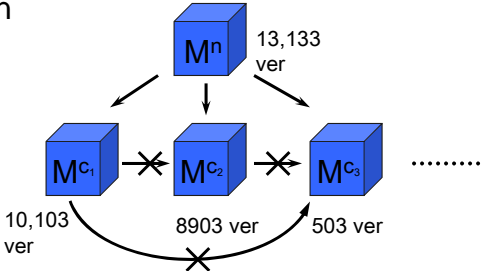



Simplification II: Progressive meshes

Progressive Meshes

- Basic simplification
 
- Progressive mesh
 

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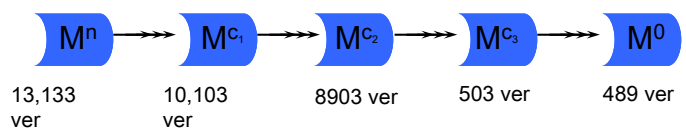
Mesh Simplification

2

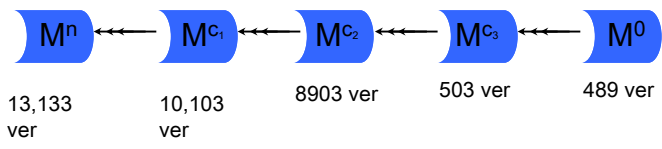


Progressive Meshes

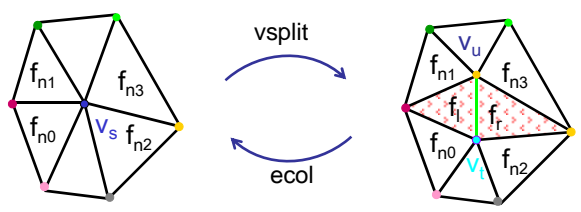
▪ Simplification



▪ Refinement



Definition of vsplit and ecol



▪ ecol changes

- Connectivity - $\{v_u, v_t\}$ is removed
- Geometry - v_t and v_u disappear & v_s is created (somewhere)

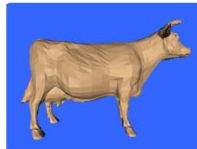
- V_s is *parent* of V_u & V_t
- V_u and V_t are *children* of V_s





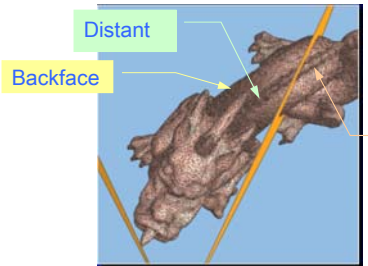
Progressive Transmission

- Base mesh (M^0) transmitted first
- Refinement records transmitted later & mesh reconstructed progressively



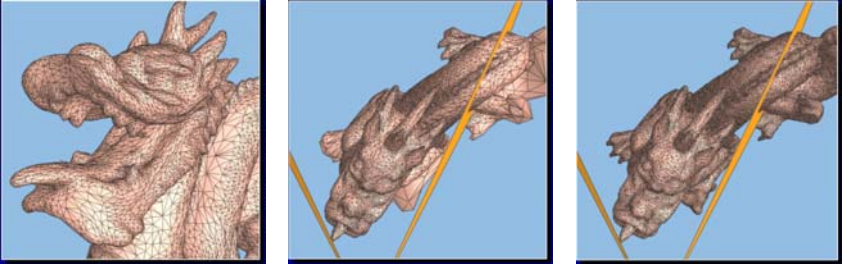
View-Dependent Refinement

- Problem:
 - Large parts of rendered models are hidden
 - Hidden faces are view dependent
 - Basic simplification: all faces rendered at same LOD
 - Waste effort rendering hidden faces



View-Dependent Refinement

- Goal:
 - Generate progressive representation of mesh s.t. *only some* faces are simplified & others are fully detailed




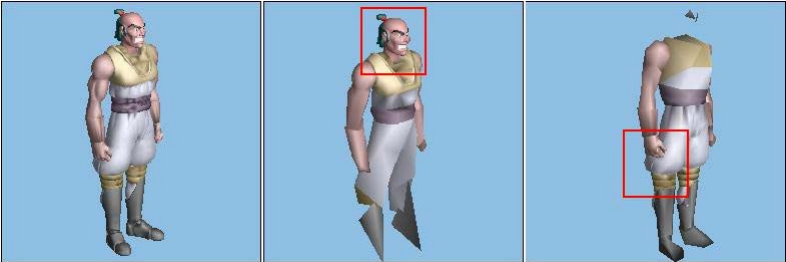
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Mesh Simplification

