# **Utilitarian Algorithm**

# Configuration



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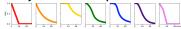
### Setup

- o Algorithms i = 1, ..., n
- Input instances i = 1, 2, 3, ...
- $T_{i,i}$ , runtime of i on j
- $u(T_{ij}) \in [0,1]$ , utility from running i on j
- $F_i(t) := \Pr_i(T_{ij} \leq t)$ , runtime CDF
- $U_i := \mathbb{E}_i[u(T_{i,i})]$ , expected utility
- $\Delta_i := \max_{i'} U_{i'} U_{i'}$ , optimality gap

#### Objective

- Find algorithm i\* with small optimality gap. Existing procedures optimize runtime.
- Our procedure optimizes utility.

# **Utility Function Examples**



#### Generic Procedure

- Reneat...
  - Choose an algorithm i.
  - 2 Run i on an input j for up to  $\kappa$  seconds.
- until stopping condition reached.

The first algorithm configuration procedure to optimize **utility** instead of runtime.

An anytime procedure that requires minimal parameter-setting from the user.

Comes with non-trivial, input-dependent theoretical augrantees that improve with time.



Scan for full paper.

[1] Graham, Devon R., Kevin Leyton-Brown, and Tim Roughgarden. "Formalizing preferences over runtime distributions." International Conference on Machine Learning, PMLR, 2023. [2] Even-Dar, Eyal, Shie Mannor, and Yishay Mansour. "PAC bounds for multi-armed bandit and Markov decision processes." COLT 2002 Sydney, Australia, July 8-10, 2002. [3] Mannor, Shie, and John N. Tsitsiklis. "The sample complexity of exploration in the multi-armed bandit problem." Journal of Machine Learning Research 5 Jun (2004): 623-648

### **Error from Sampling**

- Classic result from Bandits literature [2,3].
- Sampling introduces estimation error.
- o Necessary and sufficient to take enough samples m that:

$$\sqrt{\frac{\mathrm{logterm}}{m}} \le \max\{\Delta_i, \epsilon\}$$

o Intuition: a large enough sample will be representative of the true mean

### **Error from Capping**

- New, input-dependent result,
- Capping introduces error by censoring observations
- Necessary and sufficient to take samples at a captime  $\kappa_i$  large enough that:

$$u(\kappa_i)(1 - F_i(\kappa_i)) \le \Delta_i + \epsilon$$

Intuition: we don't need to know about the tail if it contributes very little to expected utility.

### **Utilitarian Procrastination**

- Anytime, adaptive procedure.
- Input-dependent bounds: m and  $\kappa_i$  only need to be large enough that:

