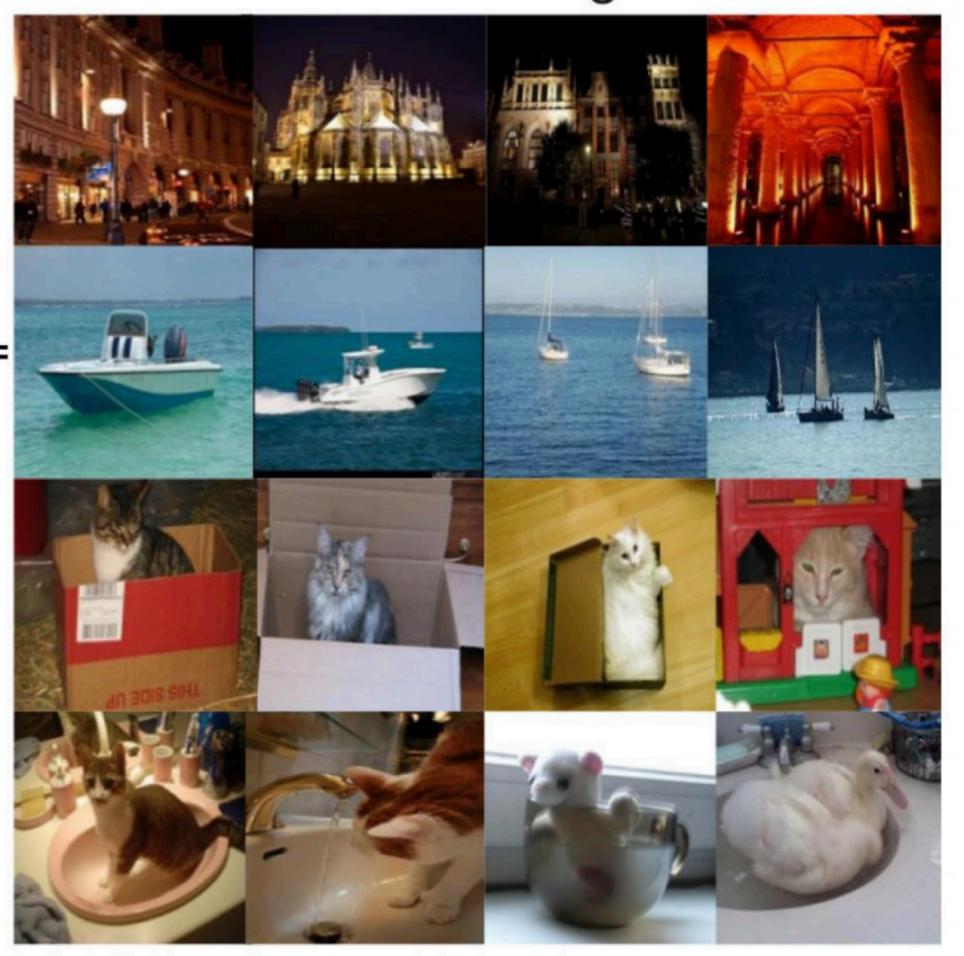




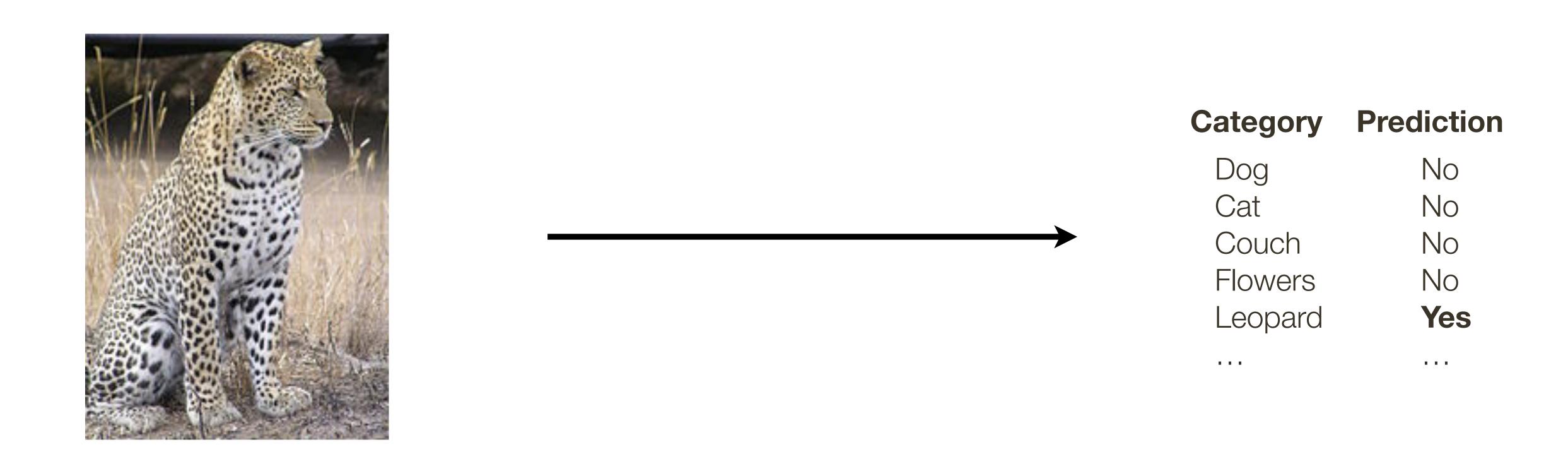


$$-bowl + box =$$

$$-box + bowl =$$

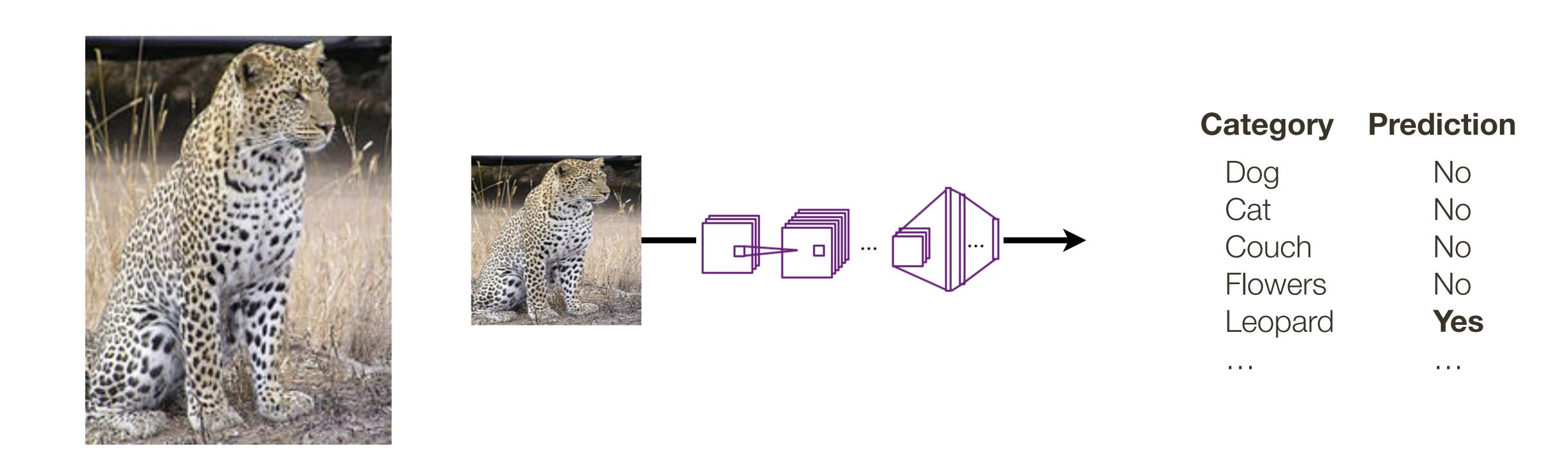


Object Classification



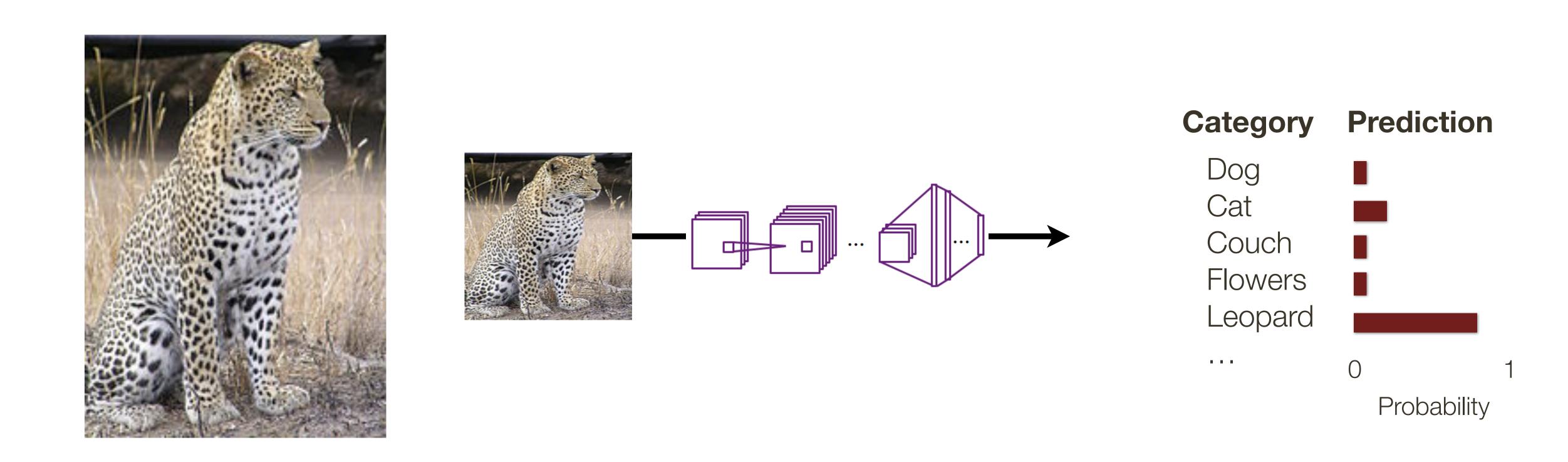
Problem: For each image predict which category it belongs to out of a fixed set

Object Classification



Problem: For each image predict which category it belongs to out of a fixed set

Object Classification

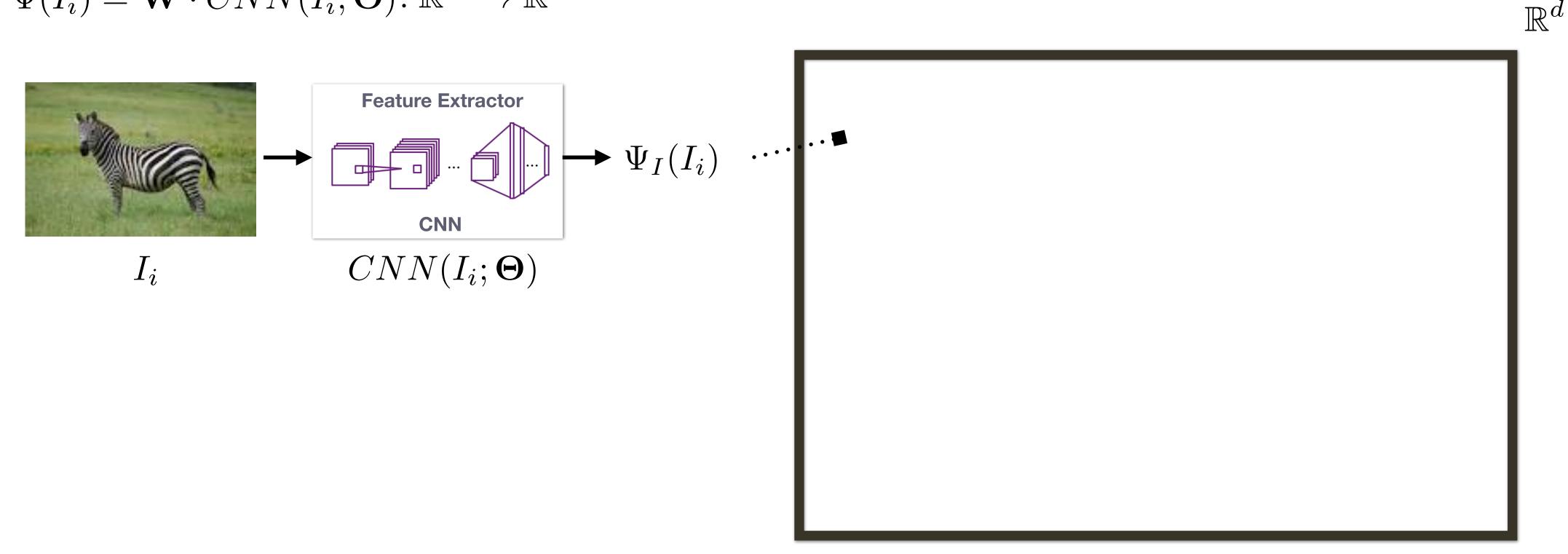


Problem: For each image predict which category it belongs to out of a fixed set



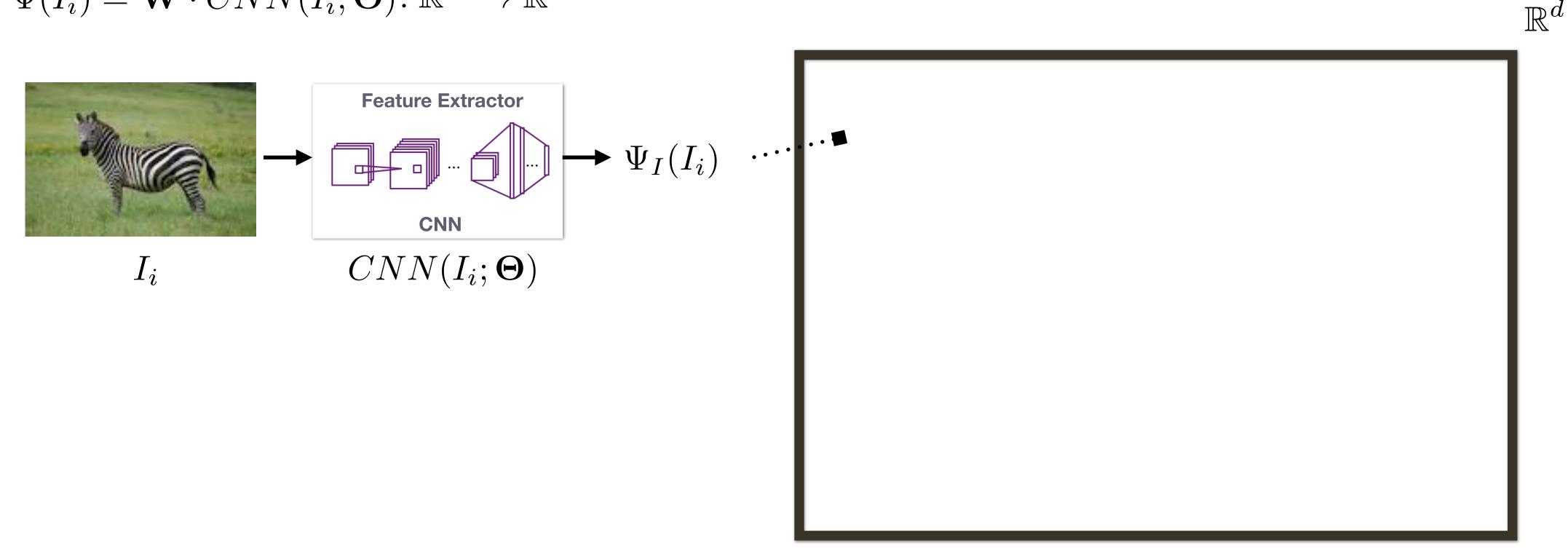


$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$



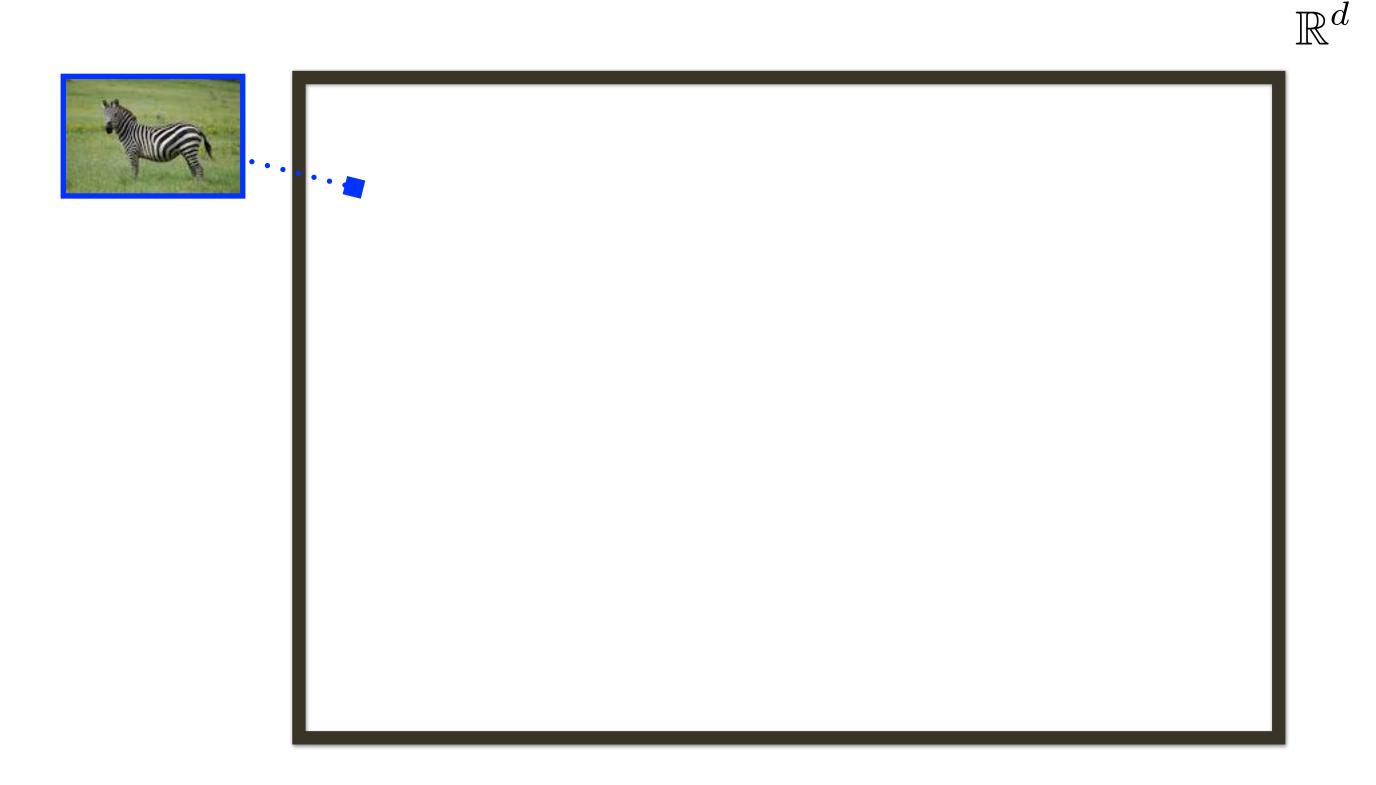


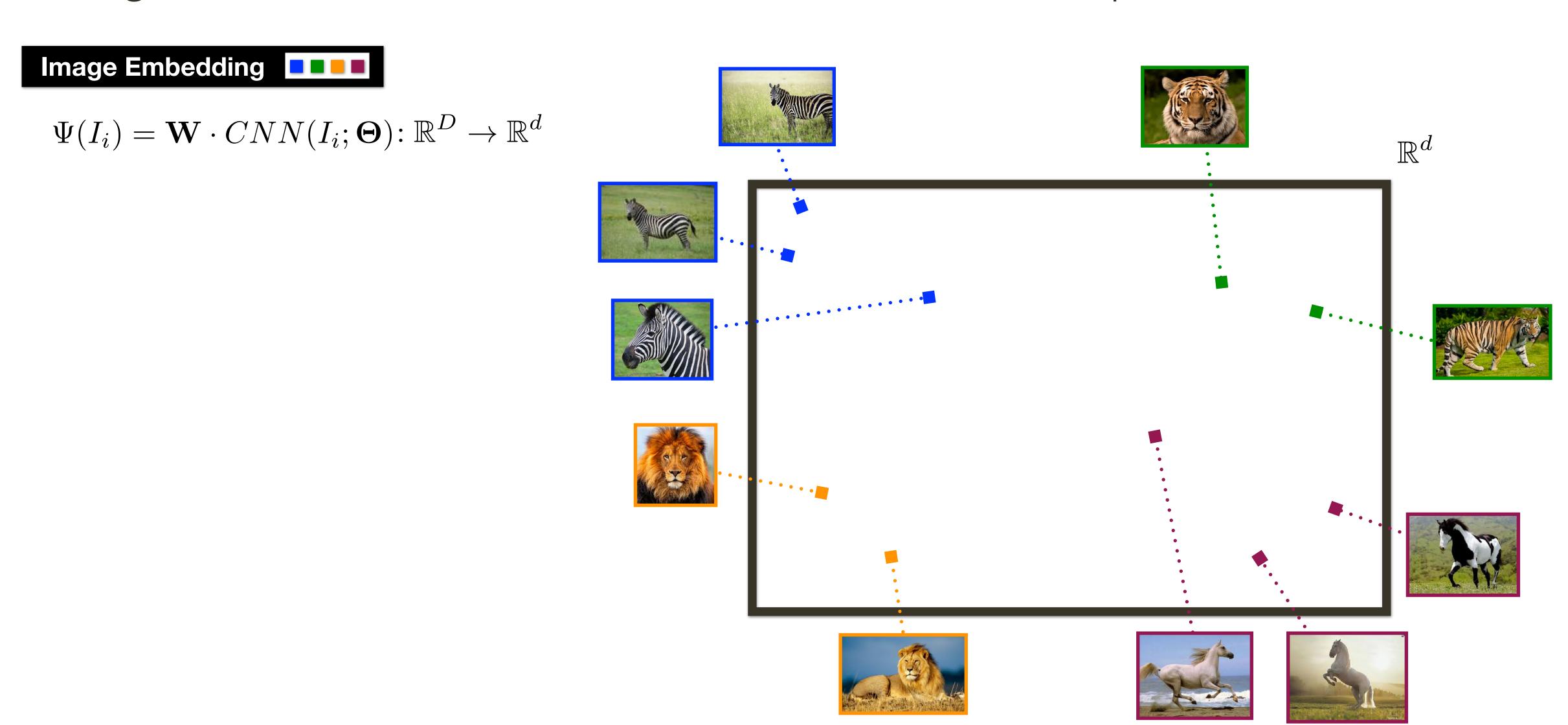
$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$





$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$





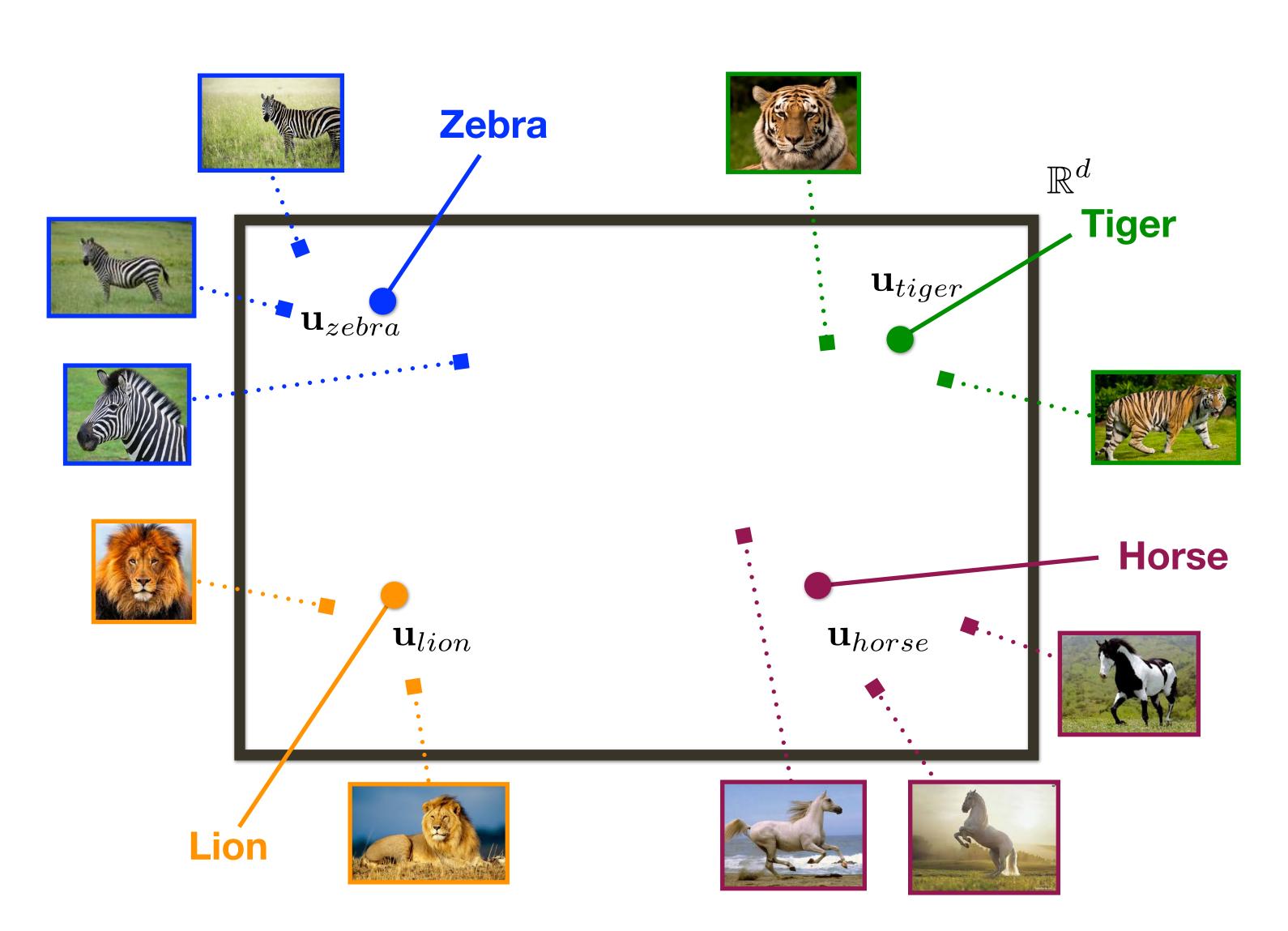
Images and class labels are embedded into the same space



