

Zsuzsanna Hollander

## **Reviewed Papers**

- Effective Graph Visualization via Node Grouping Janet M. Six and Ioannis G. Tollis. Proc InfoVis 2001
- Visualization of State Transition Graphs Frank van Ham, Huub van de Wetering, Jarke J. van Wijk. Proc InfoVis 2001.

FADE: Graph Drawing, Clustering, and Visual Abstraction Aaron J. Quigley and Peter Eades, Proc. Graph Drawing 2000

## Effective Graph Visualization via Node Grouping

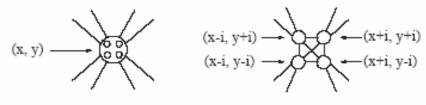
- visualizes large graphs
- 2D drawing
- assumes the existence of complete or almost complete subgraphs in the graph to be visualized
- use of two type of techniques:
  - □ force directed
  - orthogonal drawing

### Levels of Abstraction

- total abstraction
- proximity abstraction
- explicit proximity abstraction
- interactive abstraction

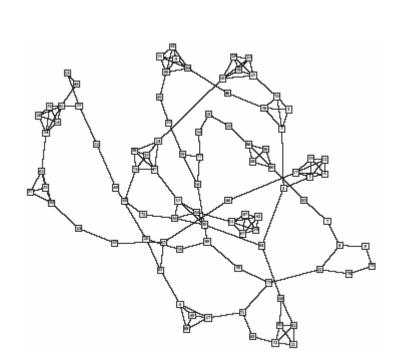
# Force Directed Layout Technique with Node Grouping

- 1. find node grouping (by using the triangle or coloring technique)
- 2. use total abstraction to get the superstructure G<sub>s</sub>
- 3. apply force directed layout technique on  $G_s$  to obtain a layout of  $G_s$
- replace all supernodes in G<sub>s</sub> with the group of nodes it represents and place these nodes at the position of the supernode

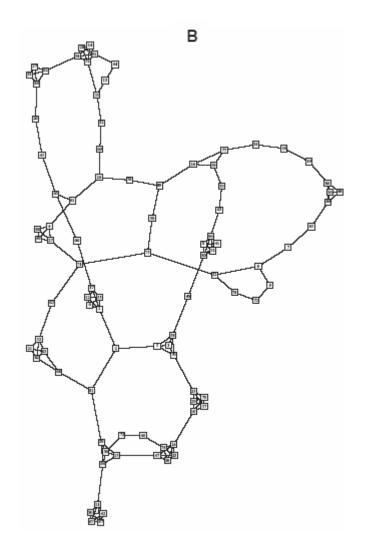


5. apply force directed algorithm to graph

# Comparison



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### Comparison

Technique uses the same amount of space as the original force directed algorithm

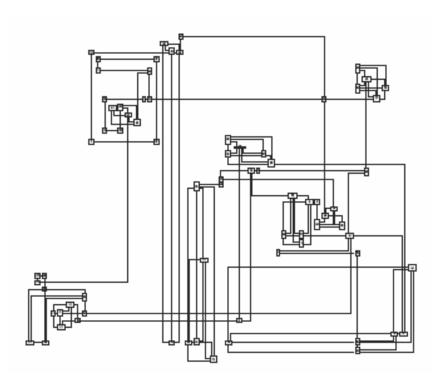
#### Improvements:

- □ 22% in edge crossings
- □ 17 % in in average edge length
- □ 12 % in maximum edge length
- □ 17 % in total edge length
- □ 35 % in average clique edge length
- □ 15 % in average neighbourhood edge length

# Orthogonal Drawing with Node Grouping

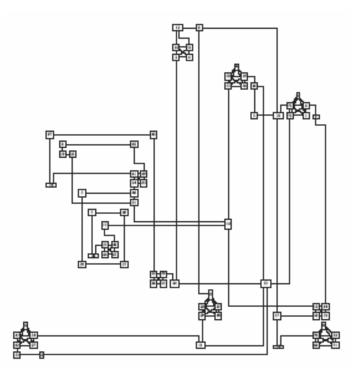
- 1. find node grouping
- 2. use total abstraction to get the superstructure  $G_s$
- 3. create orthogonal layout of G<sub>s</sub>
- 4. replace all supernodes in  $G_s$  with the group of nodes it represents and place these nodes at the position of the supernode
- 5. route the edges incident to group nodes

