

CPSC 314, Written Homework 3

Out: Thu Jun 2

Due: ~~Wed Jun 8, 4pm~~ CHANGE: Fri Jun 10, 4pm

Value: 5% of final grade

Total Points: 90

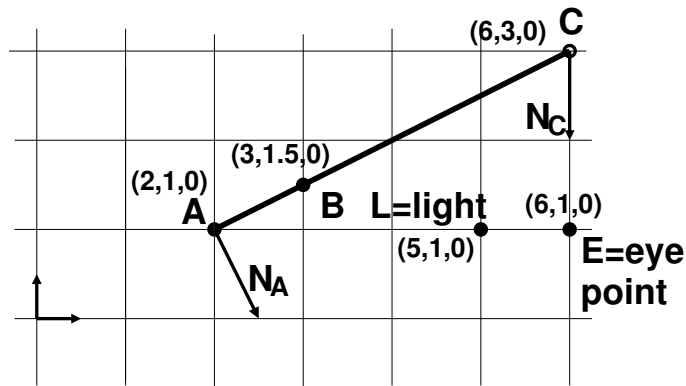
Rasterization (15 pts)

- (15 pts) Give an algorithm for scan-converting a line with the Bresenham approach that works in the sixth octant (lines with slope between **positive** 1 and infinity), rather than the first octant as described in class (lines with slope between 0 and 1).

Lighting (30 pts)

For the following questions, give the ambient, diffuse, specular, and combined total illumination at each of points A, B, and C. **Treat the line segment AC as the 1D version of a polygon, where only the vertices A and C have normals defined.** Note that the picture has changed from the previous version. In cases that require computing only at a single vertex, use point C. Show your work. In all cases use the Blinn-Phong illumination model with the halfway vector, using parameters

$$I_a = (.2, .5, .2), I_L = (1.0, 1.0, 1.0), k_a = (.1, .1, .1), k_d = (.3, .8, .7), k_s = (.8, .8, .8), n = 20.$$



- (10 pts) Do your computations in the flat shading model.
- (10 pts) Do your computations using the Phong shading model.
- (10 pts) Do your computations using the Gouraud shading model.

Clipping (17 pts)

- (10 pts) Clip the line segment with endpoints $(-1,-2)$, $(2,2)$ to the box $(-1,-1)$, $(1,-1)$, $(1,1)$, $(-1,1)$. Use the Cohen-Sutherland algorithm and show intermediate work at each step, including outcodes. Use the following clipping order: bottom, top, left, right. You **do** need to compute the exact intersection points.
- (7 pts) Clip the polygon with points $P_1 = (2, 2)$, $P_2 = (2, -2)$, $P_3 = (0, -1.5)$, $P_4 = (1.5, 0)$, $P_5 = (-1.5,-1.5)$ against the box $(-1,-1)$, $(1,-1)$, $(1,1)$, $(-1,1)$. Use the Sutherland-Hodgeman algorithm: give the vertex list after clipping against each viewport edge. Use the following clipping order: bottom, top, left, right. You **do not** need to compute the intersection points. If you have to insert a new point between vertices A and B, call it A_B.

Texture and Interpolation (30 pts)

- (10 pts) Given the triangle $T = (P_1, P_2, P_3)$ with $P_1 = (-2, -1, 0, 1)$, $P_2 = (2, 1, -1, 1)$, and $P_3 = (3, 0, -4, 1)$ and with texture (s, t) coordinates at the vertices defined as $(.25, .1)$, $(.8, .8)$, and $(.6, .1)$ respectively, compute s for P **with x and y coordinates** = $(.5, .5)$. Use the standard barycentric coordinate formula. **You are given only the x and y coordinates for P, as would occur during scan conversion where z values inside the polygon are interpolated given the z values at vertices.**

8. (DELETED, DO NOT ANSWER) Find the s texture coordinate at triangle midpoint P as above, but this time using perspective-correct barycentric interpolation.
9. (10 pts) Given the triangle above, find s using the plane equation.

Color (8 pts)

10. (2 pts) If a light with RGB color triplet $(1,.5,0)$ shines on a surface with diffuse color $(.2,.5,1)$, what is the resulting color triplet?
11. (6 pts) Convert the RGB triplet $(.6,.3,.4)$ to YIQ.