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding Output Description:

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$



Images and class labels are embedded into the same space

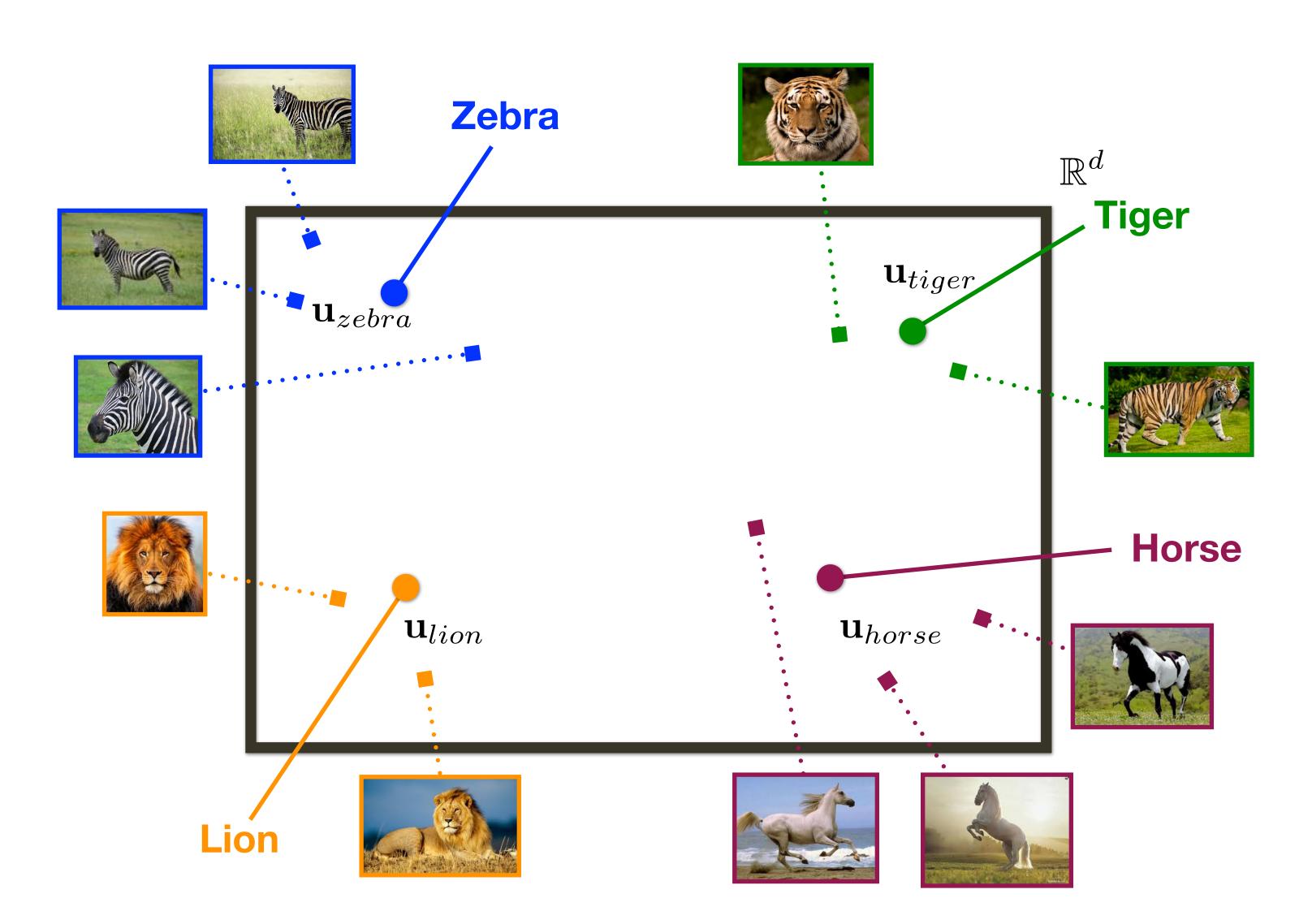
Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding Output Description:

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$



Images and class labels are embedded into the same space

Image Embedding



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding ••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

$$D(\mathbf{u}, \mathbf{u}') = \frac{\mathbf{u}}{||\mathbf{u}||} \cdot \frac{\mathbf{u}'}{||\mathbf{u}'||}$$

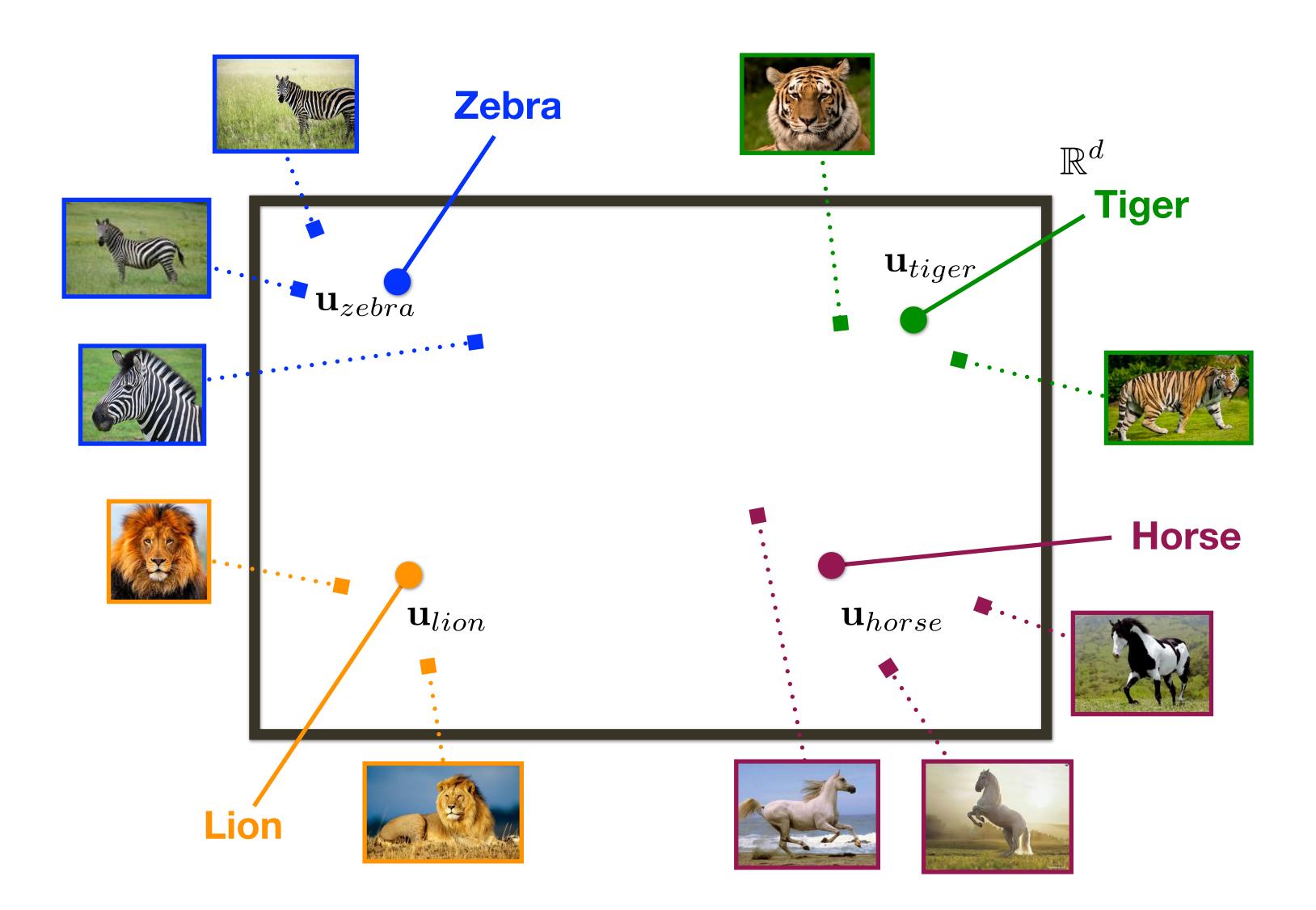


Image Categorization / Annotation

which object category does image belong to?



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding ••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

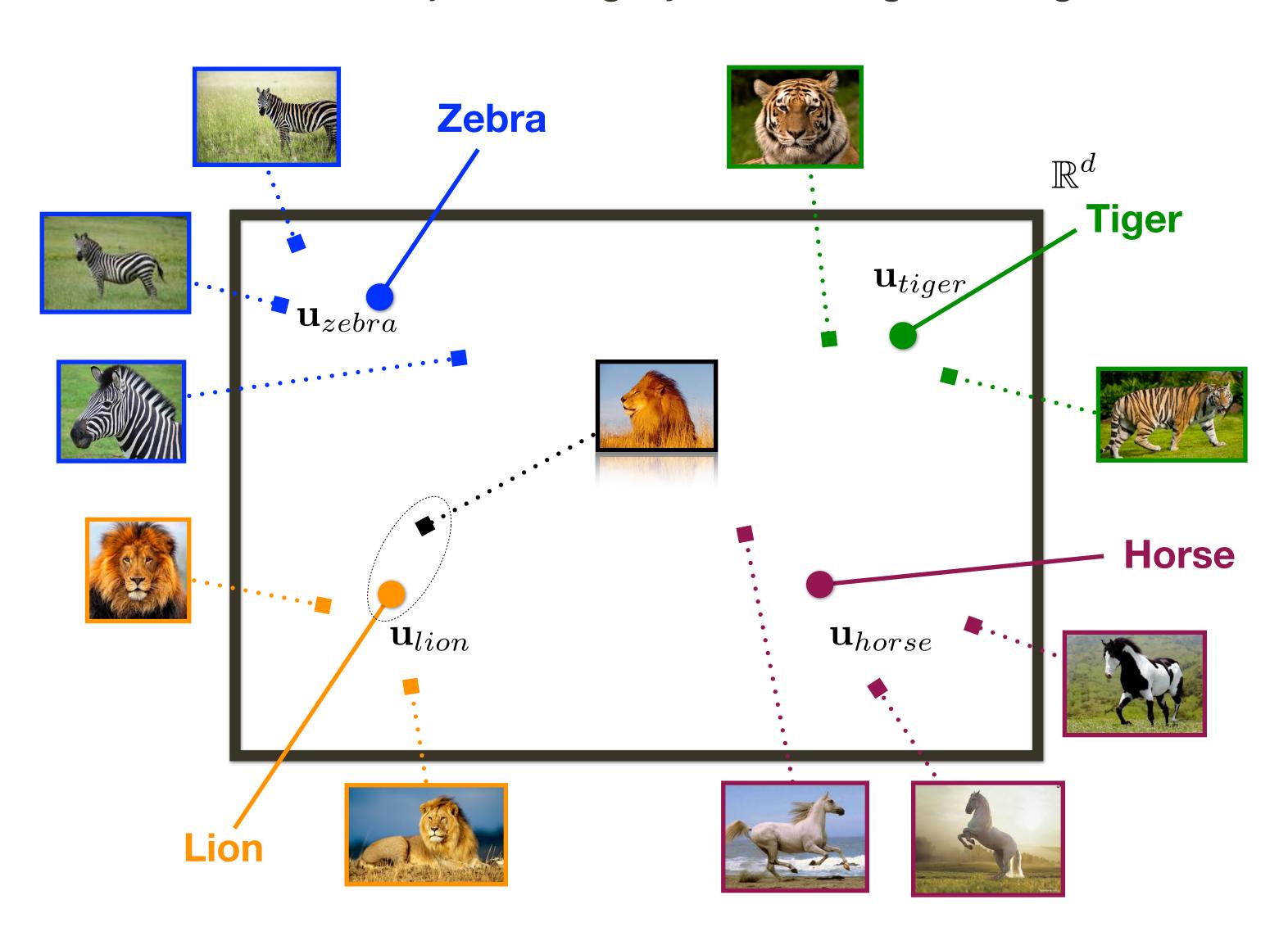


Image Categorization / Annotation

which object category does image belong to?



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding Output Description:

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Distance can be interpreted as probability

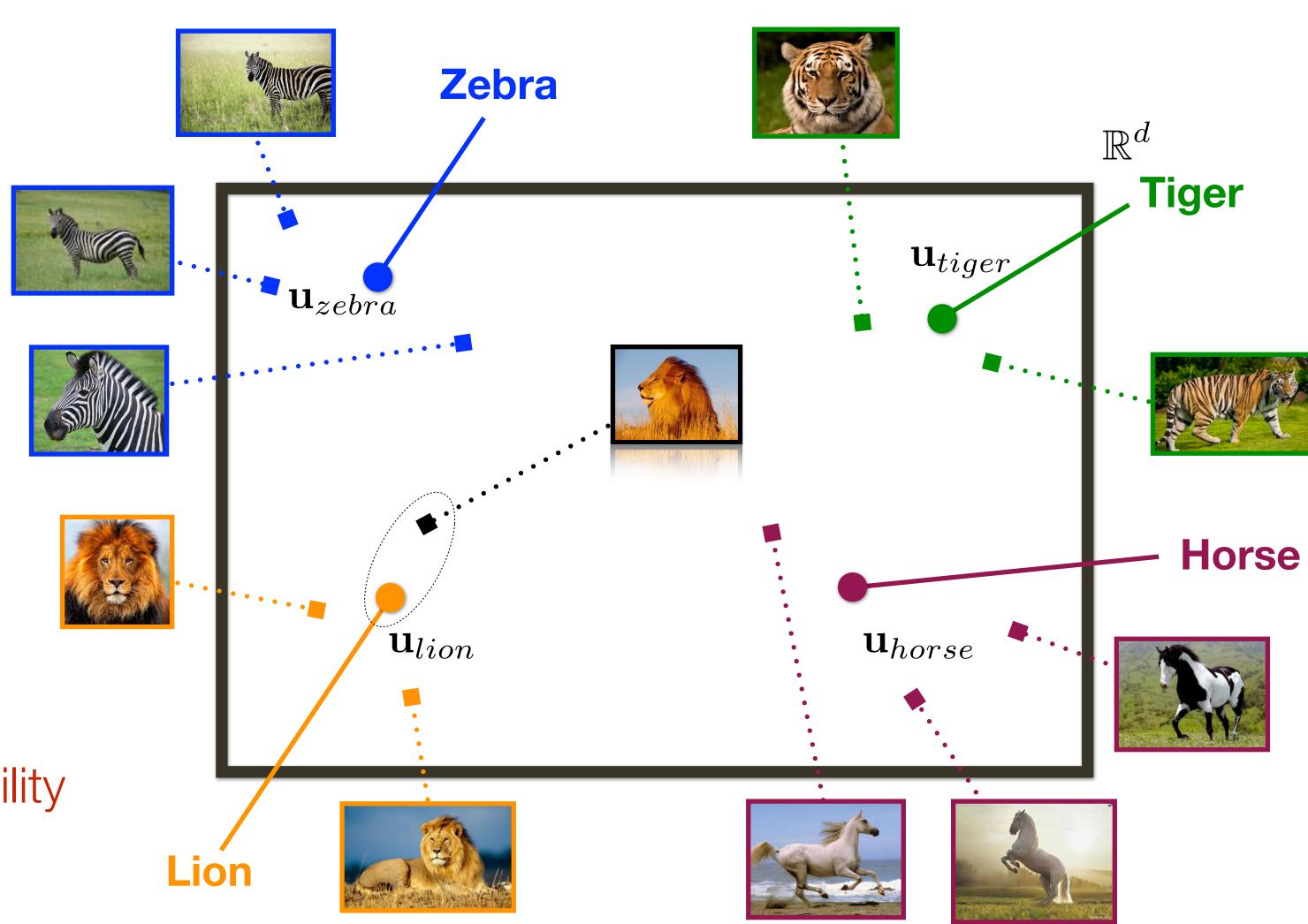


Image Categorization / Annotation

which object category does image belong to?



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding Output Description:

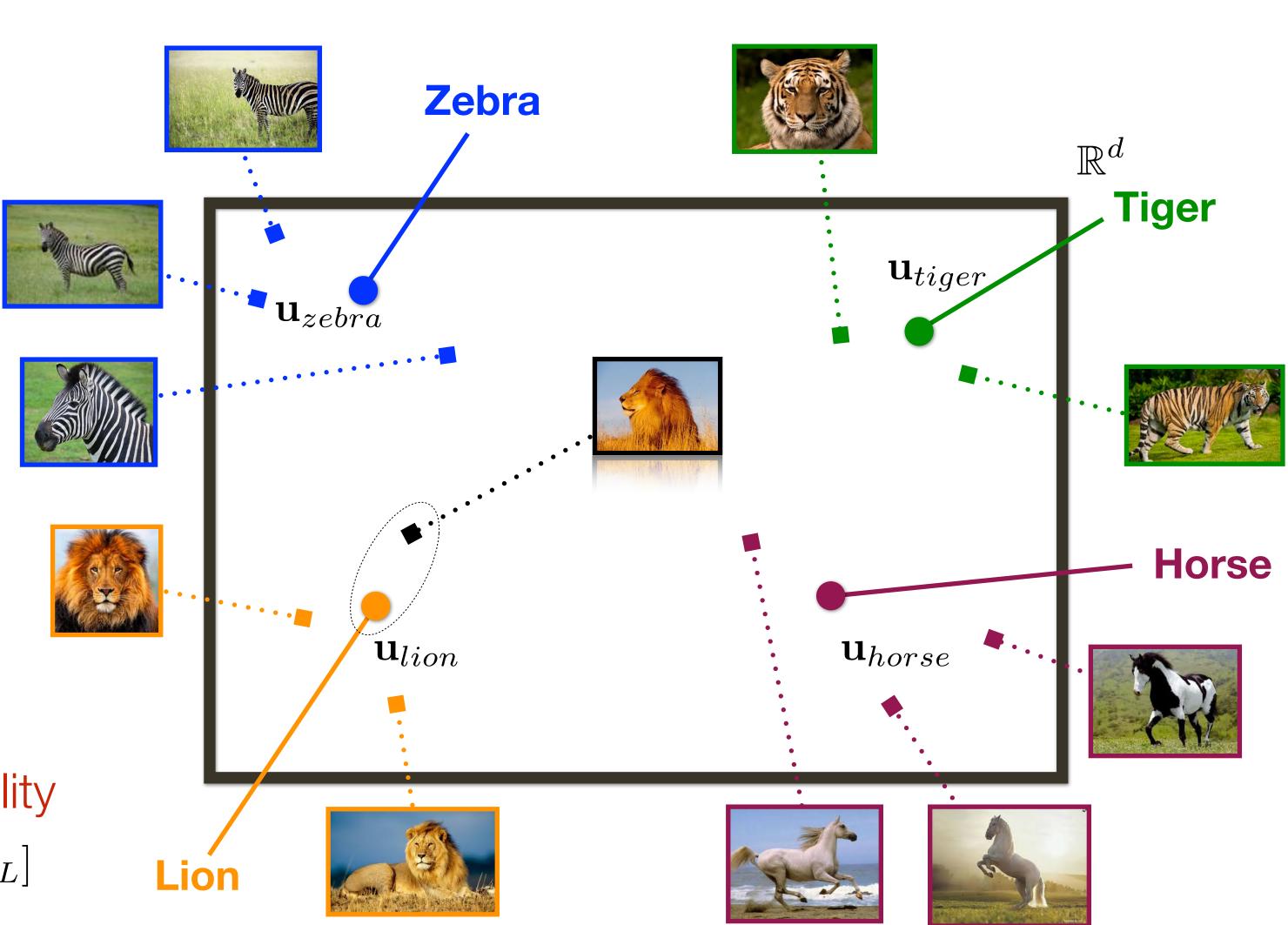
$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

Similarity in Embedding Space

$$D(\mathbf{u}_i, \mathbf{u}') = \mathbf{u}_i \cdot \mathbf{u}'$$

Distance can be interpreted as probability

Softmax($\mathbf{U}\mathbf{u}'$), where $\mathbf{U} = [\mathbf{u}_1, \mathbf{u}_2, \cdots, \mathbf{u}_L]$



Search by Image

most similar image to a query?

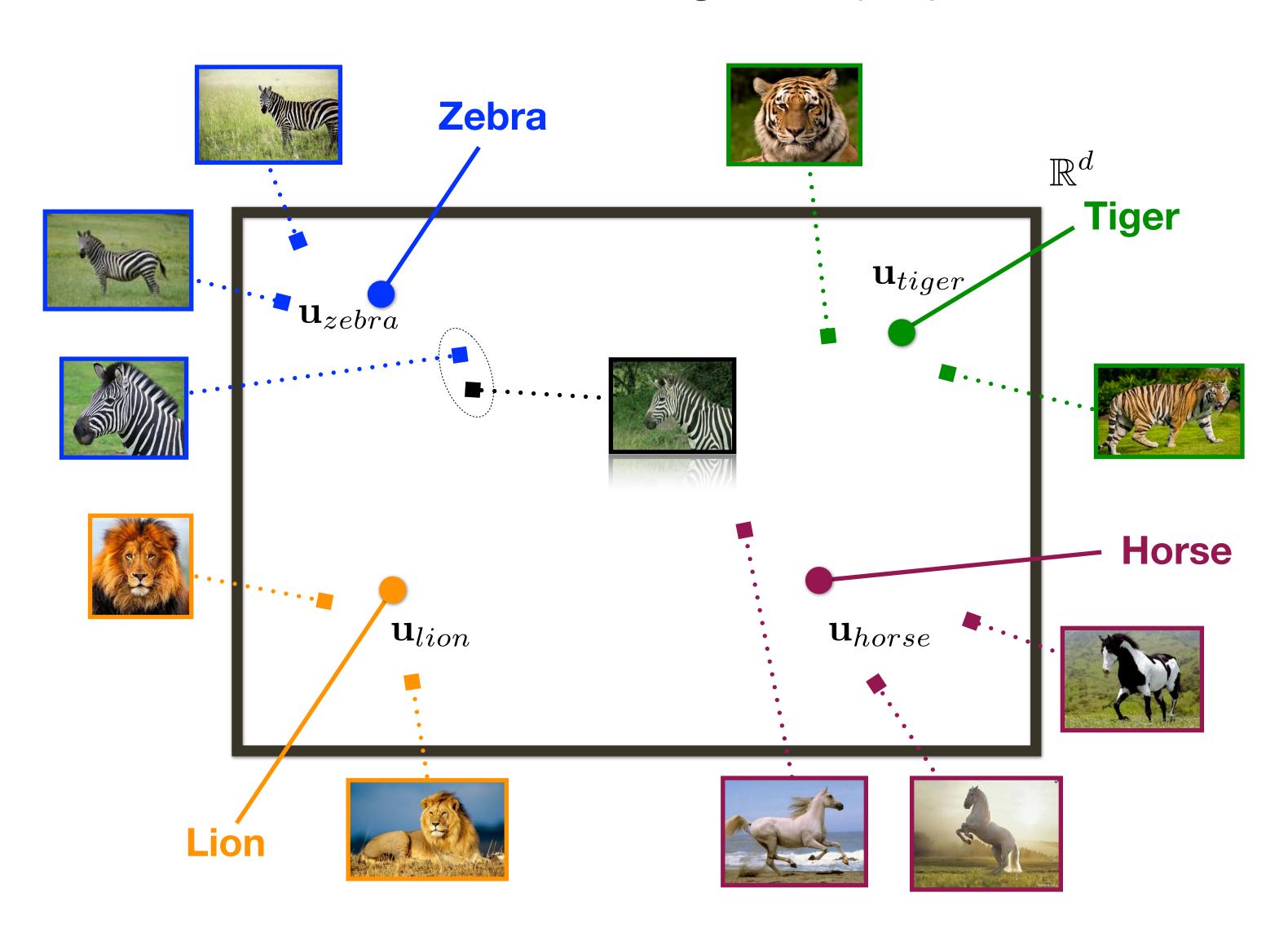
Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding ••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$



Search by Label

most representative image for a label?