## Comparison



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Slightly slower, on average, than the interactive graph drawing technique

#### Improvements:

- 52% in area
- □ 60% in bends
- □ 45% in edge crossings
- □ 59% in average edge length
- □ 38% in maximum edge length
- □ 59% in total edge length
- □ 90% in average clique length
- □ 52% in average neighbourhood edge length

### Comparison

#### Higher quality with respect to:

- □ clarity of groups
- separation of groups from other portions of the graph
- □ better layout of the superstructure
- □ ease of seeing some structure
- ease of seeing flow into and out of the groups

## Critique

#### Pros:

 $\Box$  easy to understand

no occlusion

□ ran experiments over a set of almost 600 graphs

#### Cons:

- no user study
- no explanation of basic techniques
- no mention of what a large graph means
- comparison is not done with the most recent techniques
- □ no conclusion

# FADE: Graph Drawing, Clustering, and Visual Abstraction

- fast algorithm for the drawing of large undirected graphs
- is based on
  - the force directed approach
  - clustering
  - □ space decomposition
- 2D drawing

## Main Concepts

Clustering:

- performed based on the structure of graph
- allows performance improvement
- allows multi-level viewing

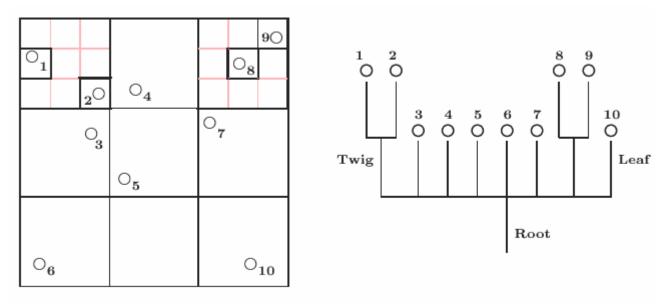
Geometric clustering:

- points close to each other belong to the same cluster
- points far apart belong to different clusters

## Main Concepts (cont.)

Tree code:

 recursive division of space into a series of cell calculations



Nono-tree space decomposition and data structure

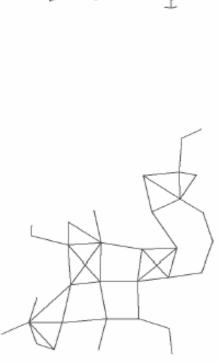
can speed up force calculation

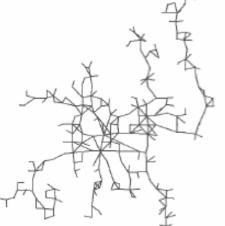
# **FADE Algorithm**

#### REPEAT

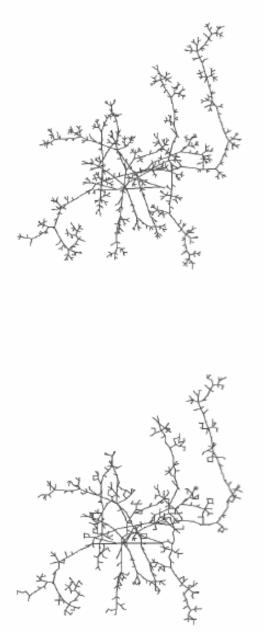
- 1. Construct geometric clustering using space decomposition
- 2. Compute edge forces
- 3. Compute non-edge forces
- 4. Move nodes

