

CPSC 322

Introduction to Artificial Intelligence

September 17, 2004

Highlights from last time

Reasoning and Representation System

A language for communication with the computer
formal language

A way to assign meaning to the language
semantics

Procedures to compute answers to problems
given as input in the language
reasoning theory or **proof procedure**

Highlights from last time

An Implementation of an RRS consists of:

A **language parser** that maps legal sentences of the formal language to some internal form stored as data structures

A **reasoning procedure** that combines a reasoning theory with a search strategy. The search strategy is a commitment to how to resolve the nondeterminism.

Note that this is all independent of semantics. This is just symbol manipulation by following a set of rules.

Highlights from last time

Simplifying Assumptions for first RRS

An agent's knowledge can be usefully described in terms of individuals and relations among individuals.

An agent's knowledge base consists of definite and positive statements. (i.e., nothing vague, no negation)

The environment is static. (i.e., nothing changes)

There are only a finite number of individuals of interest in the domain

Some of these assumptions will be relaxed as we go on.

Highlights from last time

(One of) Two New Words

inference: (1) The act or process of deriving logical conclusions from premises known or assumed to be true. (2) The act of reasoning from factual knowledge or evidence.

Three general classes of inference:

- deductive inference
- inductive inference
- abductive inference

Clarification

human inference may not be characterized as deductive inference, but...

we don't know how human inference works

abduction and induction don't maintain truth

abduction and induction are poorly specified
and harder to implement

we don't necessarily want our computers to
exhibit human-like intelligence - maybe
we just want the good parts and not the
bad parts

Highlights from last time

Syntax for CLOG(DataLog)

A **variable** is a word that starts with an uppercase letter.
X, Y, Kurt, The_bald_guy, Q42

A **constant** is a word starting with a lowercase letter or it can be all digits (a numeral).
x, y, kurt, daughter, happy, q42, 493

A **predicate symbol** is a word starting with a lowercase letter.
x, y, kurt, daughter, happy, q42

A **term** is either a variable or a constant.

Highlights from last time

Syntax for CLOG(DataLog)

An **atomic symbol** (or **atom**) is of the form p or $p(t_1, \dots, t_n)$ where p is a predicate symbol and each t_i is a term.

happy, teaches(kurt, cs322), between(s3, l2, cb1),
mother(elizabeth, X)

A **body** is of the form $a_1 \& \dots \& a_m$ (or $a_1 \wedge \dots \wedge a_m$) where each a_i is an atom.

A **definite clause** is either an atom, a , called a **fact**, or of the form $a \leftarrow b$, called a **rule**, where a , the head, is an atom and b is a body. The \leftarrow is read as “if”.

Highlights from last time

Syntax for CLOG(Datalog)

A **query** is of the form `ask b` (or `?b`) where `b` is a body.

An **expression** is either a term, an atom, a definite clause, or a query.

A **knowledge base** is a set of definite clauses.

Dissecting the definite clause

```
parent(elizabeth, charles)
```

```
mother(X, Y) <- parent(X, Y) & female(X)
```

Dissecting the definite clause

```
parent(elizabeth, charles)
```

```
mother(X, Y) <- parent(X, Y) & female(X)
```

variables

Dissecting the definite clause

constants

```
graph TD; constants --> elizabeth; constants --> charles; parent(elizabeth, charles);
```