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding •••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

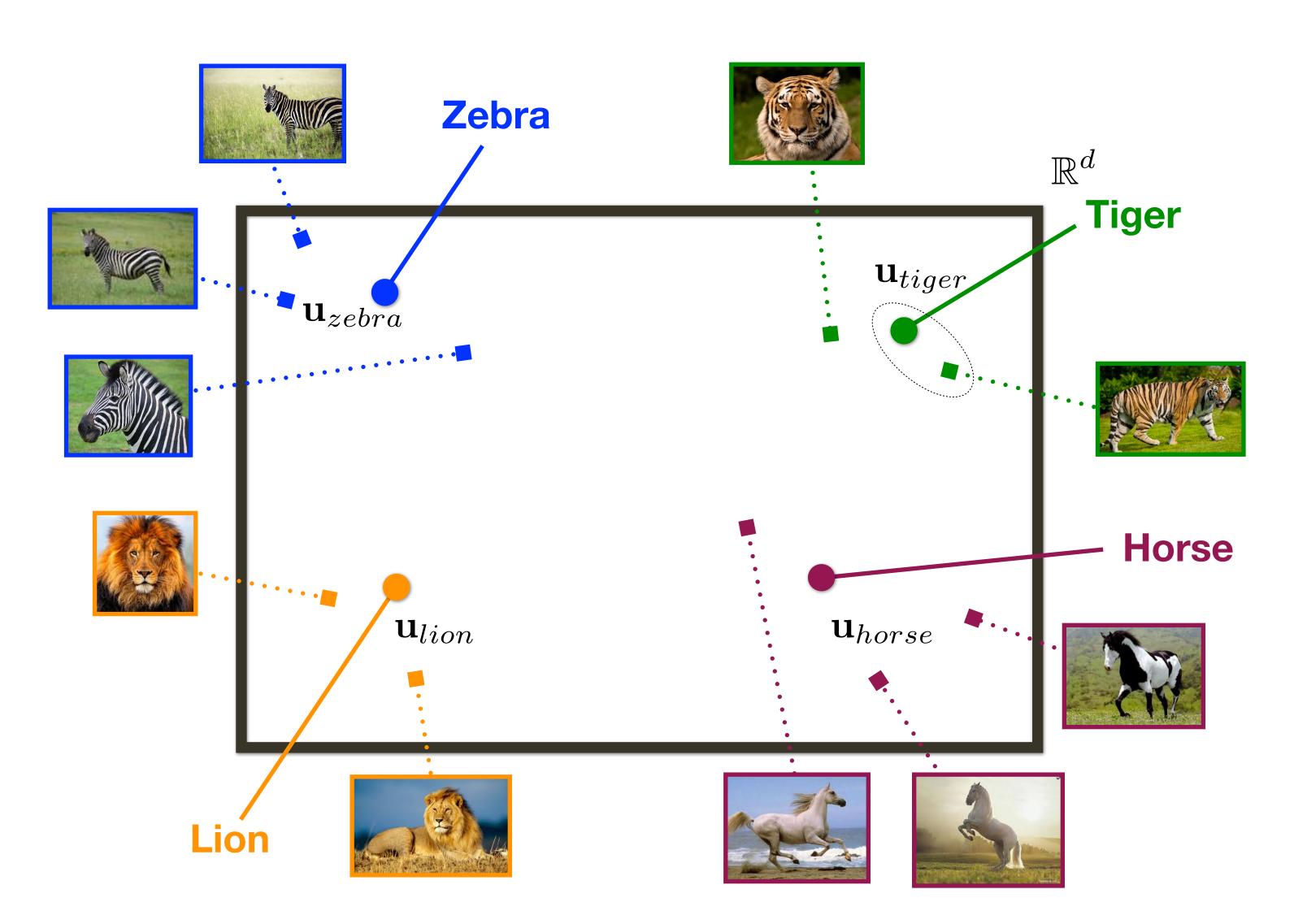


Image Embedding



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding ••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

$$\min_{\mathbf{W},\mathbf{U}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W},\mathbf{U},I_{i},y_{i}) + \lambda_{1} ||\mathbf{W}||_{F}^{2} + \lambda_{2} ||\mathbf{U}||_{F}^{2}$$

$\mathcal{L}_C(\mathbf{W}, \mathbf{U}, I_i, y_i) = \sum [1 + D(\Psi(I_i), \mathbf{u}_{y_i}) - D(\Psi(I_i), \mathbf{u}_{y_c})]$

 \mathbb{R}^d

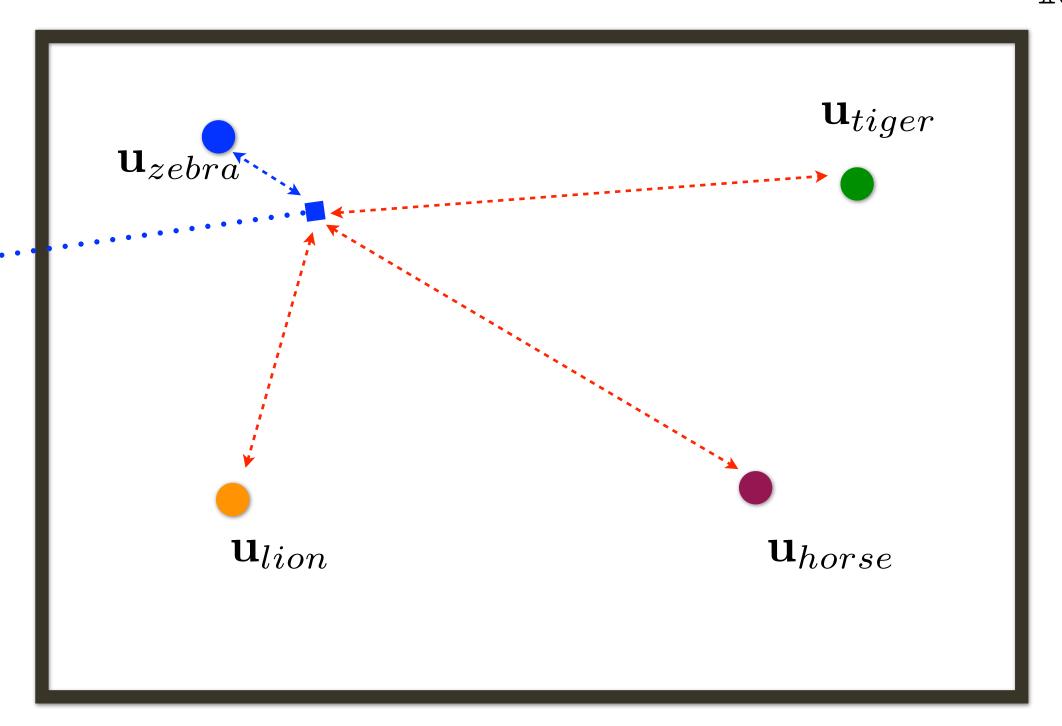


Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding ••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

$$\min_{\mathbf{W},\mathbf{U}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W},\mathbf{U},I_{i},y_{i}) + \lambda_{1} ||\mathbf{W}||_{F}^{2} + \lambda_{2} ||\mathbf{U}||_{F}^{2}$$

Why not minimize distance directly?

$$\mathcal{L}_C(\mathbf{W}, \mathbf{U}, I_i, y_i) = \sum [1 + D(\Psi(I_i), \mathbf{u}_{y_i}) - D(\Psi(I_i), \mathbf{u}_{y_c})]$$

 \mathbb{R}^d

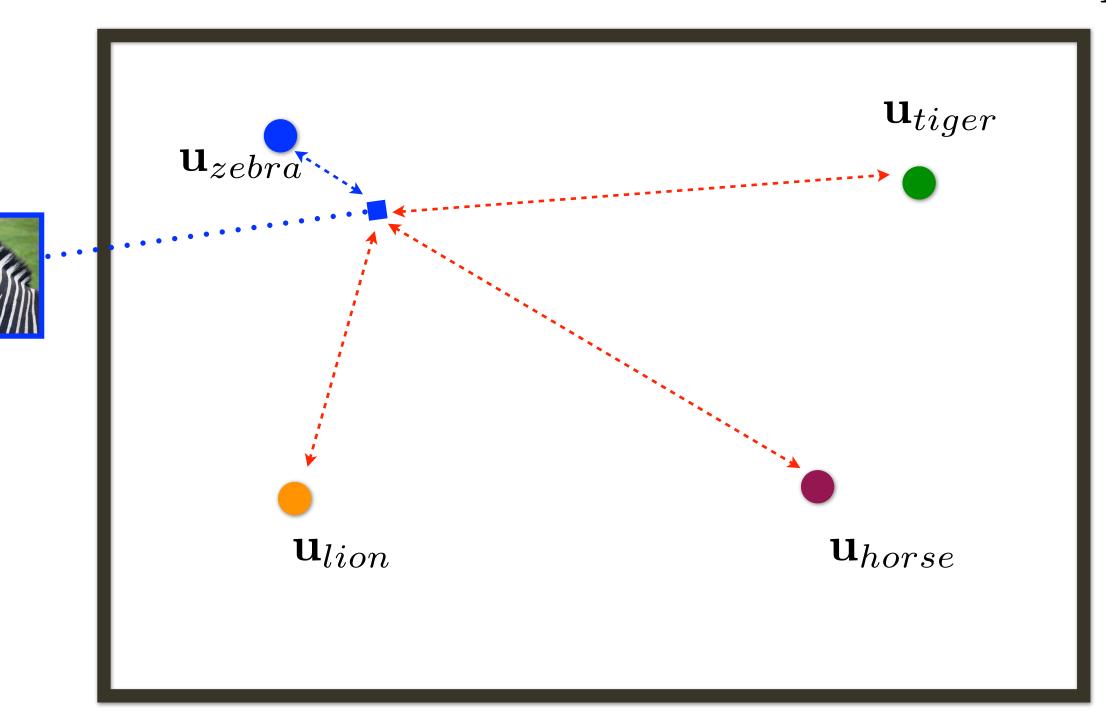


Image Embedding



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$



Label Embedding ••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

Similarity in Embedding Space

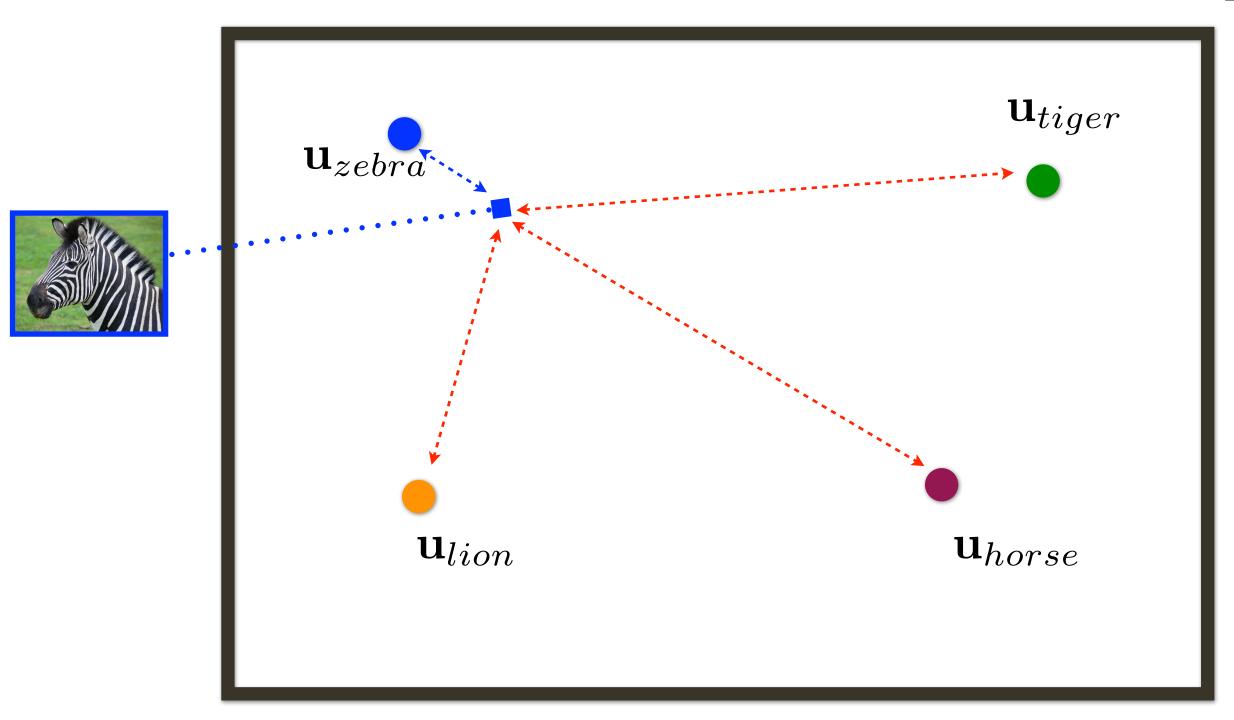
$$D(\mathbf{u}, \mathbf{u}') = \frac{\mathbf{u}}{||\mathbf{u}||} \cdot \frac{\mathbf{u}'}{||\mathbf{u}'||}$$

Objective Function:

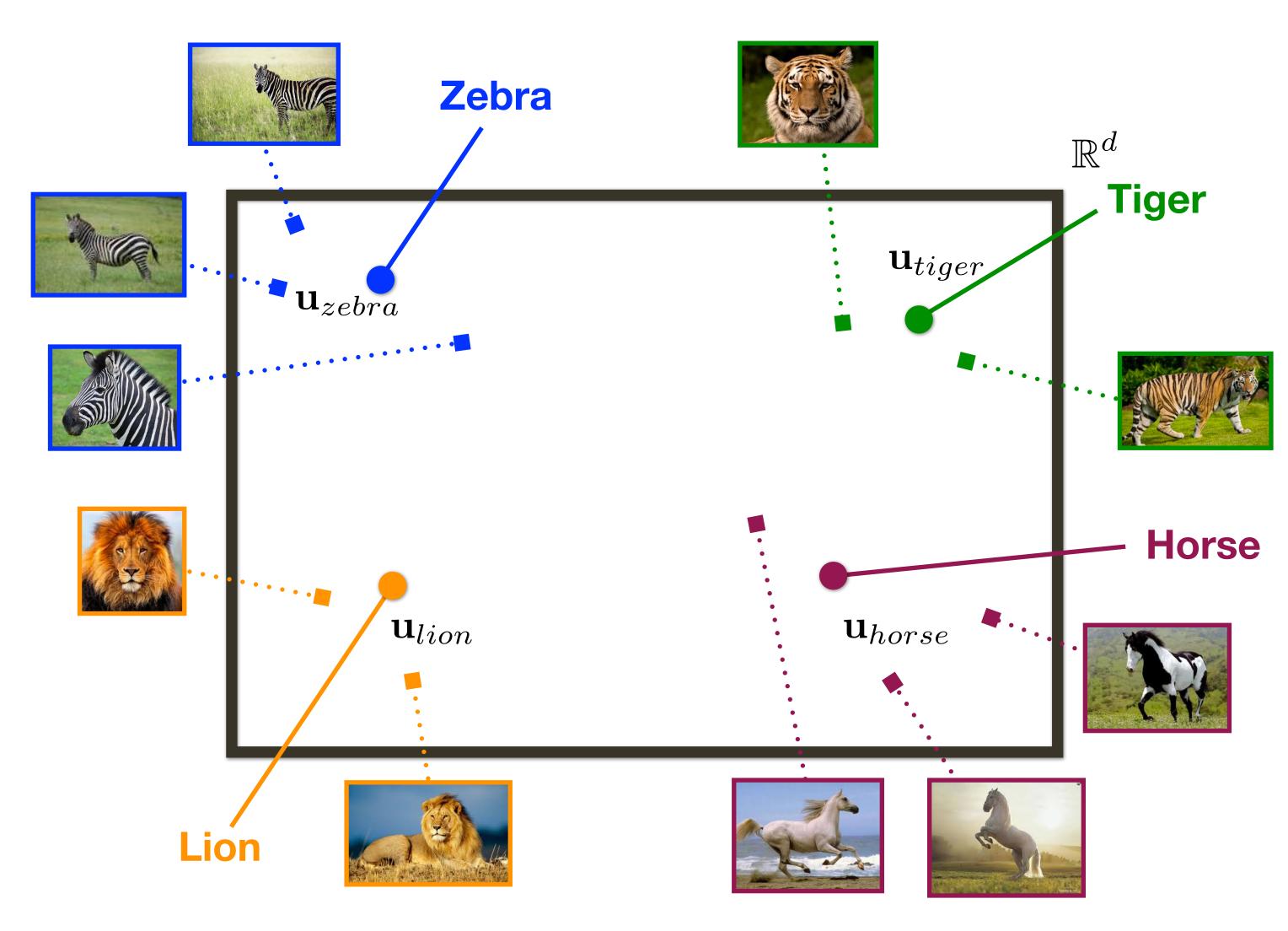
$$\min_{\mathbf{W},\mathbf{U}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W},\mathbf{U},I_{i},y_{i}) + \lambda_{1} ||\mathbf{W}||_{F}^{2} + \lambda_{2} ||\mathbf{U}||_{F}^{2}$$

$\mathcal{L}_C(\mathbf{W}, \mathbf{U}, I_i, y_i) = \sum \max\{0, \alpha - D(\Psi(I_i), \mathbf{u}_{y_i}) + D(\Psi(I_i), \mathbf{u}_{y_c})\}$

 \mathbb{R}^d

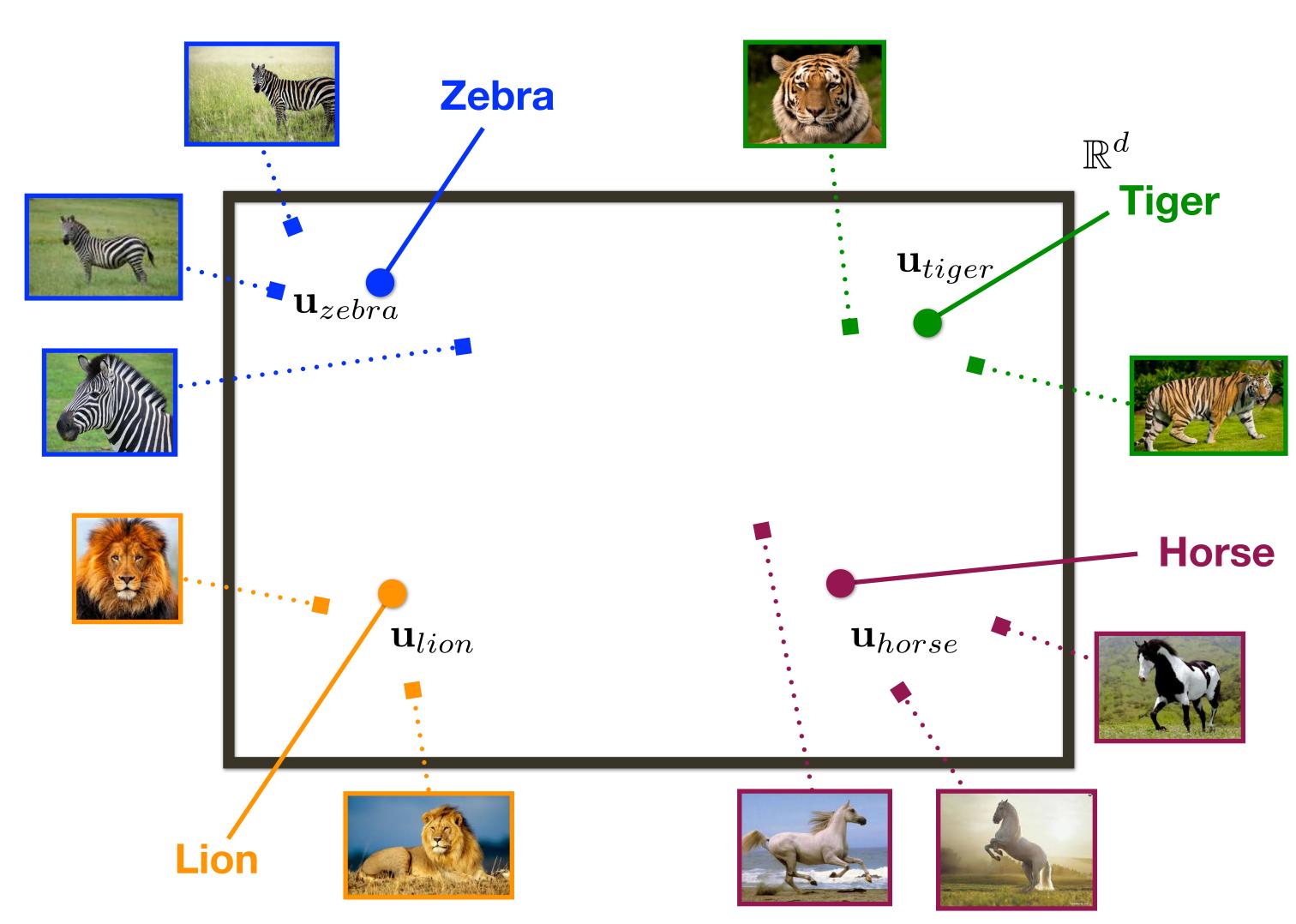


This is a very convenient model



This is a very convenient model

Inducing semantics on the embedding space

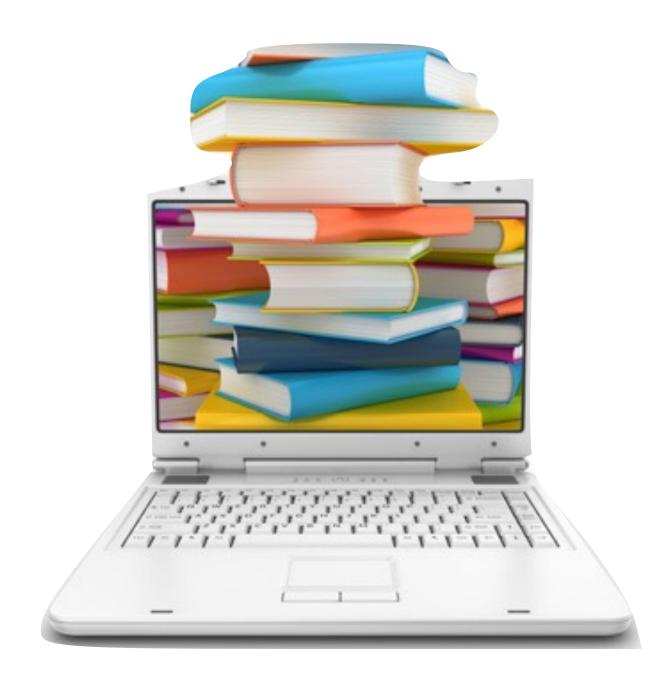


word2vec: Unsupervised Word Embedding

Distributional Semantics Hypothesis: words that are used and occur in the same context tend to have similar meaning

