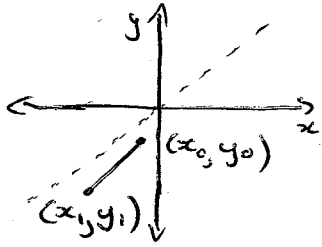


① Same as octant 2 with points reversed.



$$x = x_1$$

$$\text{for } (y = y_1; y \leq y_0; y++) \{$$

$$\text{draw } (x, y);$$

$$\text{if } (F(x+0.5, y+1) > 0) \{$$

$$x++;$$

$$\}$$

$$\}$$

② Use point c.

$$I_c = I_a k_a + I_L k_d (N_c \cdot L_c) + I_L k_s (h \cdot N_c)^{n_{\text{shiny}}}$$

$$h = (L_c + V_c) / 2$$

NB: light vector multiplication is component-wise.

$$\text{Ambient}_c = I_a k_a = \begin{bmatrix} -2 \\ -5 \\ -2 \end{bmatrix} \begin{bmatrix} -1 \\ -1 \\ -1 \end{bmatrix} = \begin{bmatrix} .02 \\ -.05 \\ -.02 \end{bmatrix}$$

$$\text{Diffuse}_c = I_L k_d (N_c \cdot L_c)$$

$$= \begin{bmatrix} 1 \\ 1 \\ 1 \end{bmatrix} \begin{bmatrix} .3 \\ .8 \\ .7 \end{bmatrix} \frac{2}{\sqrt{5}} = \begin{bmatrix} -.268 \\ -.716 \\ -.626 \end{bmatrix}$$

$$L_c = L - C = \begin{bmatrix} -1 \\ -2 \\ 0 \end{bmatrix} / \sqrt{5}$$

$$N_c \cdot L_c = 2 / \sqrt{5}$$

$$\text{Specular}_c = I_L k_s (h \cdot N_c)^{n_{\text{shiny}}}$$

$$= \begin{bmatrix} 1 \\ 1 \\ 1 \end{bmatrix} \begin{bmatrix} .8 \\ .8 \\ .8 \end{bmatrix} \times .578 = \begin{bmatrix} -.462 \\ -.462 \\ -.462 \end{bmatrix}$$

$$h_c = (L_c + V_c) / 2 = \begin{bmatrix} -.224 \\ -.947 \\ 0 \end{bmatrix}$$

$$\text{normalise: } h_c = \begin{bmatrix} -.230 \\ -.973 \\ 0 \end{bmatrix}$$

$$(h \cdot N_c)^{n_{\text{shiny}}} = (-.973)^{20} = .578$$

$$\therefore I_c = \begin{bmatrix} .730 \\ 1 \\ 1 \end{bmatrix}$$

(clamped at 1).

(2)

(3) A: ambient_a = $\begin{bmatrix} .02 \\ .05 \\ .02 \end{bmatrix}$

diffuse_a = $\begin{bmatrix} .134 \\ .358 \\ .313 \end{bmatrix}$

specular_a = $\begin{bmatrix} -.8 \\ .8 \\ .8 \end{bmatrix} (-.447)^{20}$

$L_4 = \begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix}$ $N_4 = \begin{bmatrix} .447 \\ -.894 \\ 0 \end{bmatrix}$

$N_4 \cdot L_4 = .447$

$h_4 = \begin{bmatrix} 1 \\ 0 \\ 0 \end{bmatrix}$

$\therefore I_4 \approx \begin{bmatrix} .154 \\ .408 \\ .333 \end{bmatrix}$

c: I_c as in (2).

B: Interpolate normal

$N_B = \frac{3}{4} N_4 + \frac{1}{4} N_c = \begin{bmatrix} .342 \\ -.940 \\ 0 \end{bmatrix}$

ambient_c = ambient_a = ambient_b

diffuse_B = $\begin{bmatrix} .3 \\ .8 \\ .7 \end{bmatrix} \left(\begin{bmatrix} .970 \\ -.243 \\ 0 \end{bmatrix} \cdot \begin{bmatrix} .342 \\ -.940 \\ 0 \end{bmatrix} \right) = \begin{bmatrix} .168 \\ .468 \\ .392 \end{bmatrix}$

$h_B = \begin{bmatrix} .928 \\ -.0219 \\ 0 \end{bmatrix}$ $(h_B \cdot N_B)^{20} \approx 0$

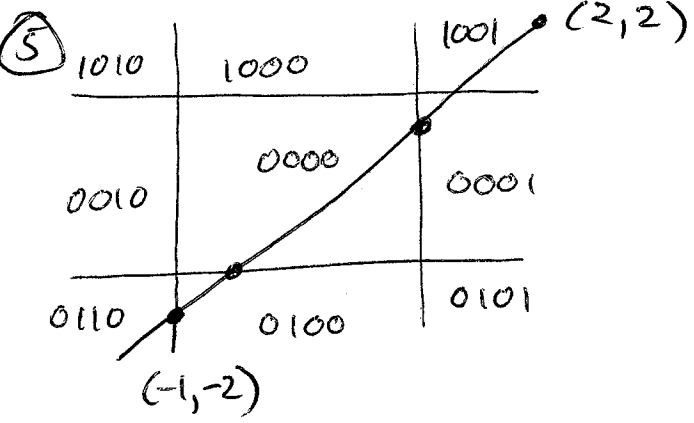
\therefore specular_B = 0.