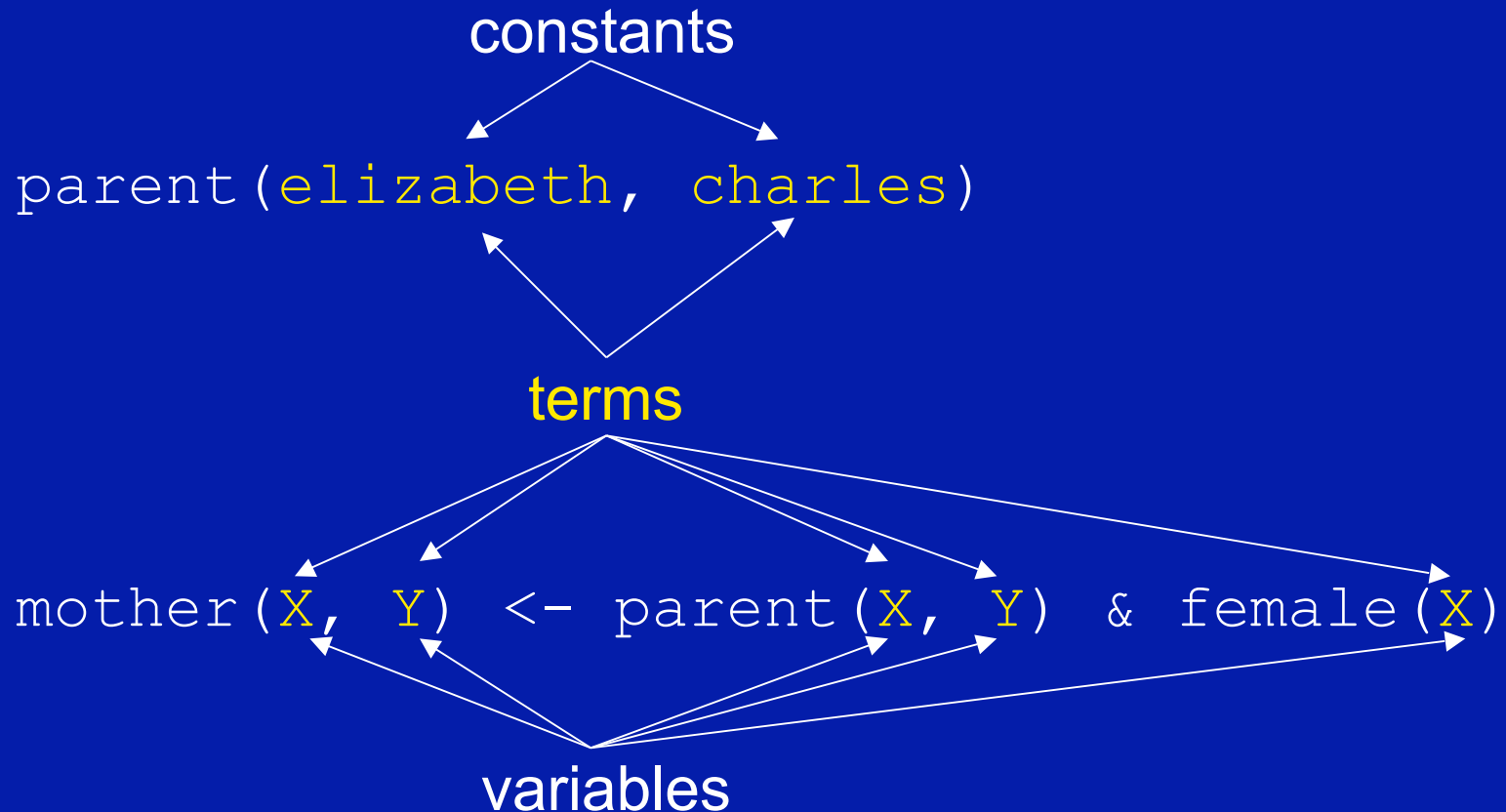
parent(`elizabeth`, `charles`)

mother(`X`, `Y`) `<-` parent(`X`, `Y`) & female(`X`)

```
graph TD; variables --> X1[X]; variables --> Y1[Y]; variables --> X2[X]; variables --> Y2[Y]; variables --> X3[X]; mother(X1, Y1) <- parent(X2, Y2) & female(X3);
```

variables

Dissecting the definite clause



Dissecting the definite clause

`parent(elizabeth, charles)`

predicate symbols

`mother(X, Y) <- parent(X, Y) & female(X)`

```
graph TD; A[predicate symbols] --> B[parent(elizabeth, charles)]; A --> C[mother(X, Y)]; A --> D[parent(X, Y) & female(X)];
```

Dissecting the definite clause

parent(elizabeth, charles)

atoms

mother(X, Y) <- parent(X, Y) & female(X)



Dissecting the definite clause

parent(elizabeth, charles)

↑
fact (a single atom)

mother(X, Y) <- parent(X, Y) & female(X)

Dissecting the definite clause

```
parent(elizabeth, charles)
```

```
mother(X, Y) <- parent(X, Y) & female(X)
```