UNTIL convergence

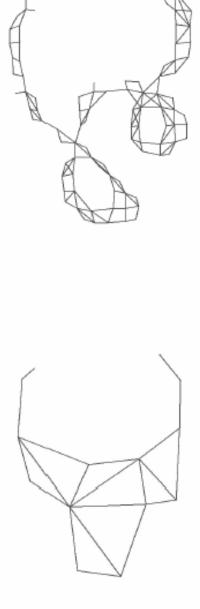




Graph of 1400 nodes shown on levels 4 and 6 of the decomposition tree

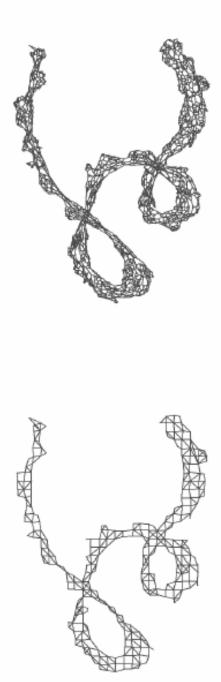


Graph of 1400 nodes shown on level 8 and the lowest level of the decomposition



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Graph of 4700 nodes shown on levels 3 and 5 of the decomposition tree



Graph of 4700 nodes shown on level 8 and the lowest level of the decomposition

#### Comparison

| Nodes  | Direct (sec) | FADE (sec) | % Error |
|--------|--------------|------------|---------|
| 512    | 0.455        | 0.04       | 0.513   |
| 1020   | 1.82         | 0.088      | 0.592   |
| 1442   | 3.61         | 0.168      | 0.675   |
| 2500   | 10.88        | 0.202      | 0.622   |
| 6000   | 62.66        | 0.676      | 0.673   |
| 10510  | 192          | 1.704      | 0.449   |
| 22800  | 920          | 3.36       | 0.561   |
| 30000  | 1593         | 3.546      | 0.517   |
| 40960  | 2979         | 5.592      | 0.567   |
| 49284  | 4316         | 6.730      | 0.628   |
| 105233 | 19604        | 13.371     | 0.481   |

Experimental Comparison of tree-code Vs direct force calculation

error: vector measure computed from the direct non-edge forces and the approximate non-edge forces computed in FADE

# Critique

#### Pros:

main concepts are clearly stated

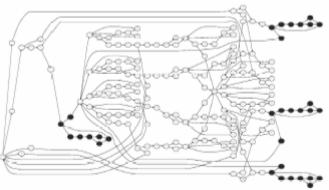
- novel method for multi-level viewing
- run time improvement
- Cons:
  - no user study
  - comparison is not done with the most recent techniques
  - $\Box$  no mention of what a large graph means

## Visualization of State Transition Graphs

- visualizes large graphs
- uses ranking
- uses clustering
- 3D visualization

### Based on the Principles:

1. enable user to identify symmetrical and similar substructures



2. provide the user with overview of entire graph's structure

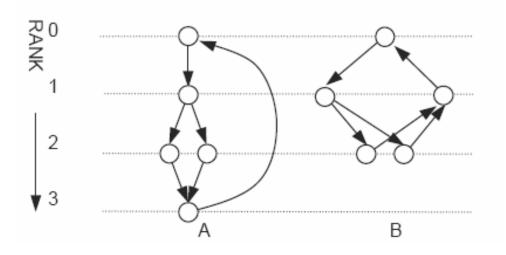
## Steps of the Visualization Process

- 1. Assign a rank to all nodes
- 2. Cluster graph based on structural property
- 3. Visualize structure using cone trees
- 4. Place individual nodes and edges on graph

## Assigning Ranks

The two ranking methods used are:

- iterative
- cyclic



## Steps of the Visualization Process

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# Clustering

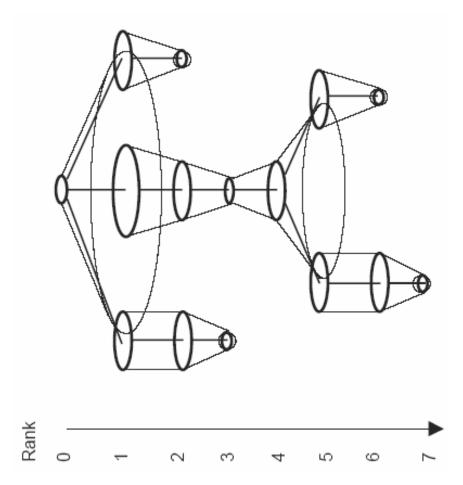
- is based on an equivalence relation between nodes
- all nodes in a cluster have the same rank
- rank of a cluster containing node x = rank of x
- every node is in exactly one cluster