$\therefore I_c = \begin{bmatrix} .170 \\ .453 \\ .394 \end{bmatrix}$

(4) A and C unchanged.

$I_B = \frac{3}{4} I_4 + \frac{1}{4} I_c = \begin{bmatrix} .298 \\ .556 \\ .500 \end{bmatrix}$

3



$m = 4/3$

$P1 = (-1, -2)$ $OC1 = 0100$
 $P2 = (2, 2)$ $OC2 = 1001$

$OC1 \neq 0$ and $OC2 \neq 0$
 \therefore no trivial accept
 $(OC1 \& OC2) = 0 \therefore$ no trivial reject.

bottom: $P1' = (-.25, -1)$ $OC1' = 0000$
 no trivial accept or reject.

top: $P2' = (1.25, 1)$ $OC2' = 0001$
 no trivial accept/reject.

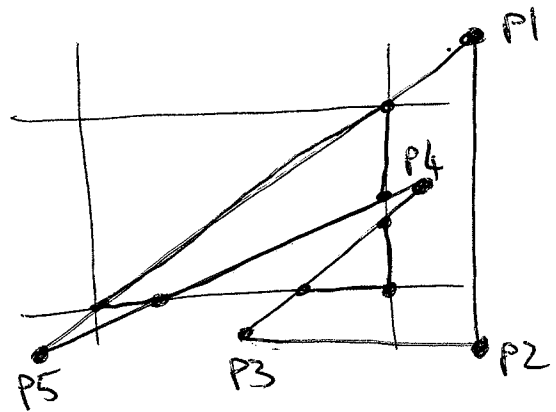
left: no intersection

right: $P2'' = (1, 2/3)$ $OC2'' = 0000$

$OC1' = OC2'' = 0 \therefore$ trivially accept.

new line $(-.25, -1), (1, 2/3)$.

6



bottom \rightarrow top $\rightarrow \dots$

- $P1$
- $P1-P2$
- $P3-P4$
- $P4$
- $P4-P5$
- $P5-P1$
- $(P5-P1)-P1$

$\dots \rightarrow$ left \rightarrow

- $P1 - (P1-P2)$
- $P1-P2$
- $P3-P4$
- $P4$
- $P4-P5$
- $(P4-P5) - (P5-P1)$
- $(P5-P1) - ((P5-P1)-P1)$

right

- $(P1-P2) - (P3-P4)$
- $P3-P4$
- $(P3-P4) - P4$
- $P4 - (P4-P5)$
- $P4-P5$
- $(P4-P5) - (P5-P1)$
- $(P5-P1) - ((P5-P1)-P1)$
- $((P5-P1)-P1) - (P1 - (P1-P2))$

⑦ $\alpha P_1 + \beta P_2 + \gamma P_3 = P$ 3 equations, 3 unknowns. (4)

$$\alpha + \beta + \gamma = 1$$

$$\therefore \alpha \begin{bmatrix} -2 \\ -1 \end{bmatrix} + \beta \begin{bmatrix} 2 \\ 1 \end{bmatrix} + \gamma \begin{bmatrix} 3 \\ 0 \end{bmatrix} = \begin{bmatrix} -3 \\ -5 \end{bmatrix}$$

$$\alpha = 1/3 \quad \beta = 5/6 \quad \gamma = -1/6$$

$$\therefore P_5 = \alpha(-2.5) + \beta(-.8) + \gamma(-.6) = -.65$$

⑧ DELETED

⑨ Work in (x, y, s) coordinate space.

$$N = (P_1 - P_3) \times (P_1 - P_2) = \begin{bmatrix} -.15 \\ -1.35 \\ 6 \end{bmatrix} = \begin{bmatrix} A \\ B \\ C \end{bmatrix}$$

Use P_3 to find $D = -3.15$
(or P_1 or P_2)

Substitute $P(0.5, 0.5, s)$ into

$$Ax + By + Cs + D = 0$$

$$\Rightarrow s = -.65$$

⑩ Component-wise multiplication!

$$\begin{bmatrix} 1 \\ .5 \\ 0 \end{bmatrix} \cdot \begin{bmatrix} .2 \\ .5 \\ 1 \end{bmatrix} = \begin{bmatrix} .2 \\ .25 \\ 0 \end{bmatrix}$$

$$\textcircled{11} \begin{bmatrix} Y \\ I \\ Q \end{bmatrix} = \begin{bmatrix} -3 & -59 & -11 \\ -6 & -28 & -32 \\ -21 & -52 & -31 \end{bmatrix} \begin{bmatrix} R \\ G \\ B \end{bmatrix}$$

$$= \begin{bmatrix} -.401 \\ -.168 \\ .094 \end{bmatrix}$$