↑
rule

Dissecting the definite clause

```
parent(elizabeth, charles)
```

head (one atom)		body (conjunction of 1 or more atoms)
↓		↓
_____		_____
mother(X, Y)	←	parent(X, Y) & female(X)

rule

Semantics in the RRS

Informally:

A semantics tells YOU how symbols in the language correspond to things in the task domain

A semantics tells YOU how to use the correspondences to interpret sentences in the language

The correspondences between symbols in the language and objects in the domain define an **interpretation** for the language

Semantics in the RRS

Formally:

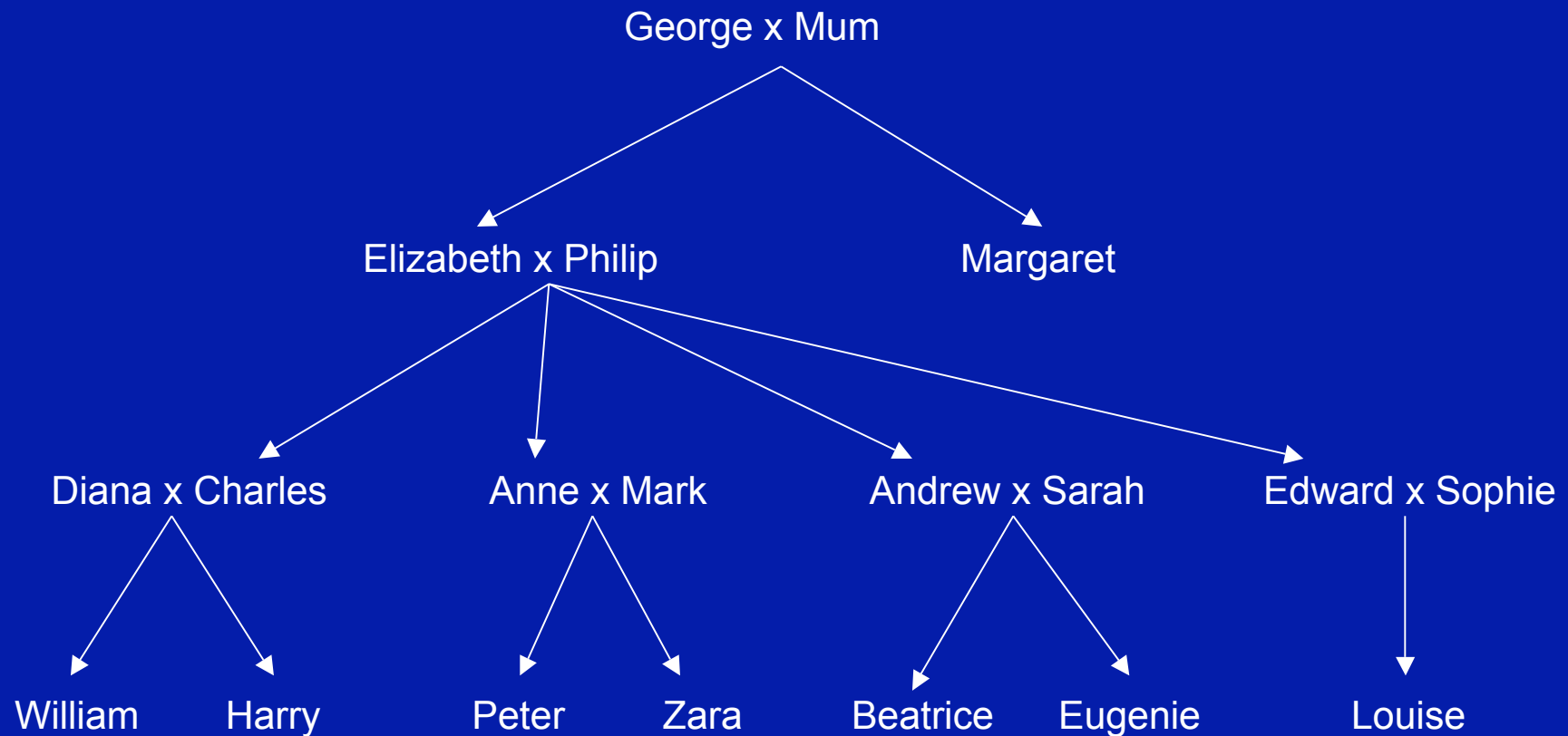
An interpretation is a triple $I = (D, \phi, \pi)$ where

D , the domain, is a nonempty set whose elements are individuals

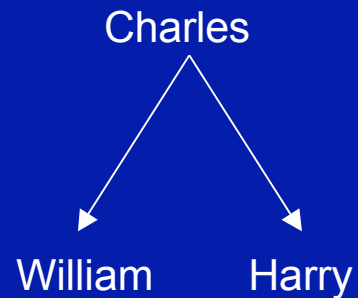
ϕ is a mapping that assigns to each constant an element of D

π is a mapping that assigns to each n -ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

Here's an example



Here's an example



Adapted from [Artificial Intelligence: A Modern Approach](#) by Stuart Russell and Peter Norvig
Updated from <http://www.royal.gov.uk>

A Sample Interpretation

$$D = \left\{ \text{charles}, \text{william}, \text{harry} \right\}$$

constants = charles, william, harry

predicate symbols = male (unary)
female (unary)
parent (binary)

What about ϕ and π ?

A Sample Interpretation

ϕ is a mapping that assigns to each constant an element of D

$\phi(\text{charles}) =$



$\phi(\text{william}) =$



$\phi(\text{harry}) =$



A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$$\pi(\text{male})(\text{img1}) = TRUE$$

$$\pi(\text{male})(\text{img2}) = TRUE$$

$$\pi(\text{male})(\text{img3}) = TRUE$$

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$\pi(\text{female})($  $) = FALSE$

$\pi(\text{female})($  $) = FALSE$

$\pi(\text{female})($  $) = FALSE$

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$\pi(\text{parent})($  , ) = *FALSE*

$\pi(\text{parent})($  , ) = *TRUE*

$\pi(\text{parent})($  , ) = *TRUE*

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$$\pi(\text{parent})(\text{img1}, \text{img2}) = FALSE$$

$$\pi(\text{parent})(\text{img1}, \text{img3}) = FALSE$$

$$\pi(\text{parent})(\text{img1}, \text{img4}) = FALSE$$

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$$\pi(\text{parent})(\text{img1}, \text{img2}) = FALSE$$

$$\pi(\text{parent})(\text{img1}, \text{img3}) = FALSE$$

$$\pi(\text{parent})(\text{img1}, \text{img4}) = FALSE$$

A Sample Interpretation

```
male(charles) .  
male(william) .  
male(harry) .  
parent(charles, william) .  
parent(charles, harry) .
```

Wow. That was a lot of semantics to work out just to get to here. What if we want to add more individuals or more relationships?

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$$\pi(\text{brother})(\text{img1}, \text{img2}) = FALSE$$

$$\pi(\text{brother})(\text{img1}, \text{img3}) = FALSE$$

$$\pi(\text{brother})(\text{img1}, \text{img4}) = FALSE$$

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$$\pi(\text{brother})(\text{img1}, \text{img2}) = FALSE$$

$$\pi(\text{brother})(\text{img1}, \text{img3}) = FALSE$$

$$\pi(\text{brother})(\text{img1}, \text{img4}) = TRUE$$

A Sample Interpretation

π is a mapping that assigns to each n-ary predicate symbol a function from D^n into $\{TRUE, FALSE\}$

$$\pi(\text{brother})(\text{Prince Harry}, \text{Prince William}) = FALSE$$

$$\pi(\text{brother})(\text{Prince Harry}, \text{Prince Louis}) = TRUE$$

$$\pi(\text{brother})(\text{Prince Harry}, \text{Prince Harry}) = FALSE$$

A Sample Interpretation

```
male(charles) .  
male(william) .  
male(harry) .  
parent(charles, william) .  
parent(charles, harry) .
```

```
brother(X, Y) <- male(X) &  
                  parent(Z, X) &  
                  parent(Z, Y) .
```

Let's test it out and see how it works.

Let's talk about homework

The webpage at www.cs.ubc.ca/~eiselt/cs322 will have your homework assignment by 6:00pm today. Look at the entry for Friday, September 17.

Collaboration policy

Turning it in