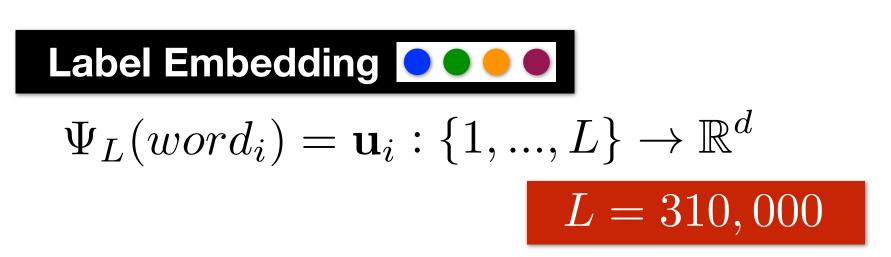
Label Embedding ••••

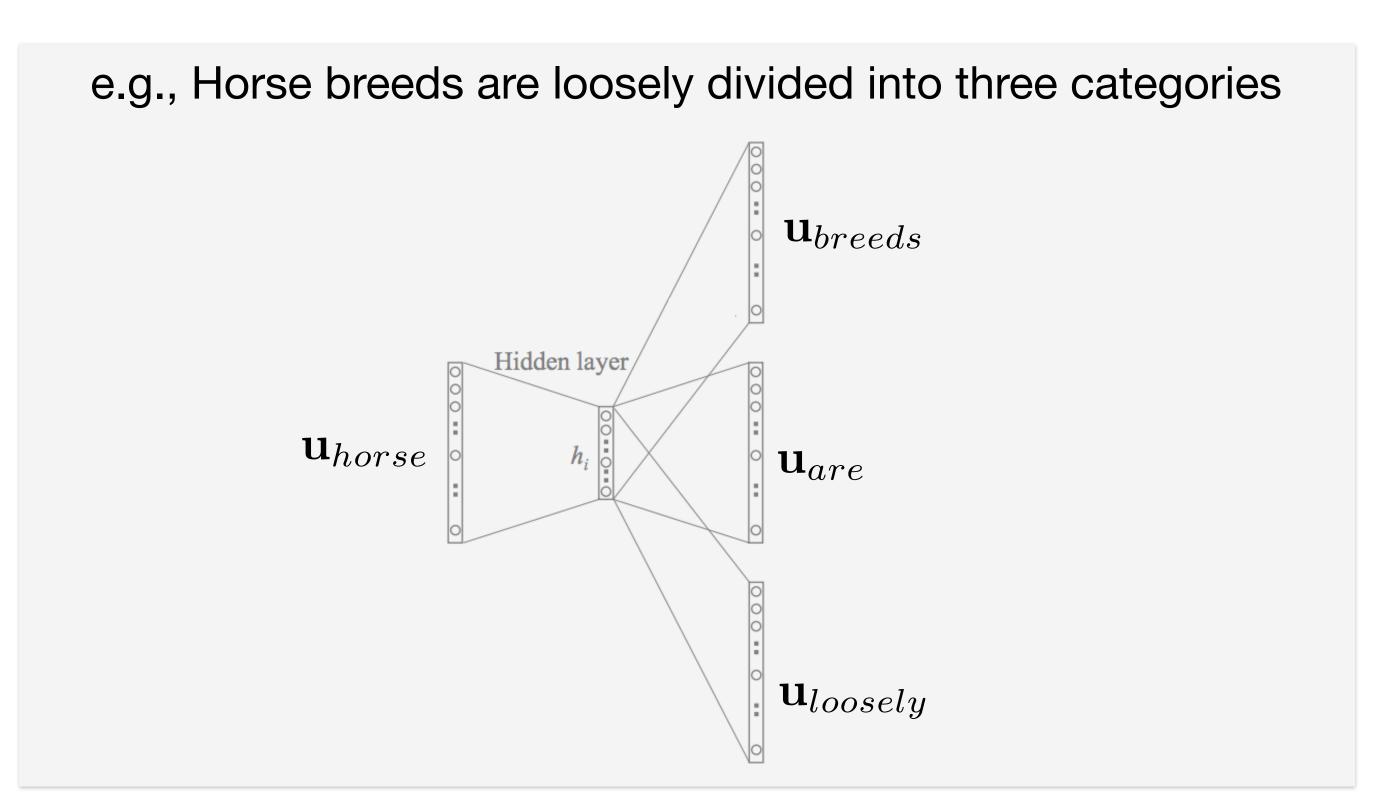
$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$



word2vec: Unsupervised Word Embedding

Distributional Semantics Hypothesis: words that are used and occur in the same context tend to have similar meaning





Skip-gram Model: unsupervised semantic representation for words (trained from 7 billion word linguistic corpus)

[Fu et al., 2016]

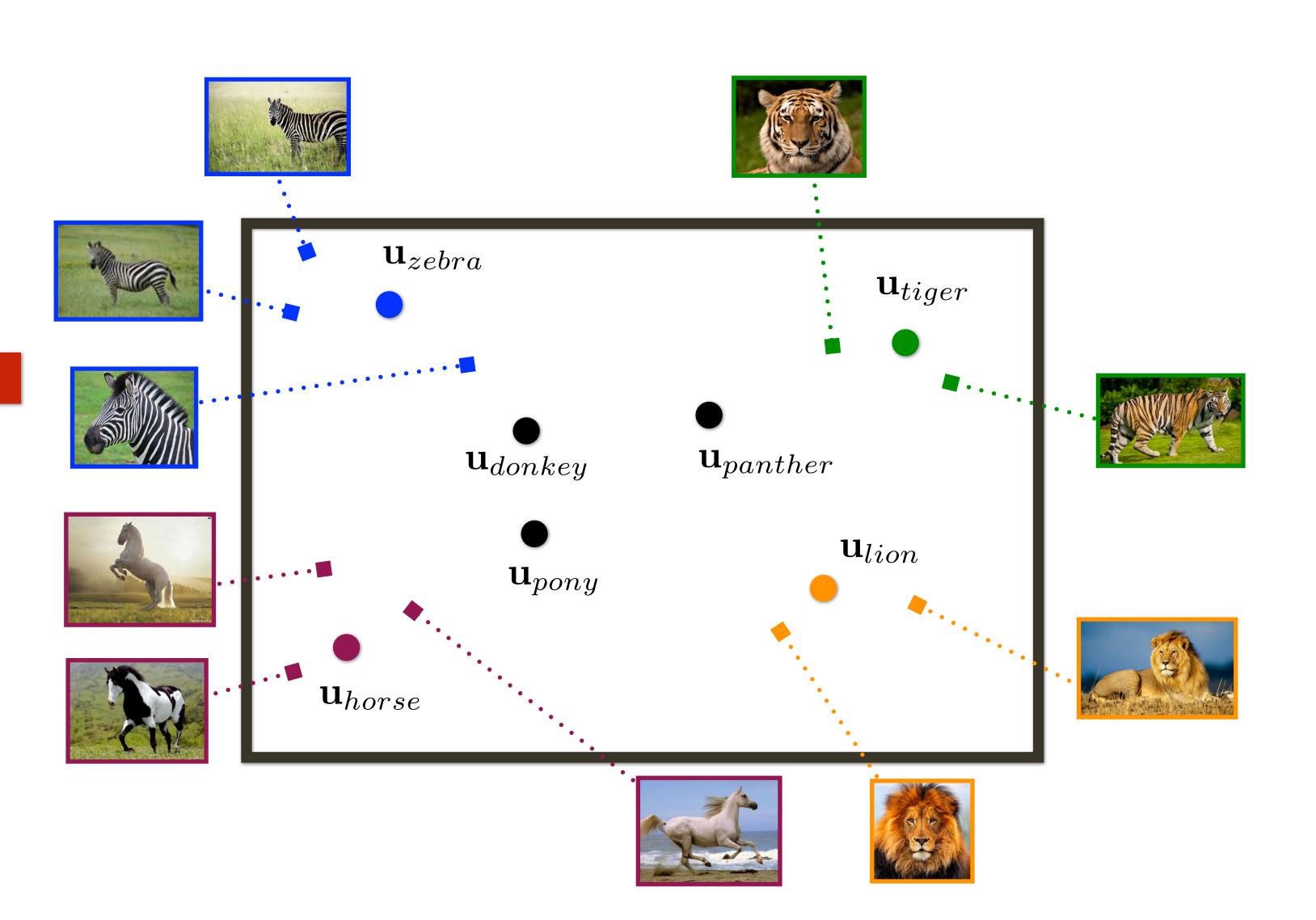
Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding Output Description:

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

L = 310,000



[Fu et al., 2016]

Image Embedding

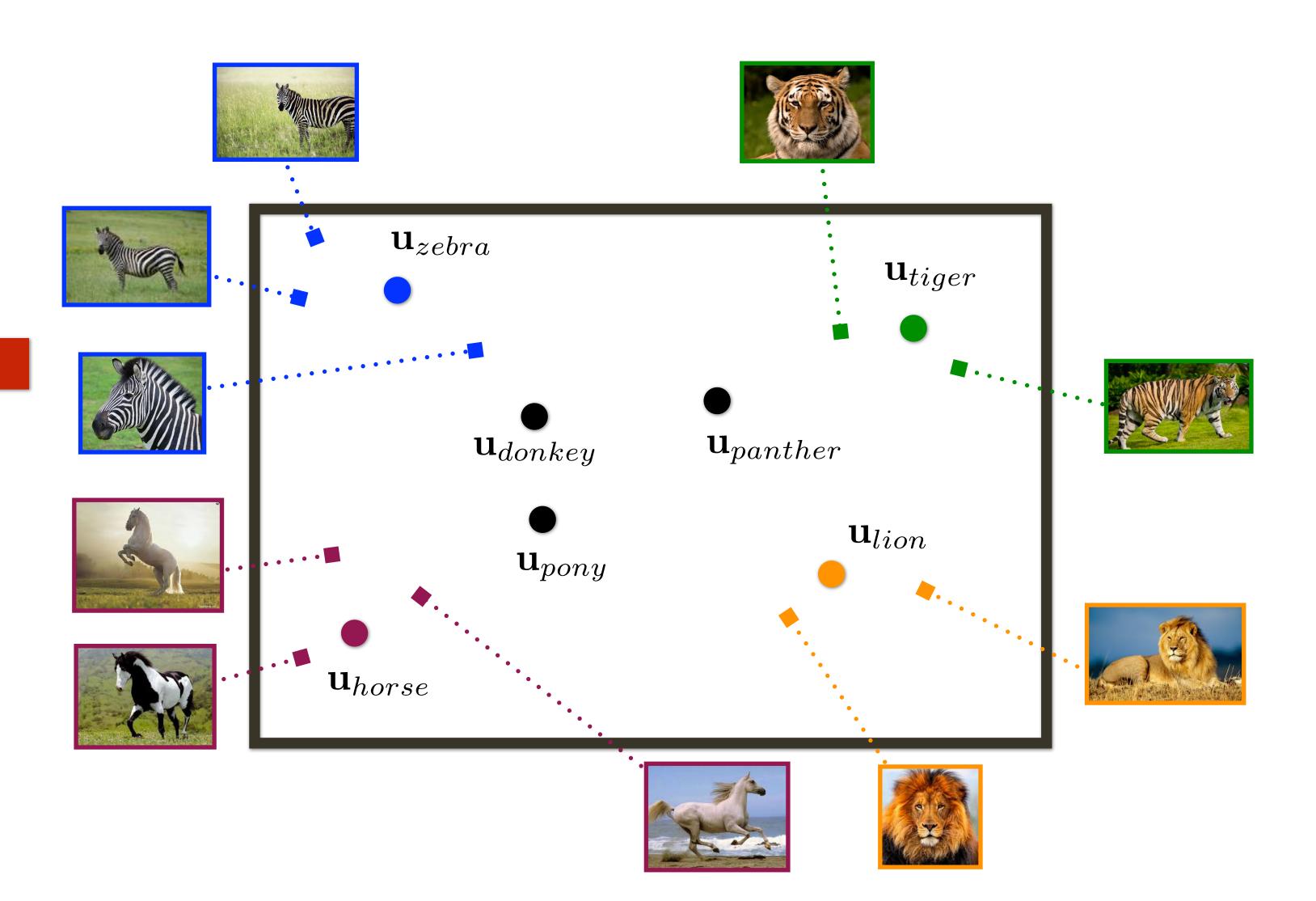
$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding •••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

L = 310,000

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$



[Fu et al., 2016]

Image Embedding



Label Embedding Output Description:

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

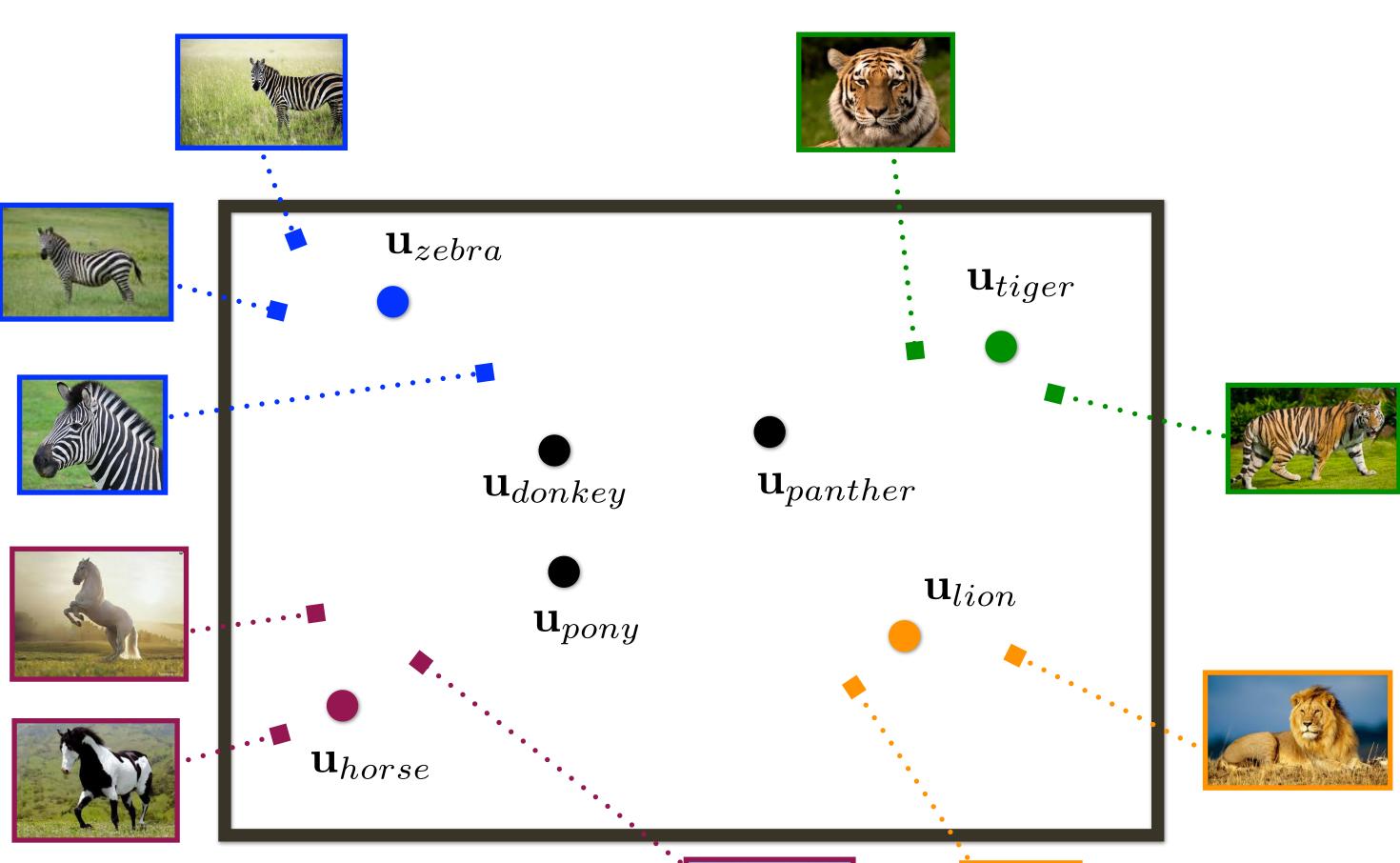
L = 310,000

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

$$\min_{\mathbf{W}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mathcal{L}_{R}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mu ||V||_{F}^{2}$$







[Fu et al., 2016]

Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding •••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

L = 310,000



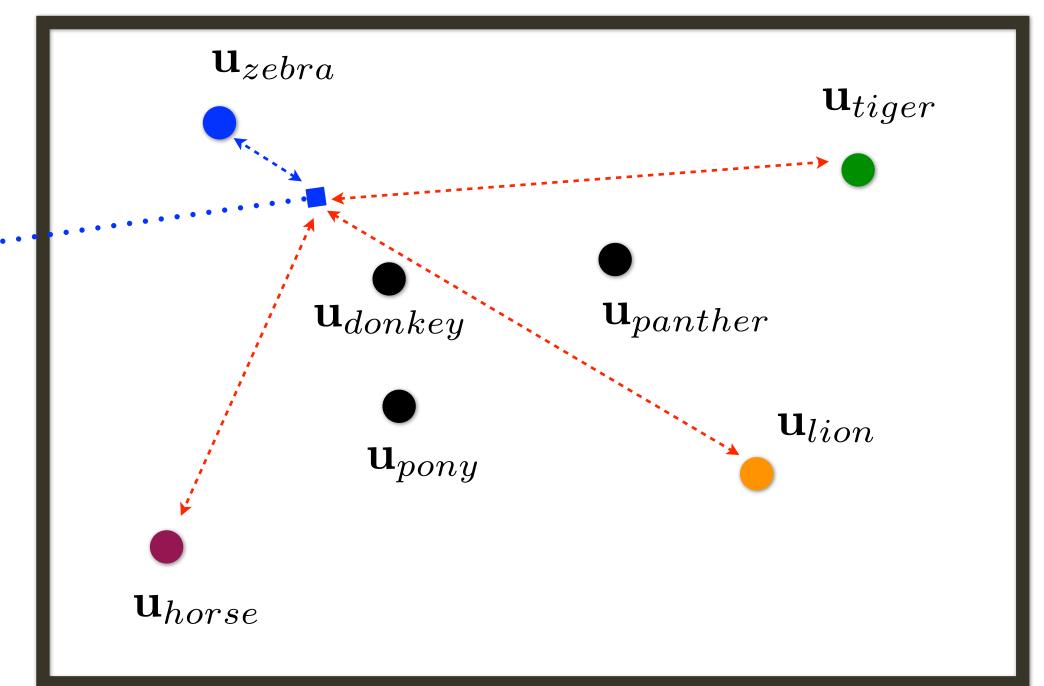
Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

$$\min_{\mathbf{W}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mathcal{L}_{R}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mu ||V||_{F}^{2}$$

$$\mathcal{L}_C(\mathbf{W}, \mathbf{U}, \mathbf{x}_i, y_i) = \sum [1 + D(\mathbf{W}\mathbf{x}_i, \mathbf{u}_{y_i}) - D(\mathbf{W}\mathbf{x}_i, \mathbf{u}_c)]$$

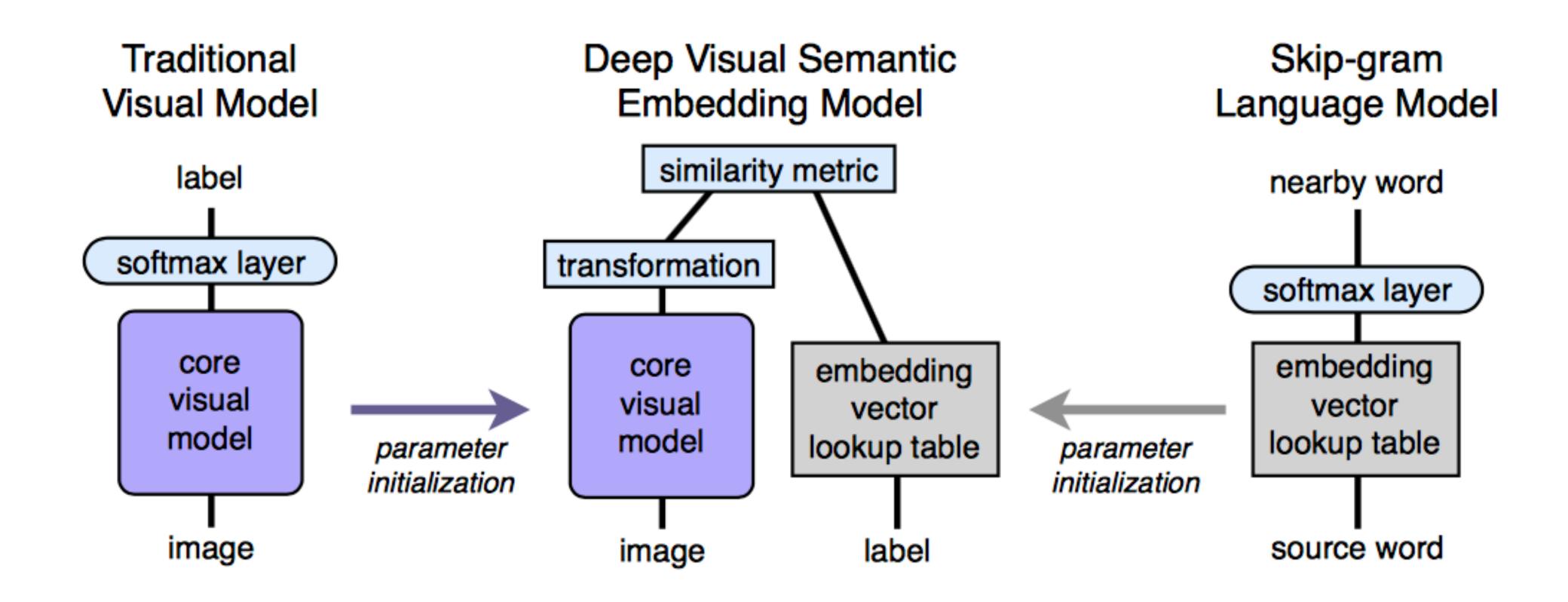


Intuition



DeViSE: A Deep Visual-Semantic Embedding Model

[Frome et al., 2013]



$$loss(image, label) = \sum_{j \neq label} \max[0, margin - \vec{t}_{label} M \vec{v}(image) + \vec{t}_{j} M \vec{v}(image)]$$

DeViSE: A Deep Visual-Semantic Embedding Model

[Frome et al., 2013]

Supervised Results

		Flat hit@k (%)			Hierarchical precision@k				
Model type	dim	1	2	5	10	2	5	10	20
Softmax baseline	N/A	55.6	67.4	78.5	85.0	0.452	0.342	0.313	0.319
DeViSE	500	53.2	65.2	76.7	83.3	0.447	0.352	0.331	0.341
	1000	54.9	66.9	78.4	85.0	0.454	0.351	0.325	0.331
Random embeddings	500	52.4	63.9	74.8	80.6	0.428	0.315	0.271	0.248
	1000	50.5	62.2	74.2	81.5	0.418	0.318	0.290	0.292
Chance	N/A	0.1	0.2	0.5	1.0	0.007	0.013	0.022	0.042

Zero-shot Results

Model	200 labels	1000 labels
DeViSE	31.8%	9.0%
Mensink et al. 2012 [12]	35.7%	1.9%
Rohrbach et al. 2011 [17]	34.8%	_

Semi-supervised Vocabulary Informed Learning

[Fu et al., 2016]

Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding •••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

L = 310,000



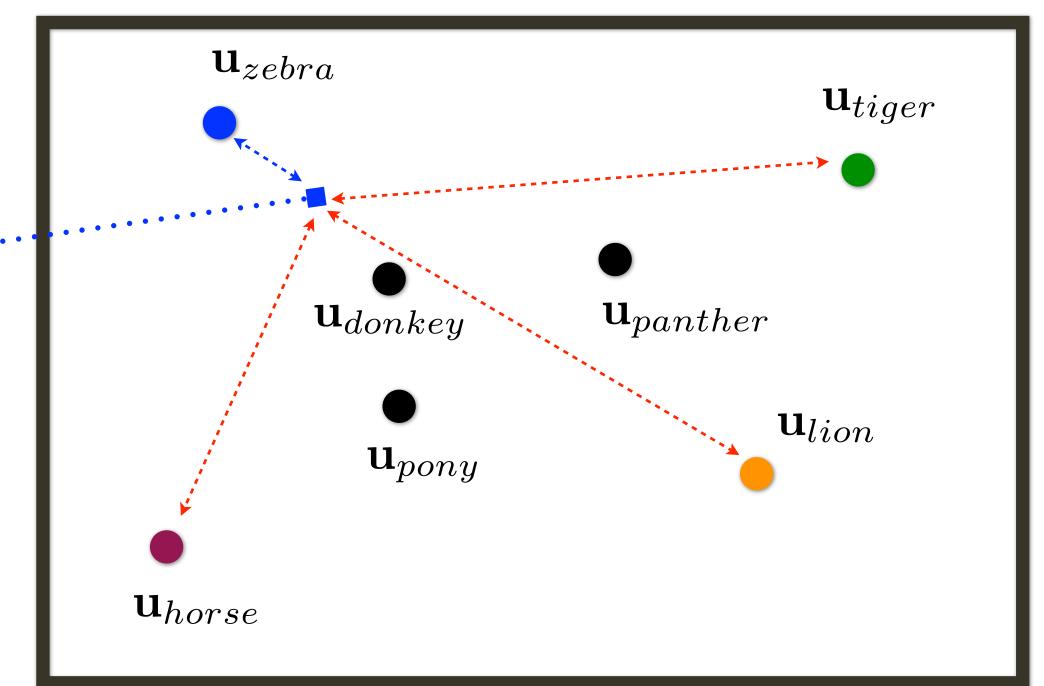
Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

$$\min_{\mathbf{W}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mathcal{L}_{R}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mu ||V||_{F}^{2}$$

$$\mathcal{L}_C(\mathbf{W}, \mathbf{U}, \mathbf{x}_i, y_i) = \sum [1 + D(\mathbf{W}\mathbf{x}_i, \mathbf{u}_{y_i}) - D(\mathbf{W}\mathbf{x}_i, \mathbf{u}_c)]$$



Semi-supervised Vocabulary Informed Learning

[Fu et al., 2016]

Image Embedding



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta}) \colon \mathbb{R}^D \to \mathbb{R}^d$$