## Steps of the Visualization Process

- 1. Assign a rank to all nodes
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### Visualizing the Structure

- symmetry (clusters are placed on the graph according to some structure based rules)
- clear visual relationship between backbone structure and actual graph
- clusters with many nodes are represented by bigger circles



## Steps of the Visualization Process

- 1. Assign a rank to all nodes
- 2. Cluster graph based on structural property
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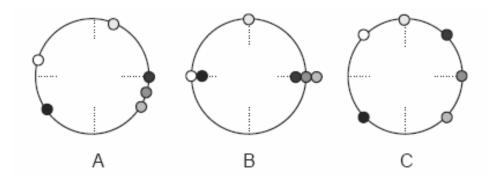
## Placing the Nodes

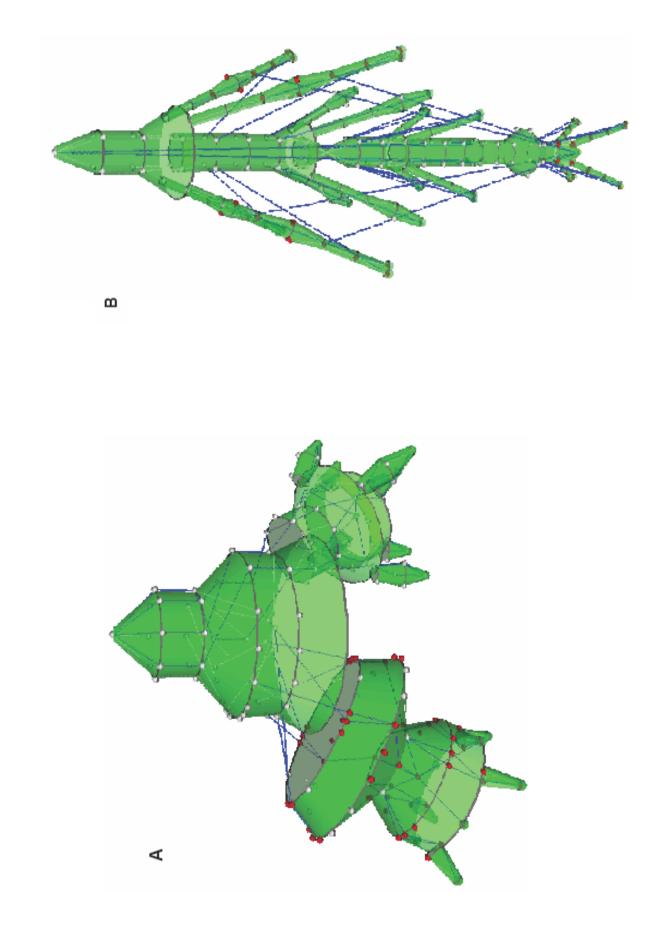
- emphasizes symmetry in the structure (nodes with the same properties are positioned the same way)
- short edges between nodes
- maximum possible distance between nodes within the same cluster (to reduce clutter and to avoid coinciding of nodes)

## Placing the Nodes

To position the nodes:

- nodes are placed on graph based on the position of ancestor and descendent nodes
- adjust position of nodes to increase space between nodes in the same cluster







# Critique

#### Pros:

- □ easy to read (provides good examples)
- occlusion is avoided (by rotating the non-centered clusters and by using transparency)
- authors state when is the cyclic and when is the iterative ranking more efficient
- real data is used at testing

#### Cons:

- no user study
- method not good when visualizing highly connected graphs