7

Selective Refinement

- Refine only in desired area

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Mesh Simplification

8

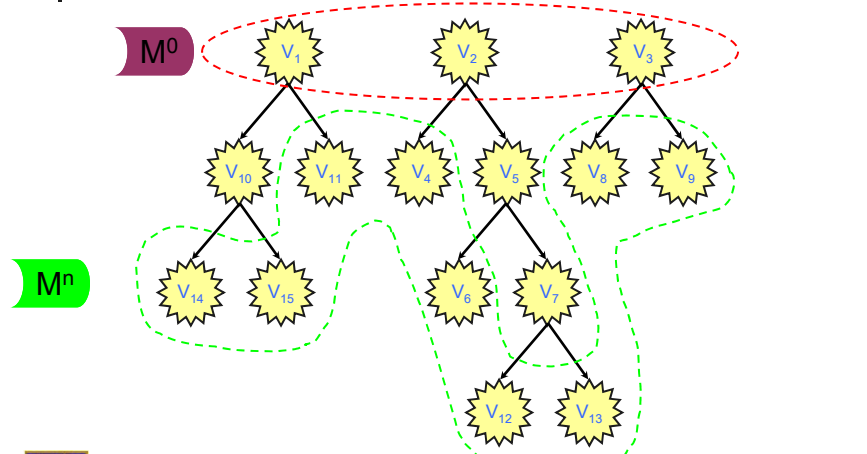


Vertex Hierarchy

- Generate Parent-Child forest by combining Progressive Mesh representation with Parent-Child relationship
- M^0 : Set of root vertices (most simplified mesh)
- M^n : Set of leaves of the forest (original mesh)



Vertex Hierarchy



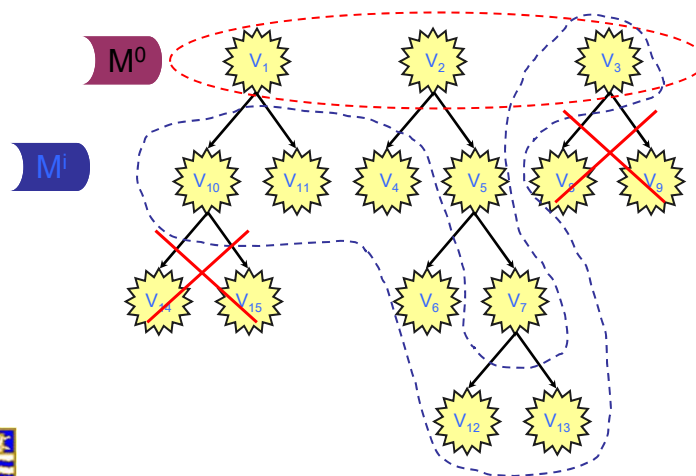


Selective Refinement

- Given vertex hierarchy forest - selective refinement mesh generated by using selective, out-of-order vsplits and ecols operations
- Current refined/simplified mesh is vertex front in the forest



Selective Refinement





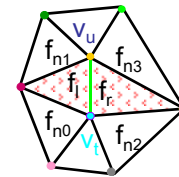
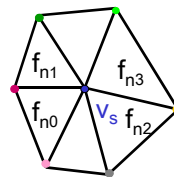
Is This Enough ?

- Is Selective-Refinement data-structure enough for View-Dependent operations ?



Legal Operations

- Face/vertex is *active* if it exists in current front
- **Legal vsplit:**
 - V_s is active vertex
 - Faces $\{f_{n0}, f_{n1}, f_{n2}, f_{n3}\}$ are all active
- **Legal ecol:**
 - V_t & V_u are both active
 - Faces $\{f_{n0}, f_{n1}, f_{n2}, f_{n3}\}$ are adjacent to f_l & f_r





Data-Structure Implementation

- To achieve a real-time View-Dependent algorithm need efficient data-structure to maintain vertices & faces information
 - Vertex list array - holds vertices that participate in View-Dependent model
 - Active vertices list - holds current mesh front
 - Faces & active faces lists



View-Dependent Algorithm

- Traverse active-vertex-front before each rendering operation
- For each vertex test if vertex should be
 - Refined
 - Simplified
 - Left as it is
- Perform simplification operations (ecol) **only if legal**
- Perform **all** refine operations (vsplit)
 - to make it legal (sometimes) perform additional vsplit operations



View-Dependent Alg

vsplit
dependency

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Refinement Criteria

- View-Frustum Criterion:
 - Each original mesh vertex is center of sphere containing all its neighbors
 - Vertex considered **outside** view-frustum if its associated sphere is outside
$$a_i v_x + b_i v_y + c_i v_z + d_i < -r_v$$