Label Embedding •••••

$$\Psi_L(word_i) = \mathbf{u}_i : \{1, ..., L\} \to \mathbb{R}^d$$

L = 310,000



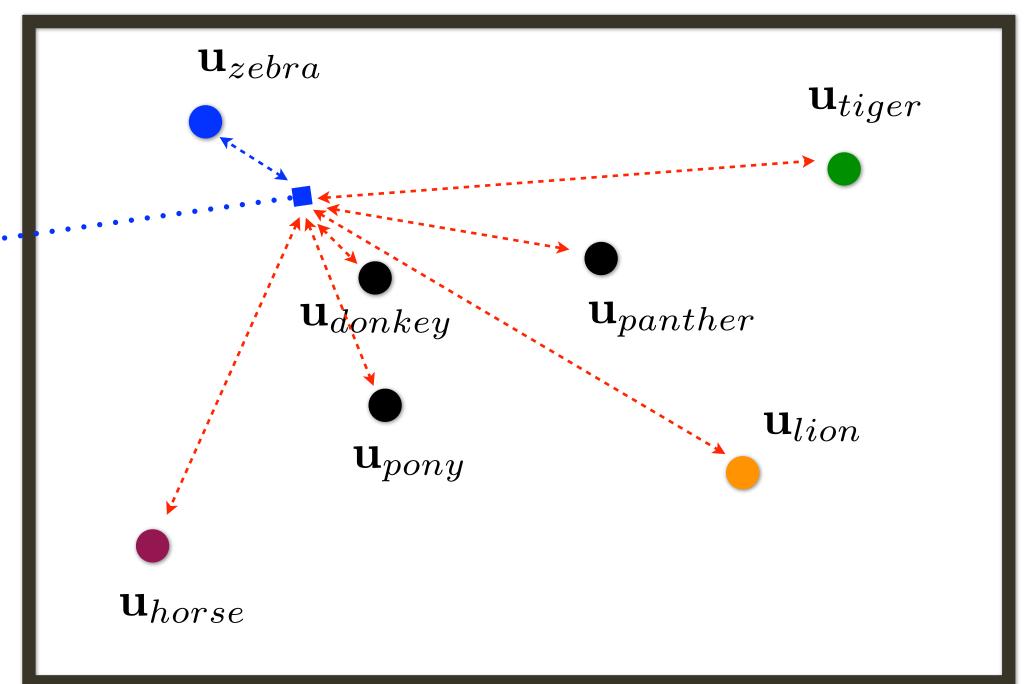
Similarity in Embedding Space

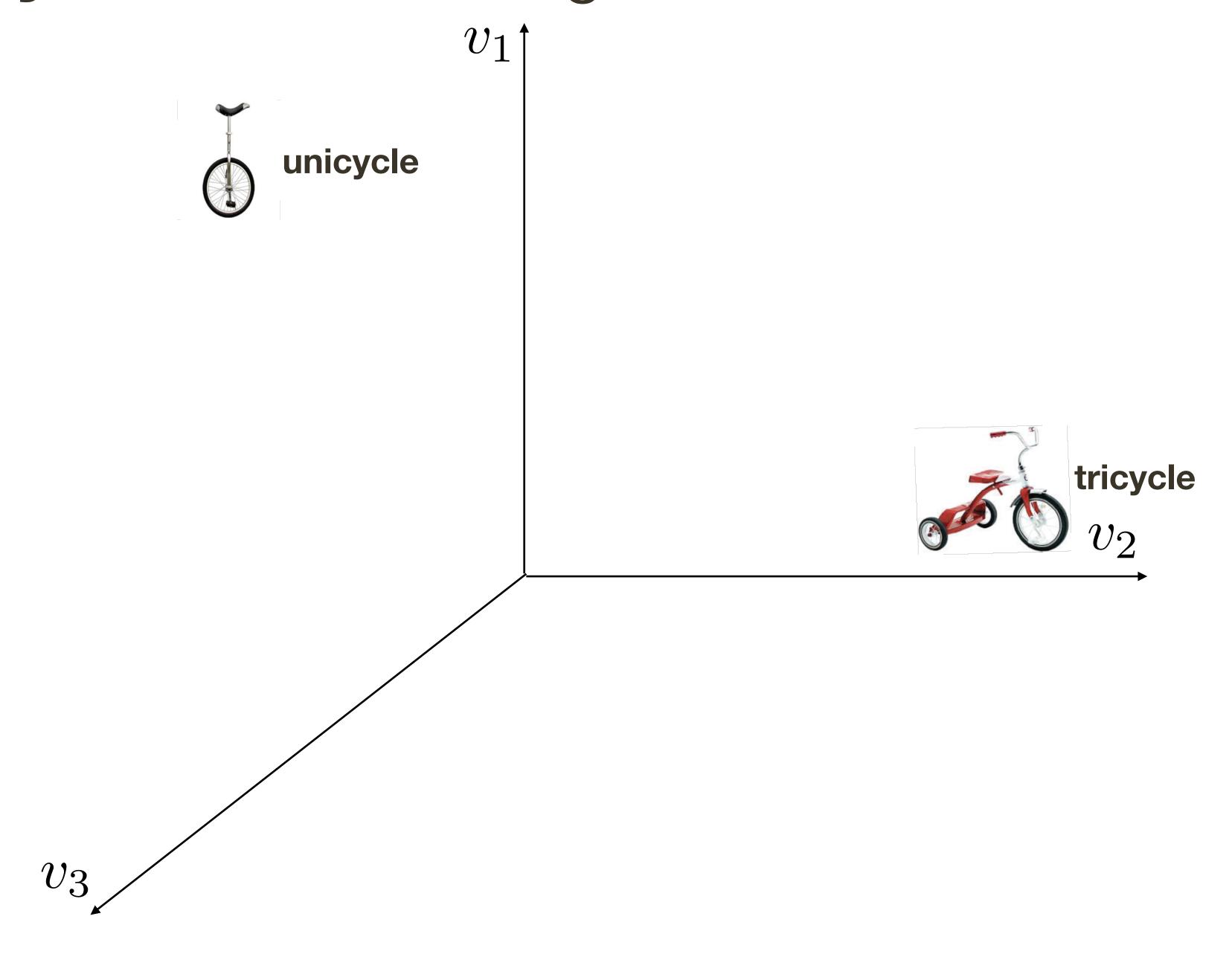
$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

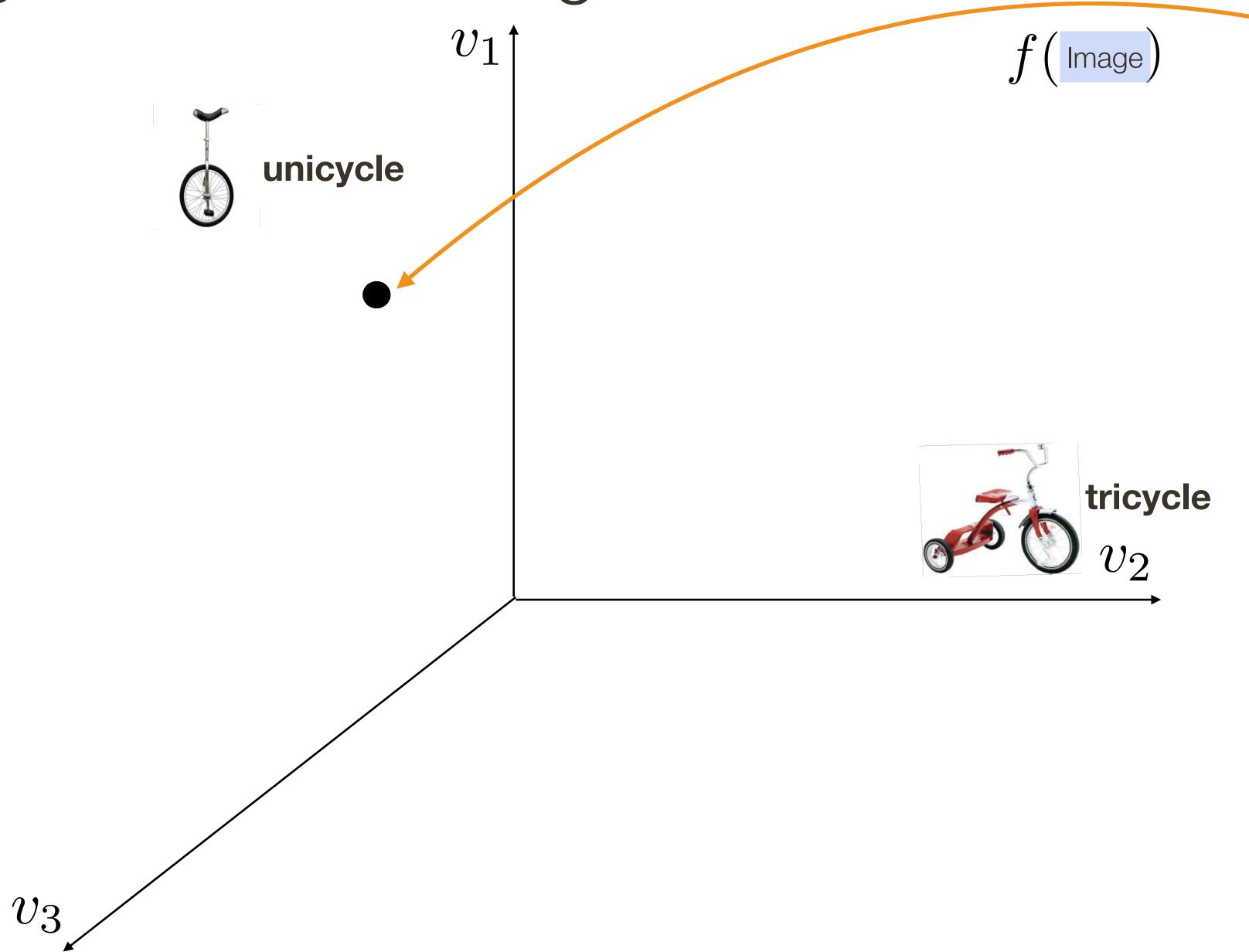
Objective Function:

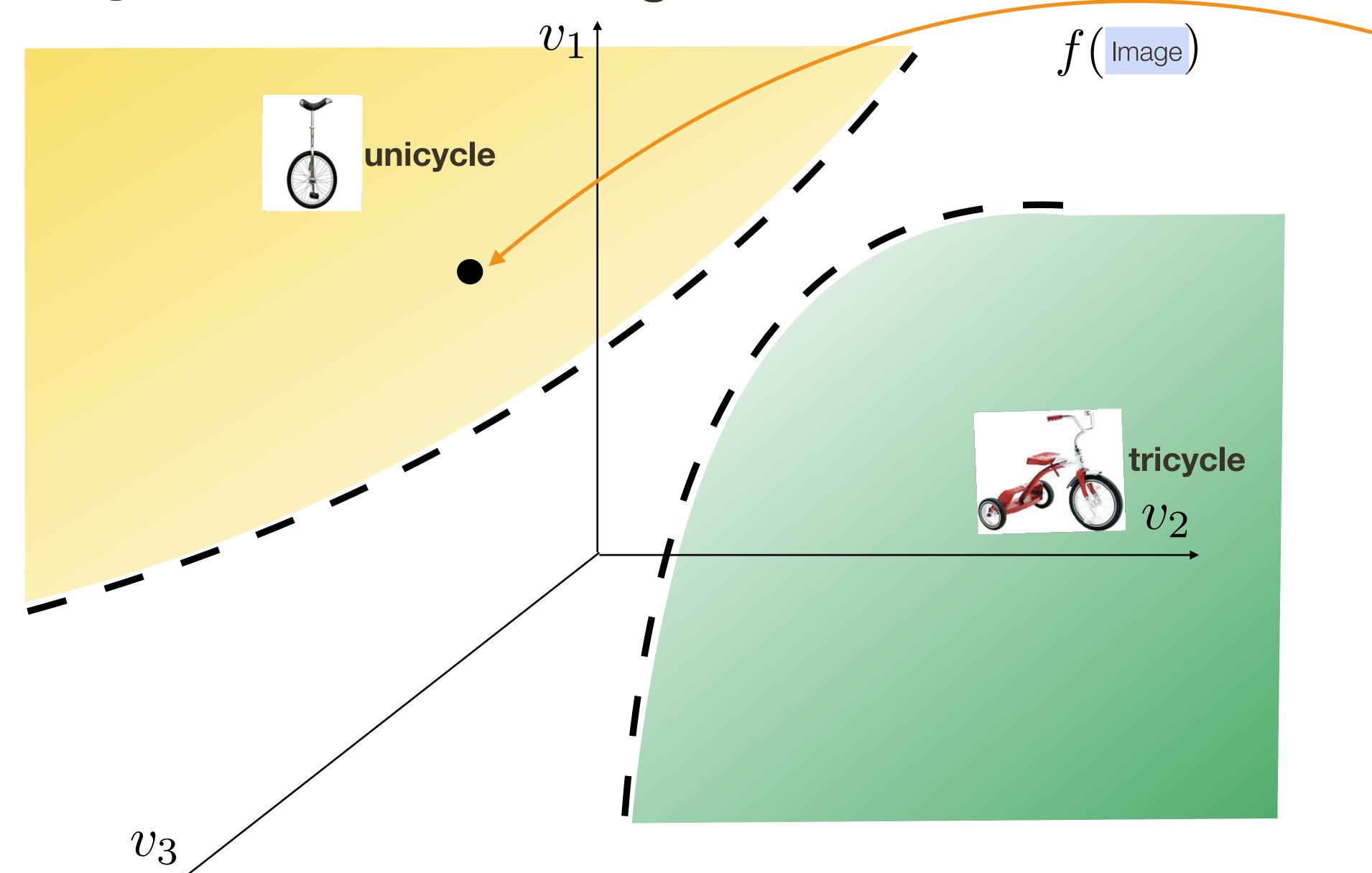
$$\min_{\mathbf{W}} \sum_{i}^{N} \mathcal{L}_{C}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mathcal{L}_{R}(\mathbf{W}, \mathbf{V}, I_{i}, y_{i}) + \mu ||V||_{F}^{2}$$

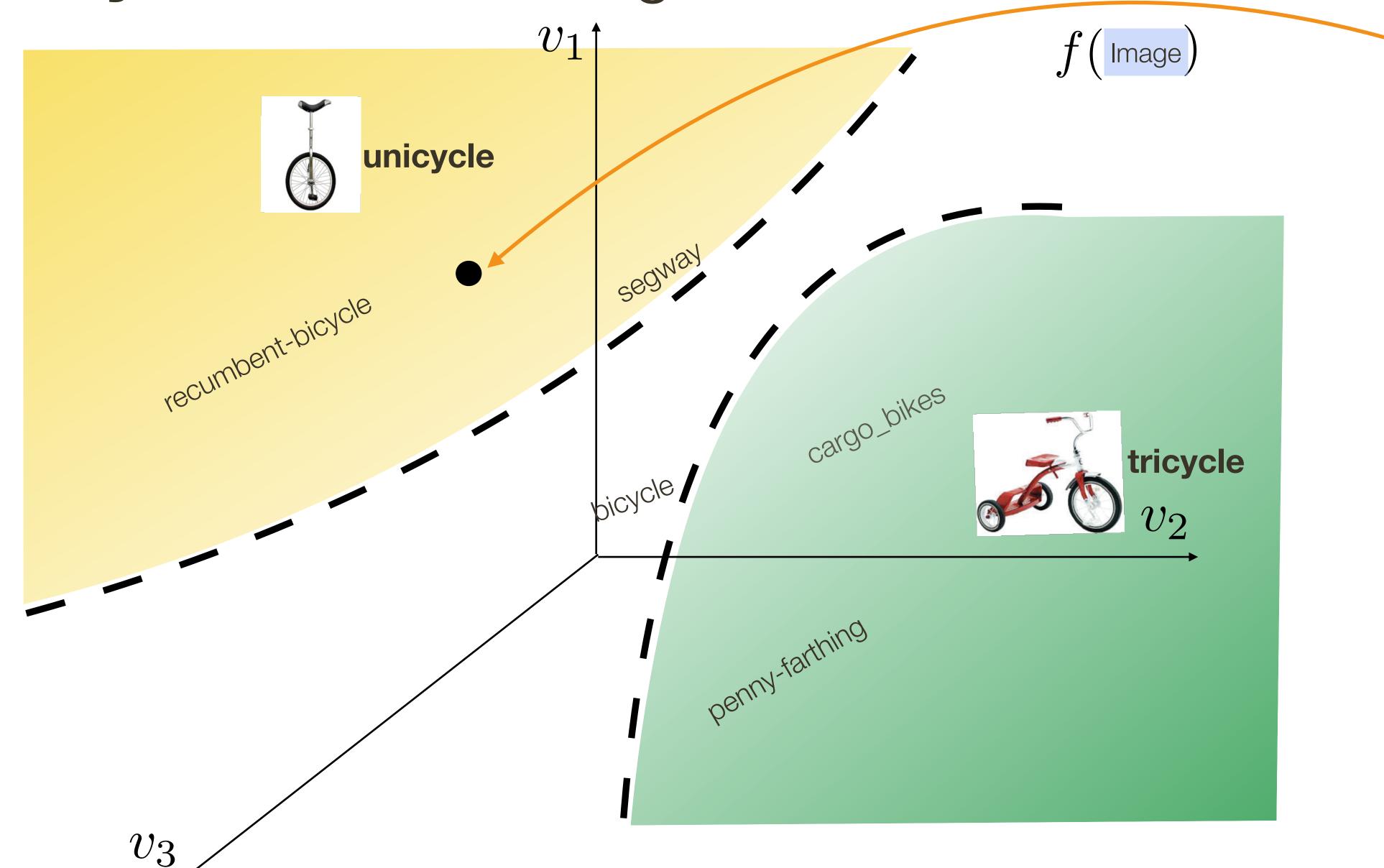
$$\mathcal{L}_C(\mathbf{W}, \mathbf{U}, \mathbf{x}_i, y_i) = \sum [1 + D(\mathbf{W}\mathbf{x}_i, \mathbf{u}_{y_i}) - D(\mathbf{W}\mathbf{x}_i, \mathbf{u}_c)]$$

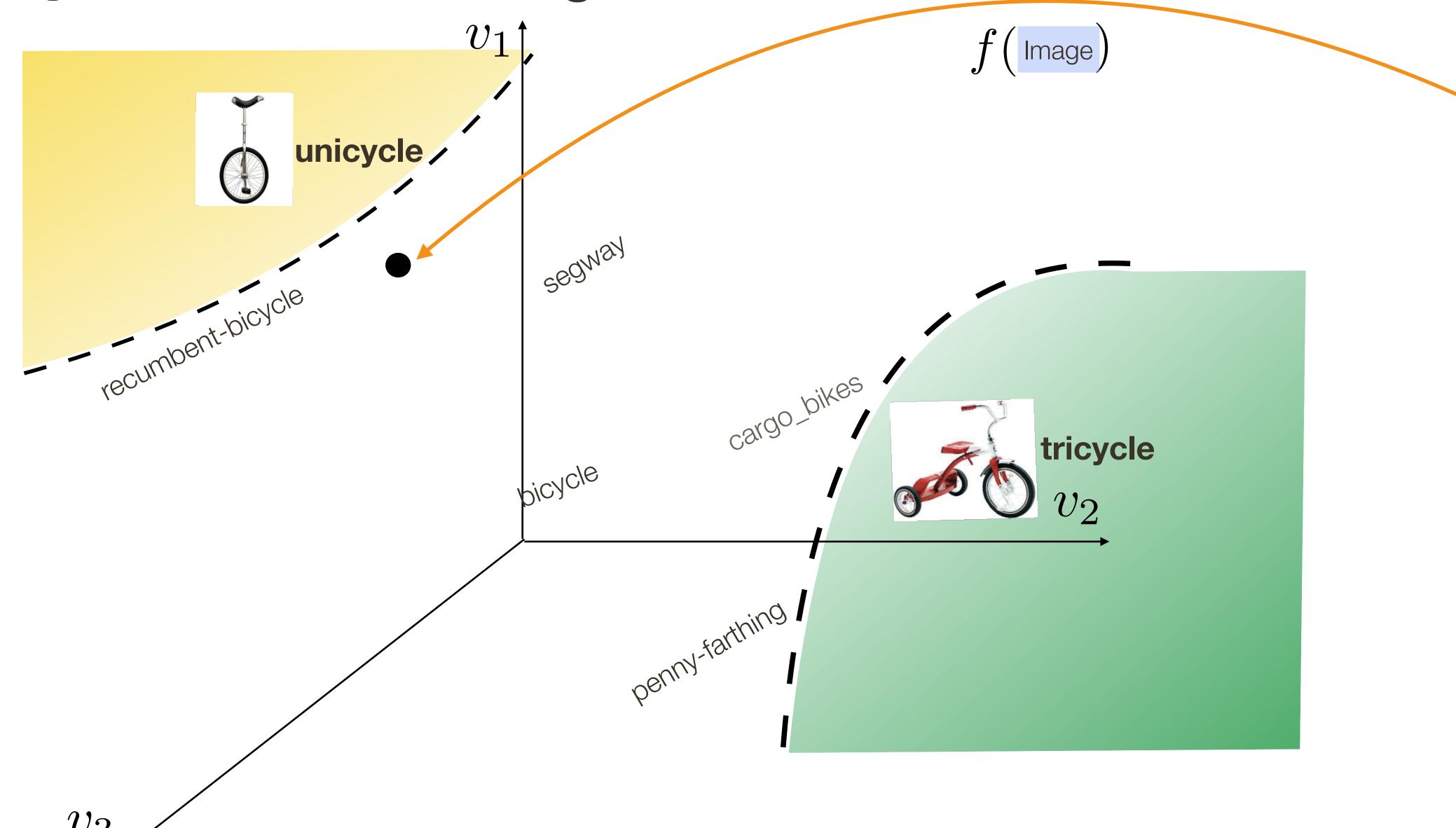












Zero-shot Results

Results with AWA

Method	Features	Accuracy	
SS-Voc: full instances	CNN _{OverFeat}	78.3	+4.4
Akata et al. CVPR 2015	CNNGoogLeNet	73.9	
TMV-BLP (Fu et al. ECCV 2014)	CNN _{OverFeat}	69.9	
AMP (SR+SE) (Fu et al. CVPR 2015)	CNN _{OverFeat}	66.0	
DAP (Lampert et al. TPAMI 2013)	CNN _{VGG19}	57.5	
PST (Rohrbach et al. NIPS 2013)	CNN _{OverFeat}	53.2	
DS (Rohrbach et al. CVPR 2010)	CNN _{OverFeat}	52.7	
IAP (Lampert et al. TPAMI 2013)	CNN _{OverFeat}	44.5	
HEX (Deng et al. ECCV 2014)	CNN _{DECAF}	44.2	

Zero-shot Results

Results with AWA

	Method	Features	Accuracy
	SS-Voc: full instances	CNN _{OverFeat}	78.3
3.3% of training data	800 instances (20 inst*40 class);	CNN _{OverFeat}	74.4
training date			
	Akata et al. CVPR 2015	CNNGoogLeNet	73.9
	TMV-BLP (Fu et al. ECCV 2014)	CNN _{OverFeat}	69.9
	AMP (SR+SE) (Fu et al. CVPR 2015)	CNNOverFeat	66.0
	DAP (Lampert et al. TPAMI 2013)	CNN _{VGG19}	57.5
	PST (Rohrbach et al. NIPS 2013)	CNNOverFeat	53.2
	DS (Rohrbach et al. CVPR 2010)	CNNOverFeat	52.7
	IAP (Lampert et al. TPAMI 2013)	CNNOverFeat	44.5
	HEX (Deng et al. ECCV 2014)	CNN _{DECAF}	44.2

Zero-shot Results

Results with AWA

0.82% of training data

Method	Features	Accuracy
SS-Voc: full instances	CNNoverFeat	78.3
800 instances (20 inst*40 class);	CNN _{OverFeat}	74.4
200 instances (5 inst*40 class);	CNN _{OverFeat}	68.9
Akata et al. CVPR 2015	CNNGoogLeNet	73.9
TMV-BLP (Fu et al. ECCV 2014)	CNN _{OverFeat}	69.9
AMP (SR+SE) (Fu et al. CVPR 2015)	CNN _{OverFeat}	66.0
DAP (Lampert et al. TPAMI 2013)	CNN _{VGG19}	57.5
PST (Rohrbach et al. NIPS 2013)	CNNoverFeat	53.2
DS (Rohrbach et al. CVPR 2010)	CNNoverFeat	52.7
IAP (Lampert et al. TPAMI 2013)	CNNoverFeat	44.5
HEX (Deng et al. ECCV 2014)	CNN _{DECAF}	44.2

[Xiao et al., 2017]



The man at bat readies to swing at the pitch while the umpire looks on.



A large bus sitting next to a very tall building.

[Xiao et al., 2017]



The man at bat readies to swing at the pitch while the umpire looks on.



A large bus sitting next to a very tall building.

a man



[Xiao et al., 2017]

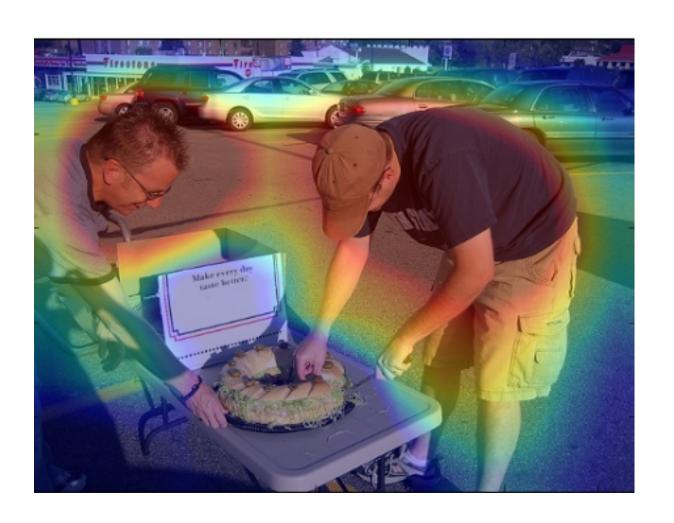


The man at bat readies to swing at the pitch while the umpire looks on.



A large bus sitting next to a very tall building.

a man



[Xiao et al., 2017]



The man at bat readies to swing at the pitch while the umpire looks on.



A large bus sitting next to a very tall building.

a table

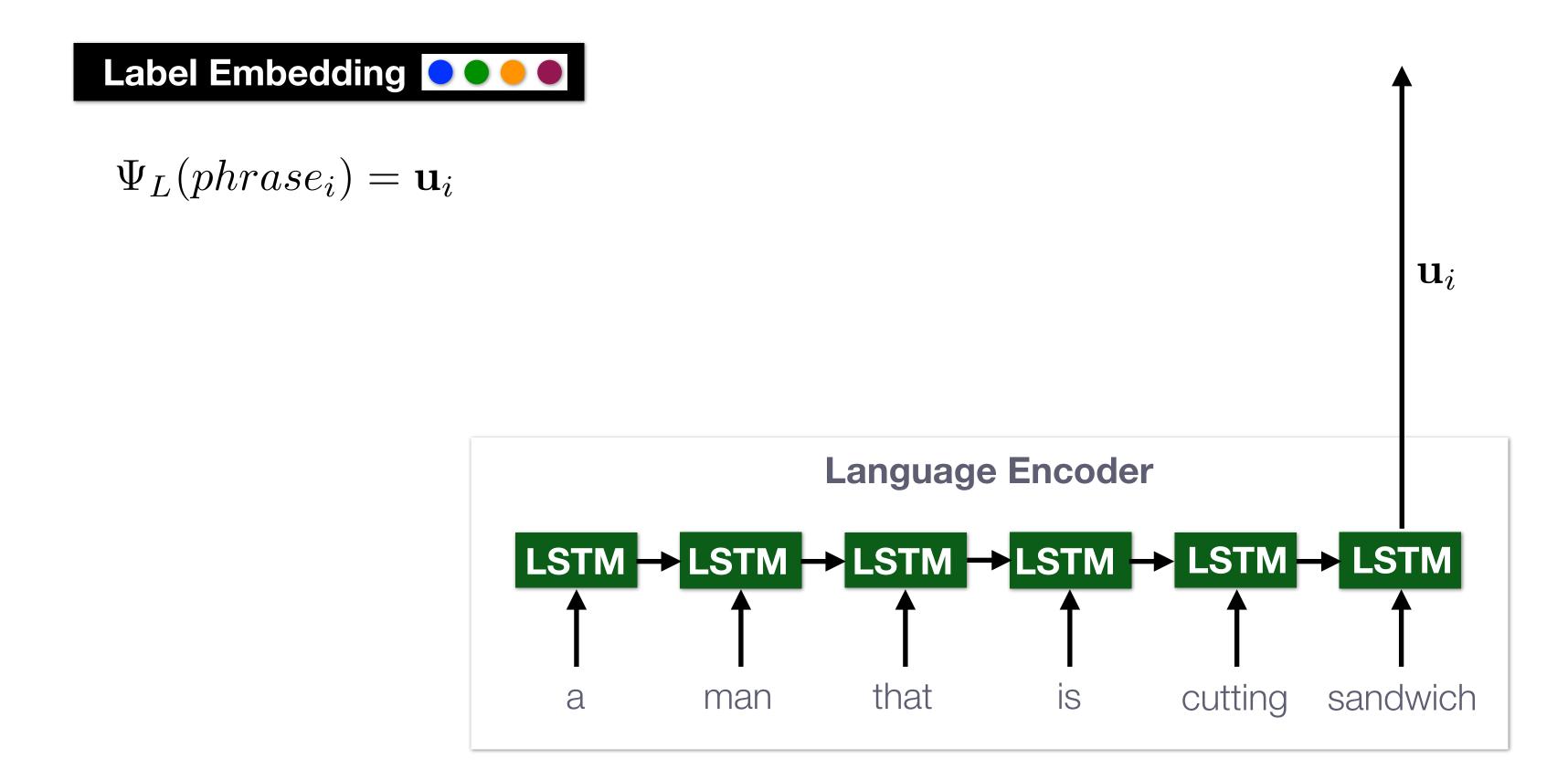


[Xiao et al., 2017]

Label Embedding ••••

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

[Xiao et al., 2017]



Language Encoder

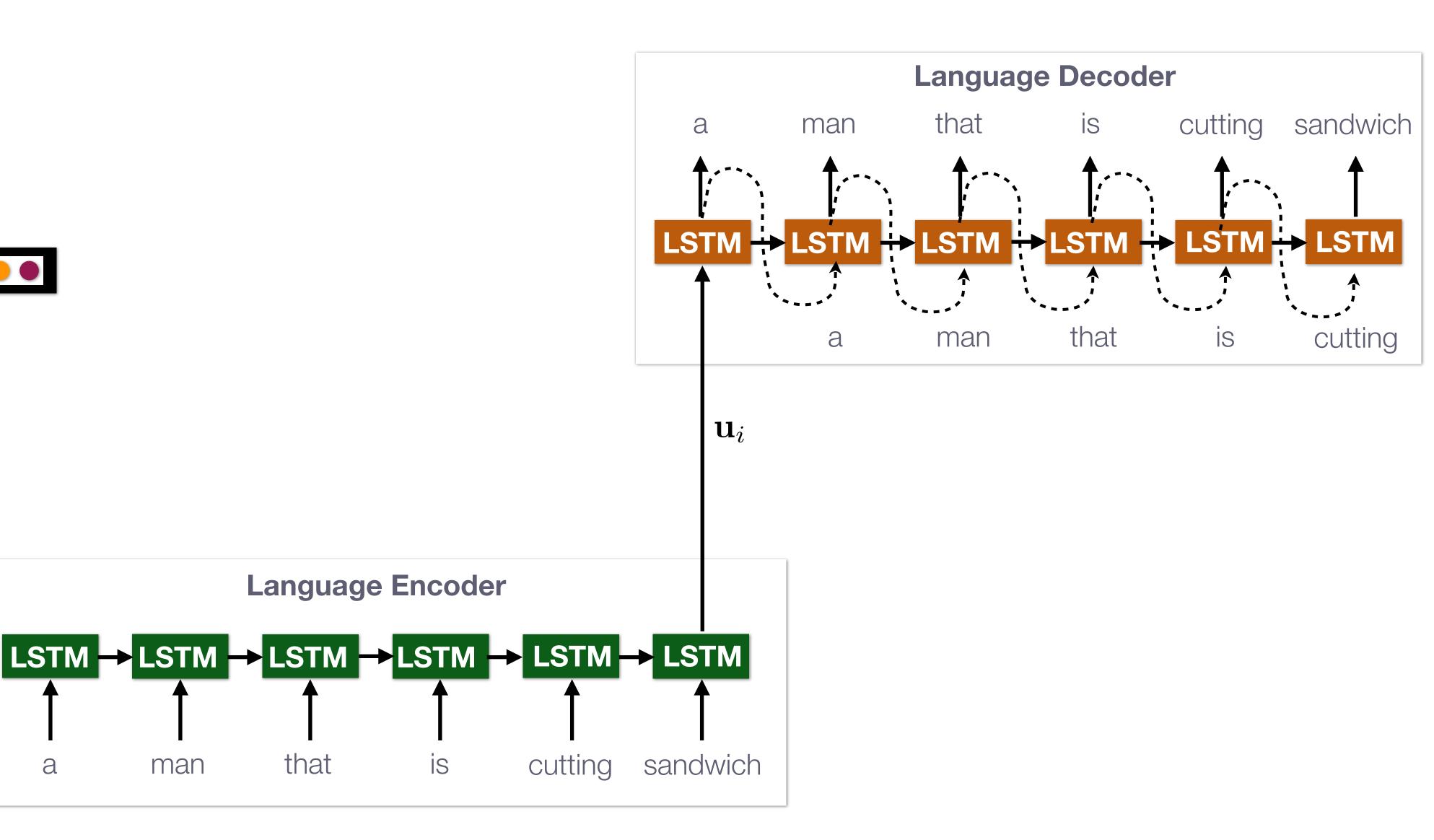
that

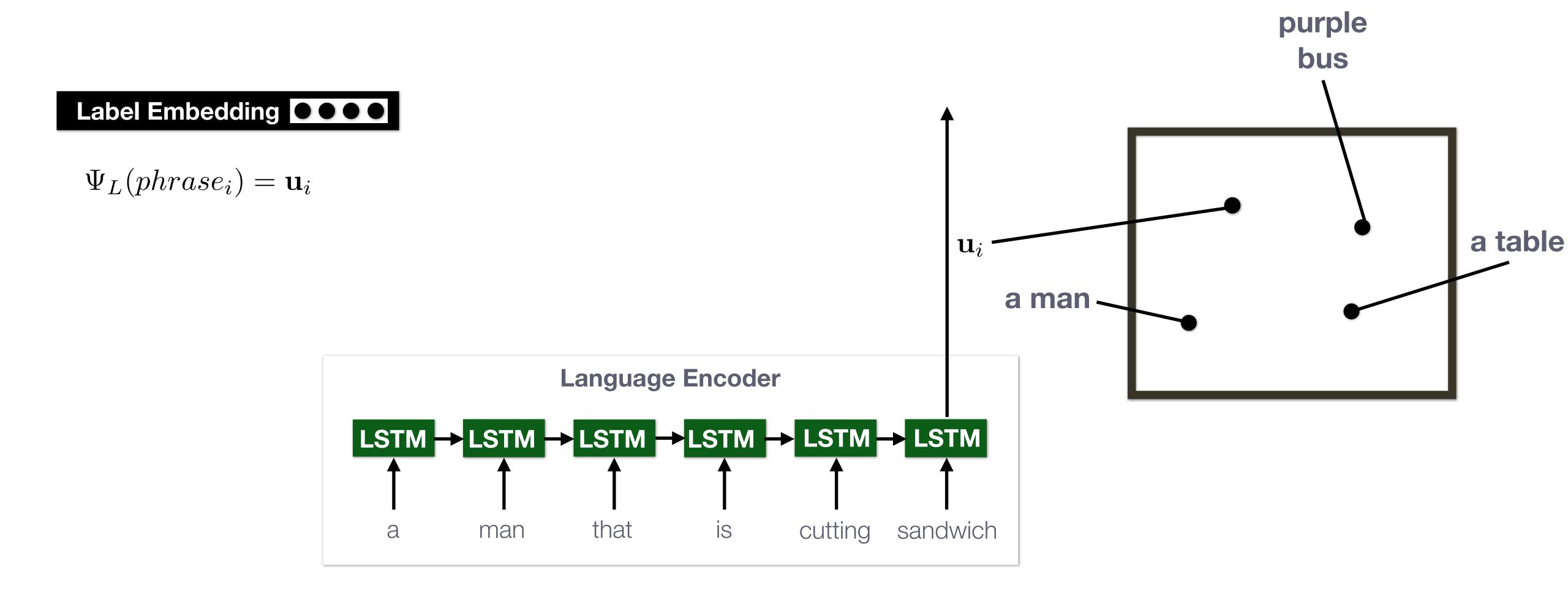
man

[Xiao et al., 2017]



 $\Psi_L(phrase_i) = \mathbf{u}_i$

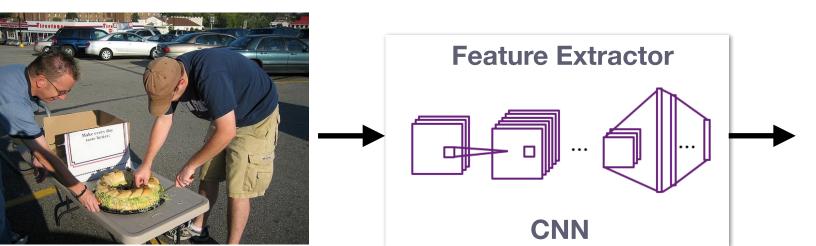




[Xiao et al., 2017]







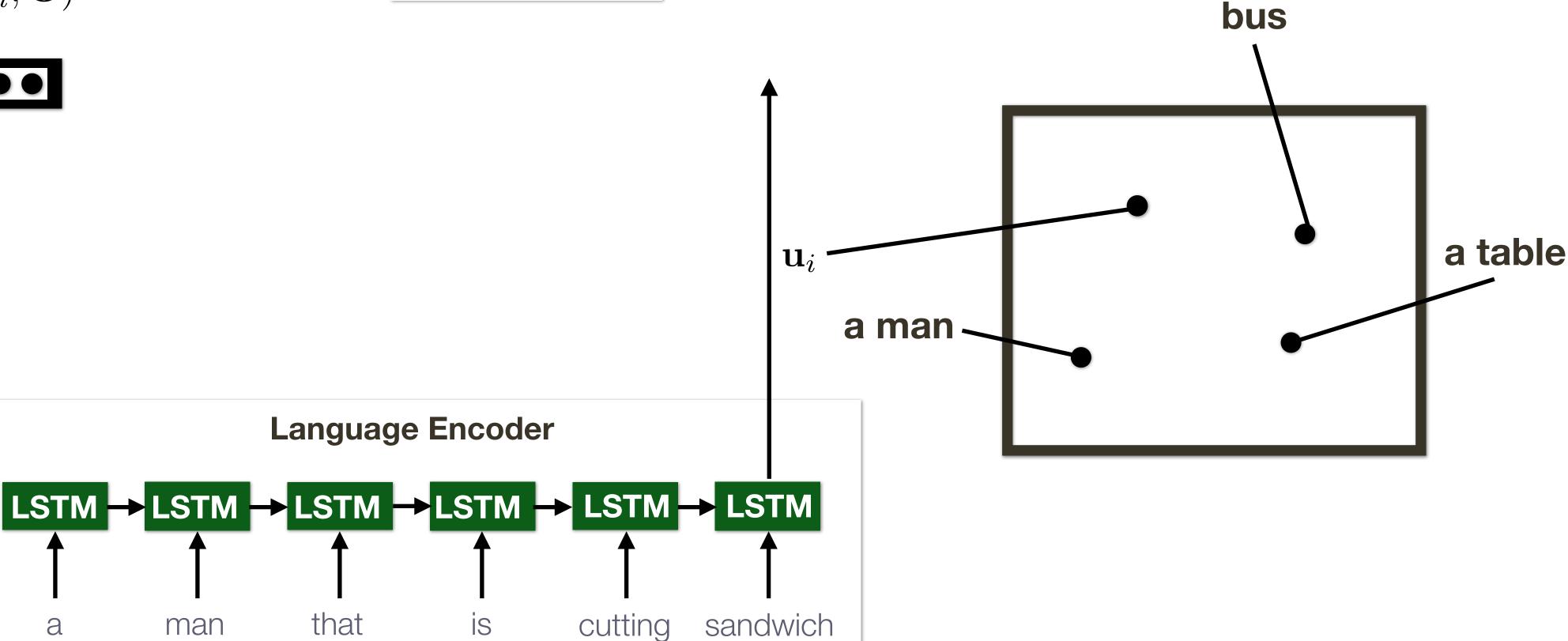
Language Encoder

that

man

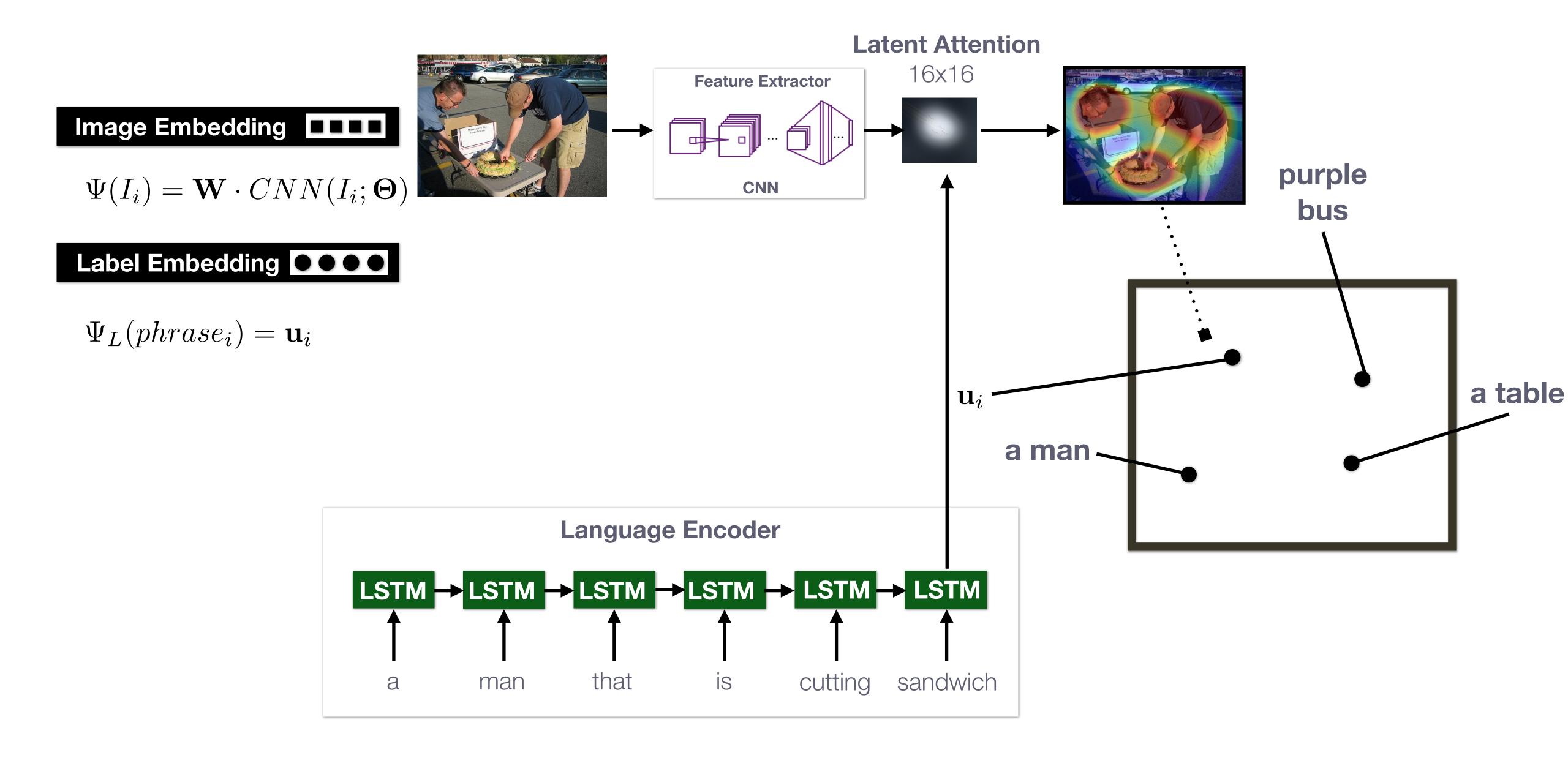
Label Embedding Output Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

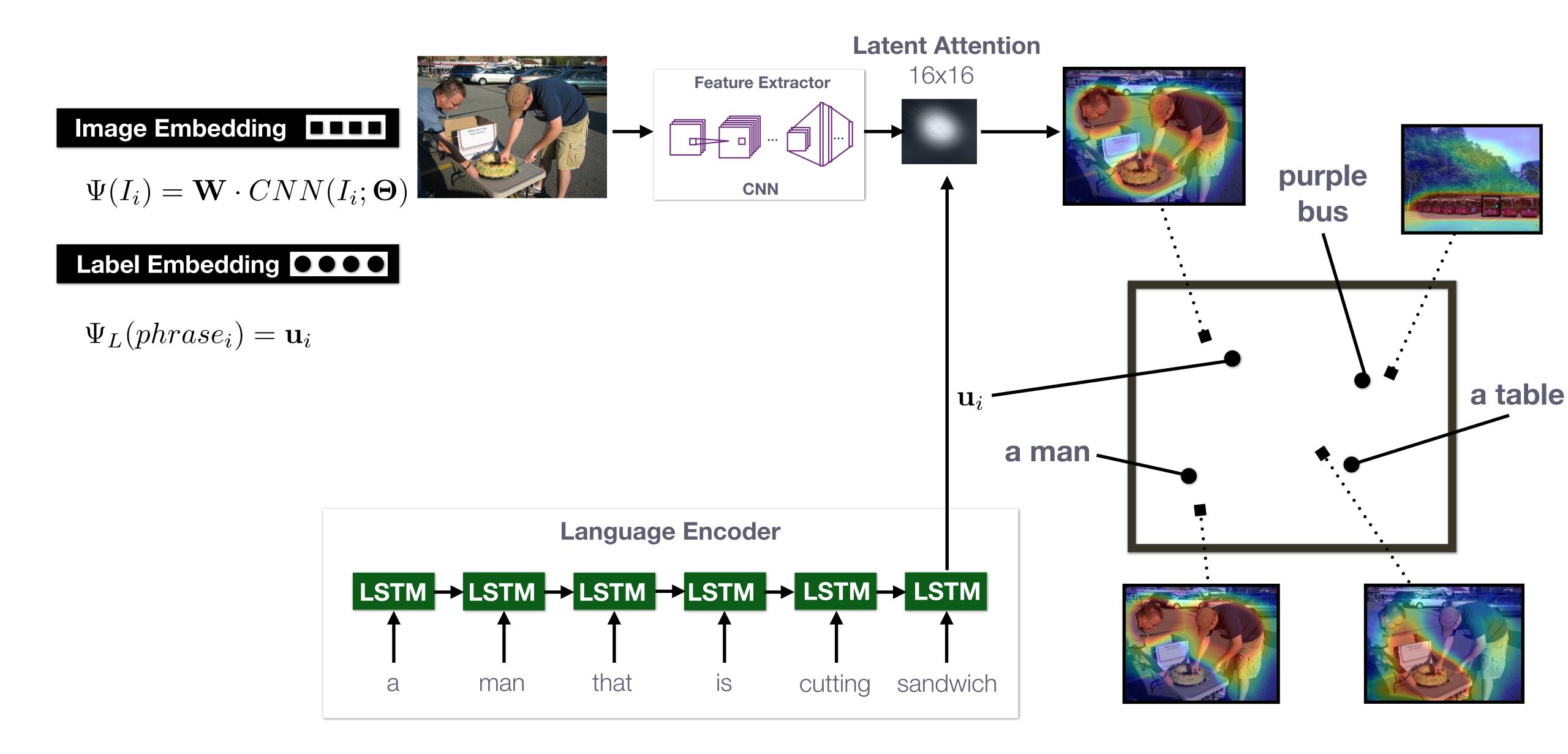


purple

[Xiao et al., 2017]



[Xiao et al., 2017]



[Xiao et al., 2017]

Image Embedding

$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta})$$

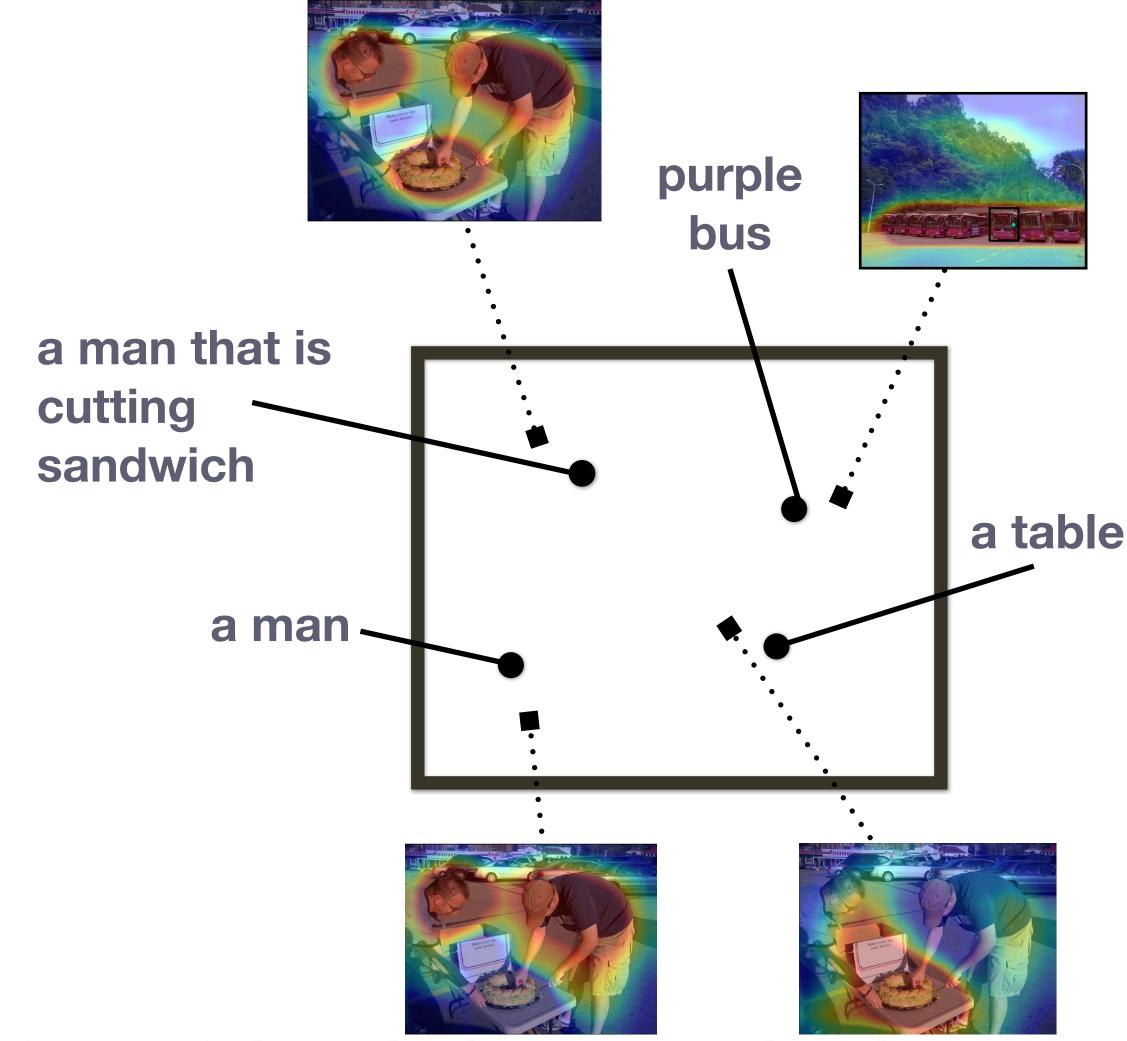
Label Embedding Output Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:



[Xiao et al., 2017]

Image Embedding



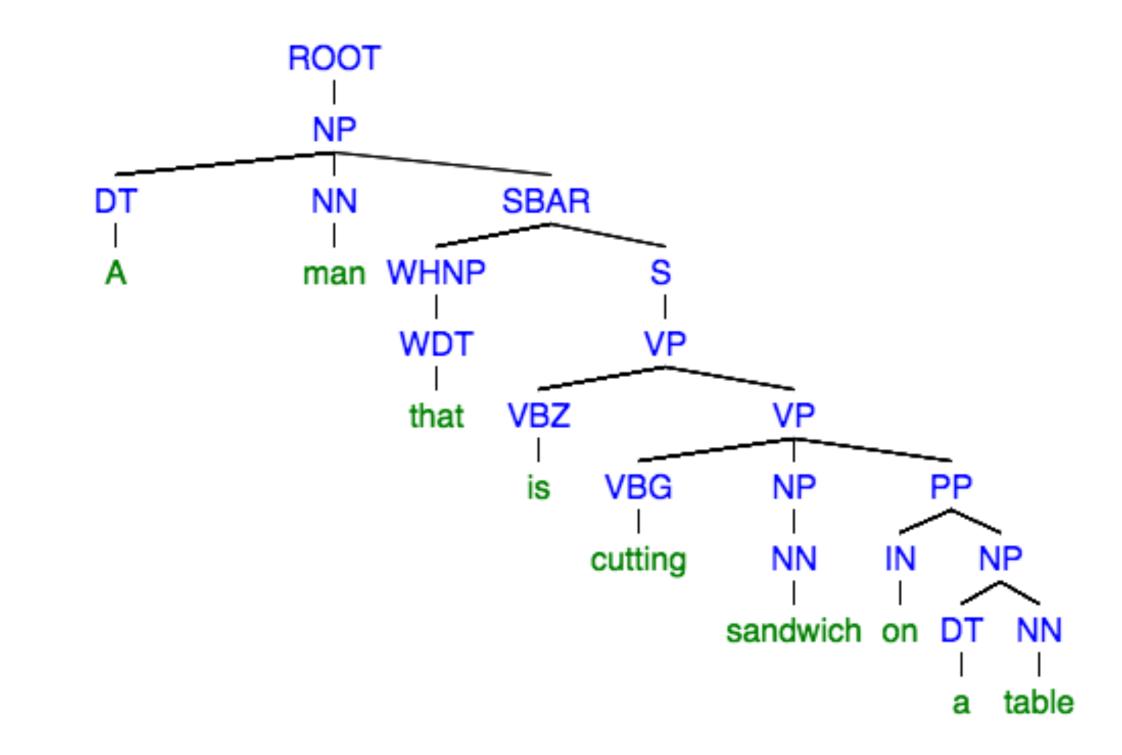
Label Embedding Output Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:



[Xiao et al., 2017]

For noun phrases:

siblings should have disjoint masks



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta})$$

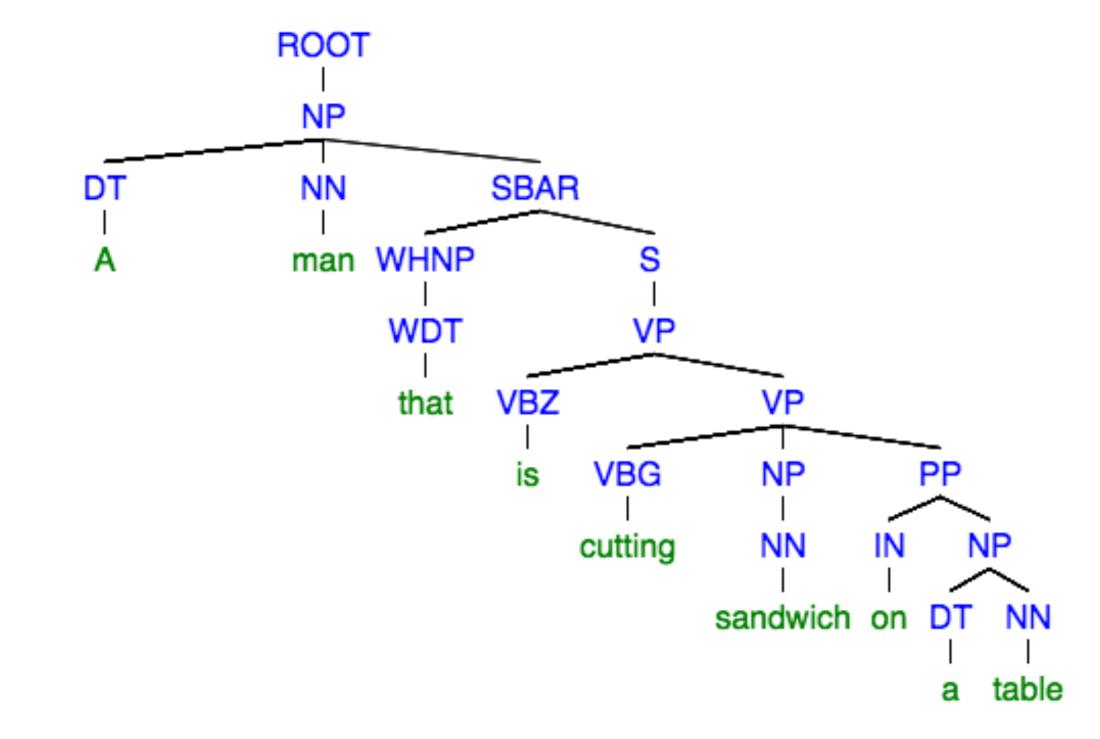
Label Embedding Output Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:



[Xiao et al., 2017]

For noun phrases:

siblings should have disjoint masks



$$\Psi(I_i) = \mathbf{W} \cdot CNN(I_i; \mathbf{\Theta})$$

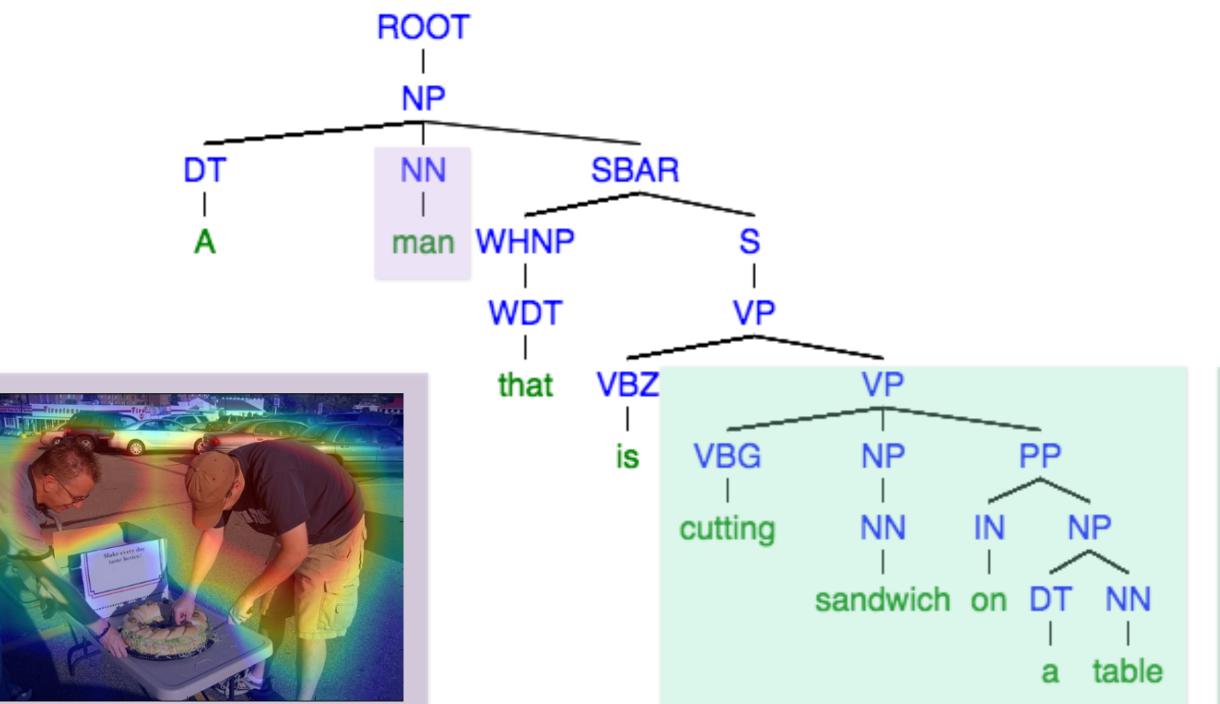
Label Embedding Output Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:





[Xiao et al., 2017]

Image Embedding



Label Embedding Output Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

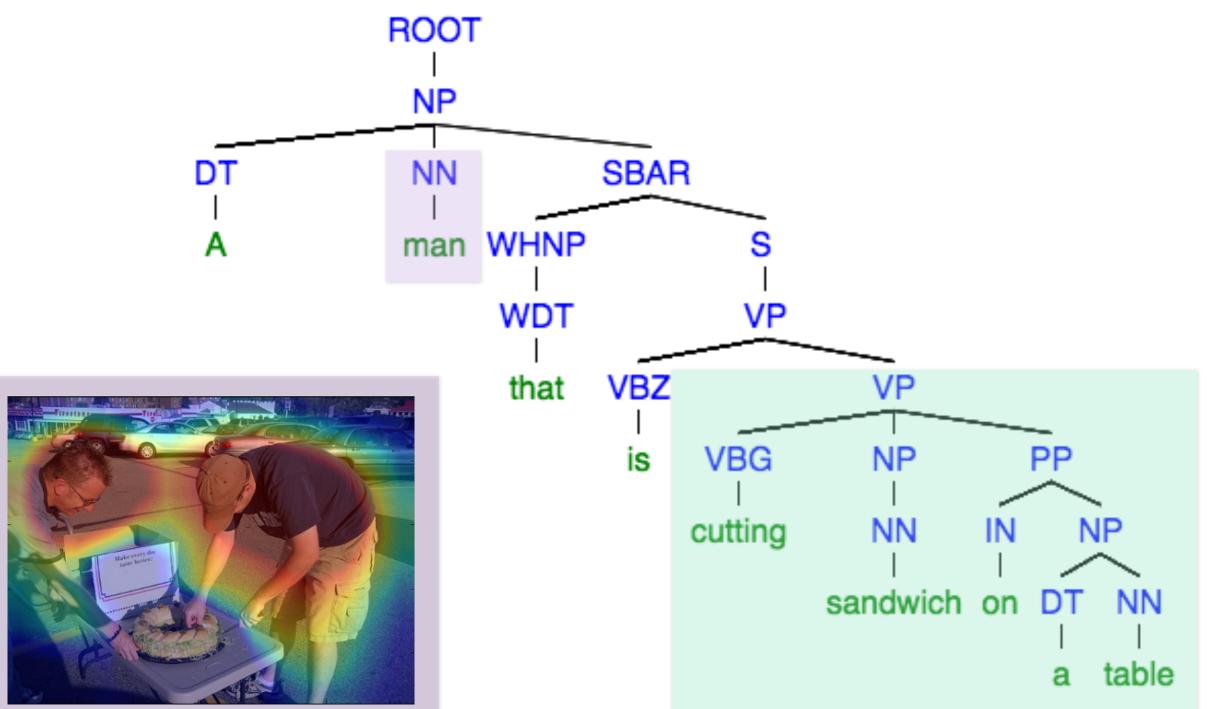
Similarity in Embedding Space

$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

For noun phrases:

- siblings should have disjoint masks
- parents should be union of children masks





[Xiao et al., 2017]

Image Embedding



Label Embedding

Output

Description:

$$\Psi_L(phrase_i) = \mathbf{u}_i$$

Similarity in Embedding Space

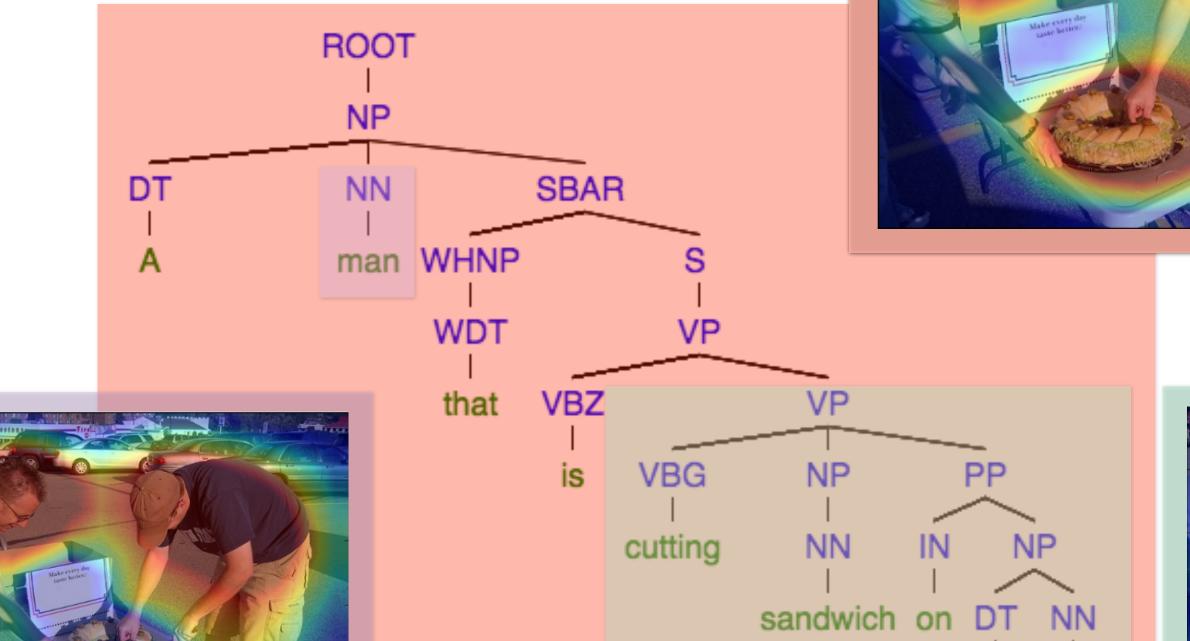
$$D(\mathbf{u}, \mathbf{u}') = ||\mathbf{u} - \mathbf{u}'||_2^2$$

Objective Function:

For noun phrases:

siblings should have disjoin

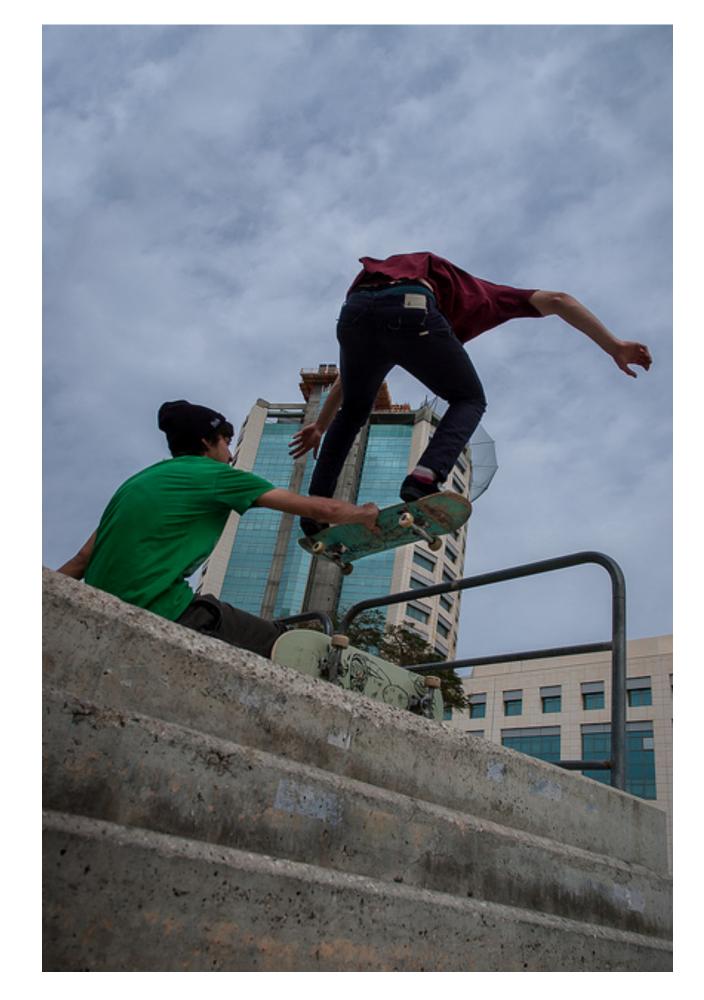
parents should be union of





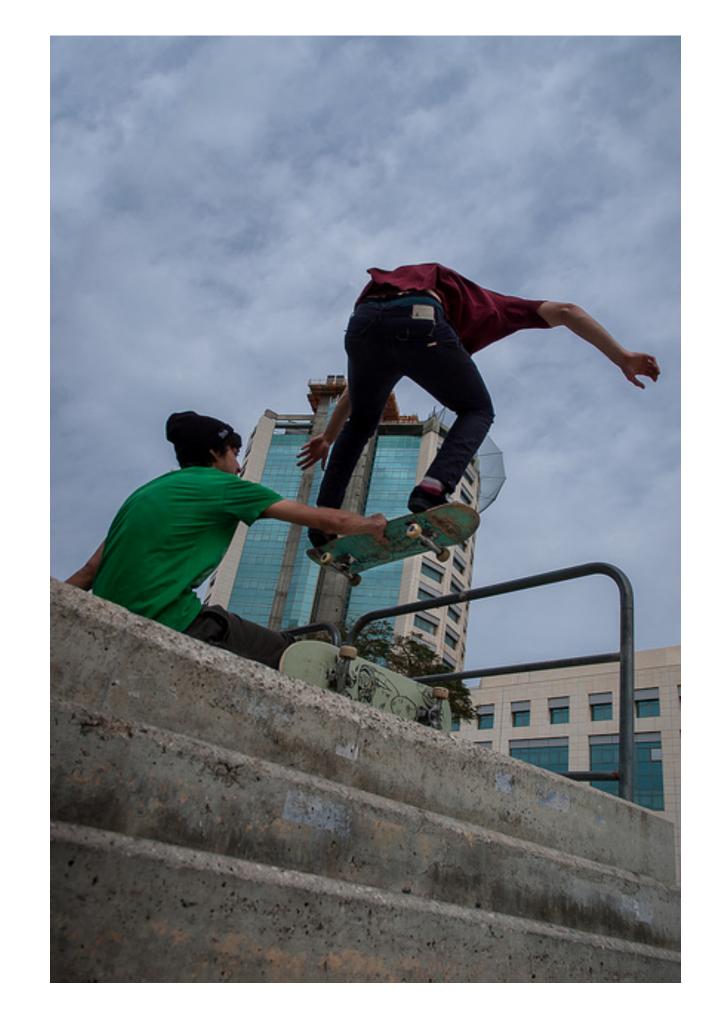
a table

Input:



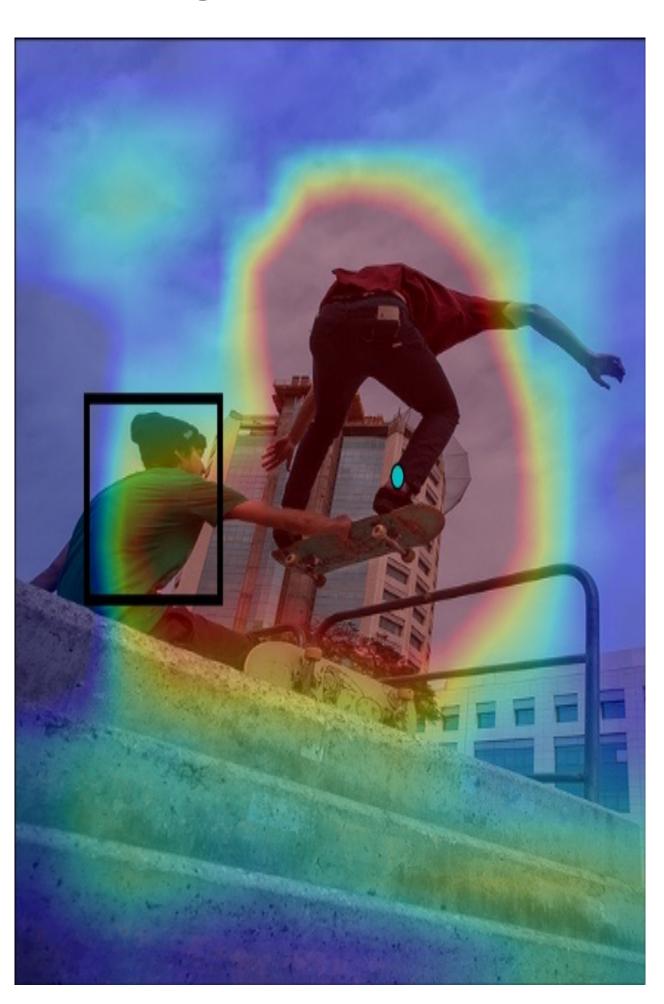
guy in green t-shirt holding skateboard

Input:

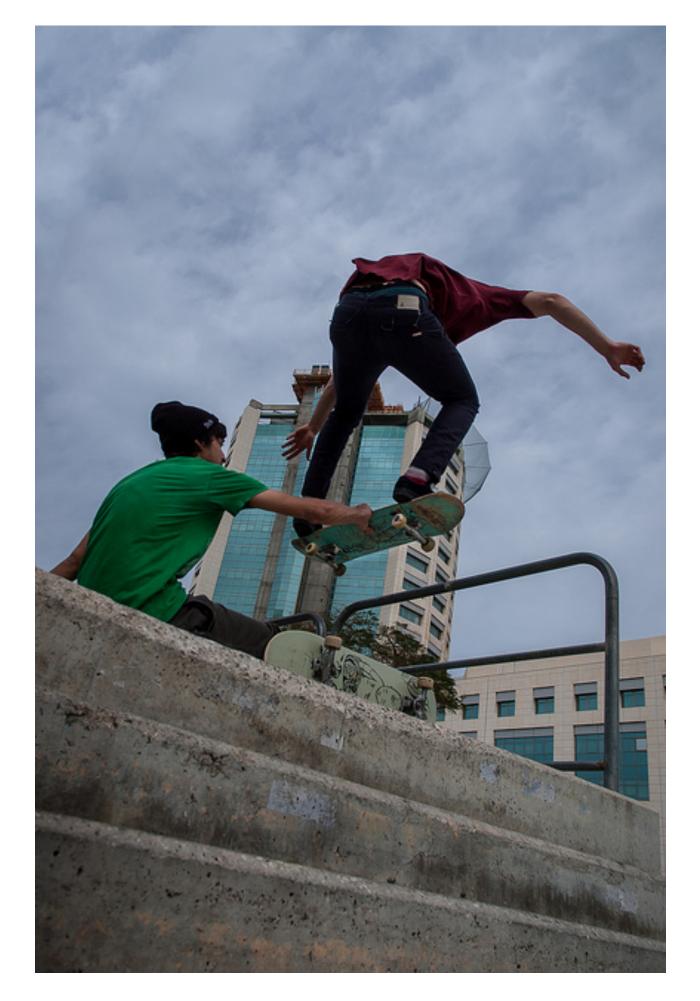


guy in green t-shirt holding skateboard

NO linguistic constraints

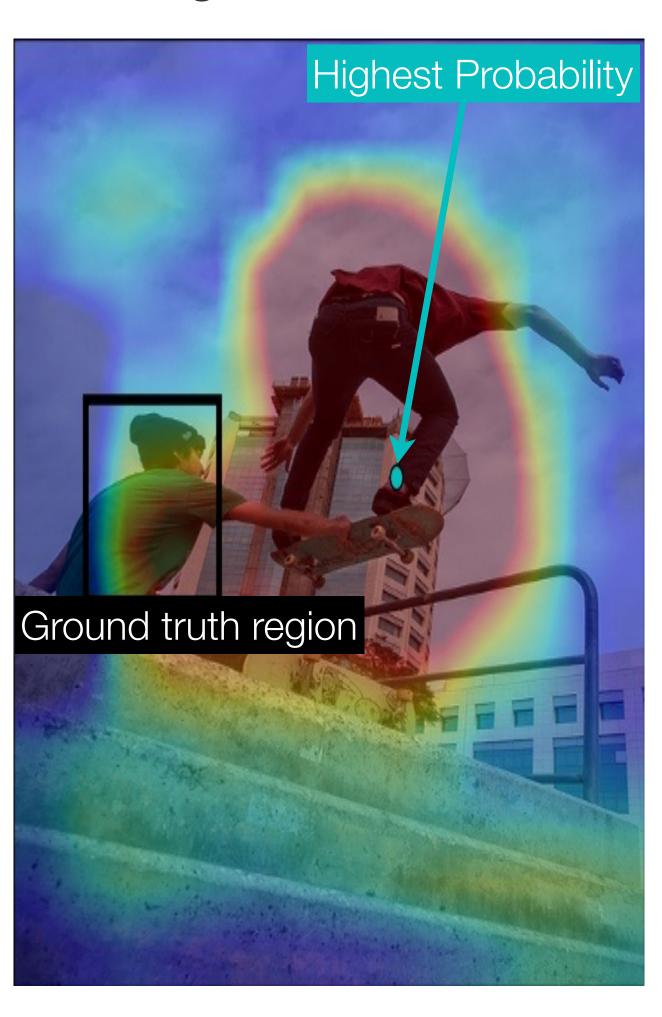


Input:

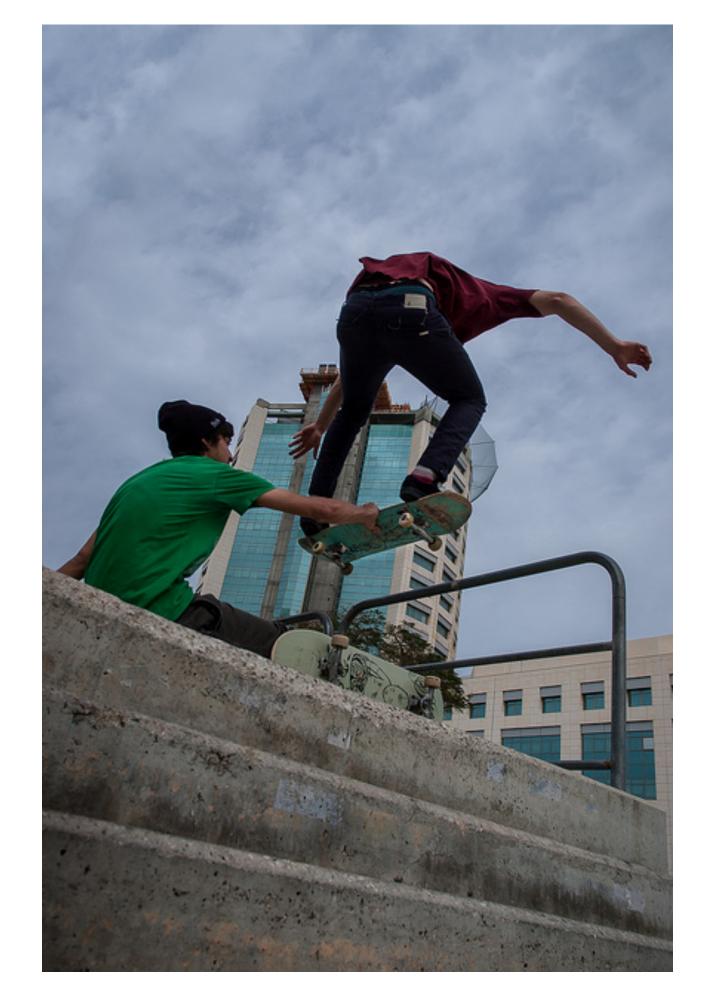


guy in green t-shirt holding skateboard

NO linguistic constraints

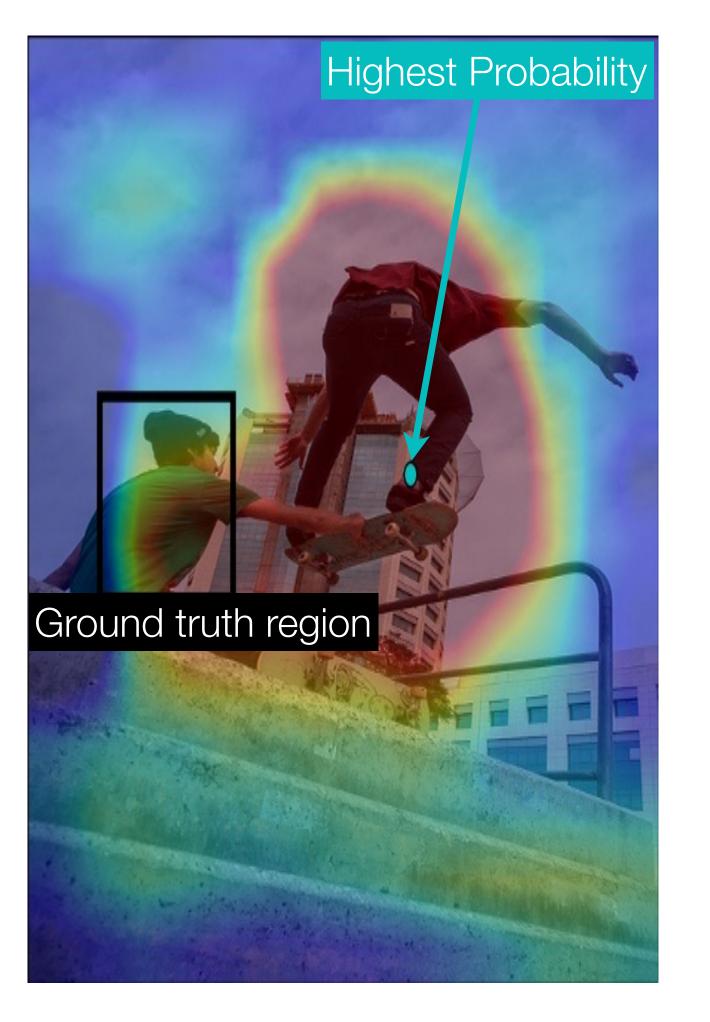


Input:

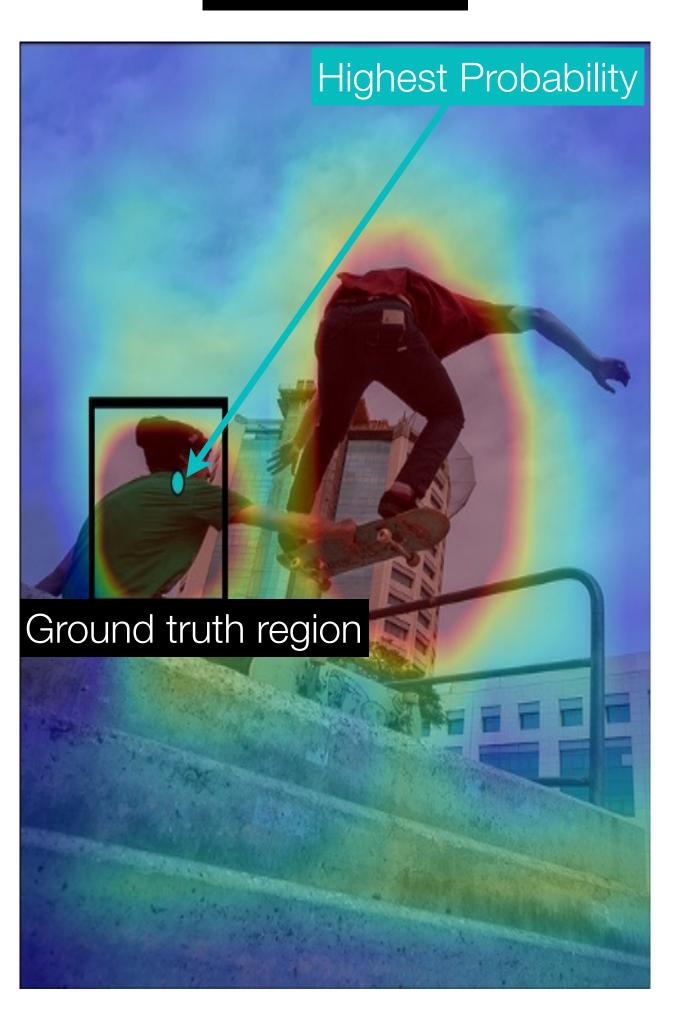


guy in green t-shirt holding skateboard

NO linguistic constraints



Our Model



[Xiao et al., 2017]

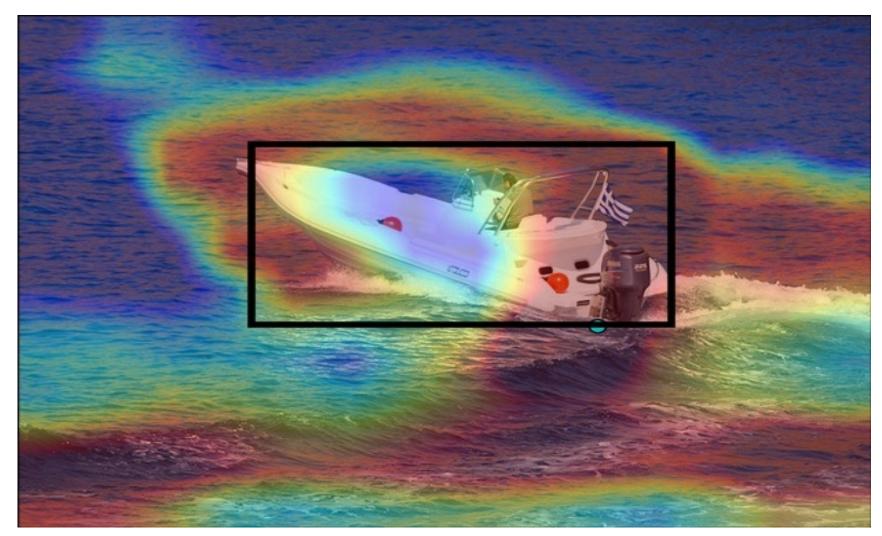
NO linguistic constraints

Input:

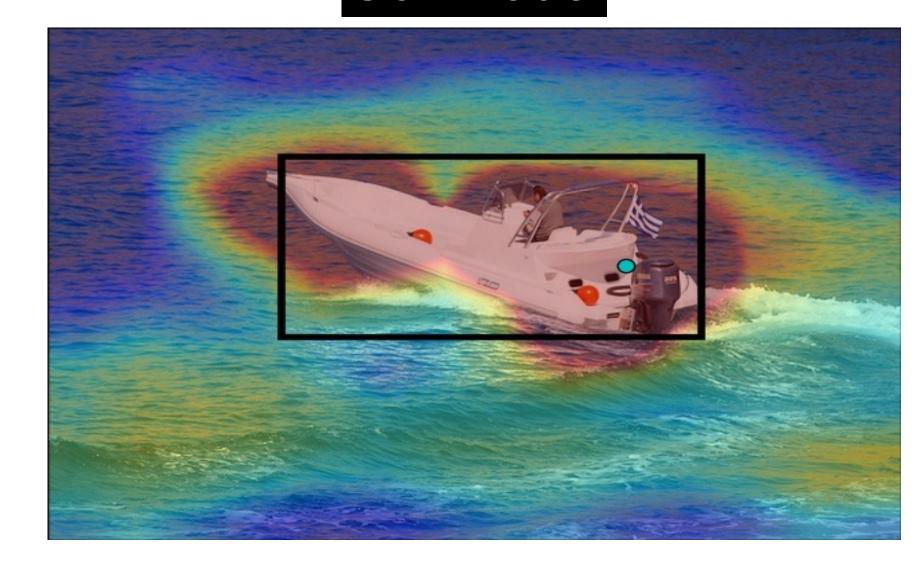


Qualitative Results





Our Model

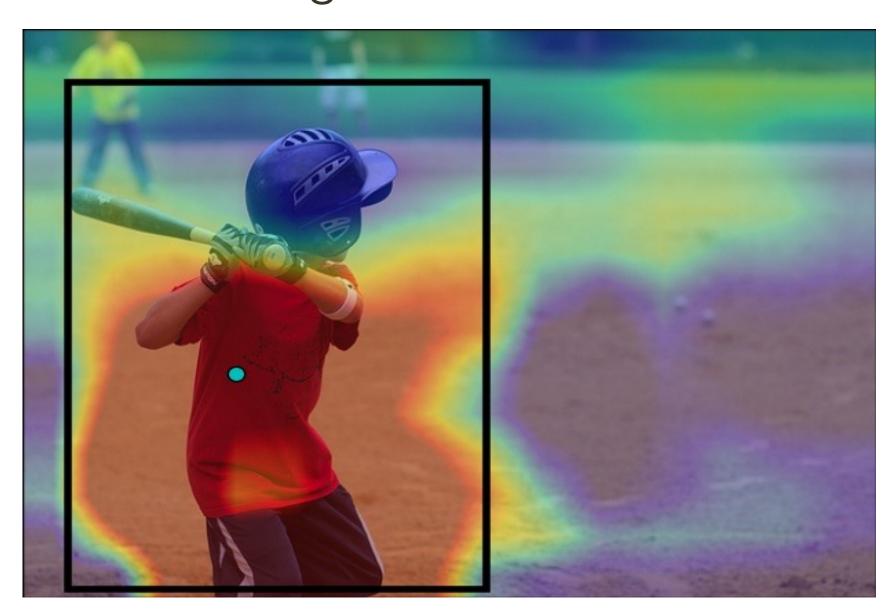


NO linguistic constraints [Xiao et al., 2017]

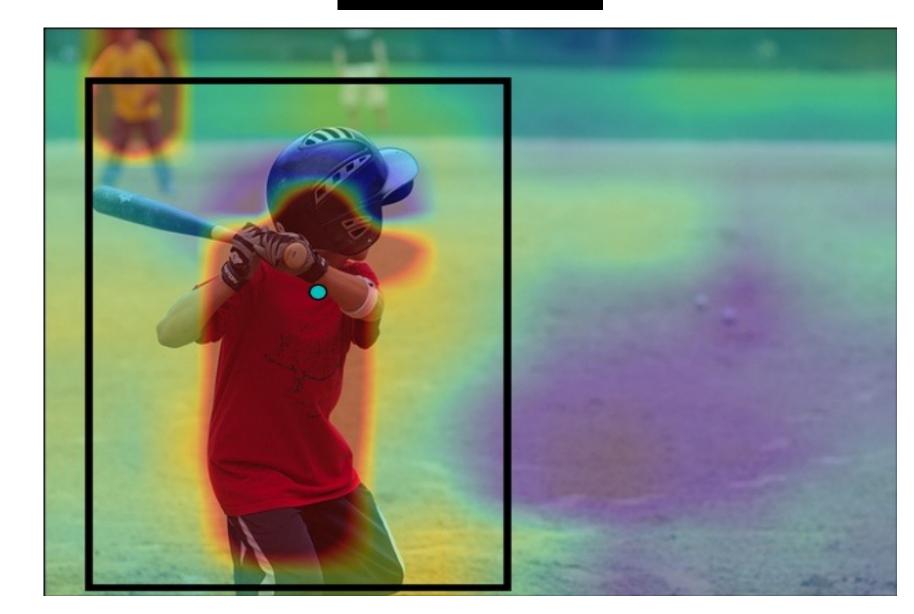
Input:







Our Model

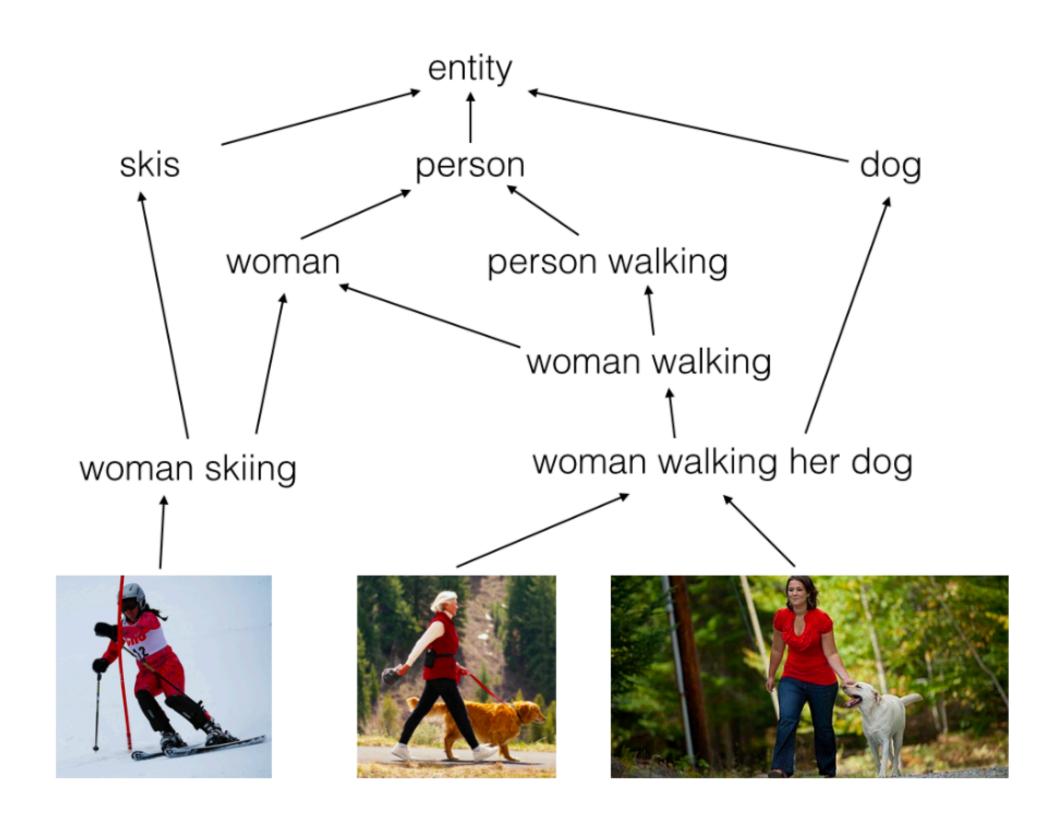


Segmentation performance on COCO dataset

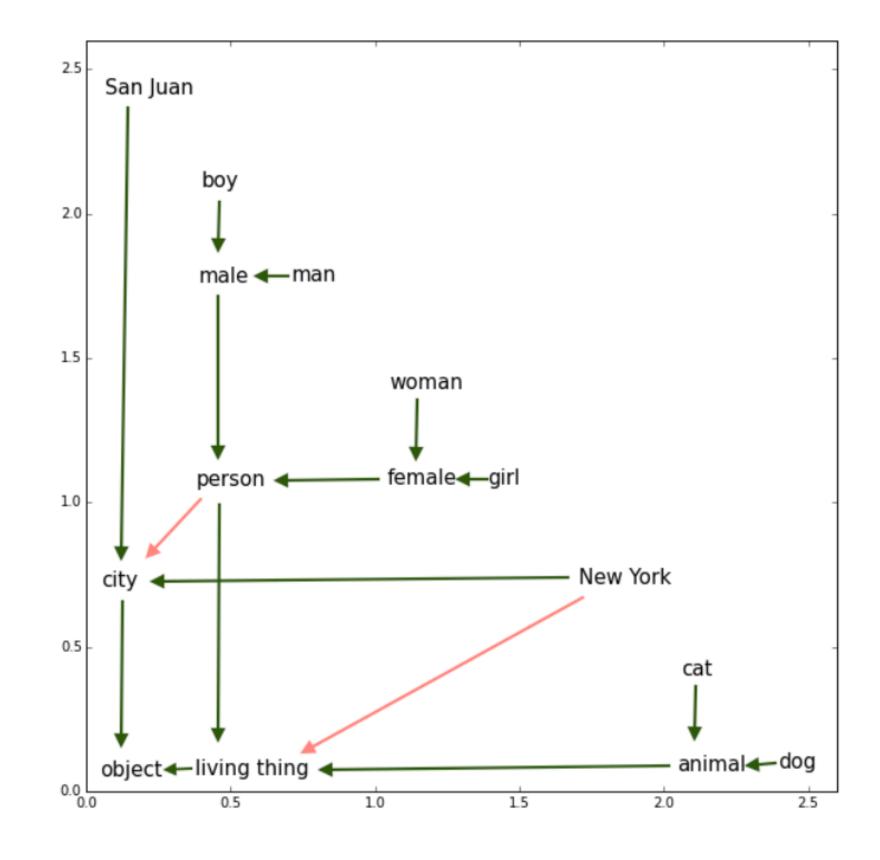
[Lin, Maire, Belongie, Hays, Perona, Ramanan, Dollar, Zitnick, ECCV'14]

	loU@0.3	loU@0.4	loU@0.5	Avg mAP
Non-strcutred	0.302	0.199	0.110	0.203
Parent-Child	0.327	0.213	0.118	0.219
Sibling	0.316	0.203	0.114	0.211
Ours	0.347	0.246	0.159	0.251

Order Embeddings

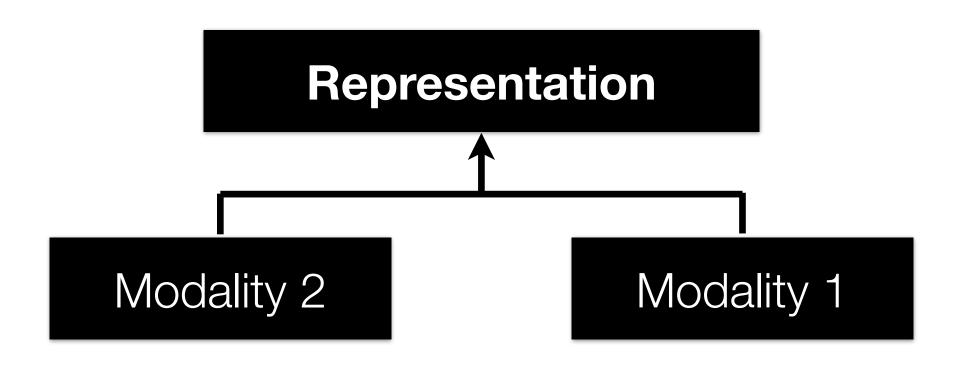


[Vendrov et al., 2016]



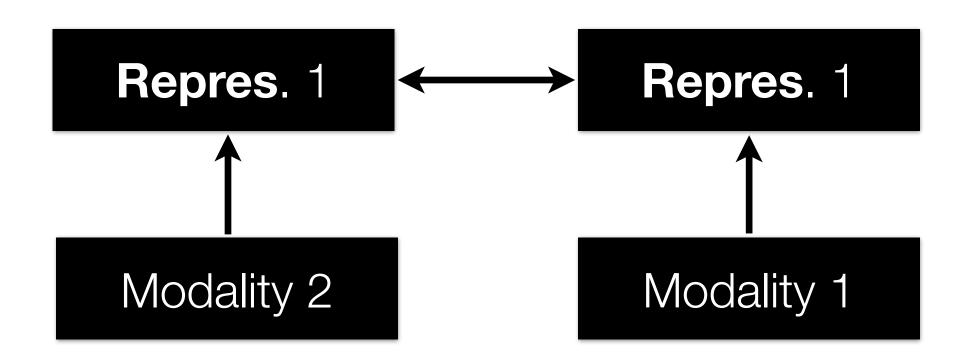
Multimodal Representation Types

Joint representations:



- Simplest version: modality concatenation (early fusion)
- Can be learned supervised or unsupervised

Coordinated representations:



- Similarity-based methods (e.g., cosine distance)
- Structure constraints (e.g., orthogonality, sparseness)
- CCA (unsupervised), joint embeddings (supervised)

Final Words ...

Joint representations

- Project modalities to the same space
- Use when all the modalities are present during test time
- Suitable for multi-model fusion

Coordinated representations

- Project modalities to their own coordinated spaces
- Use when only one of the modalities is present during test-time
- Suitable for multimodal translation
- Good for multimodal retrieval