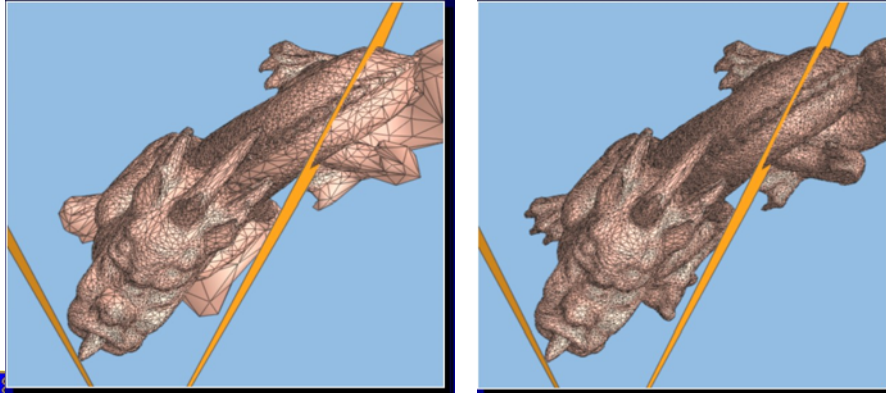
$$\|(a_i, b_i, c_i)\| = 1$$
 - (v_x, v_y, v_z) - vertex v position
 - (a_i, b_i, c_i, d_i) for $i=1 \dots 4$ - frustum faces
 - r_v - radius of sphere associated with v

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Refinement Criteria

View-Frustum Criterion:



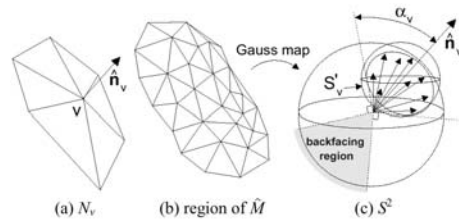
Refinement Criteria

Surface Orientation:

- Each mesh vertex associated with cone in direction of its normal with angle α_v
- Given viewpoint e - it is unnecessary to split v if:

$$(v - e) \cdot \hat{n}_v > 0 \quad \&$$

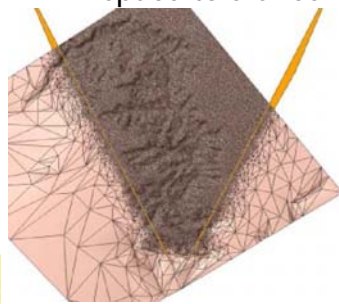
$$((v - e) \cdot \hat{n}_v)^2 > \|v - e\|^2 \sin^2 \alpha_v$$



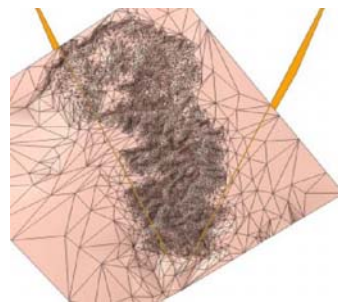


Refinement Criteria

- Screen-Space Geometric error:
 - Refine mesh only if distance between approximated & original surfaces **when projected on the screen** is larger than screen-space tolerance τ



$\tau = 0\%$



$\tau = 0.33\%$



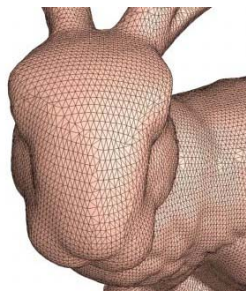
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Mesh Simplification

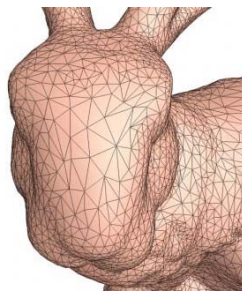
21



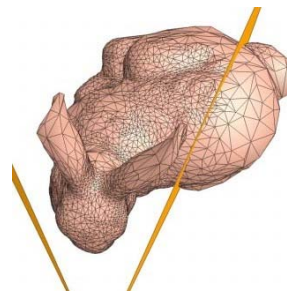
Examples



Original



Simplified



Top-View



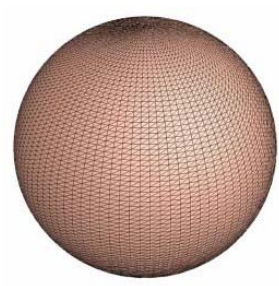
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Mesh Simplification

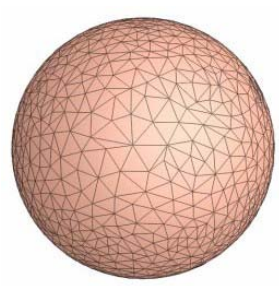
22



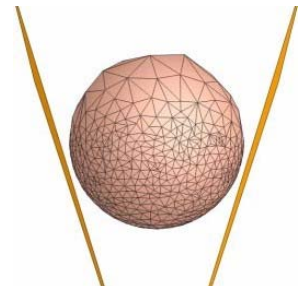
Examples (cont')



Original



Simplified



Top-View

